

# The Diffused Polarized ALPs (Axion-like Particles) Power Spectrum in the Microwave Sky

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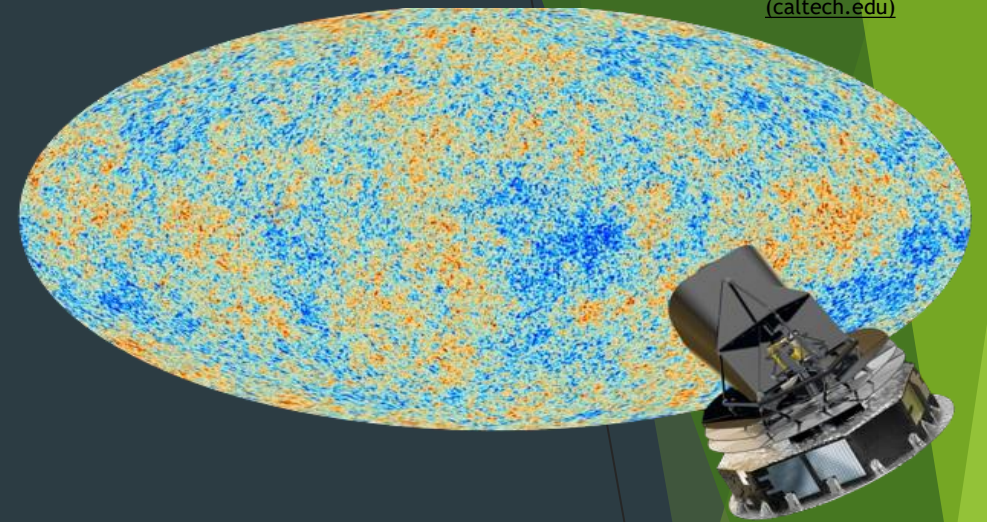
Mumbai, India

CMB-S4 Summer Collaboration Meeting  
2<sup>nd</sup> August, 2024

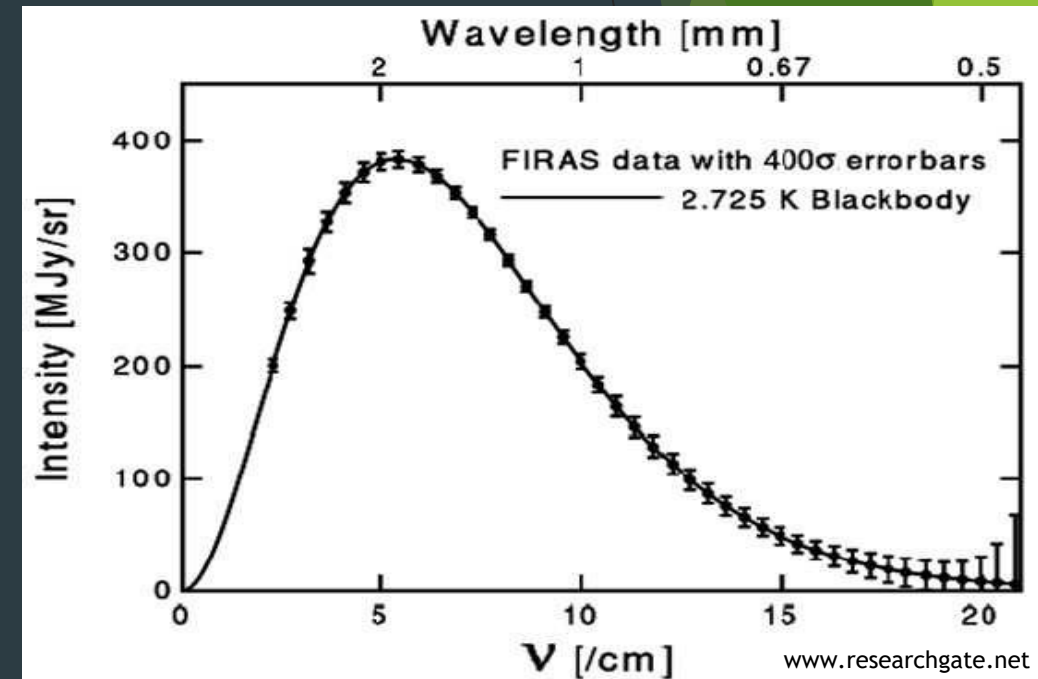


# Probing Axions with CMB-S4 using spatial anisotropic spectral distortion

- ▶ *Axions are cold dark matter candidates.*
- ▶ *They have a weak interaction with photons.*
- ▶ *The CMB is almost an ideal blackbody with  $T_{cmb} = 2.7255 K$  and its power spectrum is well known.*
- ▶ *Deviations resulting from weak photon coupling can be probed to detect axions.*



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# CMB photon-ALP resonant conversion

## ► How it happens?

ALP-photon interaction Lagrangian (where  $g_{a\gamma}$  is the ALP coupling constant):

$$\mathcal{L}_{int} = -\frac{g_{a\gamma}}{4} a F_{\mu\nu} \widetilde{F}^{\mu\nu} = g_{a\gamma} \mathbf{E} \cdot \mathbf{B}_t a,$$

## ► Where it happens?

Resonant condition:

$$m_a = m_\gamma = \frac{\hbar\omega_p}{c^2} \approx \frac{\hbar}{c^2} \sqrt{n_e e^2 / m_e \epsilon_0}$$

## ► How strong is it?

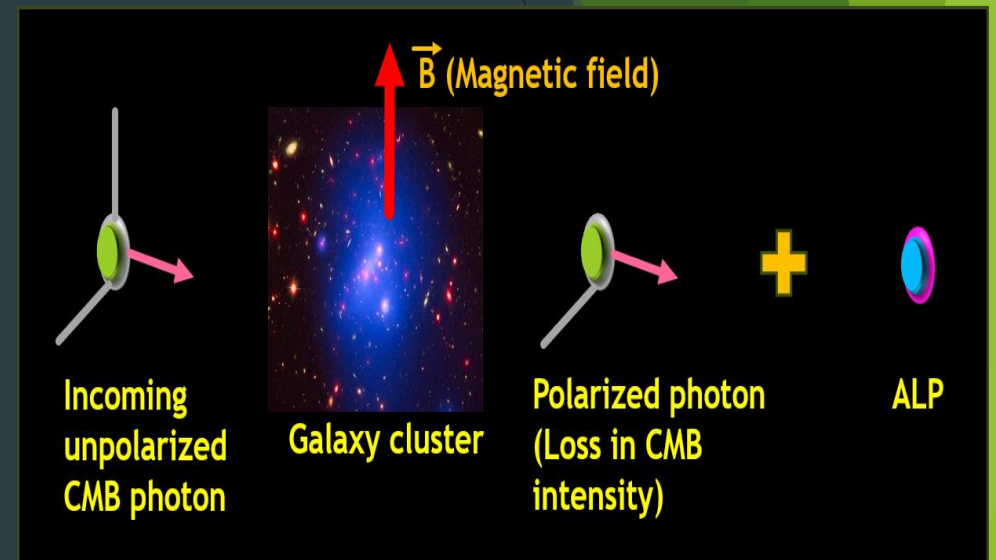
The probability of conversion at a location in a galaxy cluster:

