

CMB birefringence from axion string-wall networks

Mudit Jain
(Rice University)

Based on:

“CMB birefringence from ultralight-axion string networks”,
M.J., Andrew J. Long, and Mustafa A. Amin

[JCAP05\(2021\)055](#)

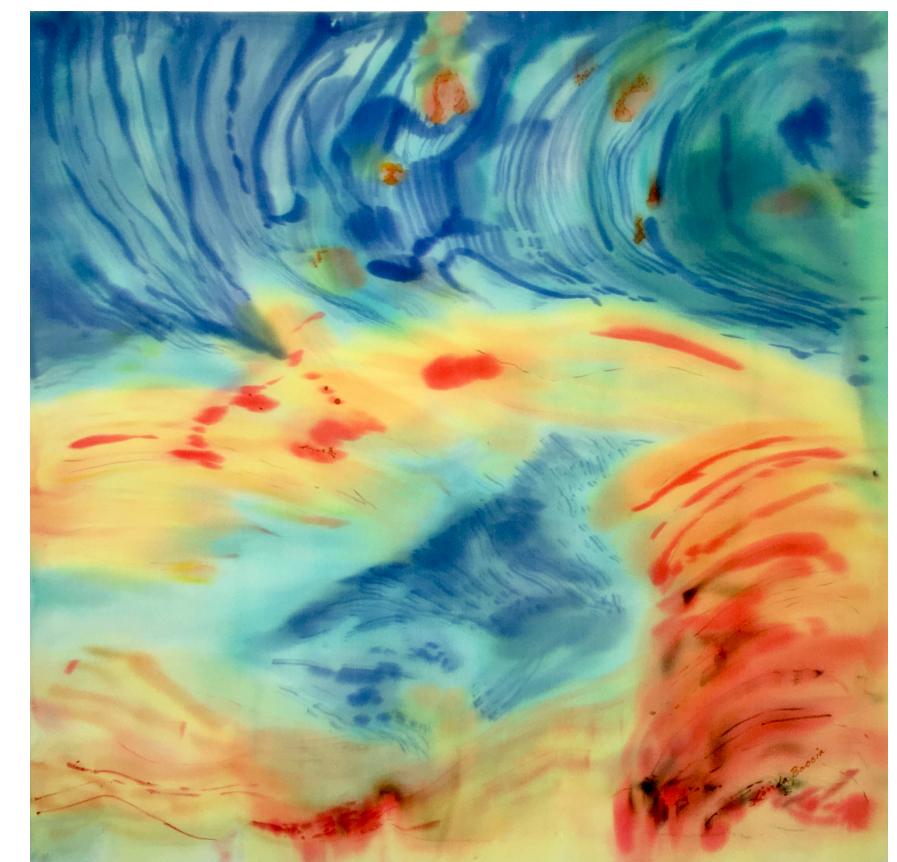
“Searching for axion-like particles through CMB birefringence from string-wall networks”,
M.J., Ray Hagimoto, Andrew J. Long, and Mustafa A. Amin

[arXiv:2208.08391](#)

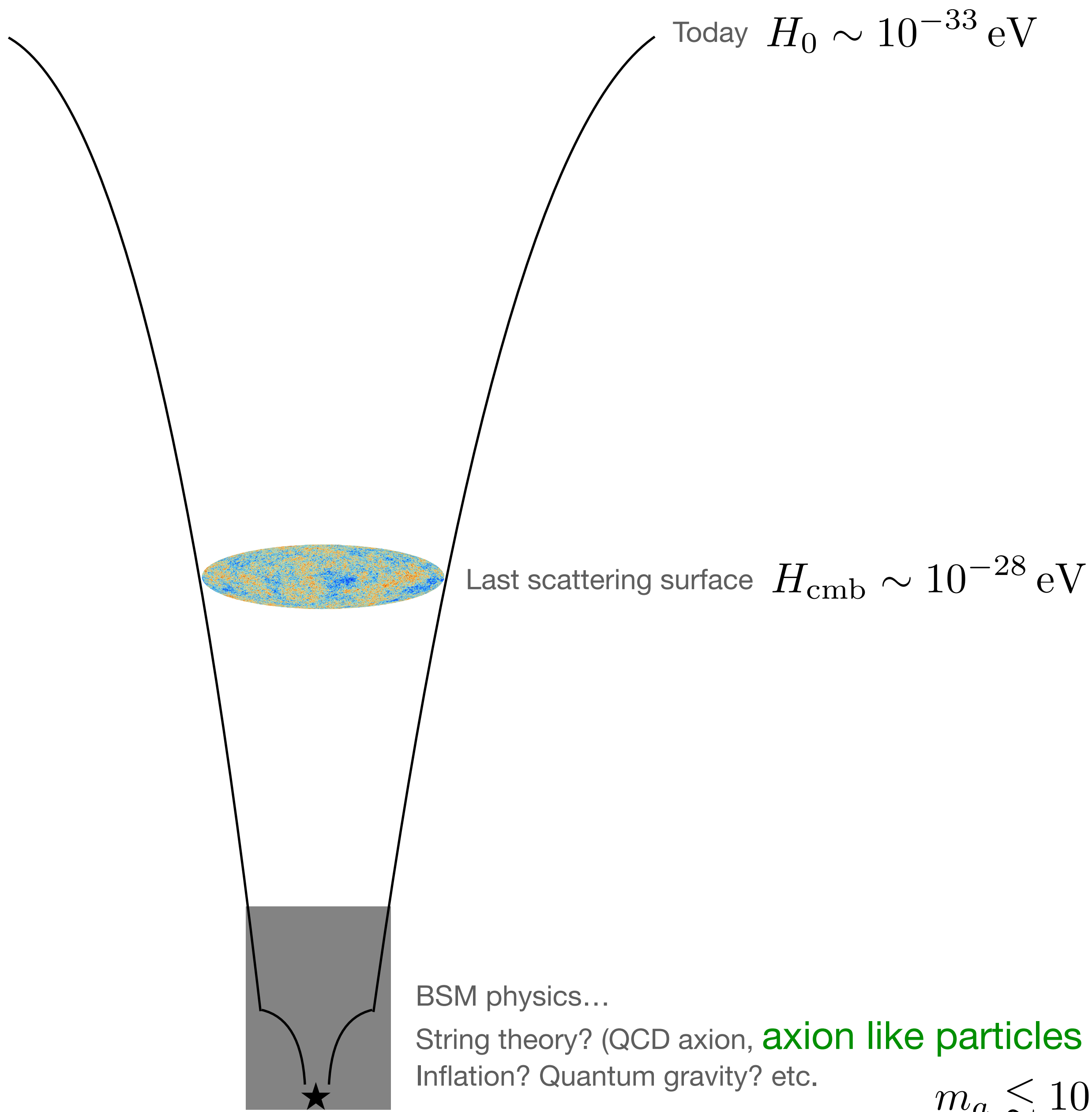
fresh from the oven!



