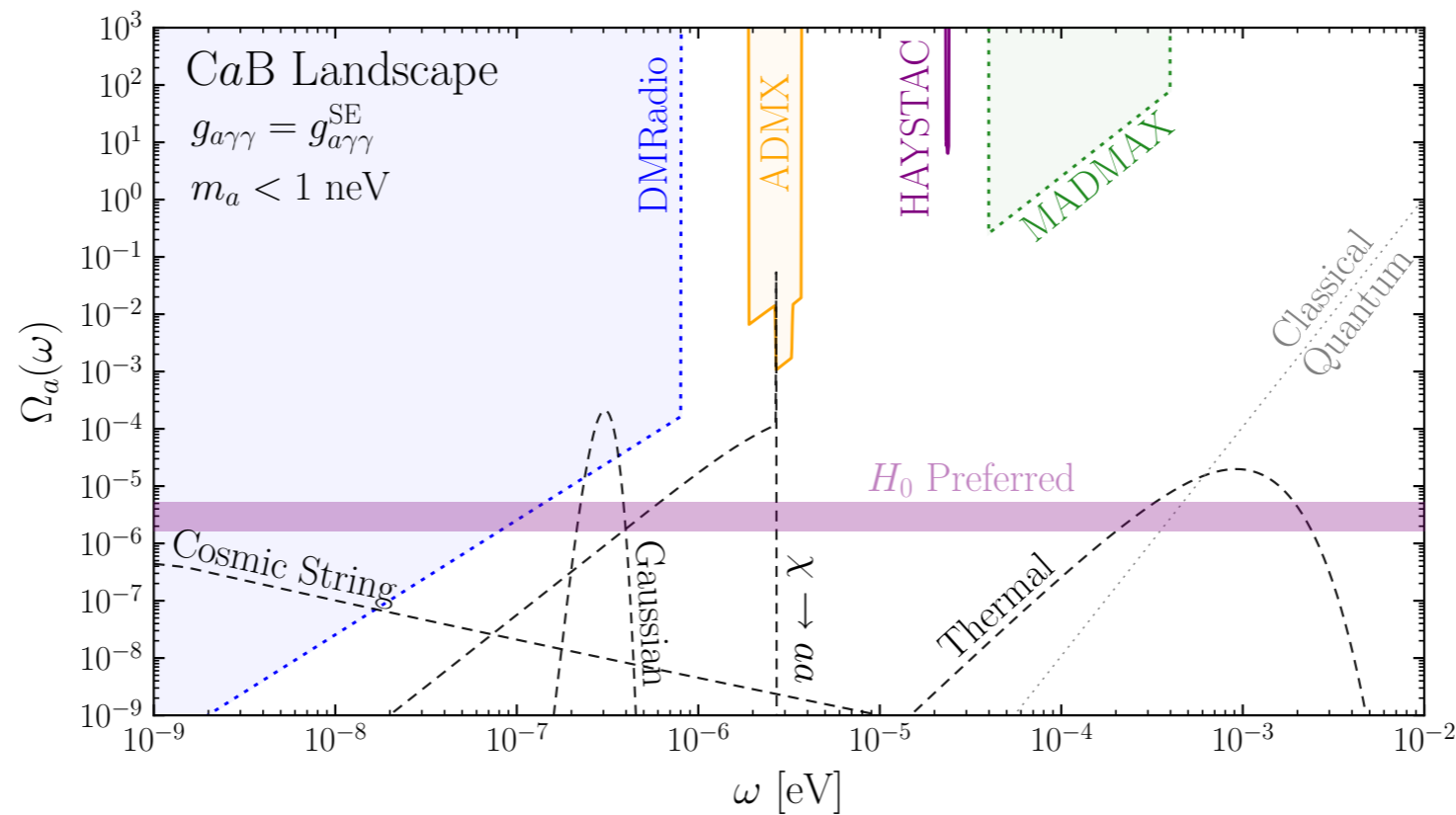


The Cosmic Axion Background

NICK RODD | CMB-S4 COLLABORATION MEETING | 10 AUGUST 2021