$$P(\gamma \rightarrow a) \approx \pi\gamma,$$

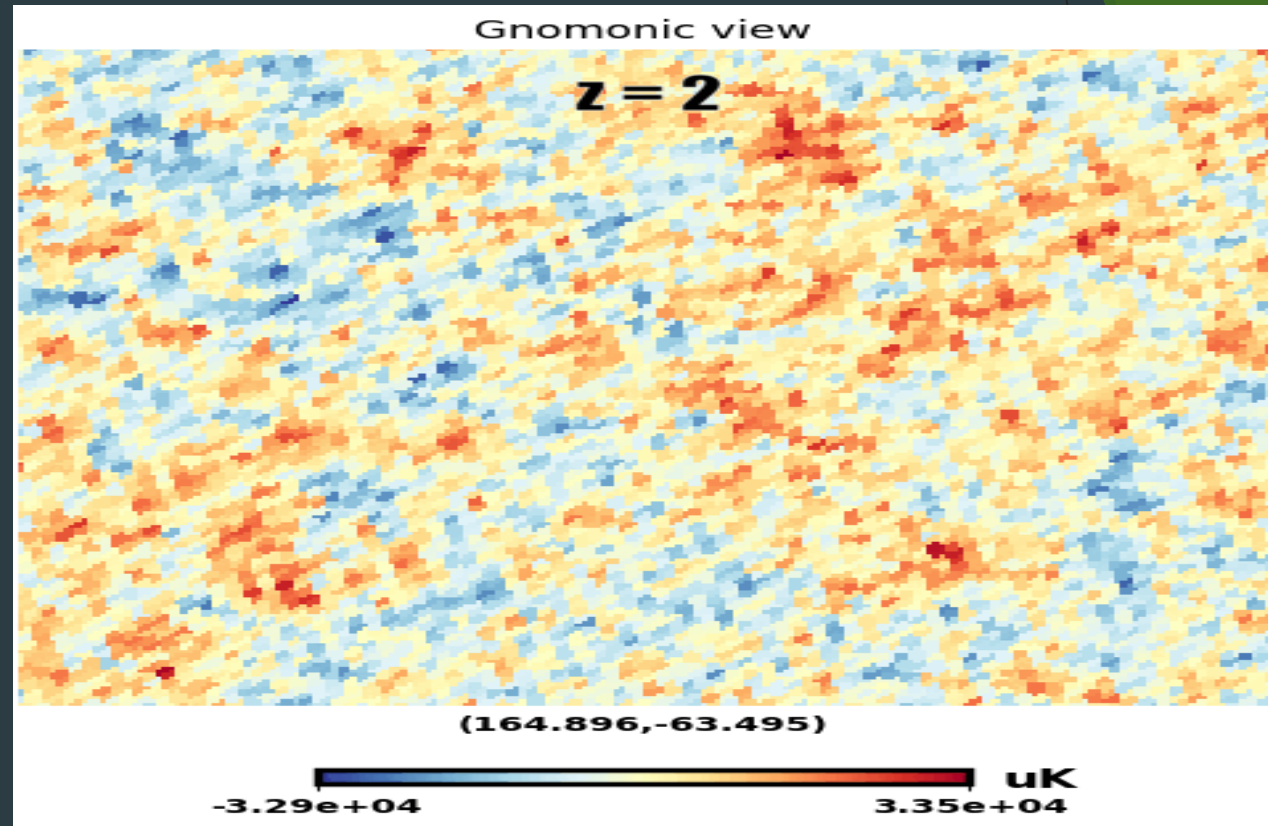
$$\gamma = \left| \frac{2 g_{a\gamma}^2 B_t^2 \nu(1+z)}{\nabla\omega_p^2} \right|$$

## ► Observable effect:

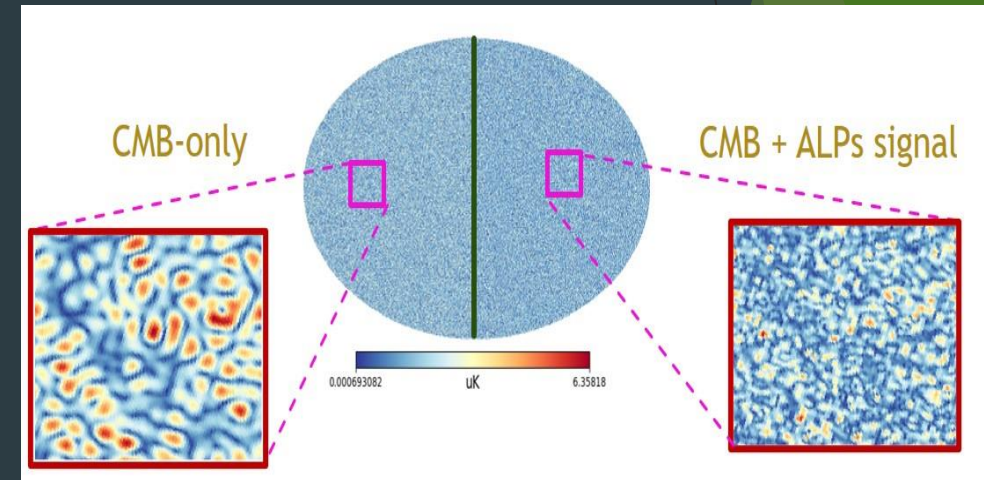
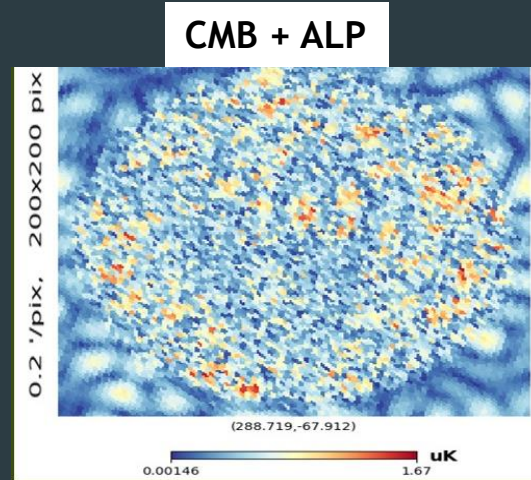
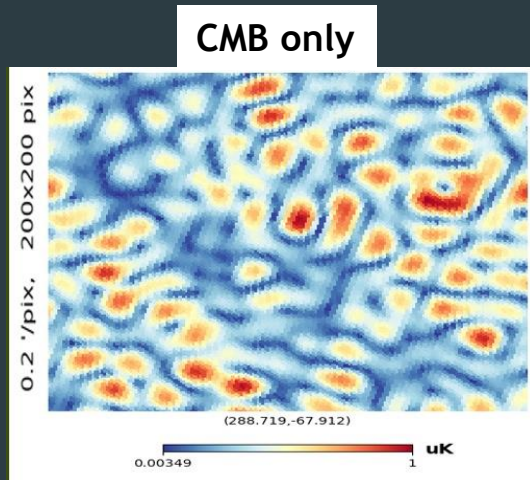
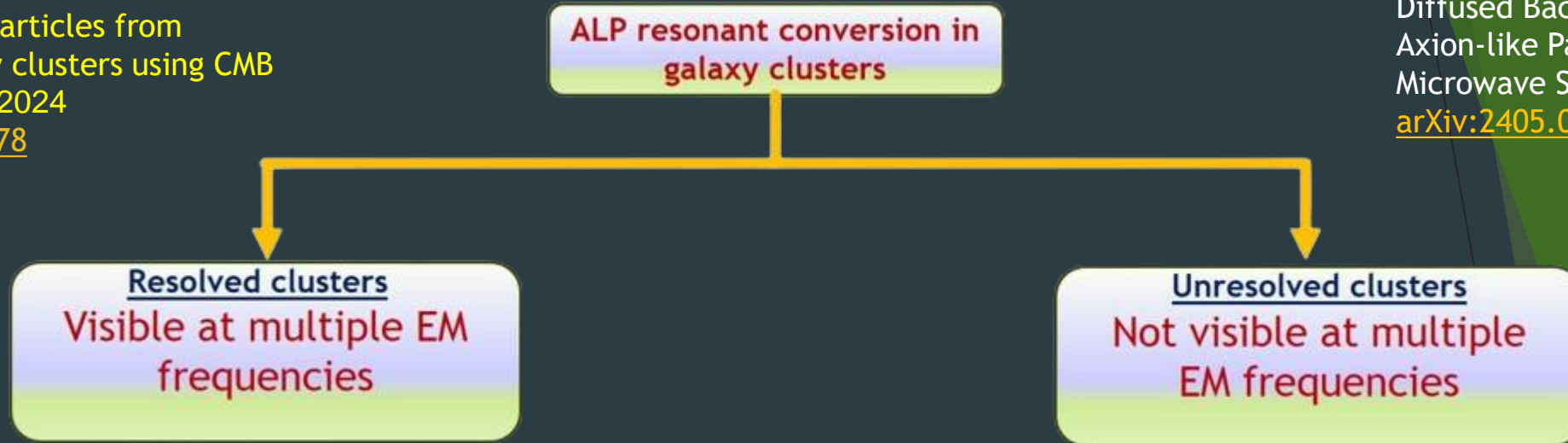
Change in CMB intensity:  $\Delta I(\nu) = P(\gamma \rightarrow a) I_{cmb}(\nu)$



