

# **Optimal Cosmic Microwave Background Gravitational Lensing Reconstruction, Delensing, and Parameter Estimation with SPT-3G Polarization Data**

Fei Ge (UC Davis)

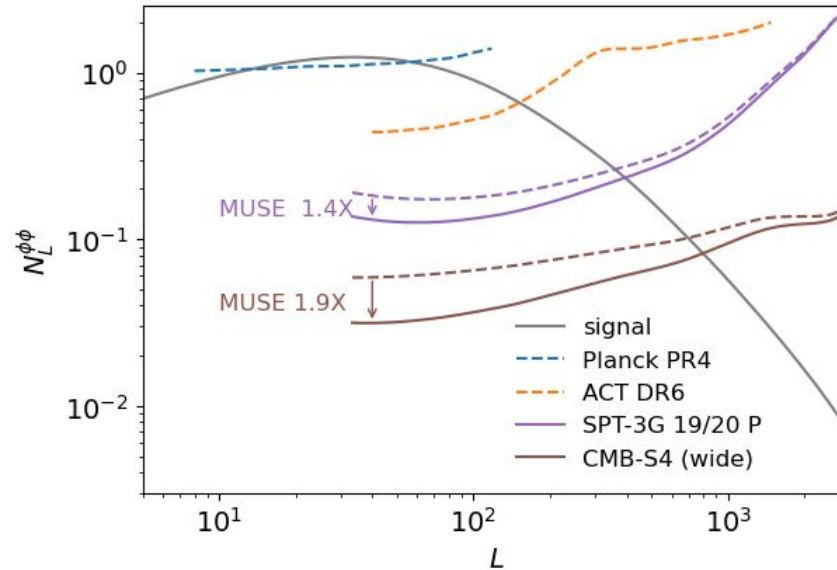
With Marius Millea (UC Davis), Lloyd Knox (UC Davis) and SPT-3G Collaboration

# Highlights

- We use the SPT-3G 2019/20 polarization maps to perform the first ever optimal CMB lensing potential bandpower reconstruction and delensed EE bandpower analysis.
- The analysis is achieved with the Bayesian inference method called MUSE.  
([Millea & Seljak, 2022](#))
- The constraints on cosmological parameters with SPT-3G 2019/20 polarization data alone are comparable to Planck TTTEEE+lensing, notably  $\sigma(H_0) \sim 0.7$  km/s/Mpc and  $\sigma(S_8) \sim 0.017$ .
  - From *different* signals (SPT is weighted toward small scales, polarization, and lensing), so comparison to Planck parameters is a test of LCDM.
- Combining SPT-3G 2019/20 polarization data with Planck 2018 will improve the constraints on some LCDM extension models, notably  $\sim 2X$  smaller  $\sigma(\Sigma m_\nu)$ .

# Introduction

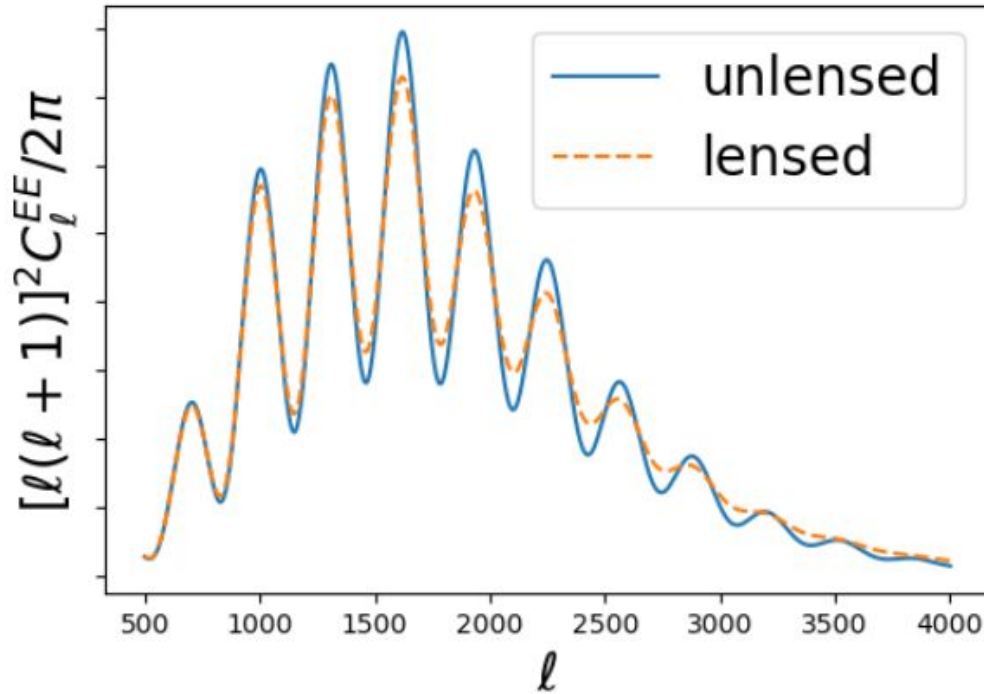
- Bayesian methods are optimal for CMB lensing reconstruction
  - Less lensing reconstruction noise for low instrumental noise observations
  - Improved CMB lensing reconstruction relative to QE as shown in a previous SPT analysis ([Millea et al 2020](#))



# Introduction

- De-lensed spectra have sharper features and less sample variance.

(See e.g. [Hotinli et al 2021](#))



- Both Planck (Planck 2018 VII) and ACT (Han et al 2020) have done delensing on TT/EE spectra using a lensing potential map reconstructed by quadratic estimator.

# Marginal Unbiased Score Expansion (MUSE) [\(Millea & Seljak, 2022\)](#)

- With MUSE, we implement map-level Bayesian inference, effectively using all N-points statistics to jointly reconstruct CMB lensing potential bandpowers and estimate unlensed CMB bandpowers

Unlensed CMB polarization maps

Lensing potential ( $\phi$ ) map

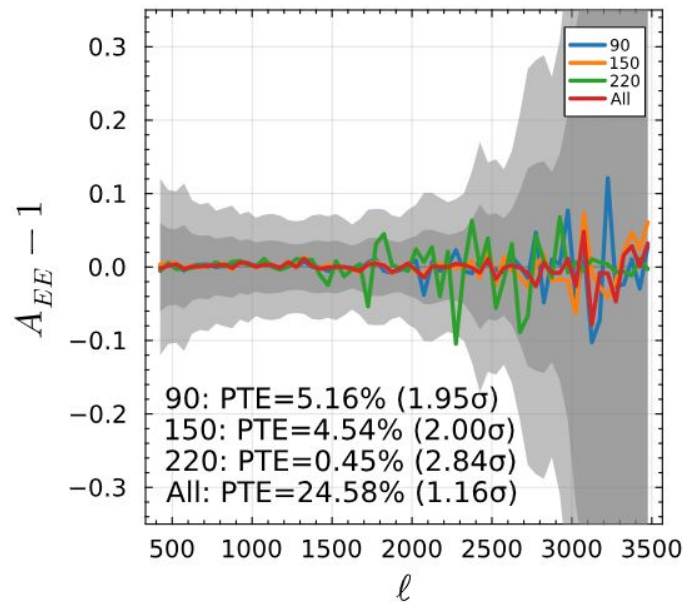
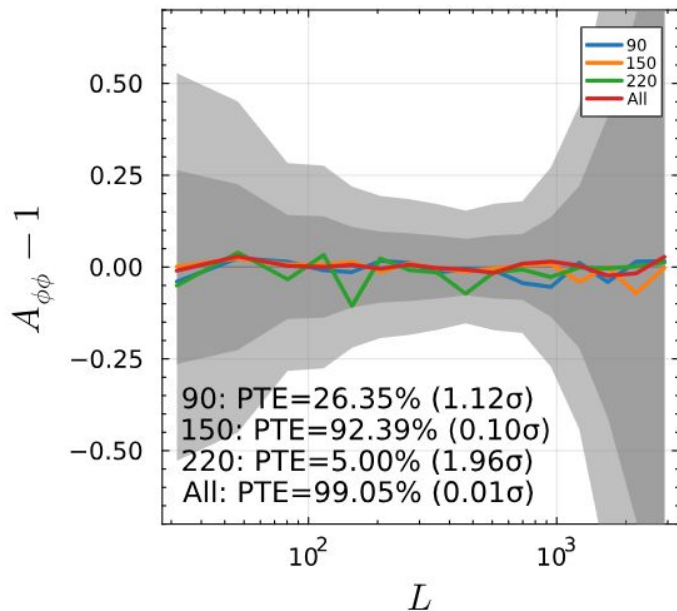
$$\mathcal{P}(f, \phi, \theta | d)$$