CMB-S4 SUMMER 2022

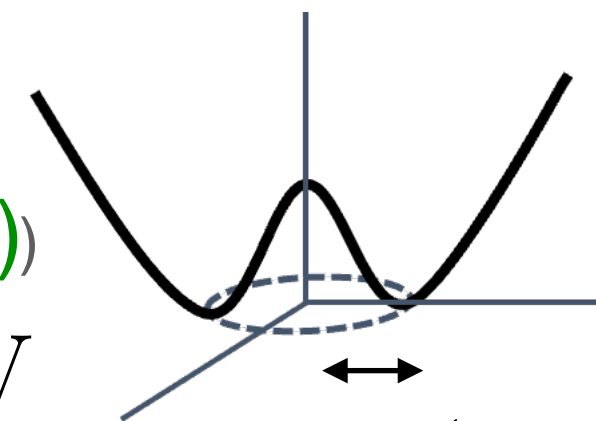


OUTLINE



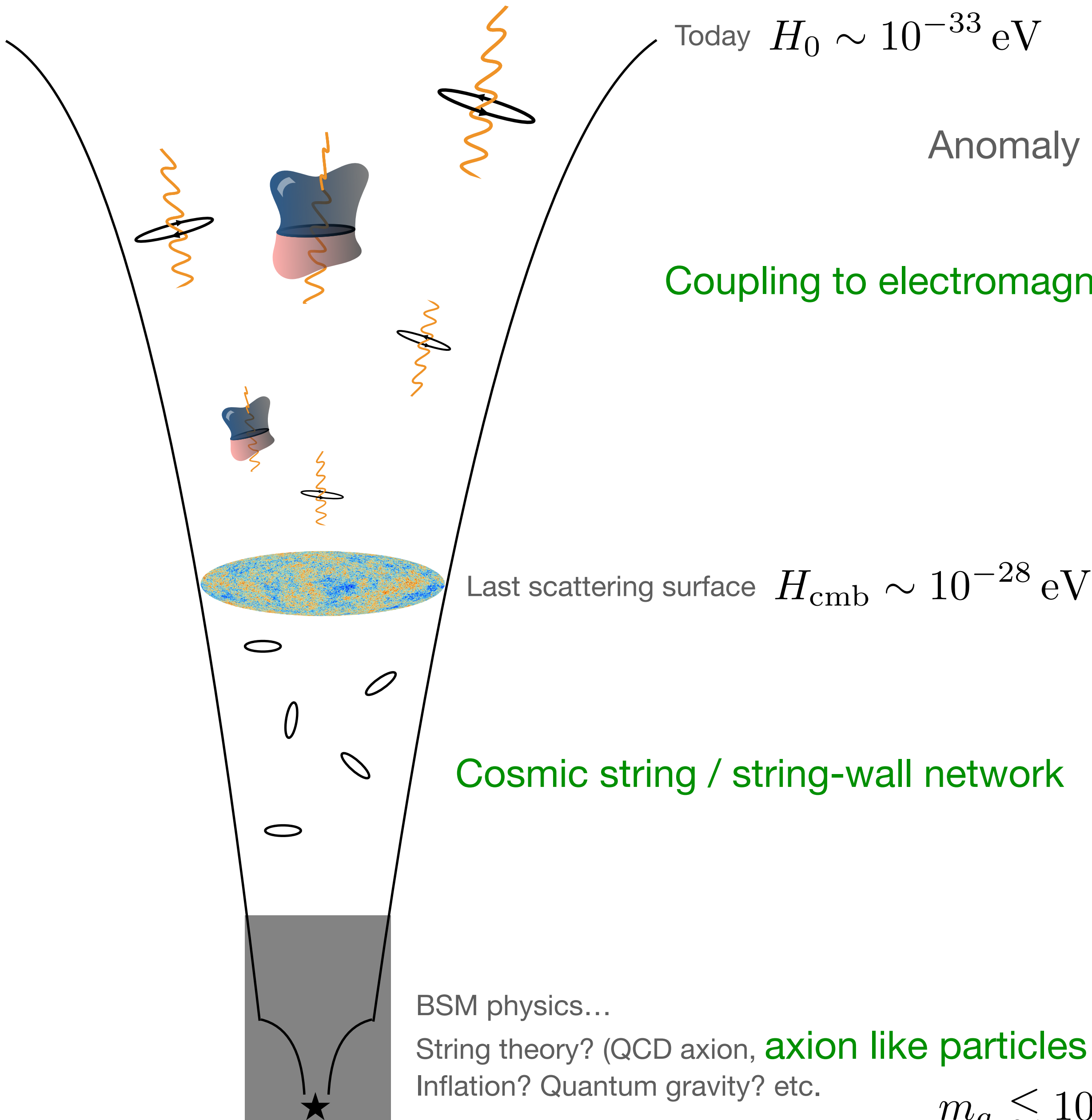
$$m_a \lesssim 10^{-33} \text{ eV}$$

2



$$f_a \text{ (usually } \gtrsim 10^{10} \text{ GeV)}$$

OUTLINE



Today $H_0 \sim 10^{-33}$ eV

Anomaly coefficient (charges of heavy/UV particles)

Coupling to electromagnetism:

$$\frac{\mathcal{A}\alpha_{em}}{4\pi f_a} aF\tilde{F}$$



CMB birefringence



Last scattering surface $H_{cmb} \sim 10^{-28}$ eV

Cosmic string / string-wall network

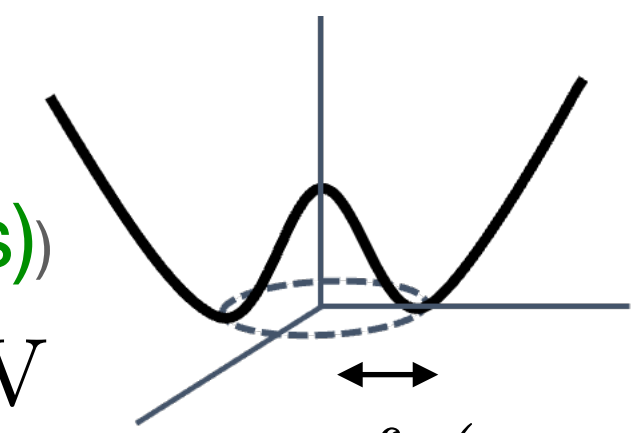
BSM physics...
String theory? (QCD axion, **axion like particles (ALPs)**)
Inflation? Quantum gravity? etc.

$$\alpha = \pm \mathcal{A}\alpha_{em}$$

independent of f_a !

Search for ALPs
using CMB polarization measurements

$$m_a \lesssim 10^{-33} \text{ eV}$$



f_a (usually $\gtrsim 10^{10}$ GeV)

DEFECT NETWORKS

Networks that survive till today

$$C_\ell^\alpha \approx \mathcal{A}^2 \xi_0 \text{Shape}(\zeta_0)$$

Size of loops in units of H^{-1}

Networks that collapse in between

$$3H_{\text{cmb}} \gtrsim m_a \gtrsim 3H_0$$

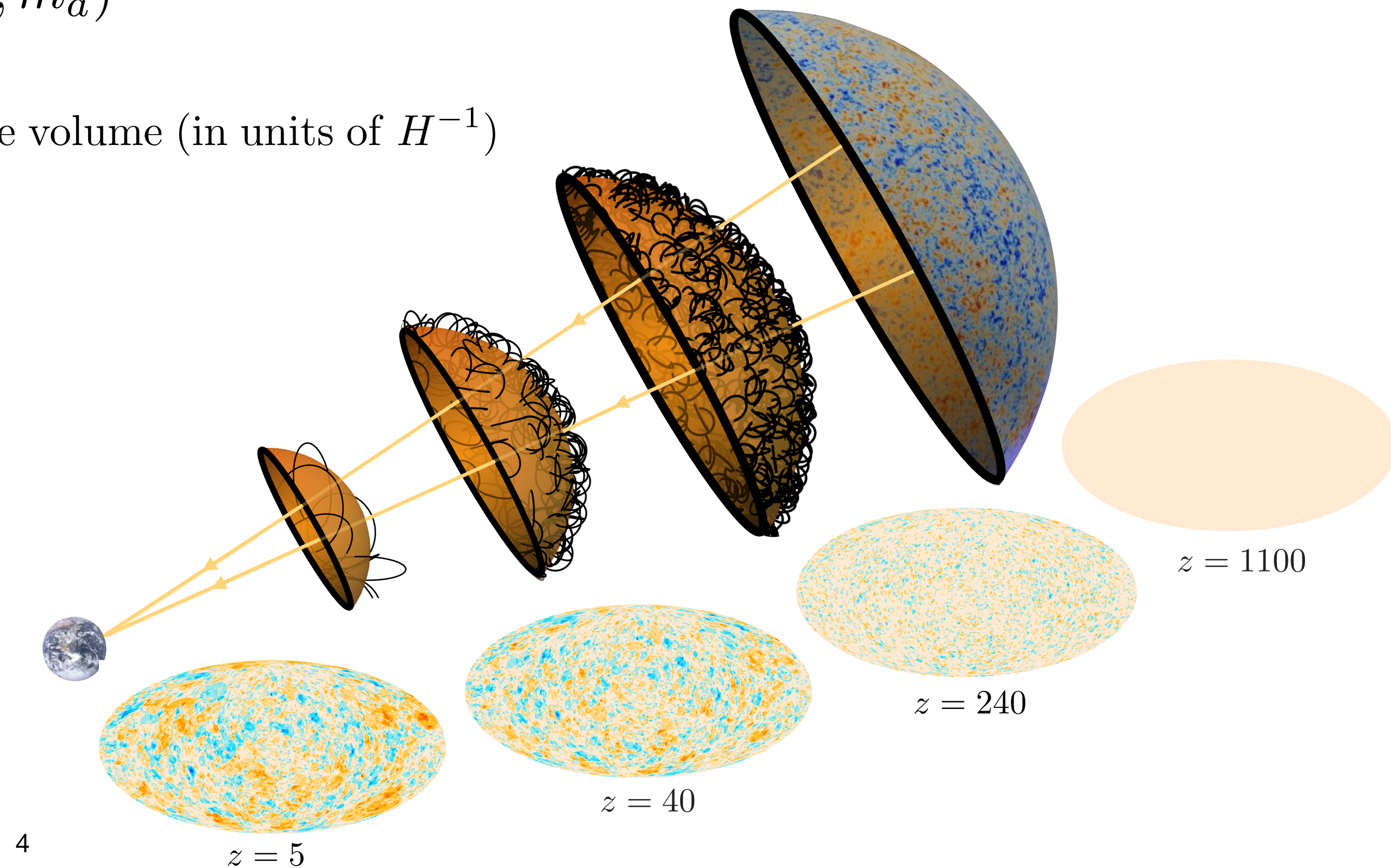
$$N_{\text{dw}} = 1$$

$$C_\ell^\alpha \approx \mathcal{A}^2 \xi_0 \text{Shape}(\zeta_0, m_a)$$

Total length of string in a Hubble volume (in units of H^{-1})