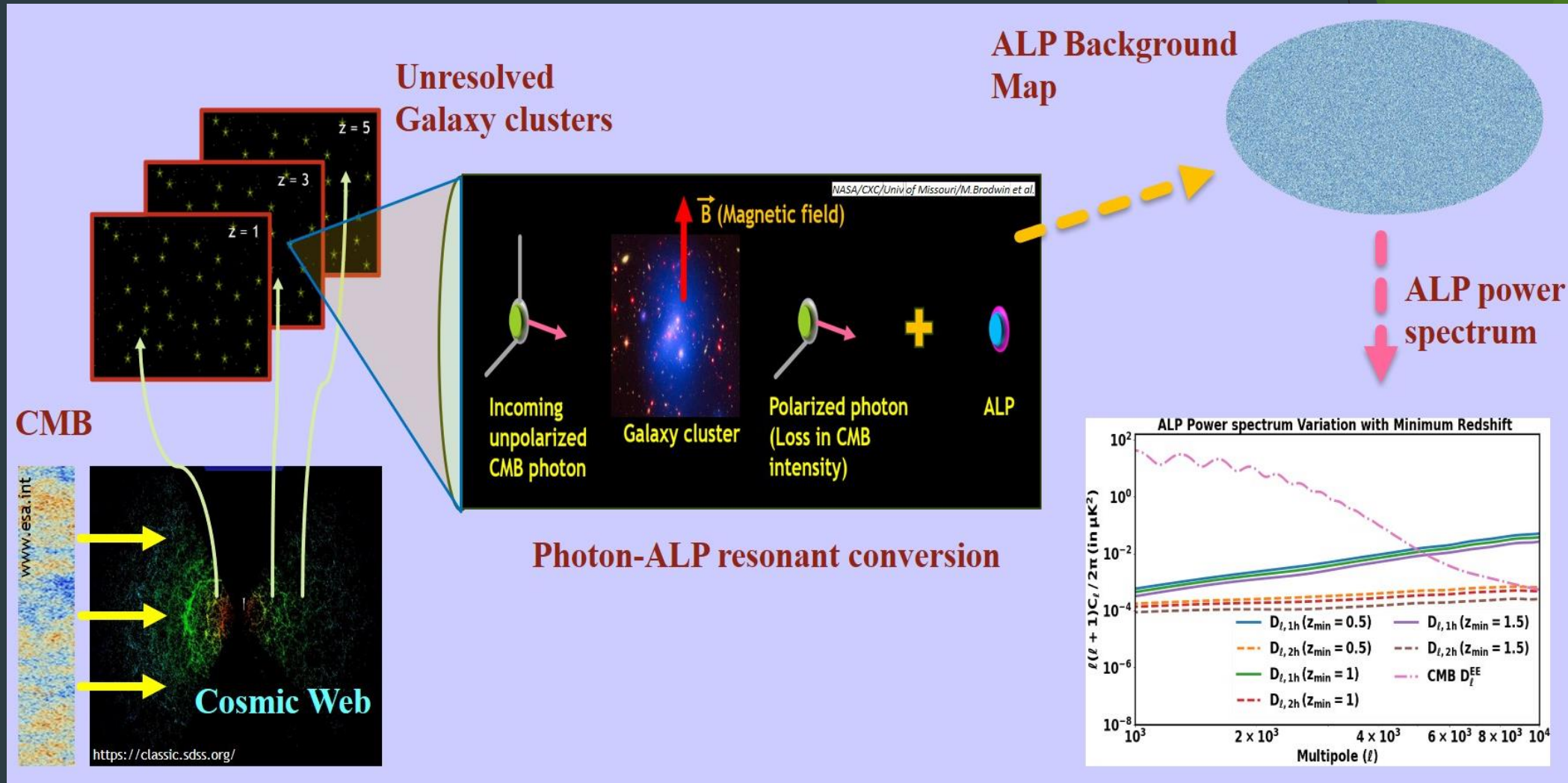
# Background signal from Unresolved Galaxy clusters



*Galaxy clusters can be modelled as halos of mass range  $10^{13} - 7 \cdot 10^{15} M_{\odot}$*