$$\{A_b^{EE}, A_b^{\phi\phi}, \theta_{sys}\}$$

Observed CMB maps

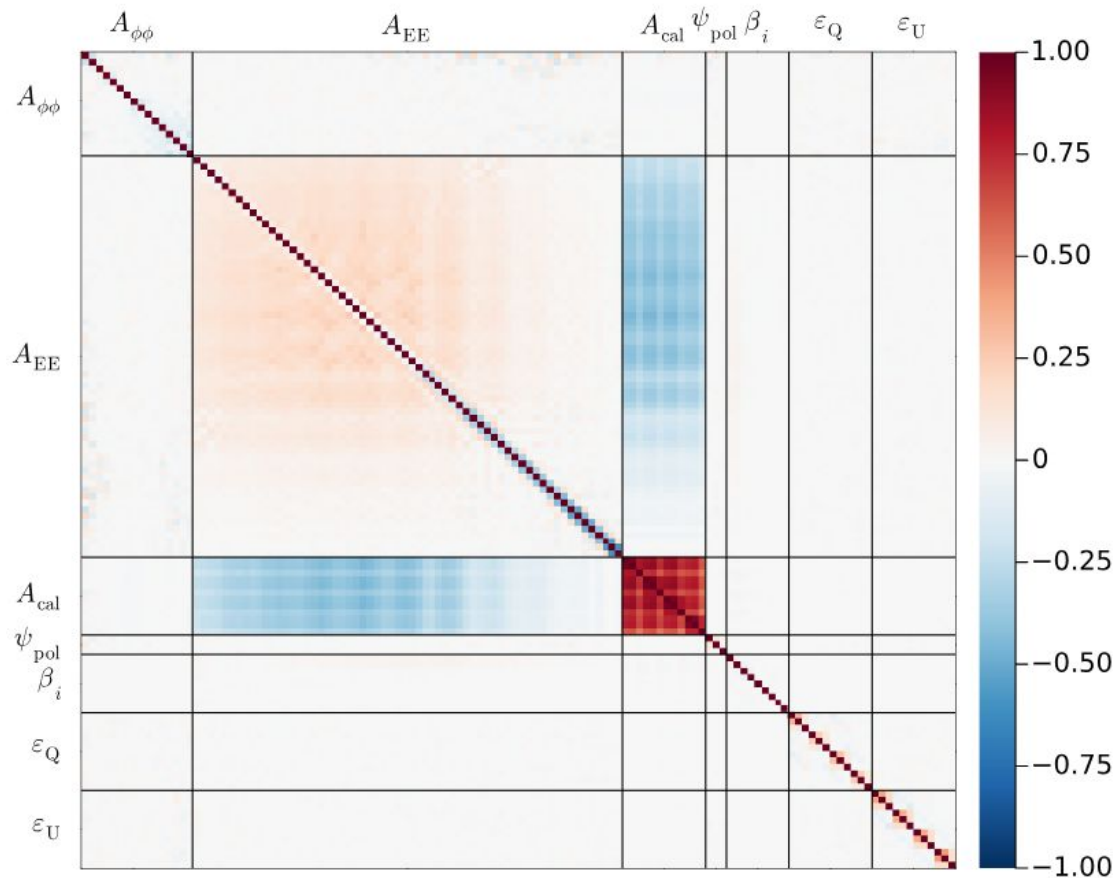
# Pipeline test on mocks – Bandpowers

- No bandpower bias detected at  $>3\sigma$  with the precision of 100 simulations
- Any residual bias is limited to be  $\lesssim 10\%$  of the total uncertainty



- Lines are average over running MUSE on 100 mock observations + noise sign-flips
- Grey bands are MUSE 1 and 2-sigma error band from All-P
- PTEs are w.r.t. to the standard error on the mean, which is  $\sim 10X$  smaller than the gray band.<sup>6</sup>

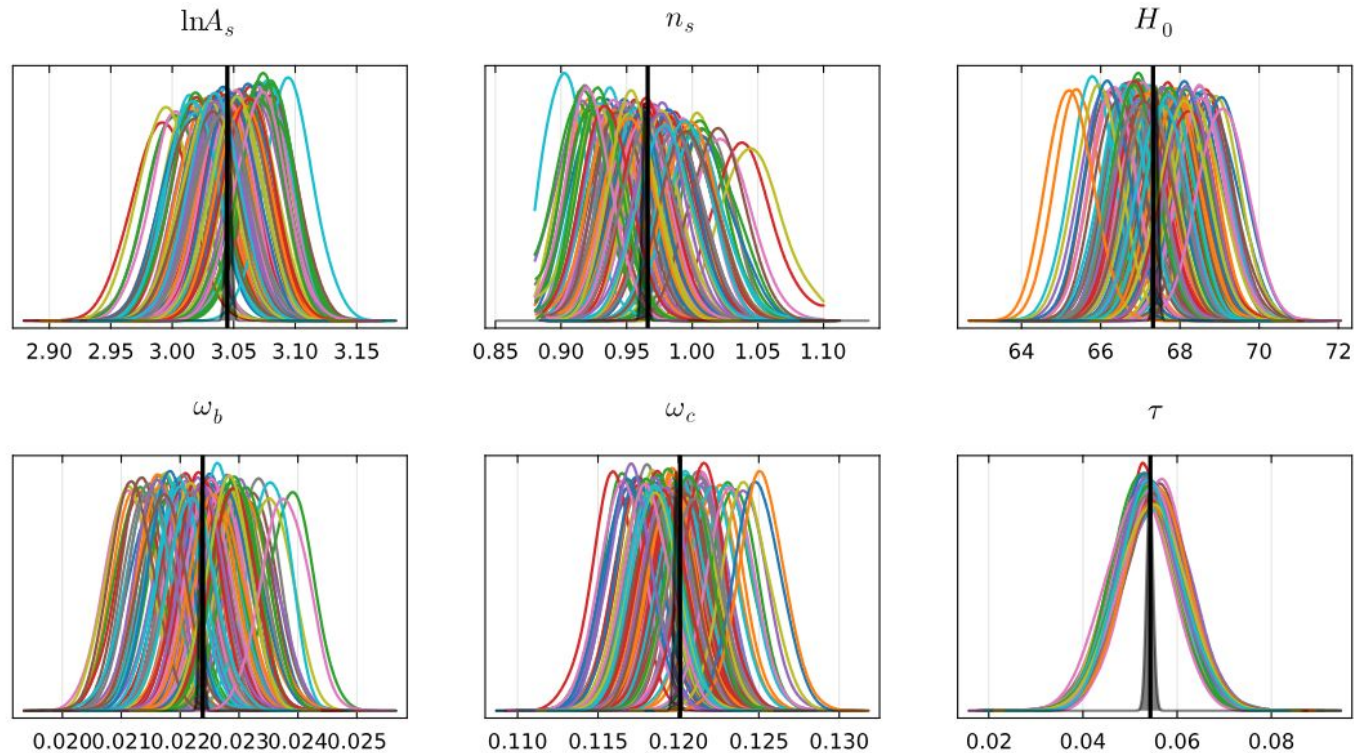
# MUSE Correlation Matrix



With MUSE we can propagate uncertainties from the systematics to lensing potential bandpowers and delensed CMB bandpowers.