Theory expectation

$$\xi_0 \sim \mathcal{O}(1 - 100) \quad \mathcal{A} \sim \mathcal{O}(0.1 - 1) \quad \zeta_0 \sim \mathcal{O}(0.1 - 1)$$



Networks that survive till today

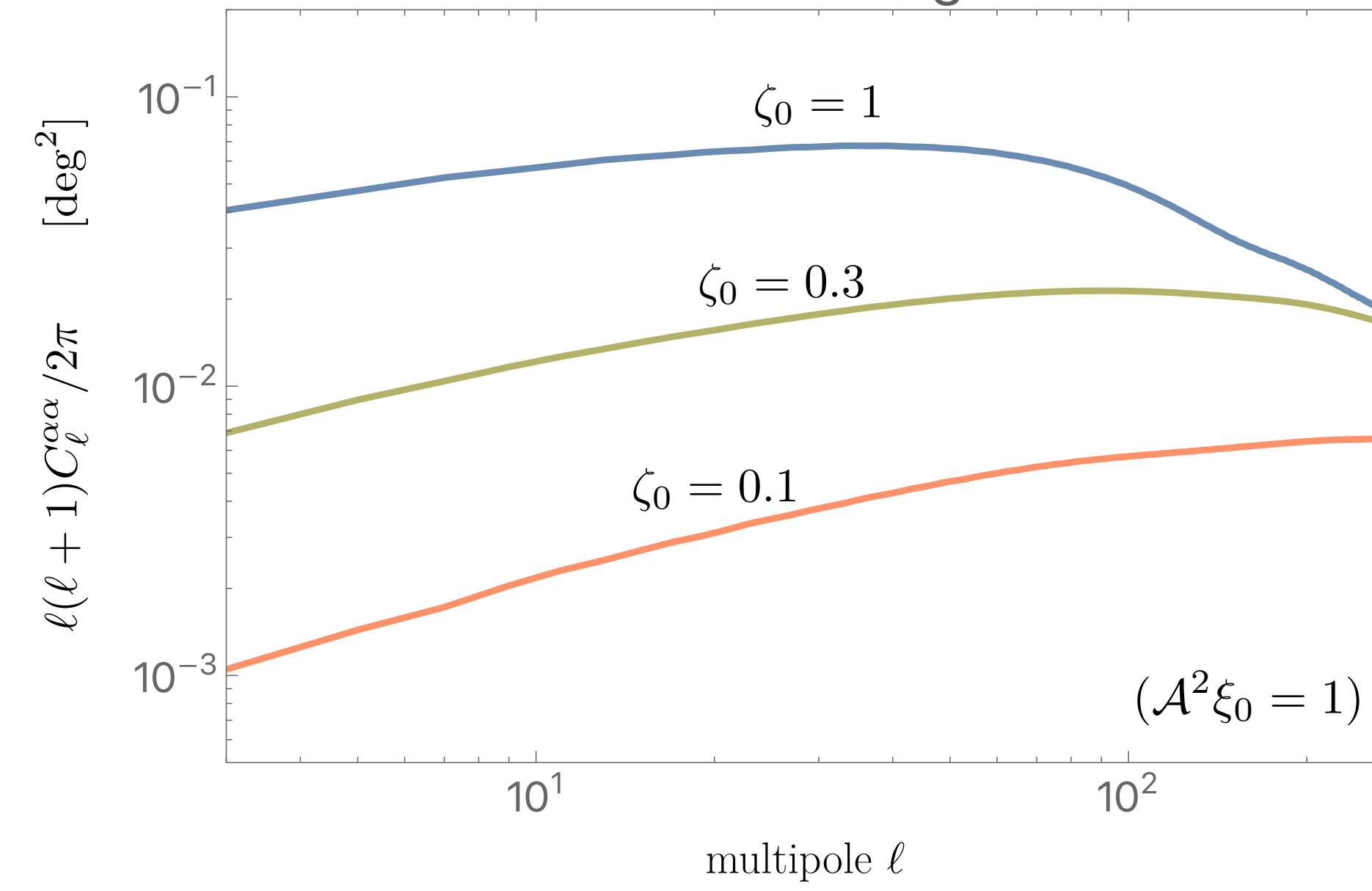
Amplitude

Size of loops in units of H^{-1}

$$C_\ell^\alpha \approx \mathcal{A}^2 \xi_0 \text{Shape}(\zeta_0)$$

ξ_0 = Total length of string in a a Hubble volume (in units of H^{-1})