# The ALP diffused Background



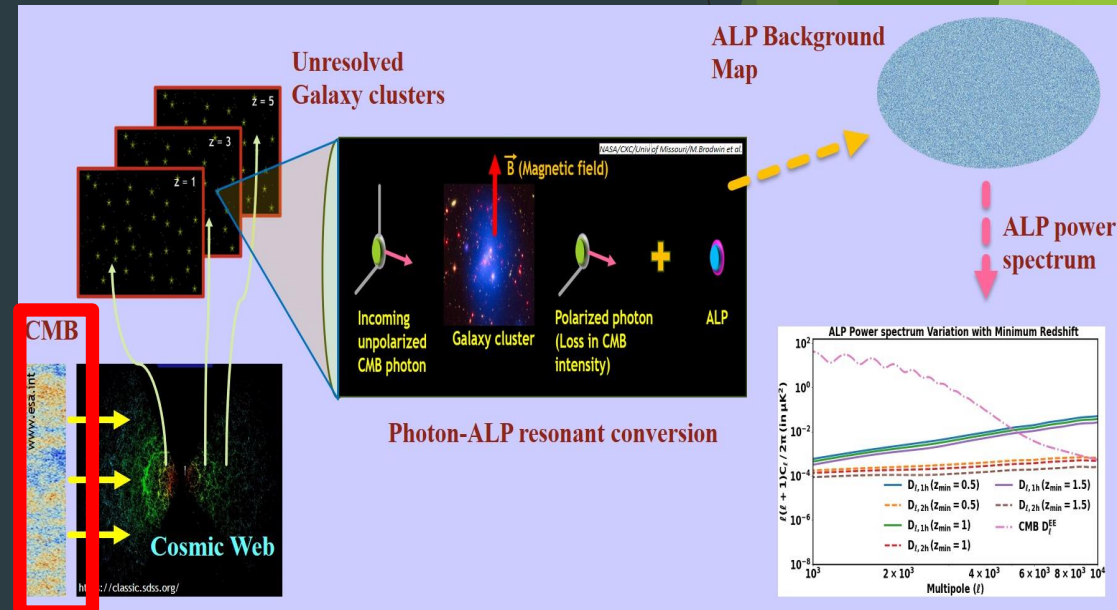
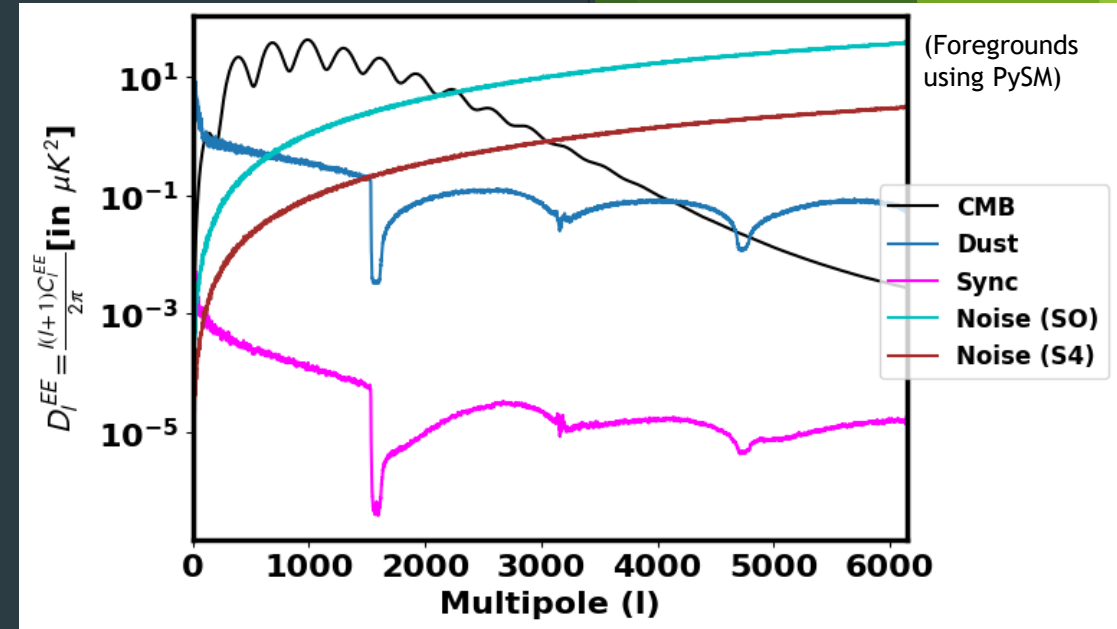
# The CMB power spectrum

- ▶ *The Power spectrum is estimated as:*

$$\widehat{C}_\ell = \frac{B_\ell^{-2}}{2\ell + 1} \sum_{m=-\ell}^{\ell} \widetilde{a}_{\ell m} * \widetilde{a}_{\ell m}$$

*with  $B_\ell$  being the beam function.*

- ▶ *The CMB primary anisotropy is frequency independent*
- ▶ *Spatial and spectral variation can distinguish signals.*



# Halo Modelling of the ALP distortion signal

- ▶ *ALP Power spectrum can be separated into one and two halo terms*

- ▶ *One halo: Correlations between locations within the same cluster*

$$C_{\ell,1h}^{ax} = \int_{z_{min}}^{z_{max}} dz \frac{dV_c}{dz} \int_{M_{min}}^{M_{max}} dM \frac{dn(M,z)}{dM} |a_\ell(M,z)|^2,$$

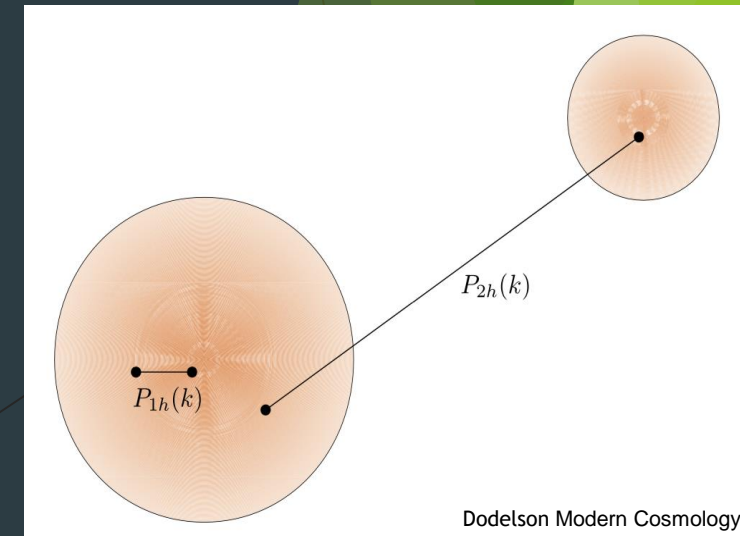
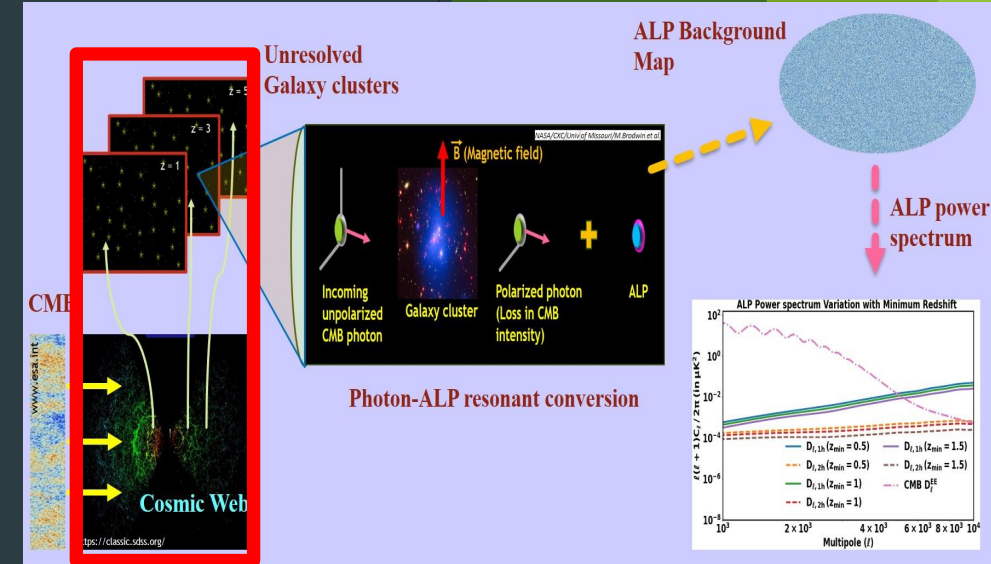
- ▶ *Two halo: Correlations between locations in different clusters*

$$C_{\ell,2h}^{ax} = \int_{z_{min}}^{z_{max}} dz \frac{dV_c}{dz} P_m \left( k = \frac{\ell+1/2}{r(z)}, z \right) \times \left[ \int_{M_{min}}^{M_{max}} dM \frac{dn(M,z)}{dM} b(M,z) a_\ell(M,z) \right]^2,$$

where halo correlation has been used:

(Relatively Weak)

$$P_h(k, M_1, M_2, z) = b(M_1, z) b(M_2, z) P_m(k, z),$$





# Modelling the $a_\ell$ 's

- ▶ The Electron density profile used for mock data :

$$n_e^2 = Z \left[ n_0^2 \frac{(r/r_{c1})^{-\alpha}}{(1+r^2/r_{c1}^2)^{3\beta-\alpha/2}} \frac{1}{(1+r\gamma/r_s^\gamma)^{\epsilon/\gamma}} + \frac{n_{02}^2}{(1+r^2/r_{c2}^2)^{3\beta_2}} \right],$$

( Vikhlinin et al., 2006  
[arXiv:astro-ph/0507092](https://arxiv.org/abs/astro-ph/0507092) )