# Pipeline test on mocks – cosmological parameters

- No bias detected on the joint posterior from a set of 100 mock observations.

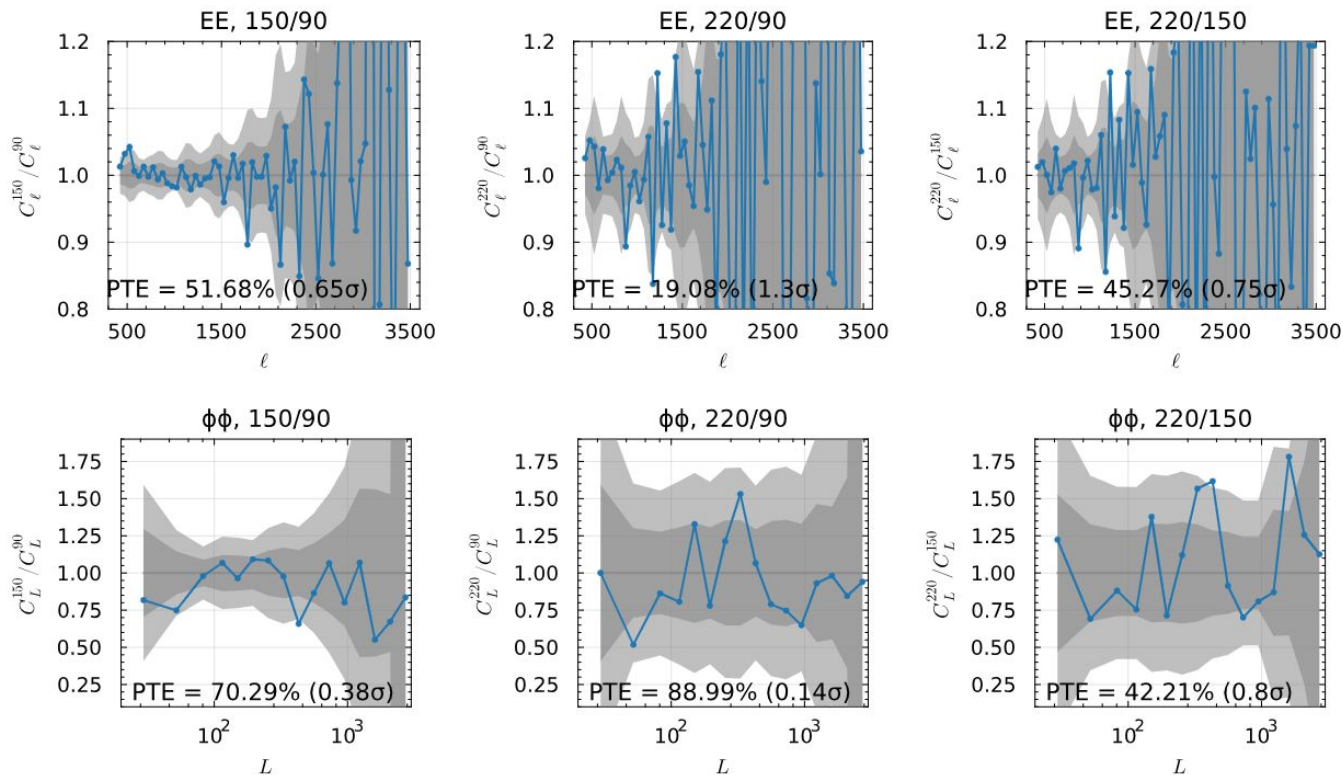


PTE w.r.t. SEM (5 parameters): 42%



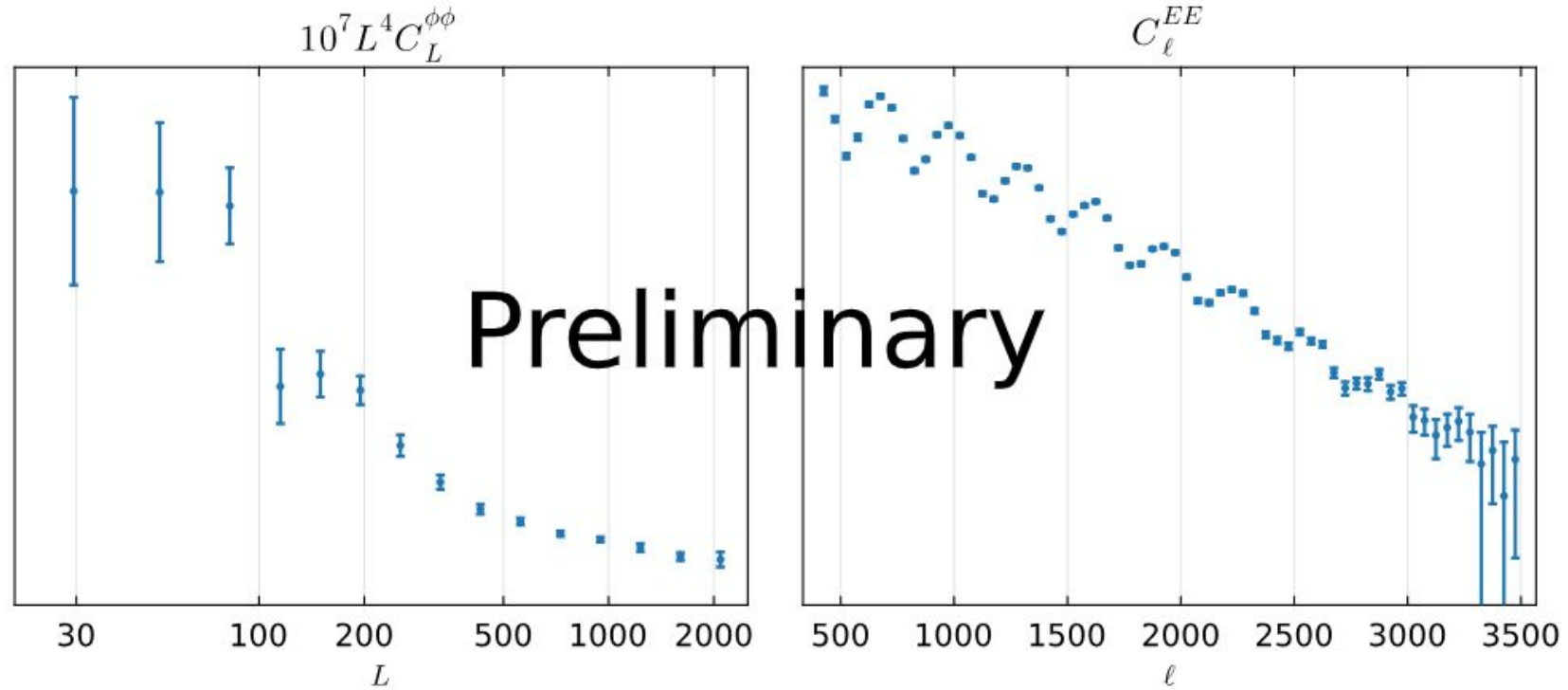
# Pipeline test on data – inter-frequency agreement

- MUSE bandpower estimates from single-frequency maps have good overall agreement.
- The cosmological parameter constraints are consistent between 90/150 single-freq runs.