Calculated signal

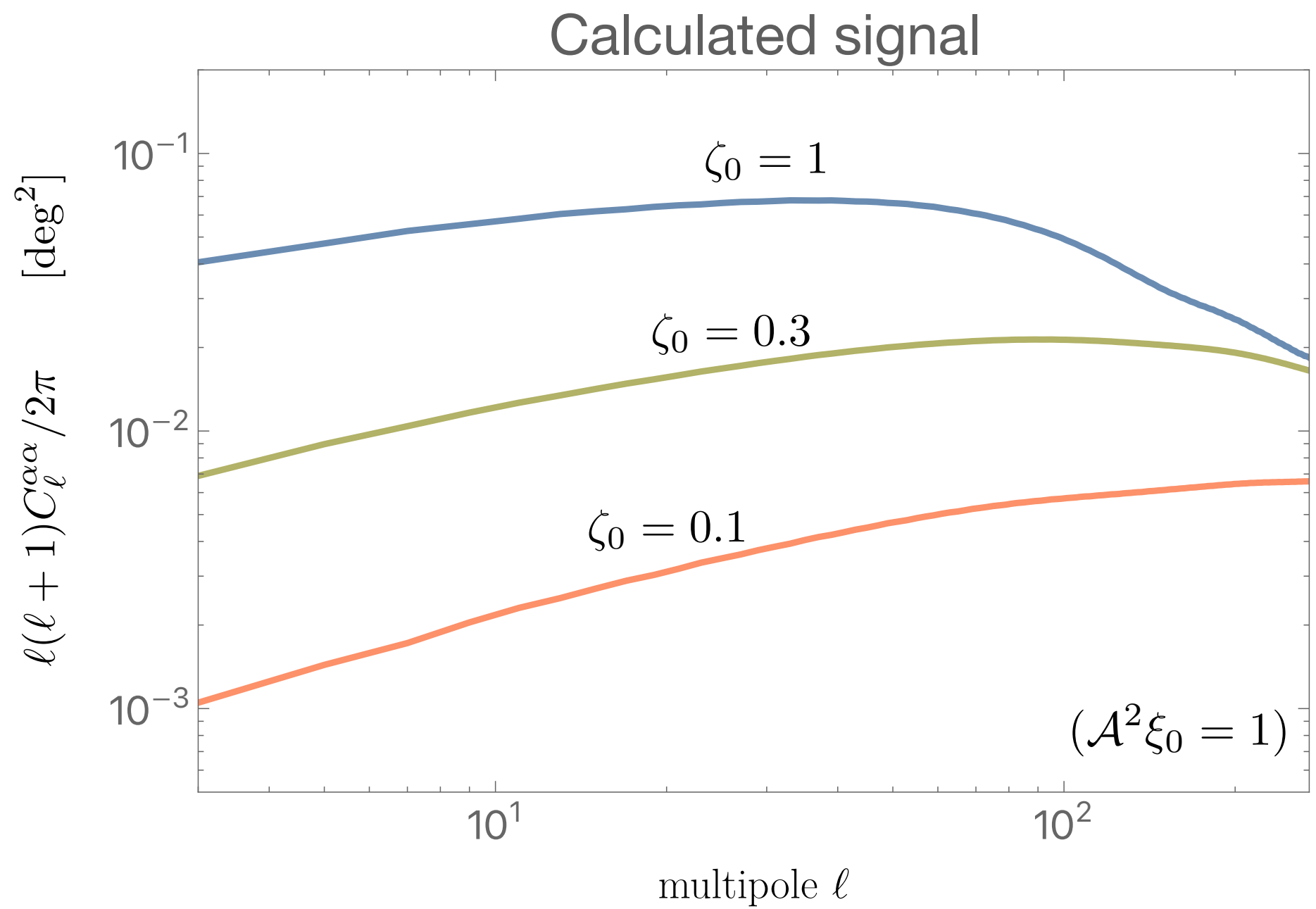


Networks that survive till today

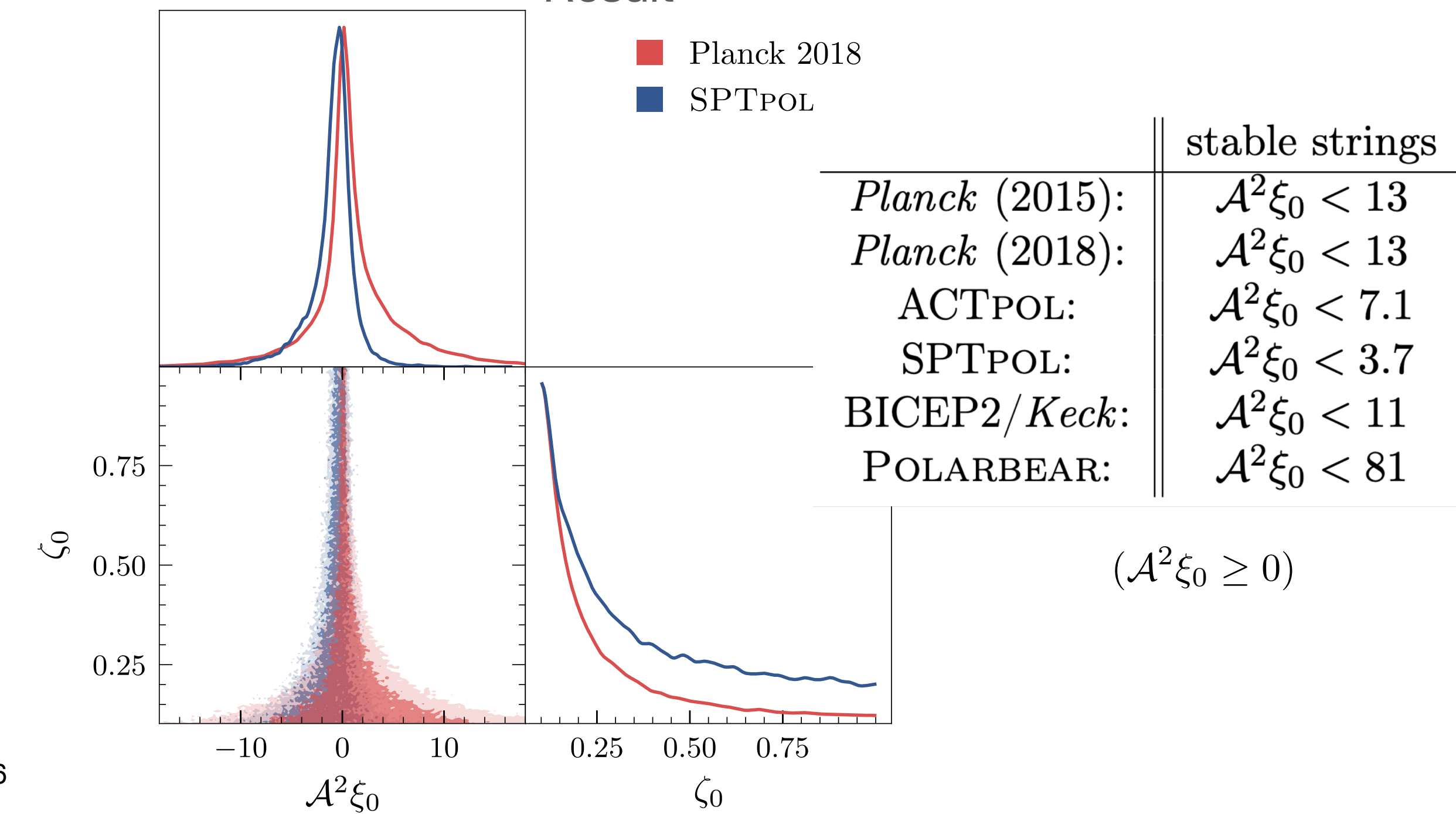
Amplitude \swarrow \searrow Size of loops in units of H^{-1}

$$C_\ell^\alpha \approx \mathcal{A}^2 \xi_0 \text{Shape}(\zeta_0)$$

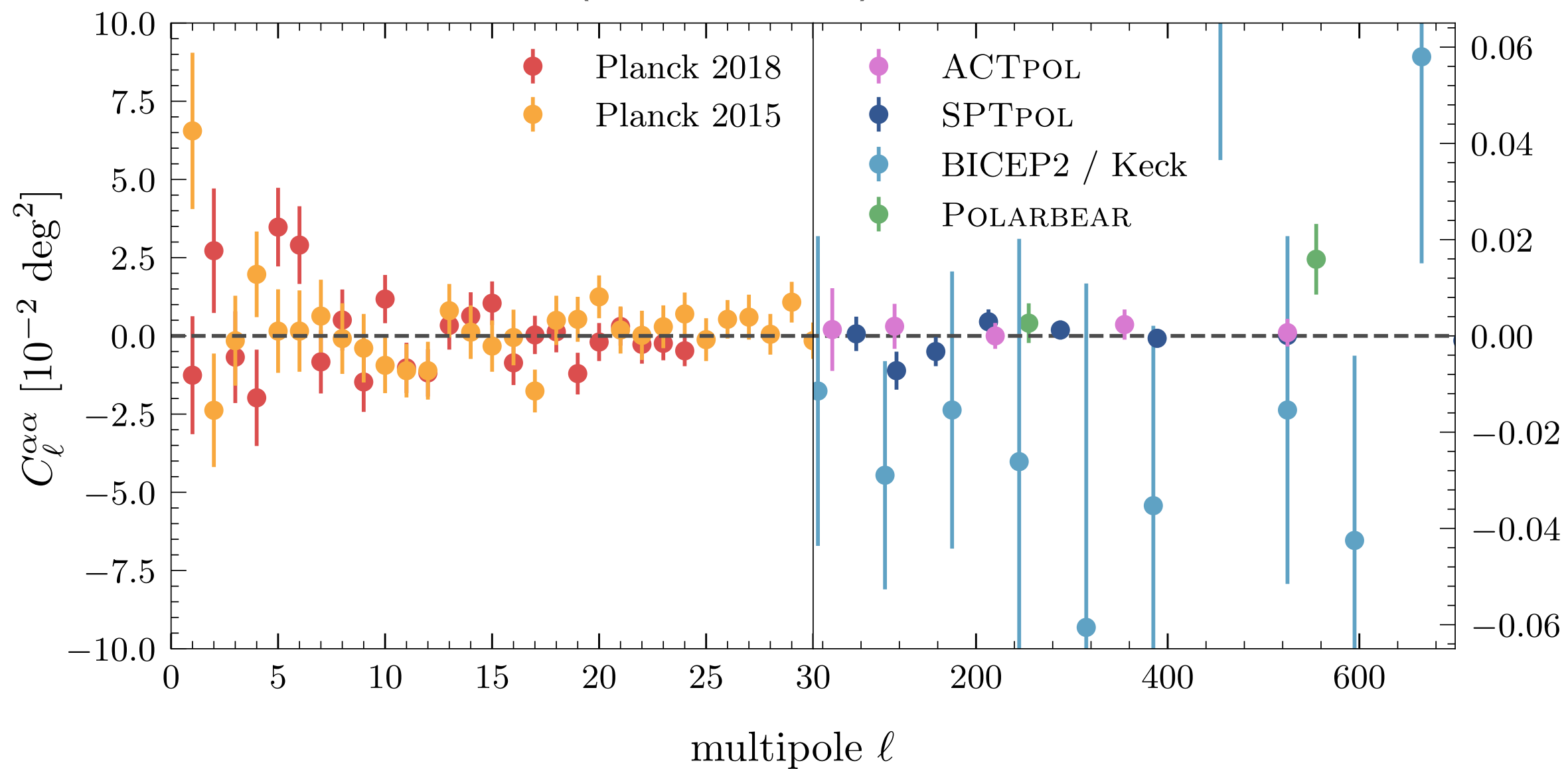
ξ_0 = Total length of string in a Hubble volume (in units of H^{-1})