- ▶ Magnetic field profile used for mock data:

$$B(r) = B_0 r^{-s}$$

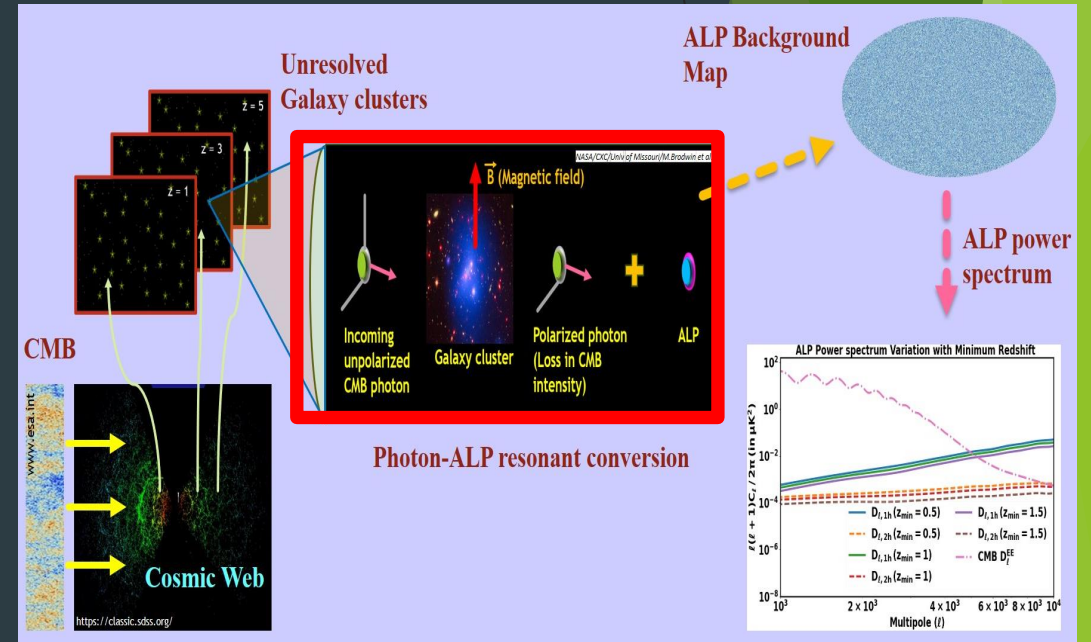
( Bonafede et al., 2010  
[arXiv:1009.1233](https://arxiv.org/abs/1009.1233) )

- ▶ Random profiles have been used

- ▶ ALP Mass range:  $10^{-15} - 10^{-11}$  eV

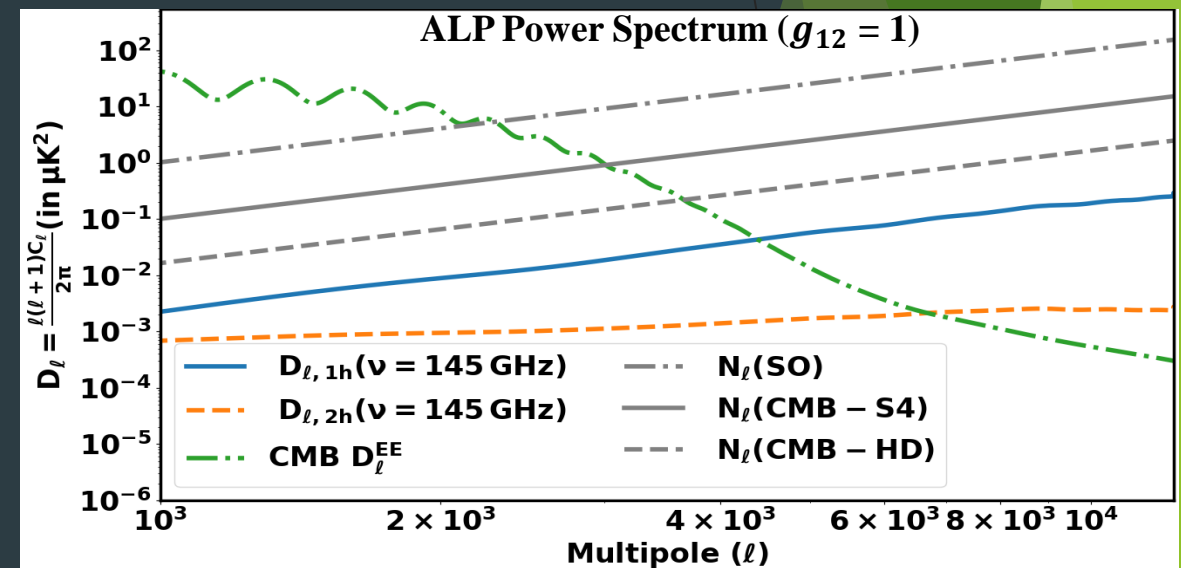
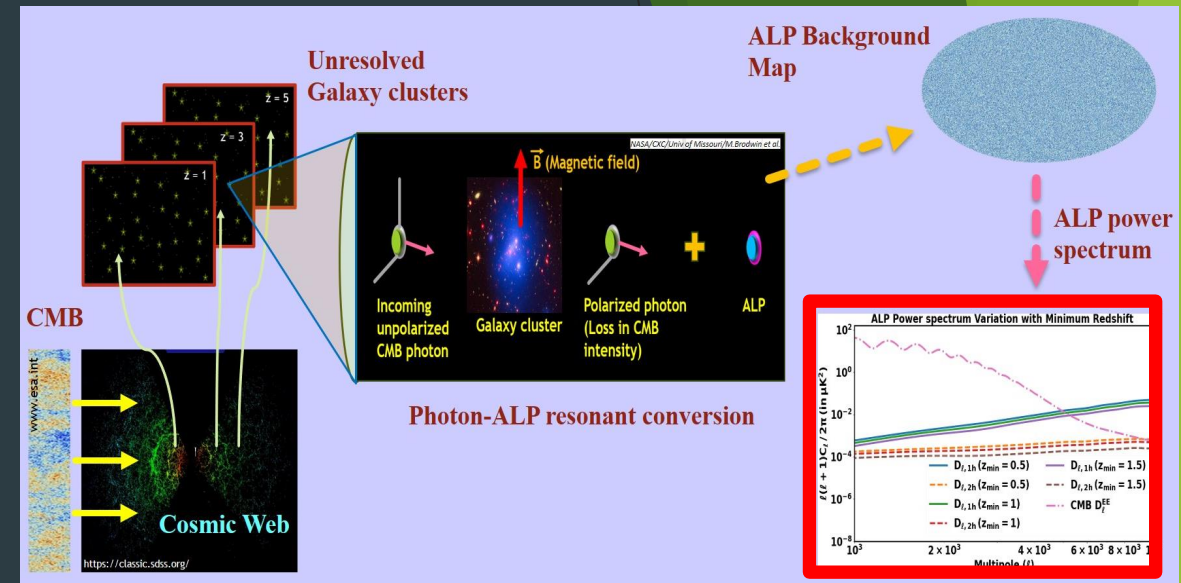
- ▶ Coupling constant  $g_{a\gamma}$  range:  $10^{-14} - 10^{-11}$  GeV $^{-1}$

(Value used in the plot  $g_{a\gamma} = 10^{-12}$  GeV $^{-1}$  )