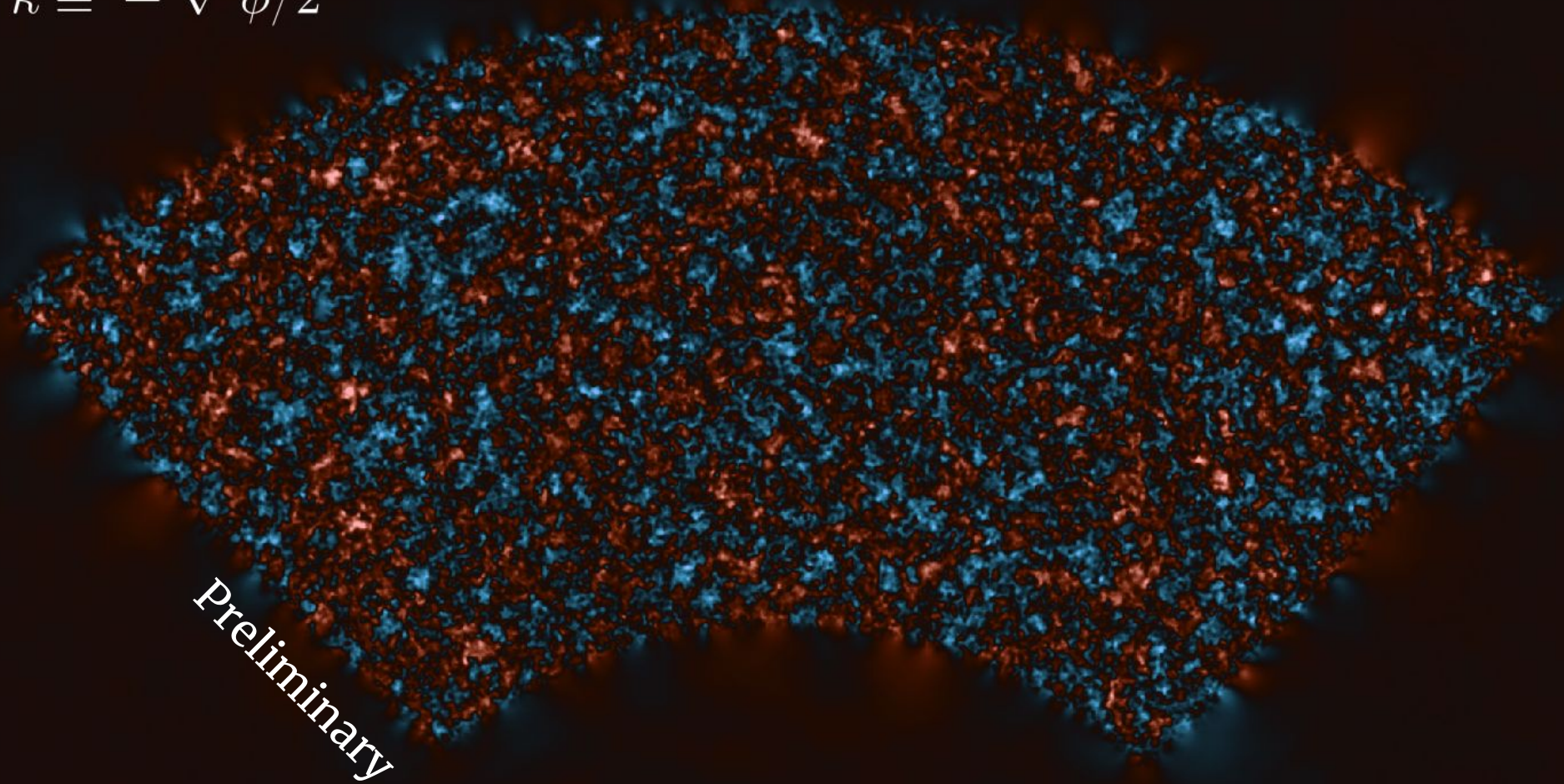


- Grey bands are the scatter of bandpower ratios measured from MUSE runs on mocks.
- PTE and significance are calculated using tri-diagonal of the covariance matrix.

