### Converting dark matter to dark radiation does not solve cosmological tensions

arXiv:2210.14339 with Colin Hill



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## The Hubble constant

- H<sub>0</sub> measures the scale of the (local) expansion of the Universe today
- Measure the Hubble diagram with a standard(sizable) candle like a Supernova
- Need to calibrate the intrinsic luminosity of a Supernovall  $\rightarrow$  use the cosmic distance ladder
- The SH0ES collaboration (Riess et al) measures H<sub>0</sub> with Sne from Pantheon at 0.0233 < z < 0.15

 $H_0 = 74.04 \pm 1.04 \text{ km/s/Mpc}$ 

Other collaborations use other standardizable candles (eg Freedman et al, using TRGB instead of cepheids)

 $v = z = H_0 D$ 

### Hubble's original Hubble diagram





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## H<sub>0</sub> from the BAO feature

The BAO feature traces the size of the sound horizon  $\bullet$ across cosmic time

$$r_s(z) = \int_z^\infty \frac{dz'}{H(z')} c_s(z')$$

We detect BAOs in the CMB and galaxy clustering as an  $\bullet$ angular feature

$$\theta_s(z) = \frac{r_s(z)}{D_A(z)} \qquad \qquad D_A(z) =$$

- We parametrize and constrain H(z) within a model ( $H_0 = H(z = 0)$ )
- The CMB has a distinct angular feature at scales of about a degree
- This is extremely precisely measured!!

 $100 \ \theta_{s} = 1.04110 \pm 0.00031 \rightarrow H_{0}^{\Lambda CDM} = 67.27 \pm 0.60 \text{ km/s/Mpc}$ 





# Summary of the H<sub>0</sub> tension(?)



- A 5 $\sigma$  tension between *Planck* and SH0ES!!
- TRGB measurements are in tension with neither and will get tighter, this could be decisive

### The S<sub>8</sub> tension: hints at more new physics?

Is there a systematic suppression in clustering at low z?

$$S_8 \equiv \sigma_8 \sqrt{\frac{\Omega_m}{0.3}} \quad (\sigma_8)^2 = \frac{1}{2\pi^2} \int \frac{dk}{k} W^2(kR) k^3 P(k=0),$$

• *Planck* constraints:

 $S_8 = 0.834 \pm 0.016$ 

- Galaxy clustering/lensing *tend* to be  $\sim 2\sigma$  lower
- Low-z vs high-z physics? Or Nonlinear vs linear (eg Amon & Efstathiou 2022)? Or systematics in galaxy surveys?



Credit: Cosmology Intertwined, Snowmass 2021



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Planck CMB aniso. Planck CMB aniso. ( $+A_{lens}$  marg.) Planck CMB lensing + BAO SPT CMB lensing + BAO **ACT CMB lensing + BAO ACT+Planck CMB lensing + BAO** DES-Y3 galaxy lensing + BAO KiDS-1000 galaxy lensing + BAO HSC-Y3 galaxy lensing (Fourier) + BAO HSC-Y3 galaxy lensing (Real) + BAO

Credit: Madhavacheril et al (ACT lensing cosmology)





### Reconciling the H<sub>0</sub> tension: extending $\Lambda CDM$

- If the H<sub>0</sub> tension is real, the model-dependent measurement should be changed by changing **physics before reionization** (modifying  $r_s(z)$ ) or **physics after reionization** (modifying  $D_A(z)$ )
- This has inspired many extensions / modifications to ACDM

   Early dark energy, primordial magnetic fields, non-standard dark sectors, time-varying physical constants, …
- The problem: ACDM fits the CMB so well, changing it is hard
- I will consider an extension of the dark sector where dark matter converts into dark radiation , simultaneously allowing for lower  $S_8$

### Dark matter conversion to dark radiation

a time dependent, parametric way: (See: Bringmann et al 2018, PRD)

$$\rho_{DM}(a) = \frac{\rho_{DM}^0}{a^3} \left( 1 + \zeta \left( \frac{1 - a^{\kappa}}{1 + (a/a_t)^{\kappa}} \right) \right)$$

- $\zeta$  : the fraction of DM that "converts"
- *a<sub>t</sub>* : gives a time for the conversion
- κ : describes the rate of conversion