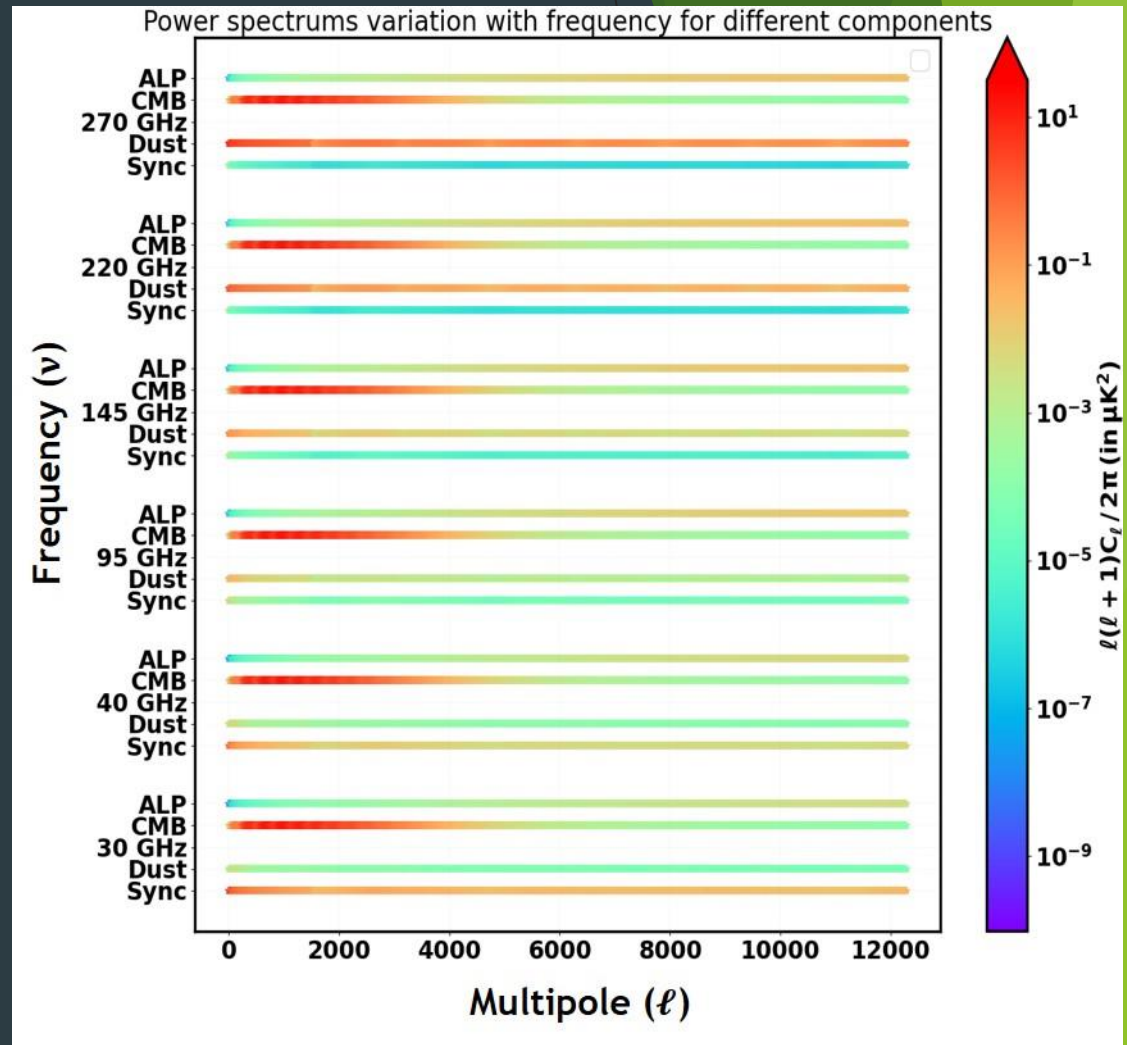
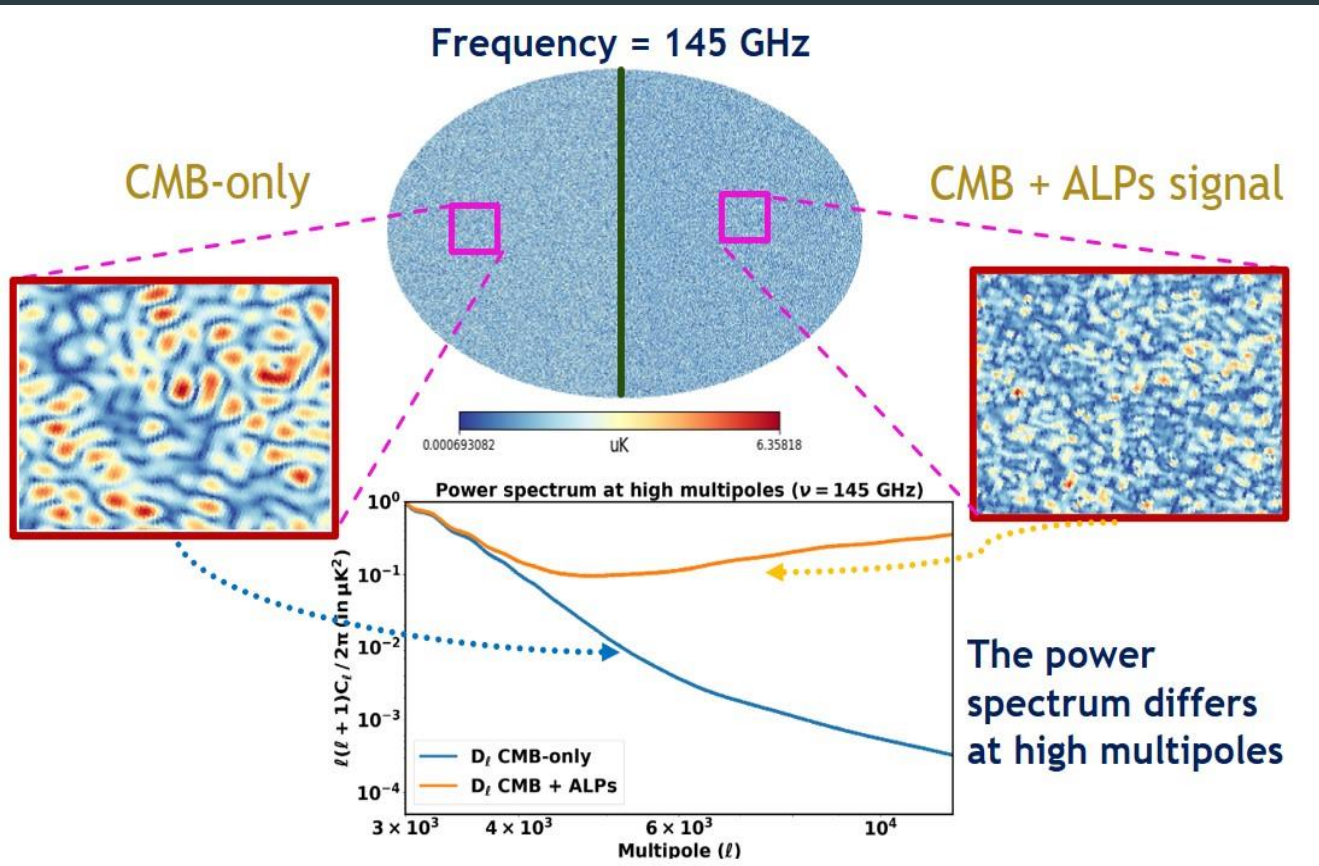
# How does the ALP background spectrum look like?