# MUSE Estimation – 90+150+220 GHz Polarization Maps



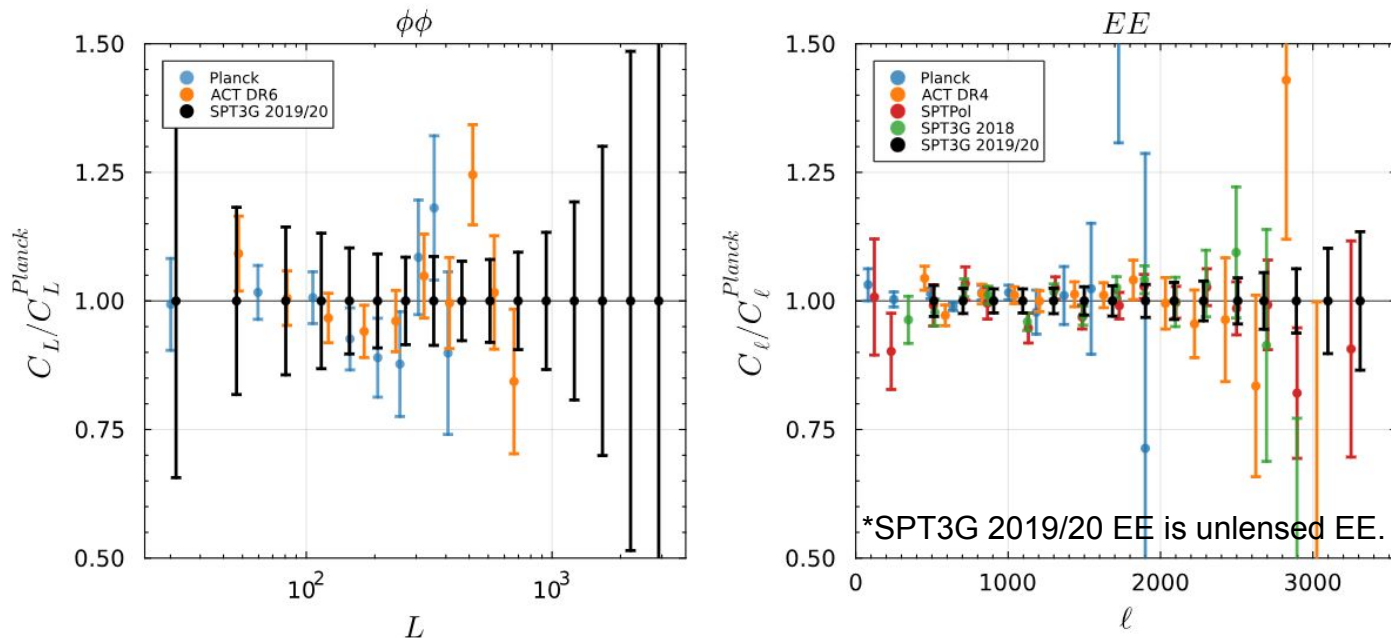
$$\kappa \equiv -\nabla^2\phi/2$$



Preliminary

# SPT-3G EE+ $\phi\phi$ Bandpowers

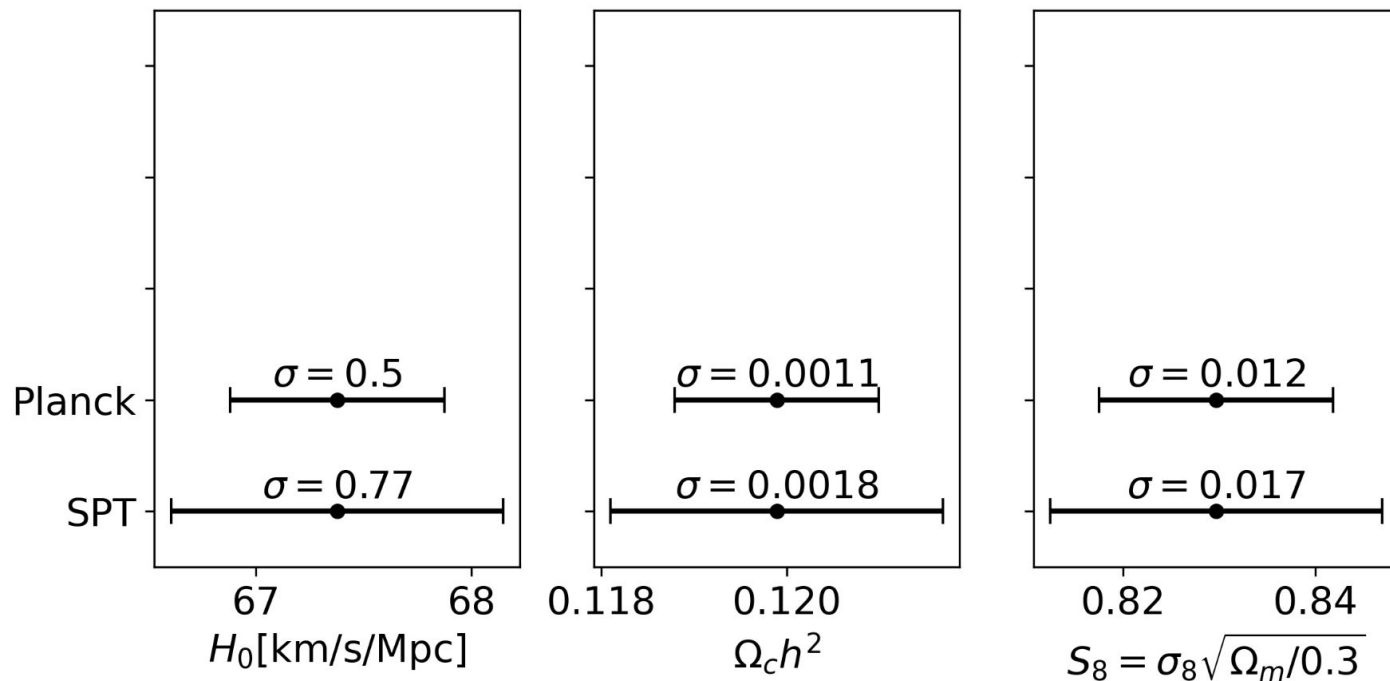
- Tighter measurements of the bandpowers at  $\phi\phi \gtrsim 400$  and  $EE \gtrsim 2000$
- New measured polarization signals at small angular scales



\*All SPT3G 2019/20 bandpowers are re-centered at 1 with real errorbars estimated from data.

# Cosmological Constraints – LCDM

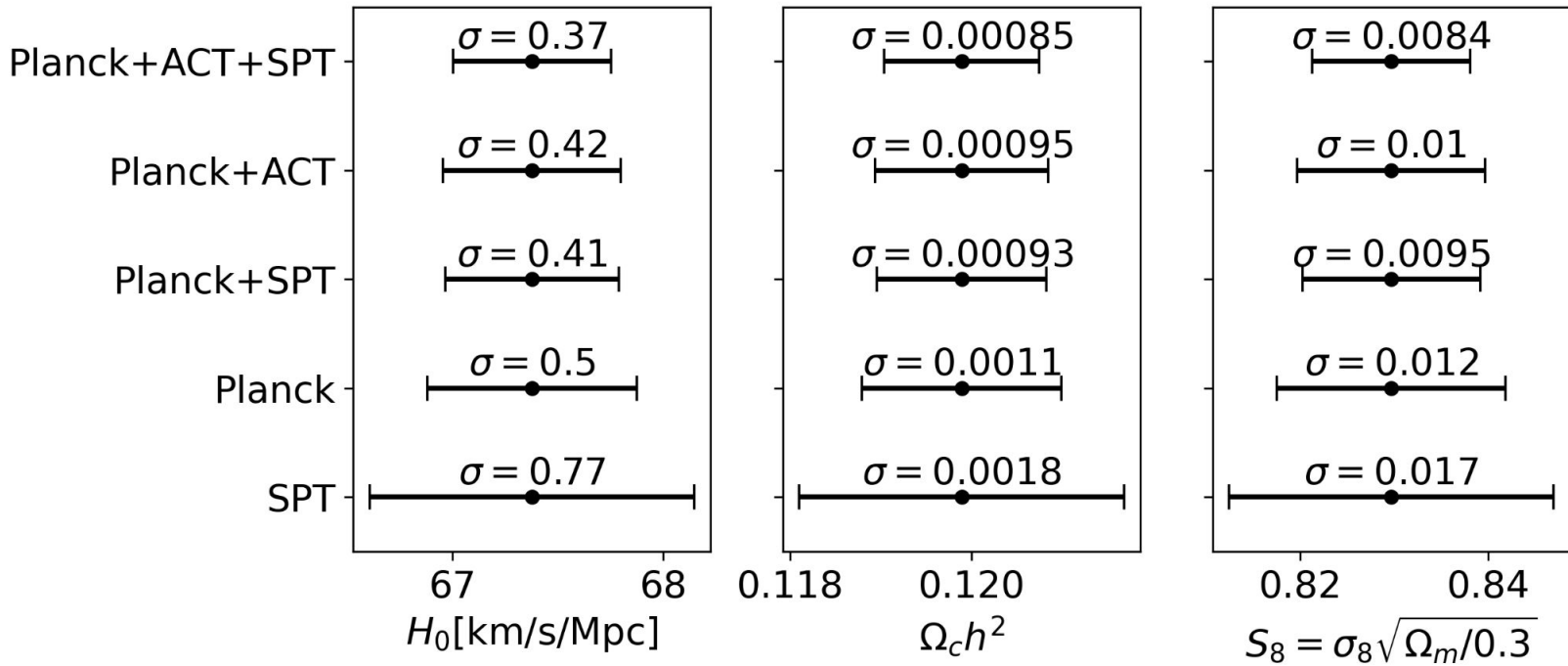
- Comparable constraints of SPT-3G 2019/20 polarization data to Planck 2018



\*Error bars are estimated from data chains and recentered at Planck mean.

# Cosmological Constraints – LCDM

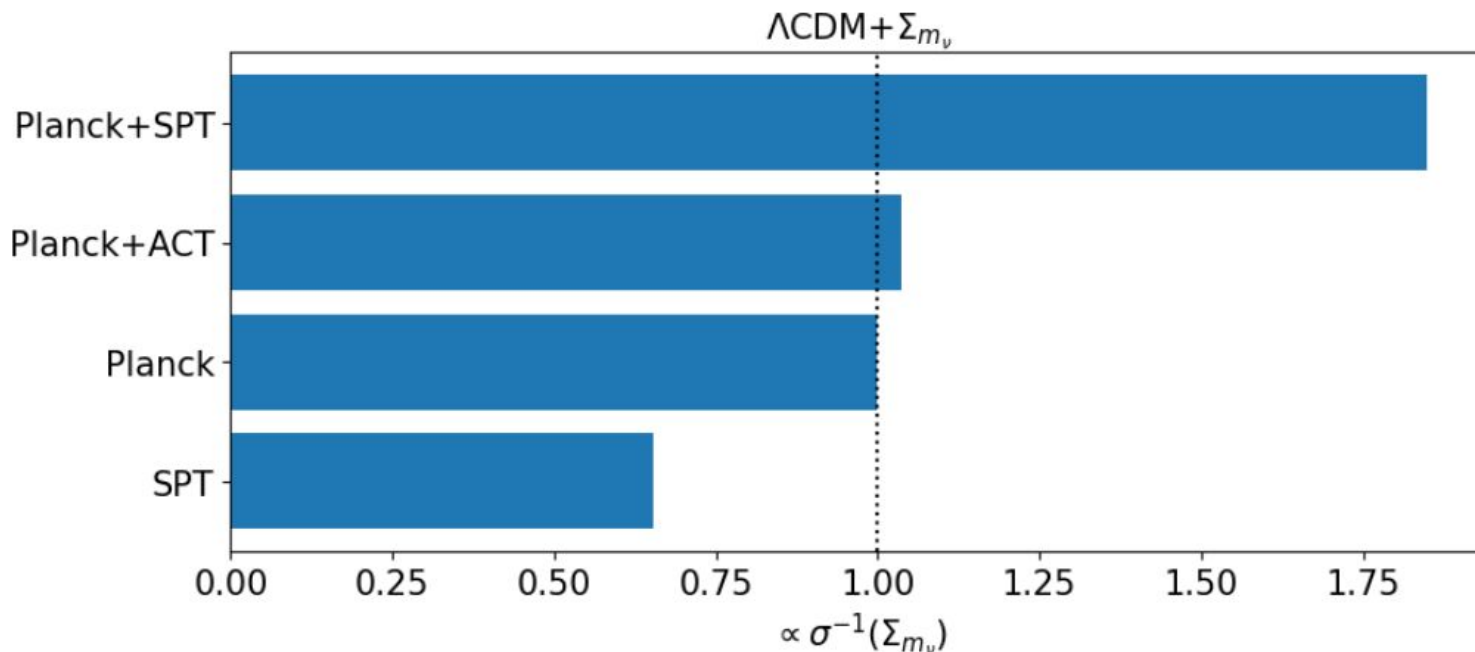
- Further improve the constraints from joint SPT-3G and Planck analysis



\*Error bars are estimated from data chains and recentered at Planck mean.