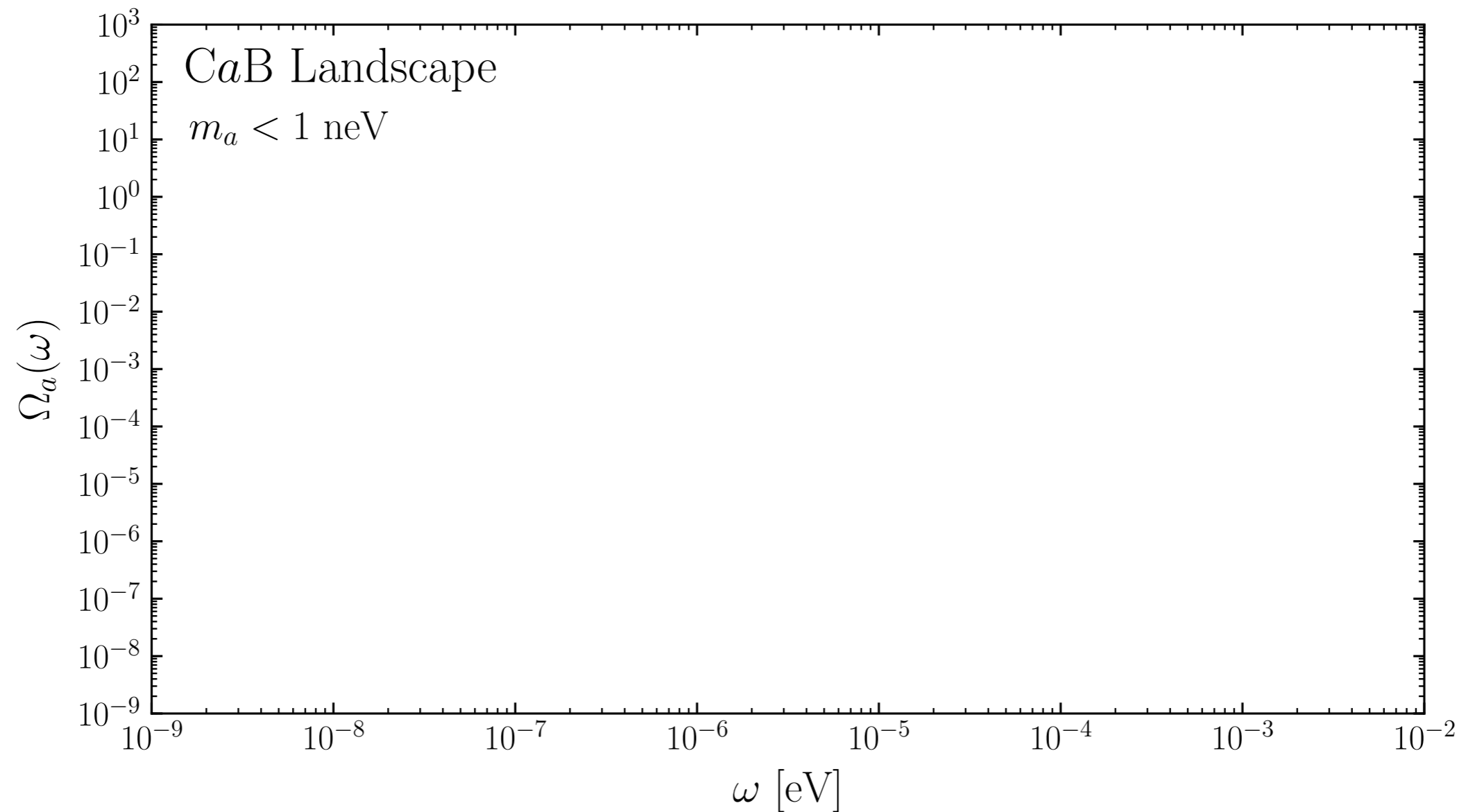
PRD 2021 (Editors' Suggestion) 2101.09287
 w/ Jeff Dror & Hitoshi Murayama