- ▶ *Two halo: Increases at low multipoles ( $20 < \ell < 100$ ) and then decreases*
- ▶ *One halo: Dominates at high multipoles*
- ▶ *Power spectrum shape independent of strength at high multipoles*



# How is the ALP signal different from other signals?

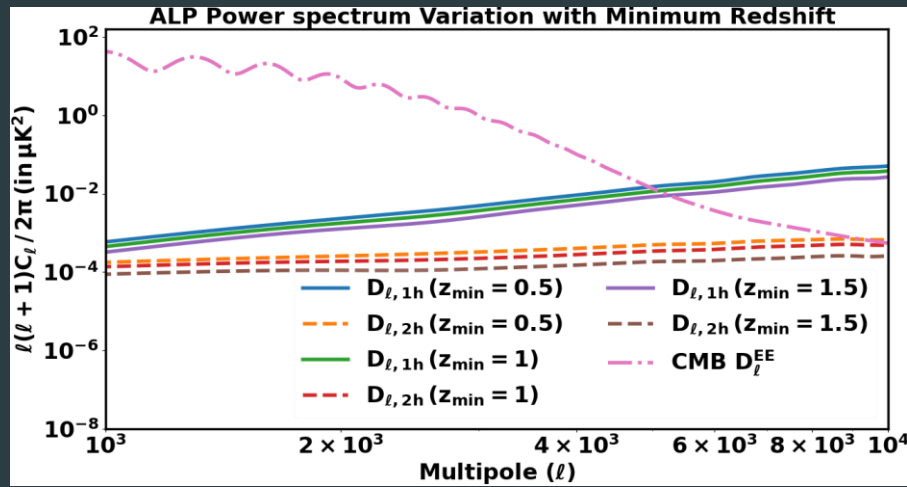
*Can be distinguished in pixel, spectral and spatial domain*



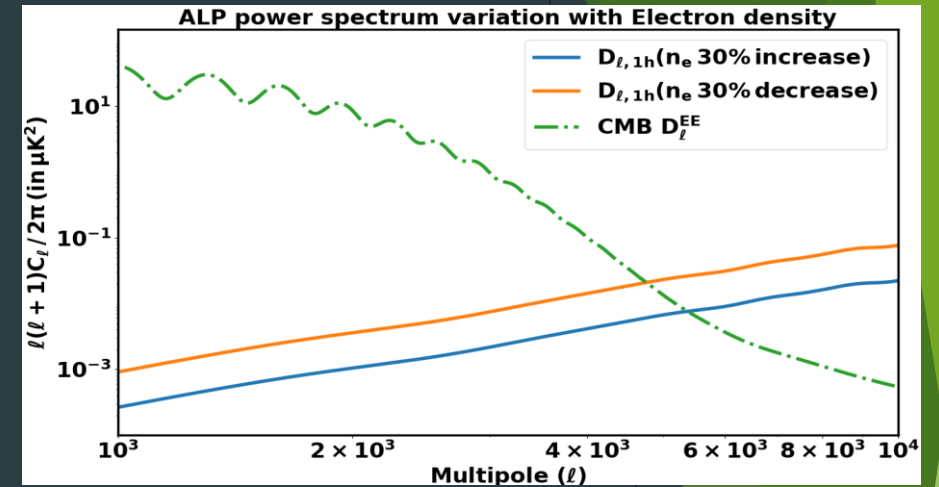
# Cosmological

$$P(\gamma \rightarrow a) \propto \gamma = \left| \frac{2 g_{a\gamma}^2 B_t^2 v(1+z)}{\nabla \omega_p^2} \right|$$