# Cosmological Constraints – $\Lambda$ CDM Extensions

- Further improve the constraints from joint SPT-3G and Planck analysis



\*Larger bars represent tighter constraints.

\*Error bars are estimated from real data chains mean. 15

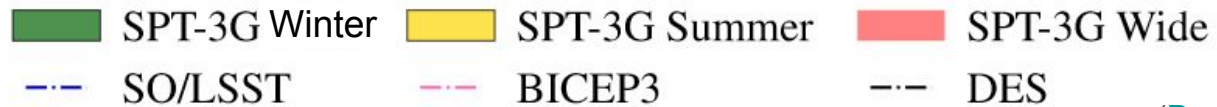
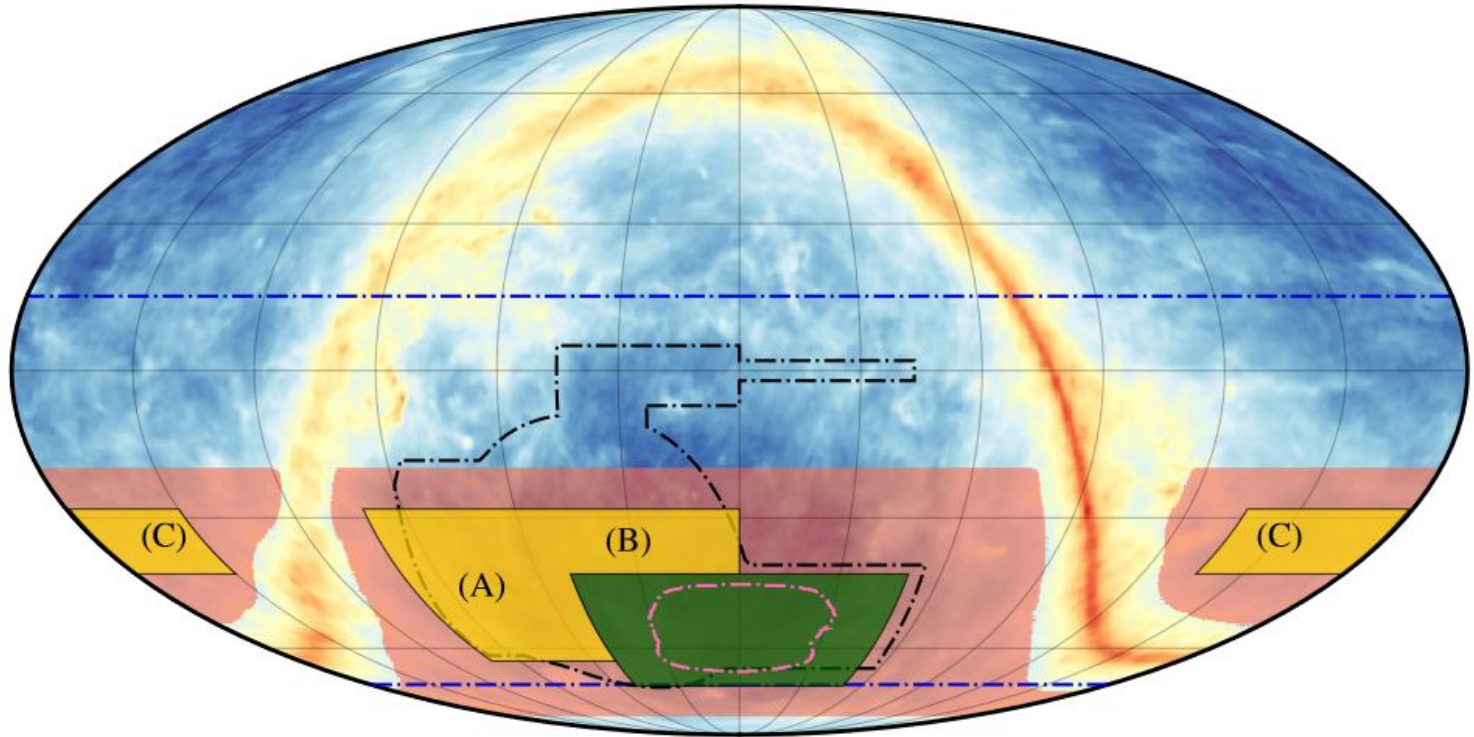
# Conclusion

- SPT-3G 2019/20 polarization data enables the deepest CMB lensing potential map ever made.
- With MUSE we can jointly estimate unbiased CMB lensing potential bandpowers and (unlensed) CMB EE bandpowers simultaneously, while marginalizing over sources of systematic error.
  - MUSE can be used for optimal lensing reconstruction for CMB-S4
- The SPT-3G 2019/20 polarization data will enable inference of LCDM parameters, some with similar precision as Planck, but from different signals.
  - SPT and Planck parameter comparisons will thus provide a powerful test of the LCDM model.
- Combining SPT-3G 2019/20 polarization data with Planck 2018 leads to  $\sim 2X$  tighter constraints on  $\Sigma m_\nu$  than Planck.