Result



(Processed-) Data



Networks that collapse in between

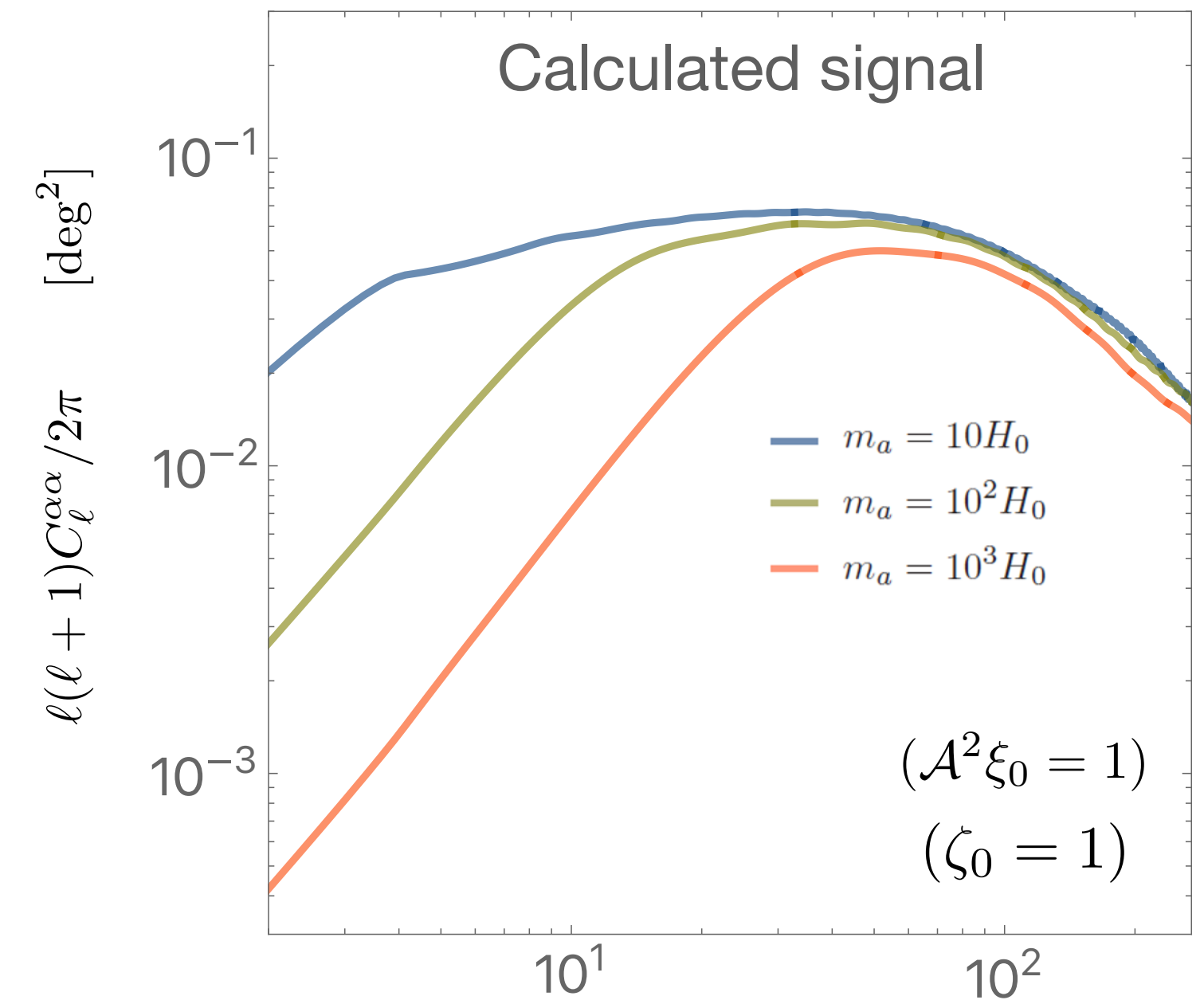
$$3H_{\text{cmb}} \gtrsim m_a \gtrsim 3H_0 ; N_{\text{dw}} = 1$$

Amplitude

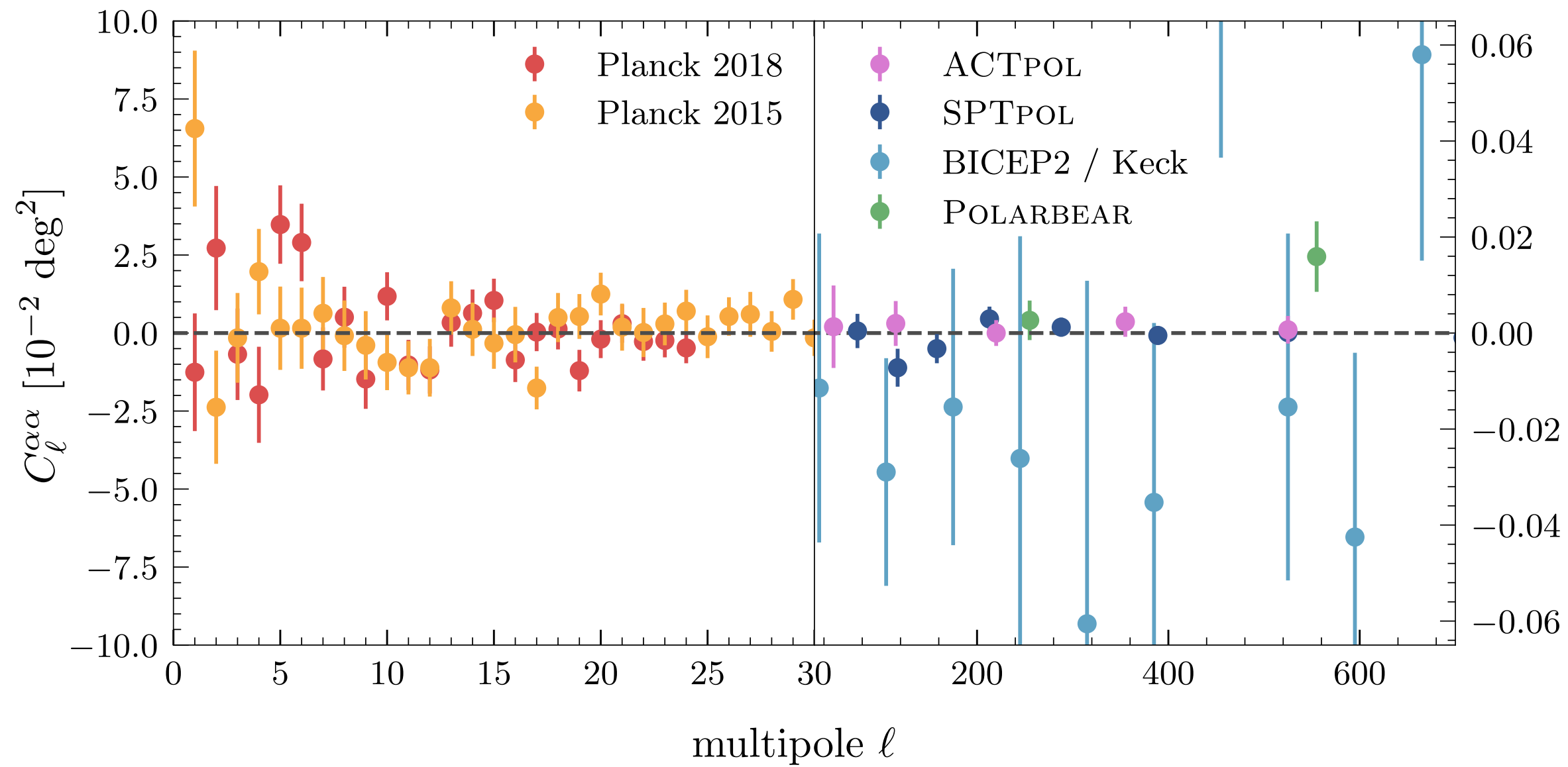
Size of loops in units of H^{-1}

$$C_\ell^\alpha \approx \mathcal{A}^2 \xi_0 \text{Shape}(\zeta_0, m_a)$$

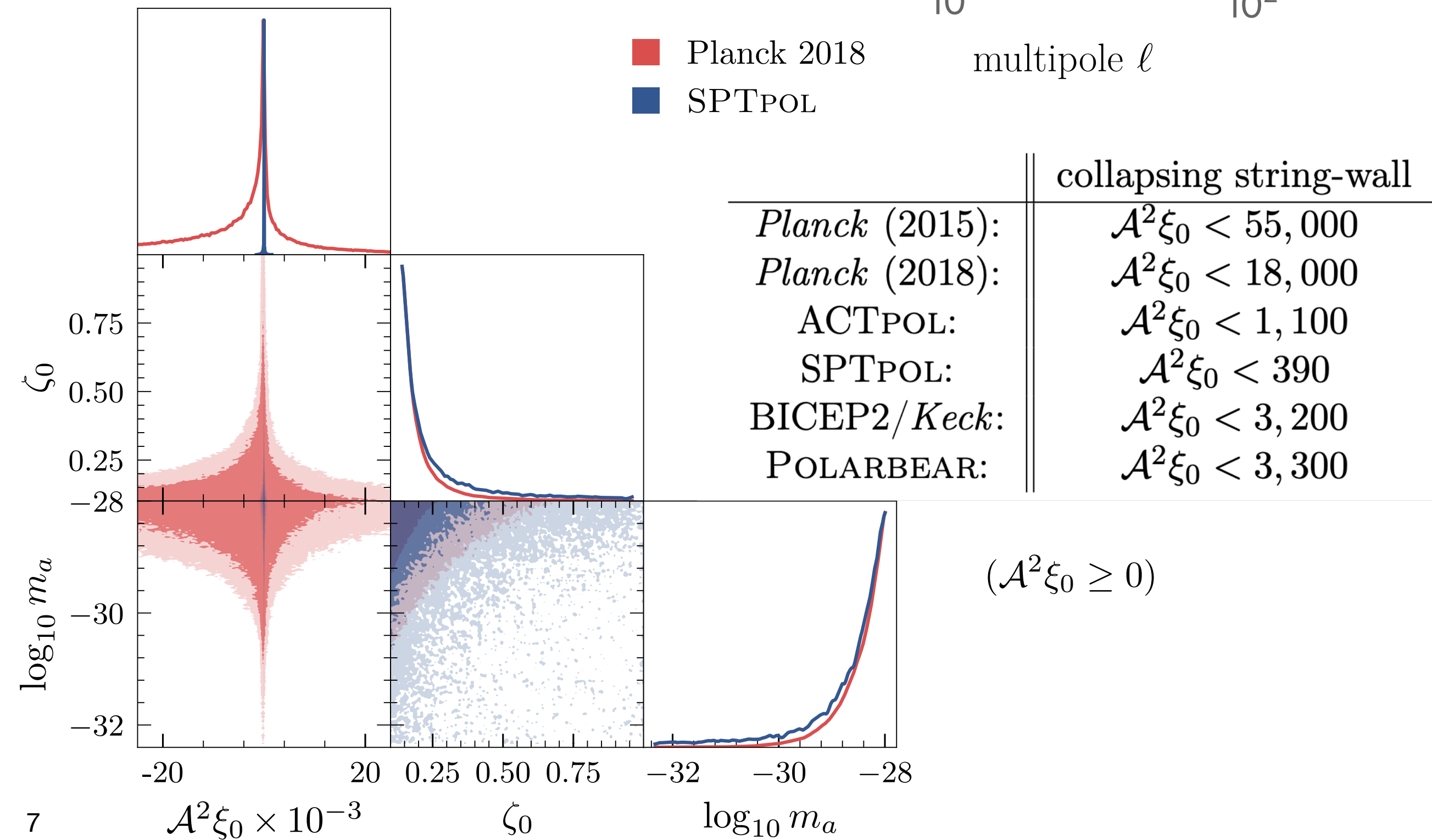
ξ_0 = Total length of string in a Hubble volume (in units of H^{-1})



