# Non-Gaussian deflections in optimal CMB lensing reconstruction

#### **Omar Darwish** University of Geneva



# Work with

#### Sebastian Belkner, Louis Legrand, Julien Carron, Giulio Fabbian

# One of the goals of CMB-S4



## Use QE CMB lensing estimator

$$\ln \mathcal{L} \supset -\frac{1}{2} X^{\text{dat}} \cdot \text{Cov}_{\kappa}^{-1} X^{\text{dat}} - \frac{1}{2} \text{det} \text{Cov}_{\kappa}$$
$$\bigwedge \text{Maximize}$$
$$\hat{\kappa}_{\text{QE}} \sim \bar{X}^{\text{dat}} \bar{X}^{\text{dat}, \text{WF}} \times \text{Norm}$$

First step of a Newton iteration starting from no lensing

# The QE CMB lensing estimator

$$\hat{\kappa}_{\rm QE} \sim \bar{X}^{\rm dat} \bar{X}^{\rm dat, WF} \times {\rm Norm}$$

by construction misses info in  $\phi^2, \ ...$ 

but also 
$$XXX, XXXX, \dots$$

## MAP CMB lensing estimator

$$\ln p \supset -\frac{1}{2} X^{\text{dat}} \cdot \text{Cov}_{\kappa}^{-1} X^{\text{dat}} - \frac{1}{2} \text{det} \text{Cov}_{\kappa} + \ln p_{\text{prior}}$$

Maximize

$$\hat{\kappa}_{\mathrm{MAP}} \sim \bar{X}_{\hat{\kappa}_{\mathrm{MAP}}}^{\mathrm{dat}} \bar{X}_{\hat{\kappa}_{\mathrm{MAP}}}^{\mathrm{dat}} \times \mathrm{Norm}$$

Carron, Lewis (2017)

## MAP CMB lensing estimator



Scale

$$\hat{\kappa}_{\mathrm{MAP}} \sim \bar{X}_{\hat{\kappa}_{\mathrm{MAP}}}^{\mathrm{dat}} \bar{X}_{\hat{\kappa}_{\mathrm{MAP}}}^{\mathrm{dat}} \times \mathrm{Norm}$$

Carron, Lewis (2017)

# One of the goals of CMB-S4



# **Beyond Gaussian mass map**



#### Projected non-Gaussian large scale structure

ESA and the Planck Collaboration

## **Beyond Gaussian mass map**



Credit S. Dodelson



6.0 arcmin

Credit G. Fabbian

0.060 aremin

Amplitude of Post

**Born corrections** 

Pratten, Lewis (2016)

# **Beyond Gaussian mass map**

Non-Gaussian lensing from simulations







# The QE CMB lensing estimator

$$\hat{\kappa}_{\rm QE} \sim \bar{X}^{\rm dat} \bar{X}^{\rm dat, WF} \times {\rm Norm}$$

by construction misses info in  $\phi^2, \ldots$ 

but also 
$$XXX, XXXX, \dots$$





Improved QE likelihood treatment compared to past work



Sum of neutrino mass

Important for CMB lensing cross-correlations

Nice cancellation for CMB lensing auto-correlation

#### Conclusions

• Key goal of CMB-S4 is sum of neutrino masses

• non-Gaussian effects skew inference for QE

- Optimal methods improve upon standard ones
- Explored alternative estimators

• Cross-correlations with large scale structure



o.darwish@proton.me8

### **Extras**

#### Joint Potential-Curl reconstruction





Scale

#### **Comparing likelihoods**



### Alternative estimators, LSS Case



#### **Cross-correlations with QE**





Figure 12: Fractional  $N_L^{(3/2)}$  bias for the cross-correlation power spectrum between the reconstructed CMB lensing potential of SO and galaxy density at different redshift bins. The redshift increases moving from top to bottom. Theoretical predictions using GM fitting formulae for the matter bispectrum are shown as solid lines while those based on SC fitting formulae are shown as dashed lines. Different contributions to the  $N_L^{(3/2)}$  signal are shown in different colours. The error bars accounts for the sample variance of CMB alone.

#### **Cross-correlations with QE**



Figure 15: Detection significance of  $N_L^{(3/2)}$  measured in simulations for cross-correlation between the reconstructed CMB lensing and galaxy lensing as a function of the shot noise in an LSS survey (solid). Results for S4 (SO) are shown in the upper (lower) panels. LSST/Euclidlike surveys have  $\bar{n} \approx 3$ , depending on the bin thickness. Different reconstruction channels are shown from left to right, while different redshift bins are shown in different colours. The dashed lines show the detection significance  $\sigma$  of the residual  $N_L^{(3/2)}$  bias after subtraction of the analytical prediction of this work (using GM fitting formulae gives consistent results).

## **QE CMB lensing estimator**

$$\ln \mathcal{L} \supset -\frac{1}{2} X^{\text{dat}} \cdot \operatorname{Cov}_{\vec{\kappa}}^{-1} X^{\text{dat}} - \frac{1}{2} \det \operatorname{Cov}_{\vec{\kappa}}$$
$$\bigwedge \operatorname{Maximize}$$
$$\hat{\kappa}_{\text{QE}} \sim \vec{\nabla} \cdot \left[ \bar{T}_{\text{lensed}} \vec{\nabla} \bar{T}_{\text{lensed}}^{\text{WF}} \right] \times \operatorname{Norm}$$

First step of a Newton iteration starting from no lensing