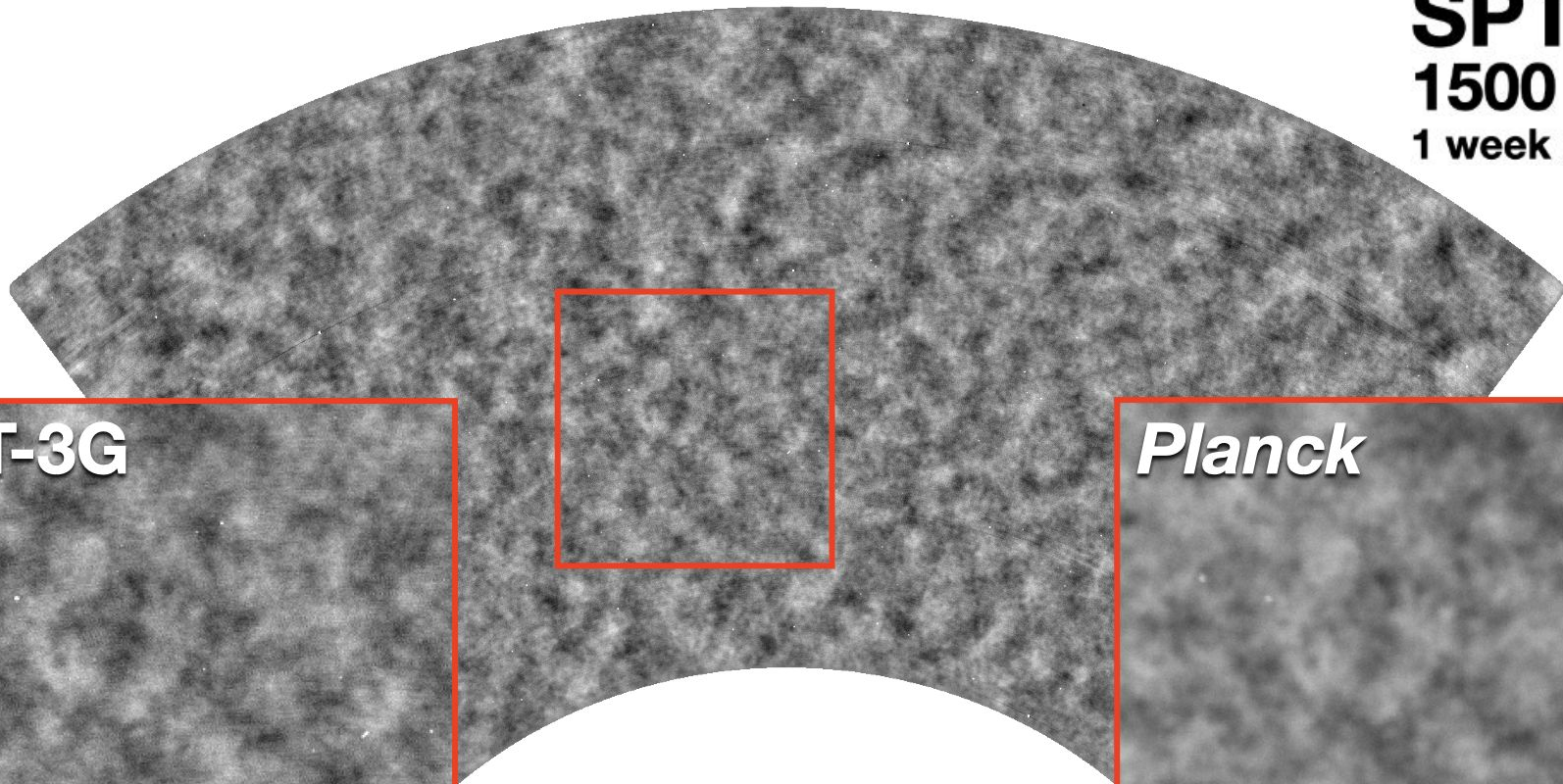


# Backup Slides

# Survey Area



**SPT-3G**  
**1500 deg<sup>2</sup>**  
**1 week of obs.**



**SPT-3G**

*Planck*

# Marginal Unbiased Score Expansion (MUSE) [\(Millea & Seljak, 2022\)](#)

- MUSE implements map-level Bayesian inference, effectively using all N-points statistics to jointly reconstruct CMB lensing potential bandpowers and estimate unlensed CMB bandpowers

$$s_i(\theta, d) = \frac{\partial \mathcal{L}(d|\theta)}{\partial \theta_i}$$

- MUSE expands the map-level score function around MAP (Maximum a Posteriori) estimates of the underlying CMB lensing potential field and the unlensed CMB polarization field.



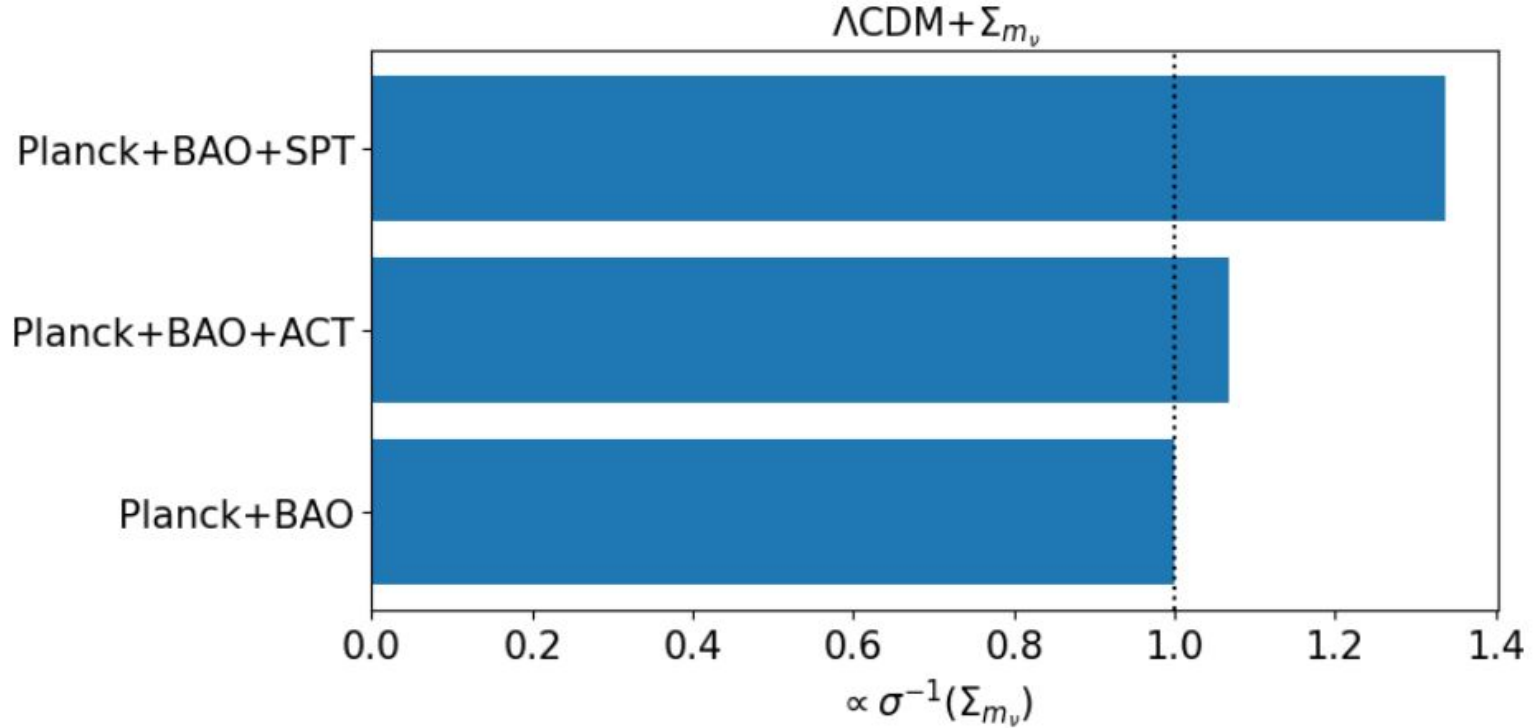
$$s_i^{\text{MAP}}(\hat{\theta}, d) = \left\langle s_i^{\text{MAP}}(\hat{\theta}, d') \right\rangle_{d' \sim \mathcal{P}(d'|\hat{\theta})}$$

- Unbiased MUSE estimates rely on accurate and fast simulation of the observed maps.