(Processed-) Data

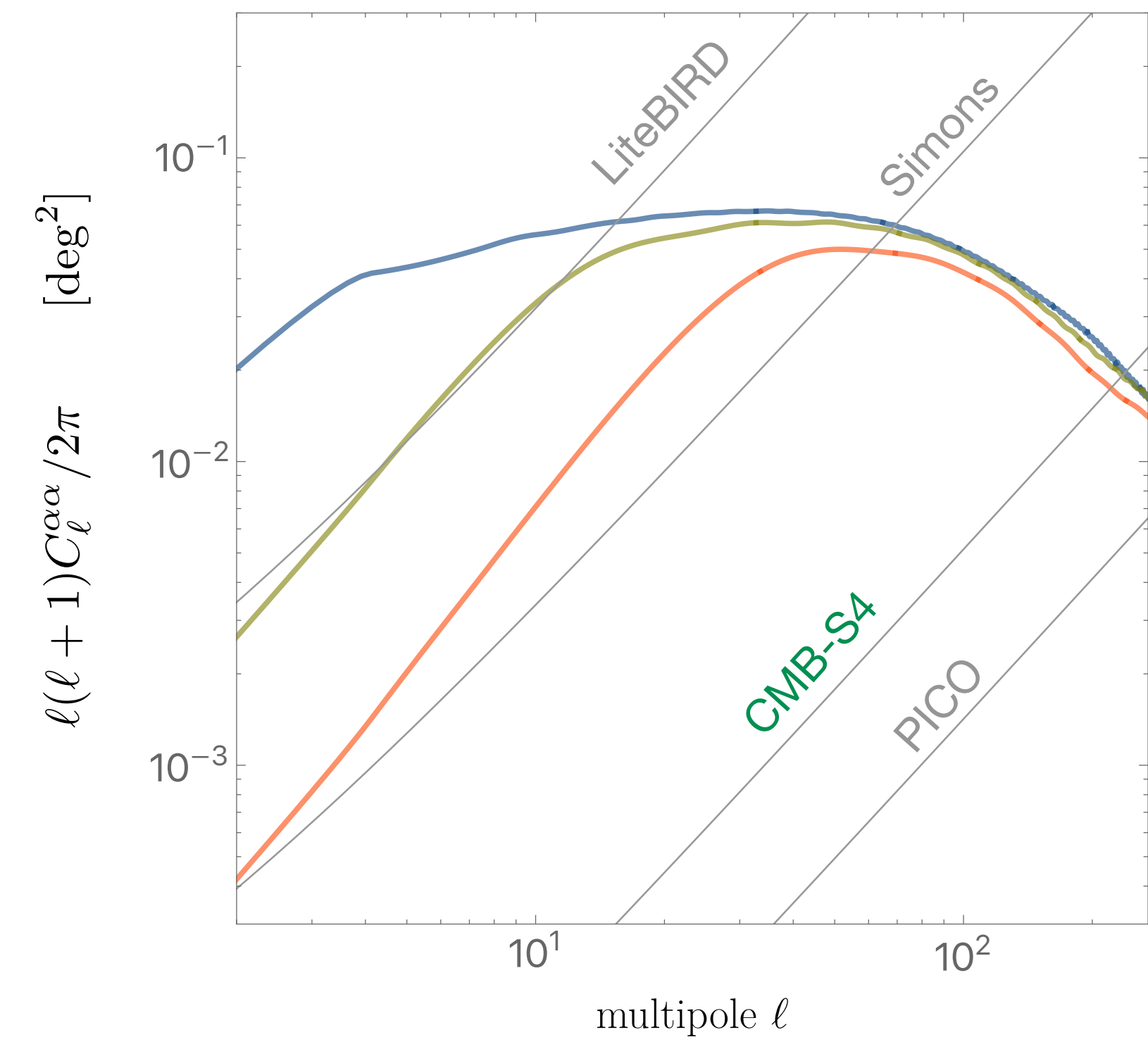
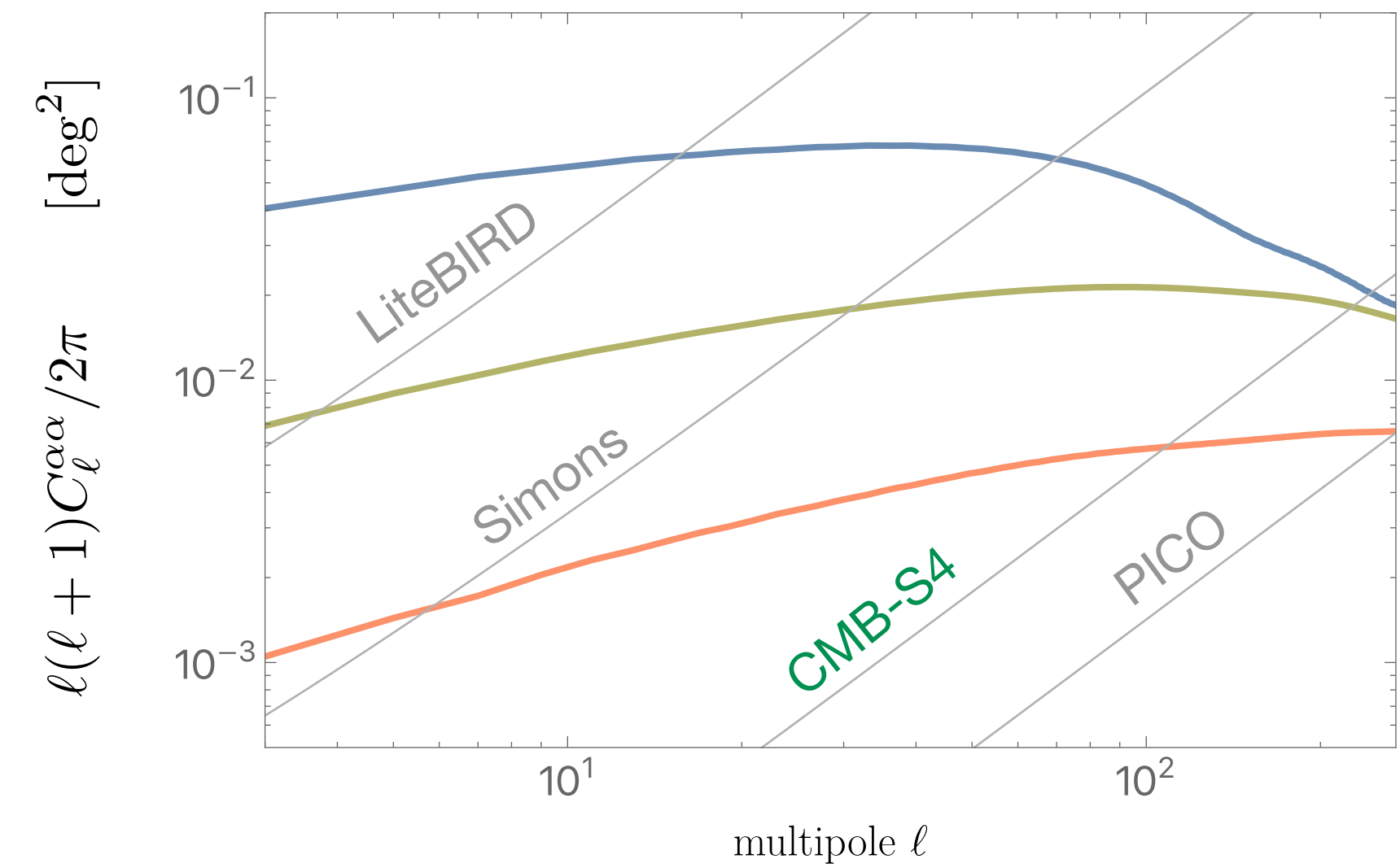