The Cosmic Axion Background

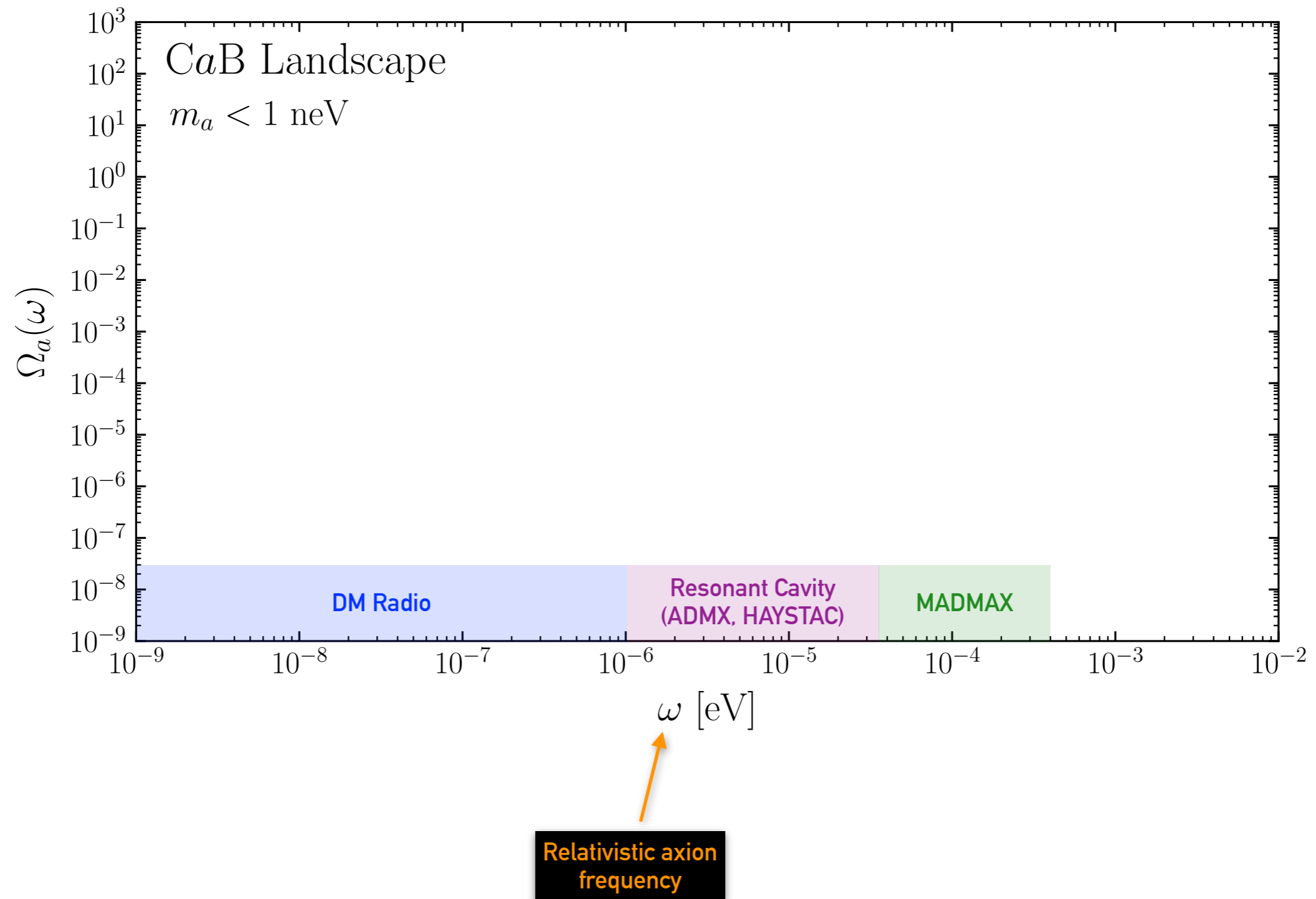


Can we detect relativistic axions that are a relic of the early Universe with axion haloscopes?