### Dark matter conversion to dark radiation

The DM converts into dark radiation (in ΛCDM the DR density is 0)

• From conservation of energy  $\left[\frac{1}{a^3}\frac{d}{dt}\left(a^3\rho_{DM}\right) = -\frac{1}{a^4}\frac{d}{dt}\left(a^4\rho_{DR}\right)\right]$  you get

$$\rho_{DR}(a) = \zeta \frac{\rho_{DM}^0}{a^3} \frac{\left(1 + a_t^{\kappa}\right)}{\left(a^{\kappa} + a_t^{\kappa}\right)} \times \left(\left(a^{\kappa} + a_t^{\kappa}\right)_2 F_1\left[1, \frac{1}{\kappa}; 1 + \frac{1}{\kappa}; -1\right]\right)$$

This is a **generalization** of well-studied models, eg decaying dark matter and annihilating dark matter





## $DM \rightarrow DR$ : background dynamics

- This produces the correct background dynamics to increase  $H_0!$
- CMB. What happens to H<sub>0</sub> within DM  $\rightarrow$  DR subject to these

• Recall that we have *direct* constraints on  $\rho_{DM}(z^{\star})$  and  $\theta_{s}$  from the constraints from *Planck*? (This is a [slightly] non-trivial calculation)



## $DM \rightarrow DR$ : background dynamics



Why? Λ-DM equality is earlier

H<sub>0</sub> increases!







# $DM \rightarrow DR$ : background dynamics

- So  $H_0$  increases. What about  $S_8$ ? This also **naturally decreases** due to -lower  $\Omega_m$  (some DM has converted) -Free streaming of DR suppressing clustering
- This model can simultaneously decrease both tensions!!







## $DM \rightarrow DR$ : perturbation structure

- perturbations trace the standard DM evolutions. But we must evolve the DR perturbations as they interact with the gravitational perturbations
- We have modified the Boltzmann solver CLASS: CLASS DMDR (see https://github.com/fmccarthy/class\_DMDR/)
- We built on the already-implemented decaying dark matter perturbation evolver

Perturbation evolution is non trivial. The modified DM is easy as its

### $DM \rightarrow DR$ : perturbation structure Change in matter power spectrum; $\zeta = 0.1, a_t = 0.1$ Change in TT power spectrum; $\zeta = 0.1, a_t = 0.1$ $\kappa = 0.1$ $\kappa = 0.5$ 0.00 $\Delta P(k) \; [\mathrm{Mpc}^3]$ 0.10 $\kappa = 1.0$ $\Delta C_\ell^{TT}$ $\kappa = 2.0$ $\kappa = 0.1$ -0.05 $\kappa = 5.0$ 0.05 $\kappa = 0.5$ $\kappa = 1.0$ $\kappa = 2.0$ -0.100.00 $\kappa = 5.0$ $10^{-3}$ $10^{-2}$ $10^{-1}$ $10^{0}$ $10^{-4}$ $10^{1}$ $10^{2}$ $10^{3}$

• Main changes:

**DM potentials**, and **DR effects** 

-Suppression in P(k)



## -increased ISW signal due to longer A-domination, decay of

## $DM \rightarrow DR$ : constraints on $H_0$ and $S_8$



- Mostly, the  $S_8$  and  $H_0$  posteriors are unshifted. Tensions persist.
- prior from SH0ES

*Planck* CMB +LSS + SH0ES prior



• There is a slight upwards shift in H<sub>0</sub> compared to LCDM when we include a



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### Constraints on the DM $\rightarrow$ DR parameters

### Posteriors prefer $\zeta = 0$ (no DM $\rightarrow$ DR) Unless we include the SH0ES prior



## Why do these models fail?



- The amount of lensing of the CMB is constrained by the power spectrum
- The CMB is truly an LSS probe that is consistent with  $\Lambda CDM!!$





- goal.
- effects
- placing upper limits on the fraction of non-standard DM
- Modified Boltzmann code at https://github.com/fmccarthy/class\_DMDR/

## Conclusion

• Exensions to  $\Lambda$ CDM motivated to solve the  $H_0$  tension have remained unsuccessful at this

• However, this has renewed interest in a broad range of extended models with interesting

The CMB, CMB lensing, these probes are all good tools for exploring these models and