Result



SUMMARY

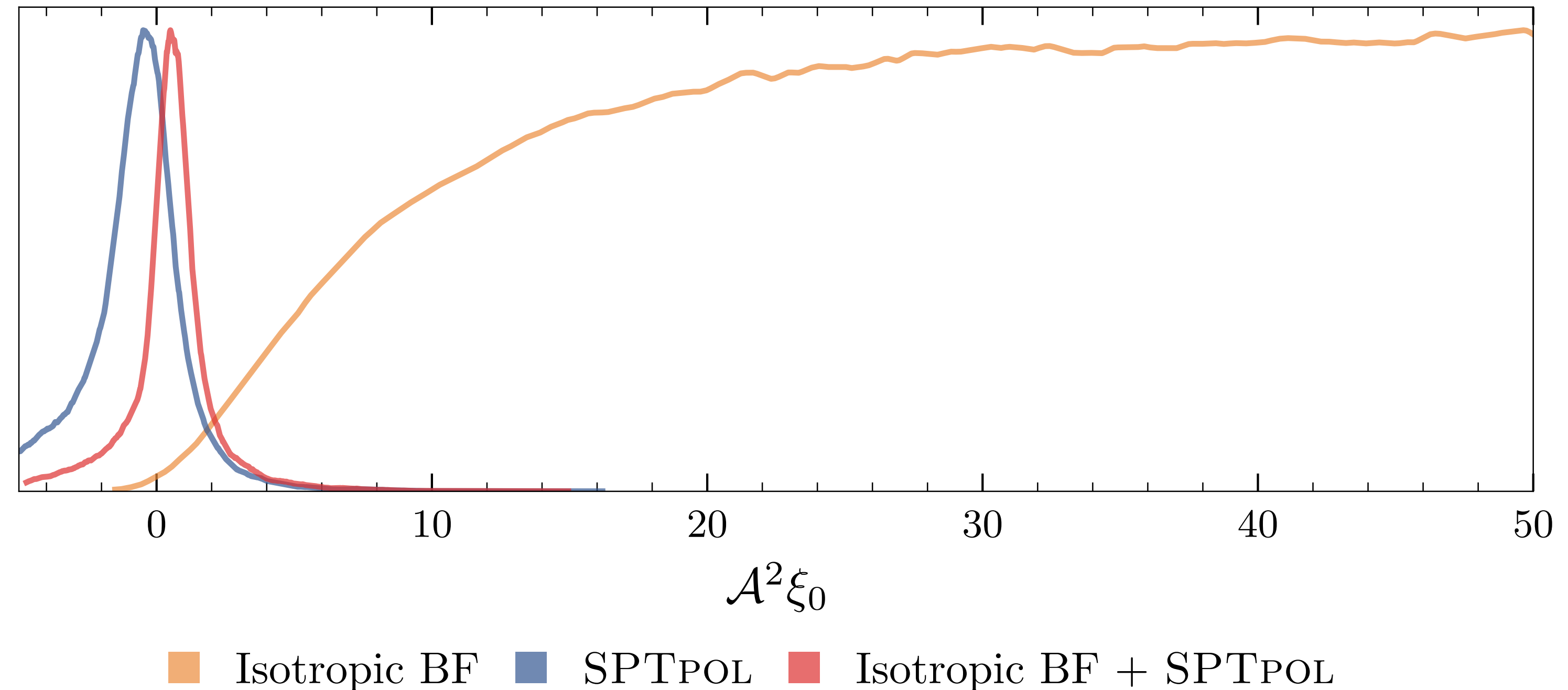
- ALP defect networks can induce **CMB birefringence** and offer exciting new avenue to probe **UV physics** and learn about quantum gravity.
- Current data is consistent with no anisotropic signal.
 - $\mathcal{A}^2 \xi_0 < 3.7$ for non-collapsing string/wall networks (SPTpol); **Meaningful constraints on the UV particles' charges already.**
- Future surveys (like **CMB-s4**) can furnish a measurement (or provide constraints) on **UV particles' charges \mathcal{A} , and/or m_a**



Back up / Extra

Isotropic + anisotropic birefringence

■ Isotropic BF + SPT_{POL}
 $\mathcal{A}^2\xi_0 = 0.5 \pm 1$ at 68% CL

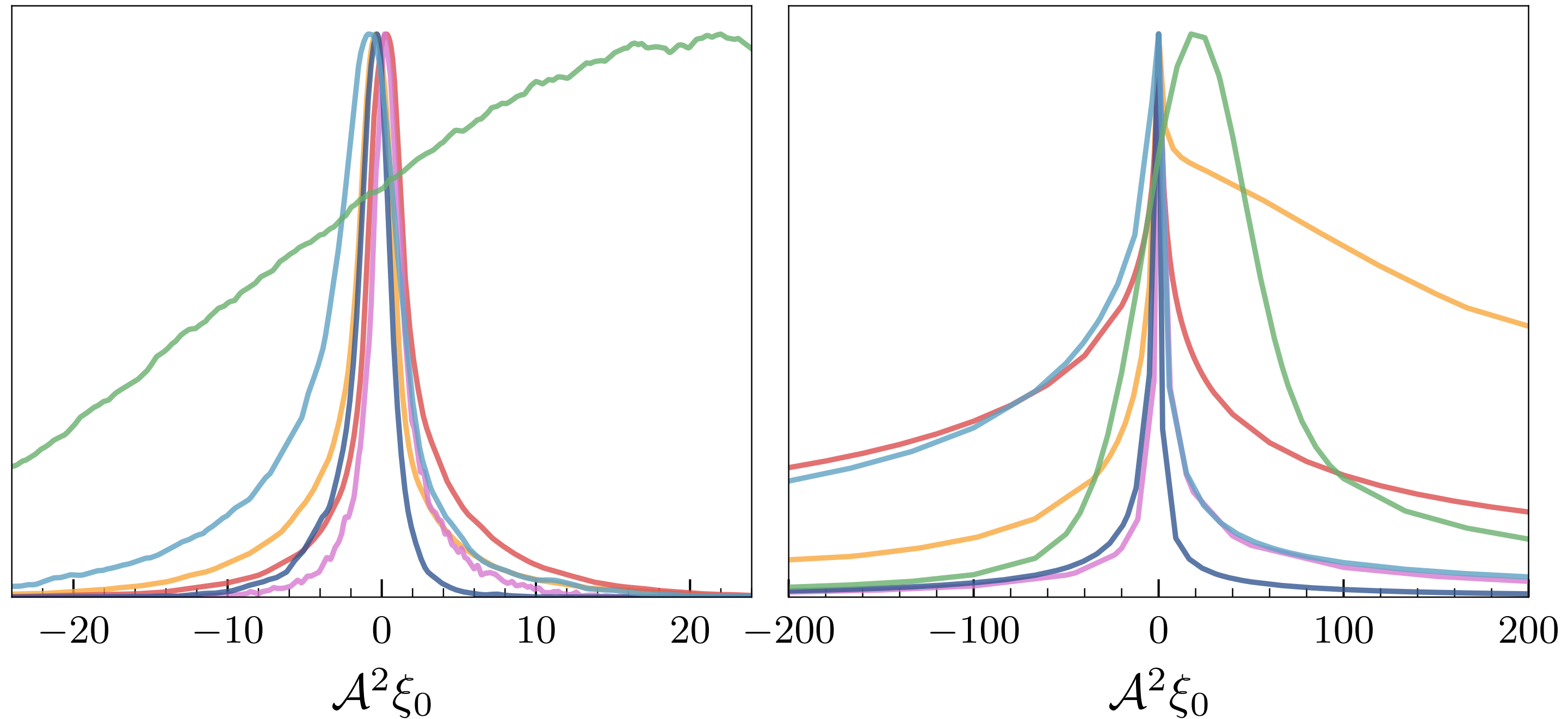


- With the current data, the anisotropic and isotropic birefringence measurements are difficult to reconcile in the context of axion-defect-induced birefringence