Observed  
CMB Maps

Simulated  
CMB Maps

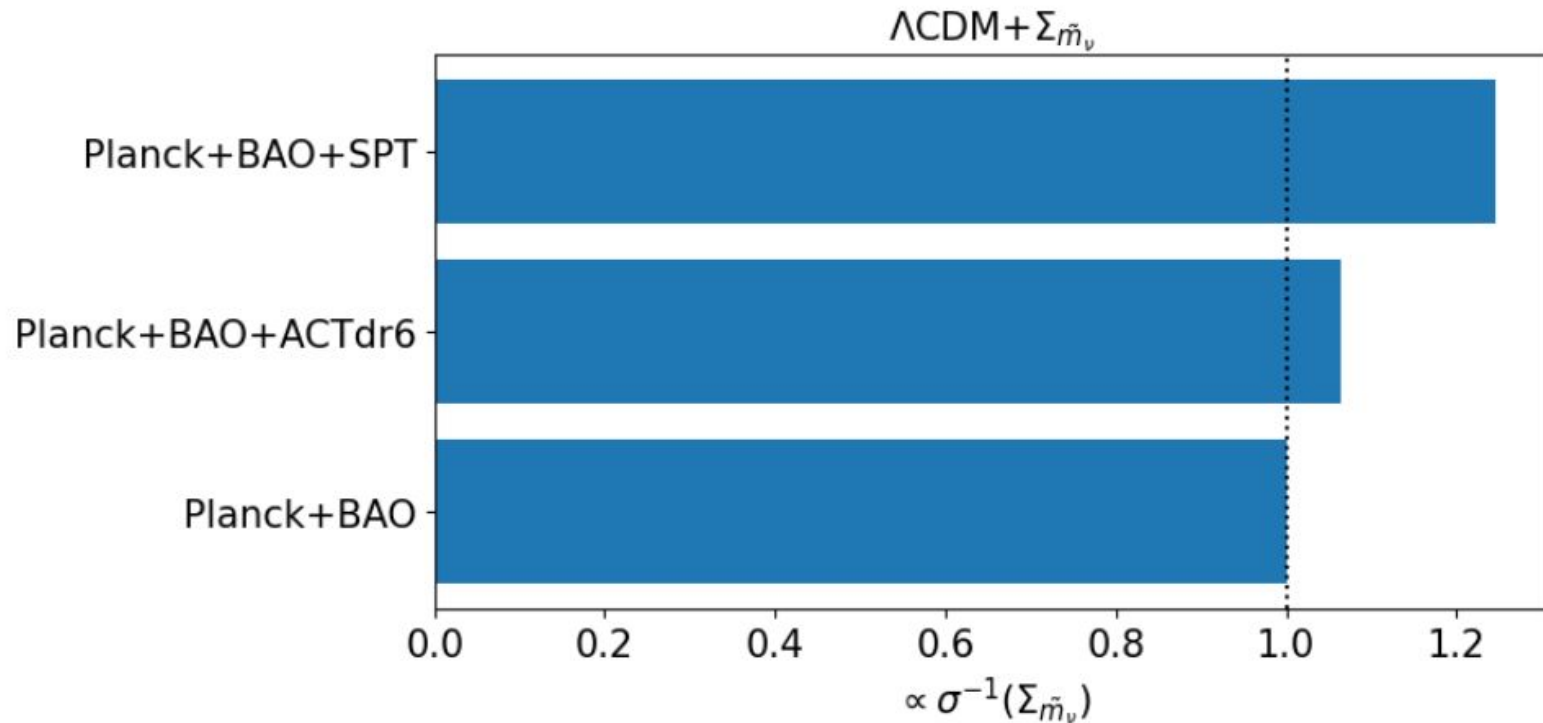
# Cosmological Constraints – $\Lambda$ CDM Extensions



\*Larger bars represent tighter constraints.

\*Error bars are estimated from real data chains mean. 21

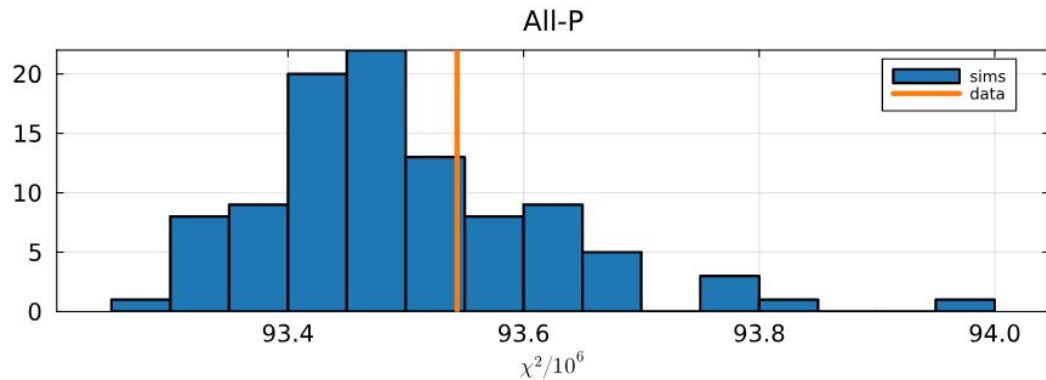
# Cosmological Constraints – $\Lambda$ CDM Extensions



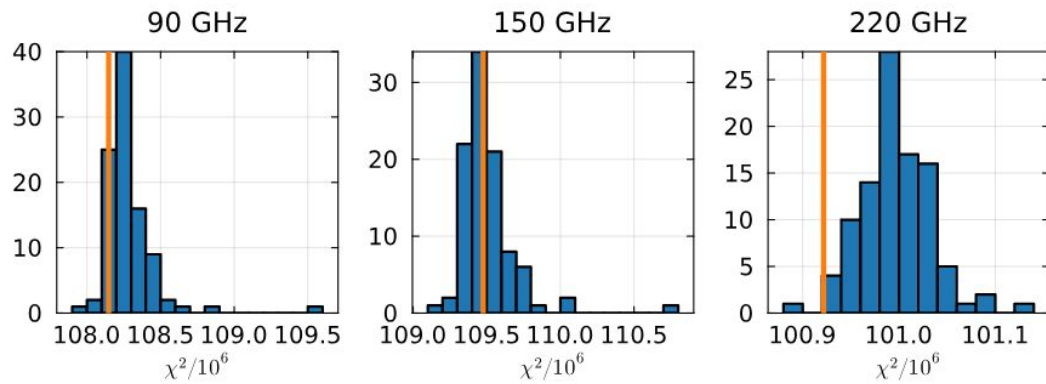
\*Larger bars represent tighter constraints.

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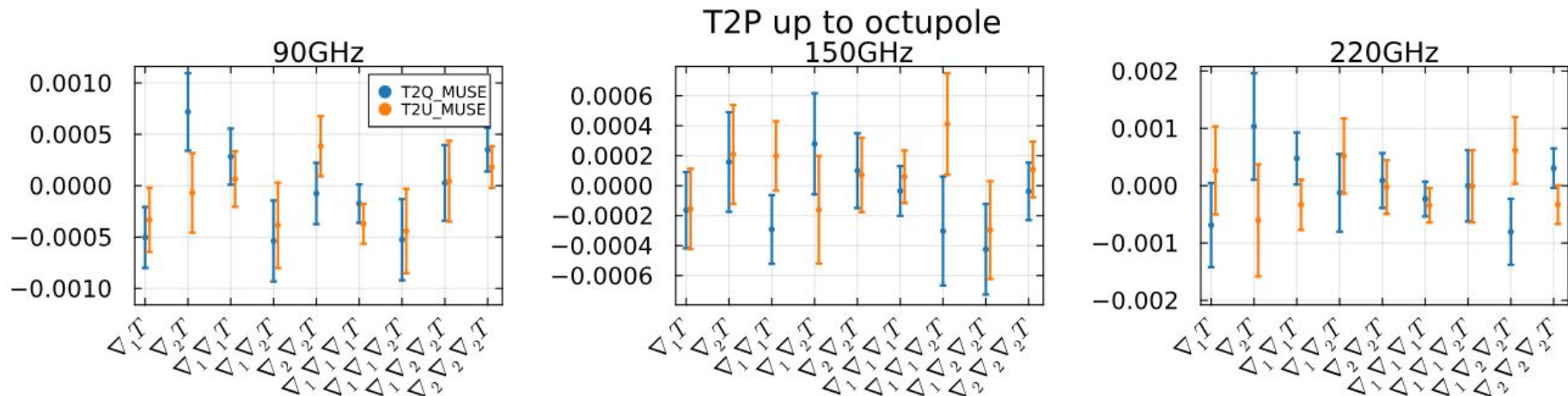
# Pipeline test on data – $\chi^2$ distribution



The map-level  $\chi^2$  of the all-P and single-freq runs is within  $3\sigma$  expectation from fits on mocks.



# Pipeline test on data – Higher-order T2P leakage



No evidence of higher-order TP leakage beyond monopole when we include these templates and amplitude parameters in the all-P fit (these are then *not* included in the baseline run)