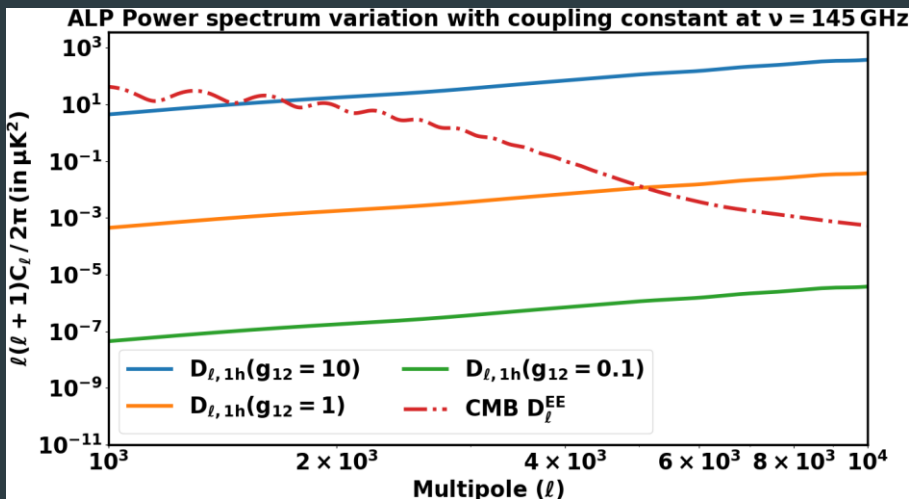
# Astrophysical



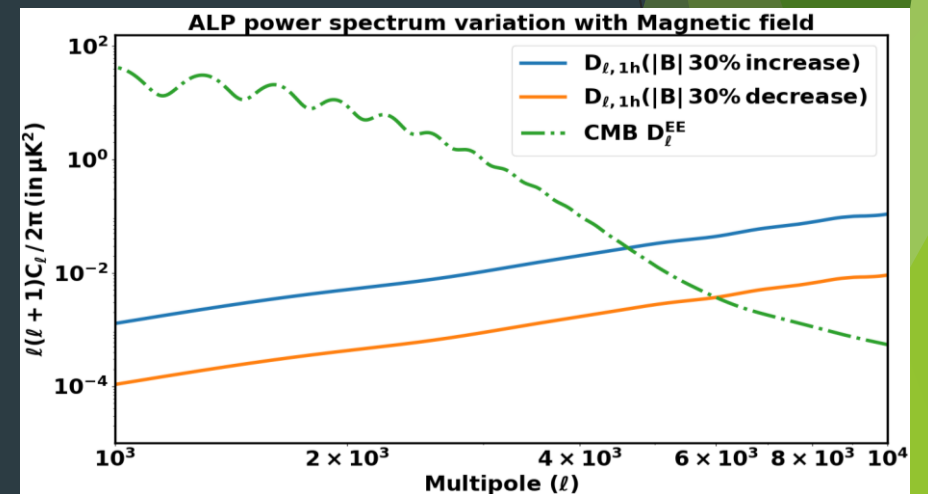
(a) Variation with redshift



(a) Variation with Electron density strength



(b) Variation with Coupling constant



(b) Variation with Magnetic field steepening

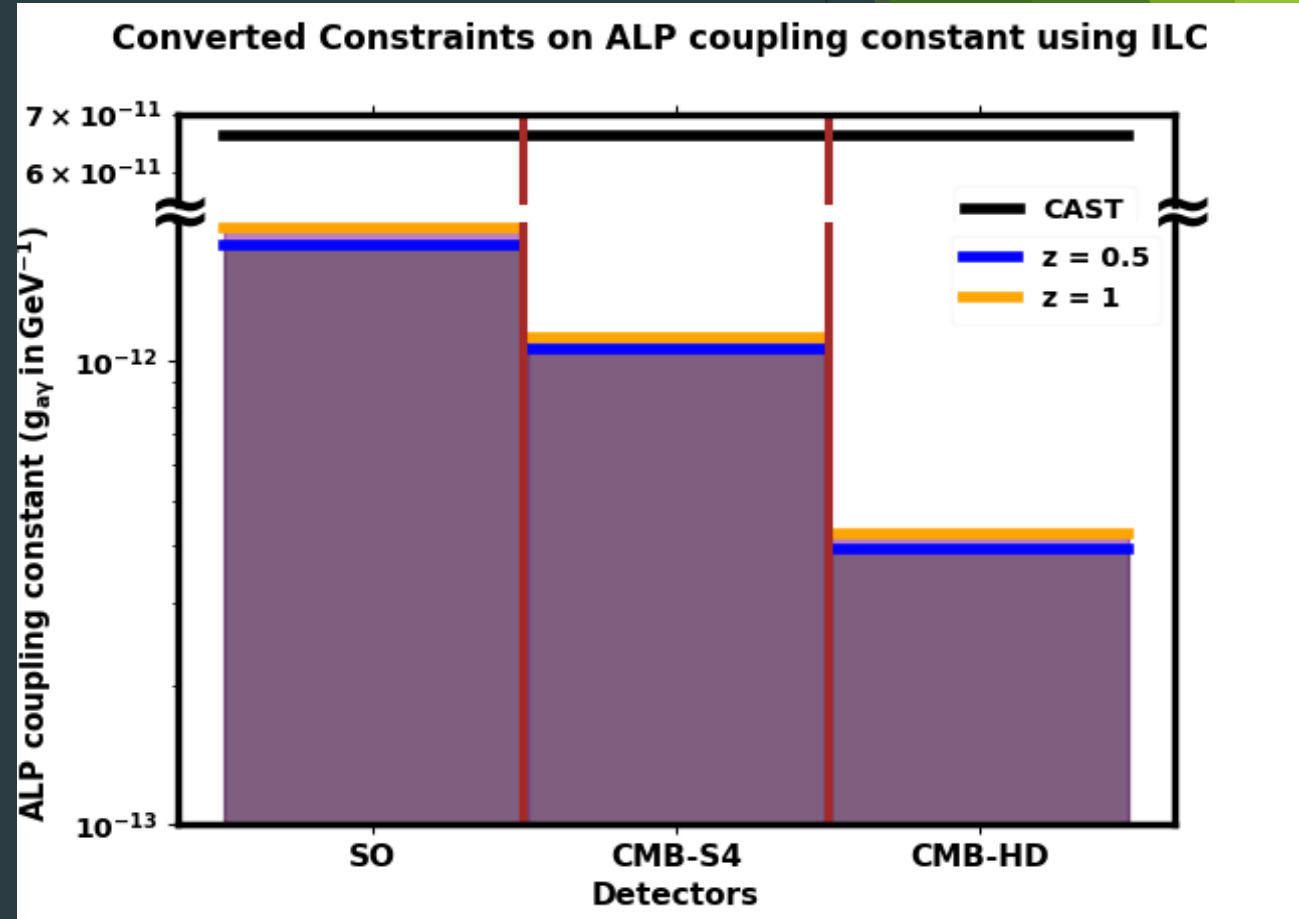
# Future CMB experiments can constrain $g_{a\gamma}$ better than Particle Physics experiments

- ▶ *Internal Linear Combination method (ILC)*  
weights are given as:

$$w_{a\gamma} = C_s^{-1} f_{a\gamma} \left( f_{a\gamma}^T C_s^{-1} f_{a\gamma} \right)^{-1}$$

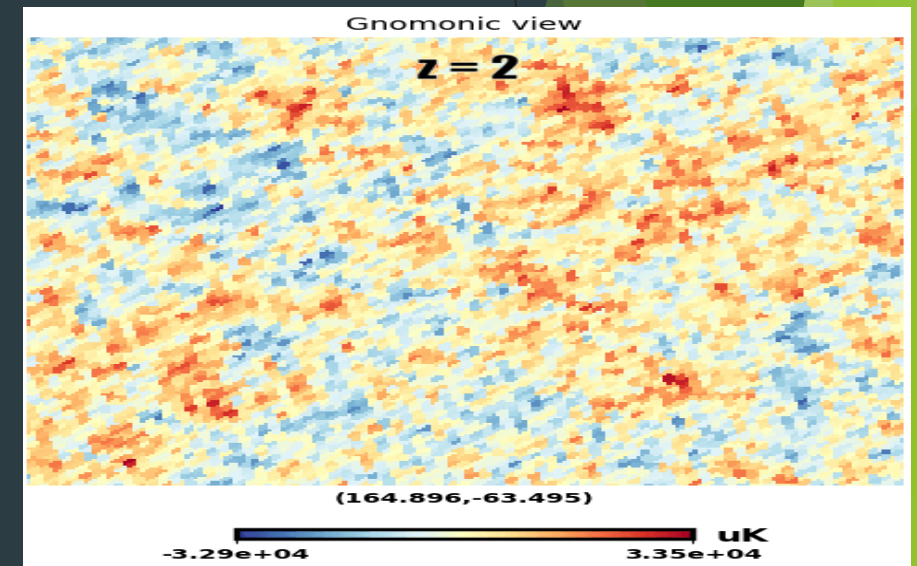
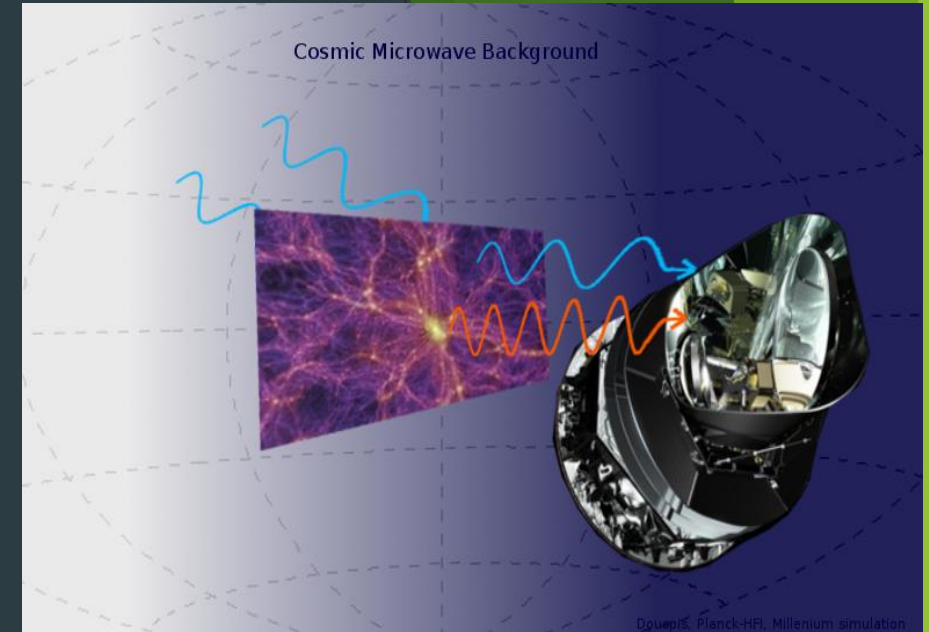
Here  $f_{a\gamma}$  is the ALP distortion spectrum

- ▶ *Residual = Data – Fiducial*
- ▶ *The bound on the ALP contribution in the residual is set by the covariance of the estimator*
- ▶ *The bounds using various detectors using mock data are obtained as follows:*
  - ▶ *CMB-S4:*  $g_{a\gamma} < 1.1 \times 10^{-12} \text{ GeV}^{-1}$
  - ▶ *Simons Observatory:*  $g_{a\gamma} < 1.9 \times 10^{-12} \text{ GeV}^{-1}$
  - ▶ *CMB-HD:*  $g_{a\gamma} < 4.2 \times 10^{-13} \text{ GeV}^{-1}$



# Conclusion

- ▶ *The ALP background signal will follow the distribution of galaxy clusters in the universe.*
- ▶ *The ALP power spectrum will differ from those of other signals.*
- ▶ *The ALP power spectrum dominates at low angular scales and increases with frequency.*
- ▶ *CMB-S4 can improve the constraints on coupling constant by more than an order from current bounds.*



# Thank you!!!

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