Results from other data sets

stable string network

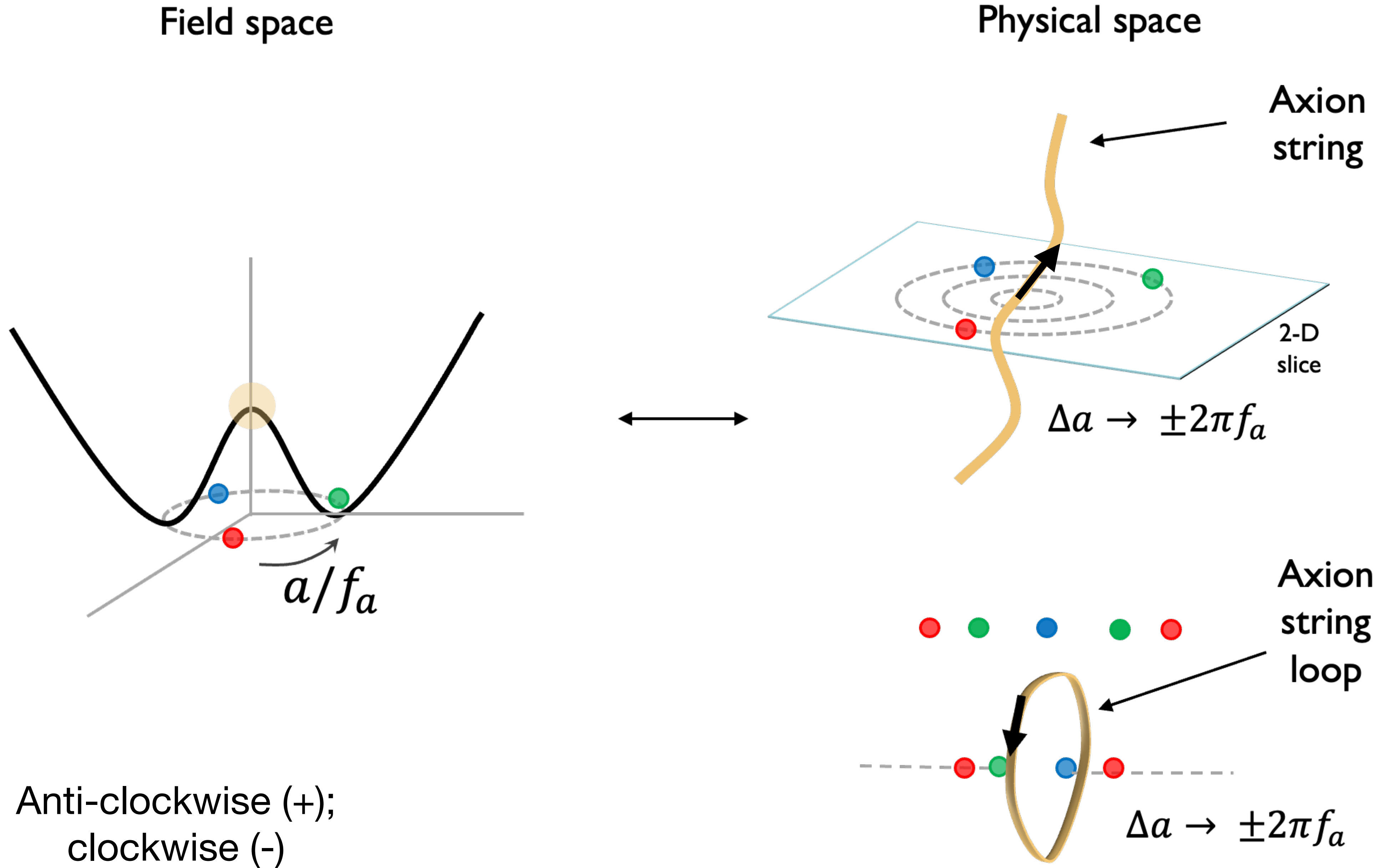
collapsing string-wall network



■ Planck 2015
 ■ Planck 2018
 ■ ACTPOL
 ■ SPTPOL
 ■ BICEP2 / Keck
 ■ POLARBEAR

	stable strings	collapsing string-wall
<i>Planck</i> (2015):	$\mathcal{A}^2 \xi_0 < 13$	$\mathcal{A}^2 \xi_0 < 55,000$
<i>Planck</i> (2018):	$\mathcal{A}^2 \xi_0 < 13$	$\mathcal{A}^2 \xi_0 < 18,000$
ACTPOL:	$\mathcal{A}^2 \xi_0 < 7.1$	$\mathcal{A}^2 \xi_0 < 1,100$
SPTPOL:	$\mathcal{A}^2 \xi_0 < 3.7$	$\mathcal{A}^2 \xi_0 < 390$
BICEP2/ <i>Keck</i> :	$\mathcal{A}^2 \xi_0 < 11$	$\mathcal{A}^2 \xi_0 < 3,200$
POLARBEAR:	$\mathcal{A}^2 \xi_0 < 81$	$\mathcal{A}^2 \xi_0 < 3,300$

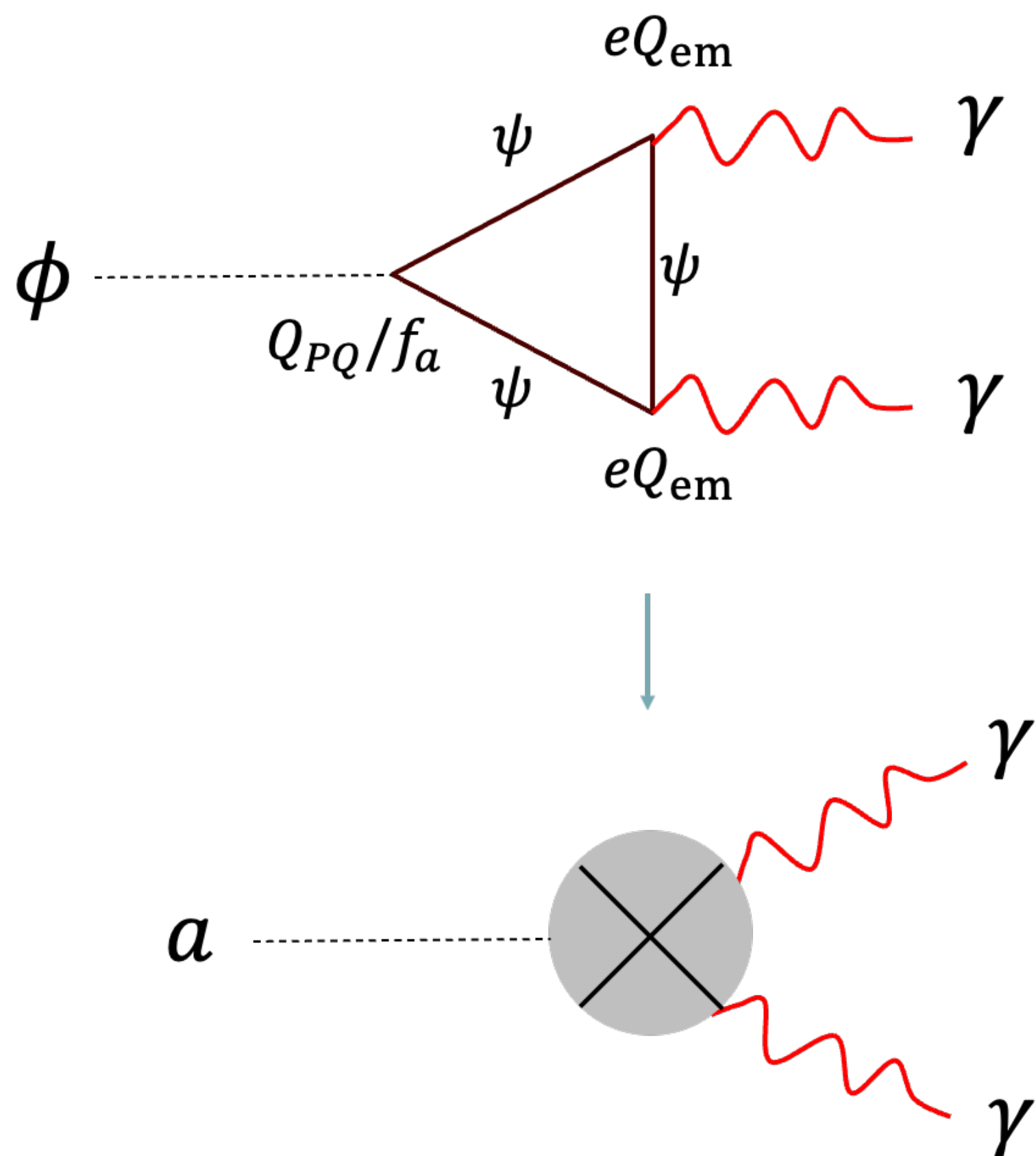
COSMIC STRINGS



UV to IR

$$i\bar{\psi} (\gamma^\mu \partial_\mu + m)\psi + i \frac{Q_{PQ}}{f_a} \bar{\psi} \gamma^5 \gamma^\mu \partial_\mu \phi \psi + \mathcal{L}_{\text{em}} \quad \phi = \rho e^{i\theta} \leftarrow a/f_a$$

Heavy fermion



$$\frac{\mathcal{A} \alpha_{\text{em}}}{4\pi f_a} a \tilde{F} F$$

$$\text{Loop} = \frac{1}{16\pi^2} \frac{Q_{PQ}}{f_a} (eQ_{\text{em}})^2$$

$$Q_{PQ} Q_{\text{em}}^2 \frac{1}{4\pi f_a} \alpha_{\text{em}}$$

\mathcal{A} : Anomaly coefficient

For multiple-fermions

$$\mathcal{A} = \sum_f Q_{PQ,f} Q_{\text{em},f}^2$$