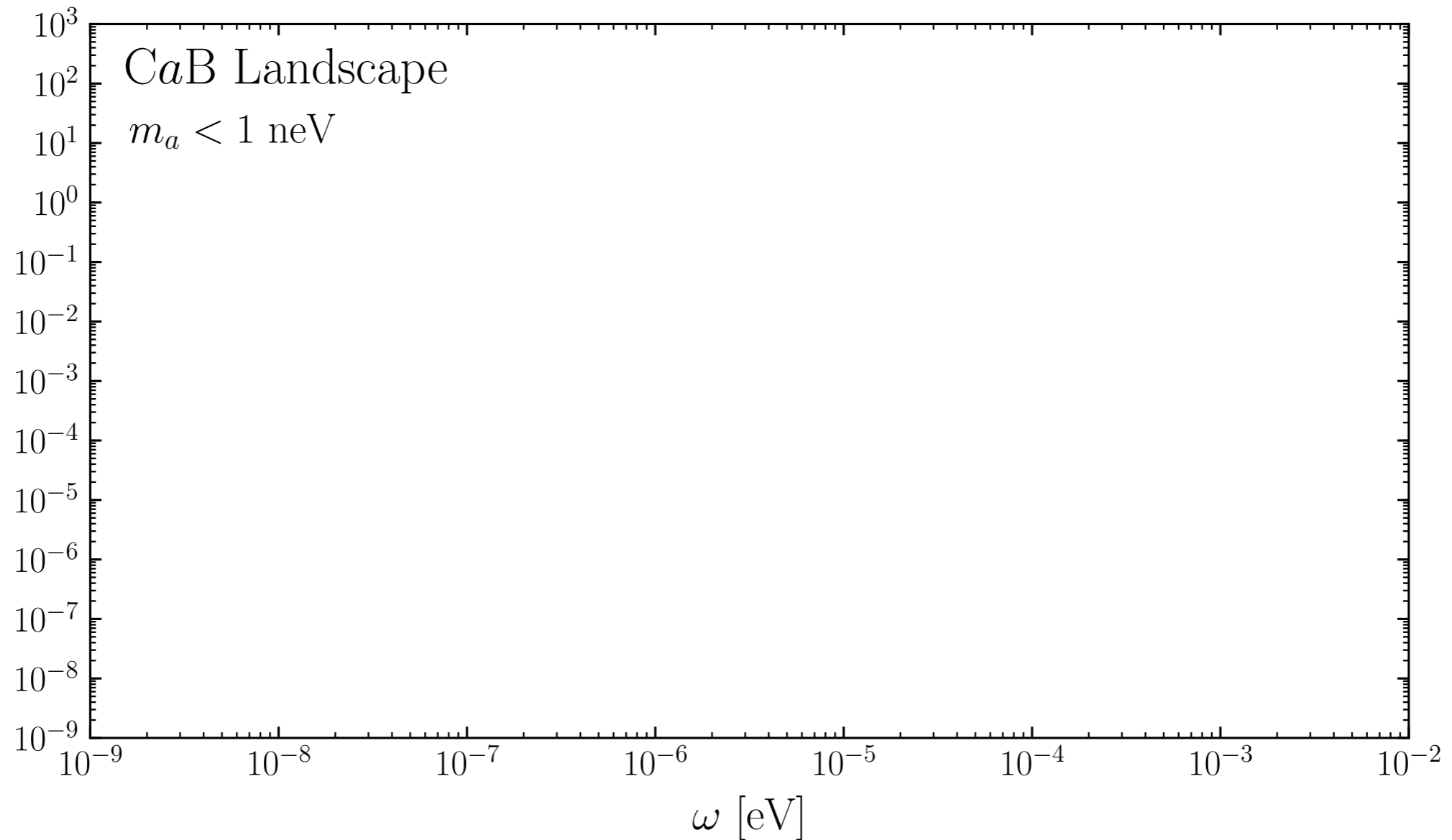
Landscape



Landscape



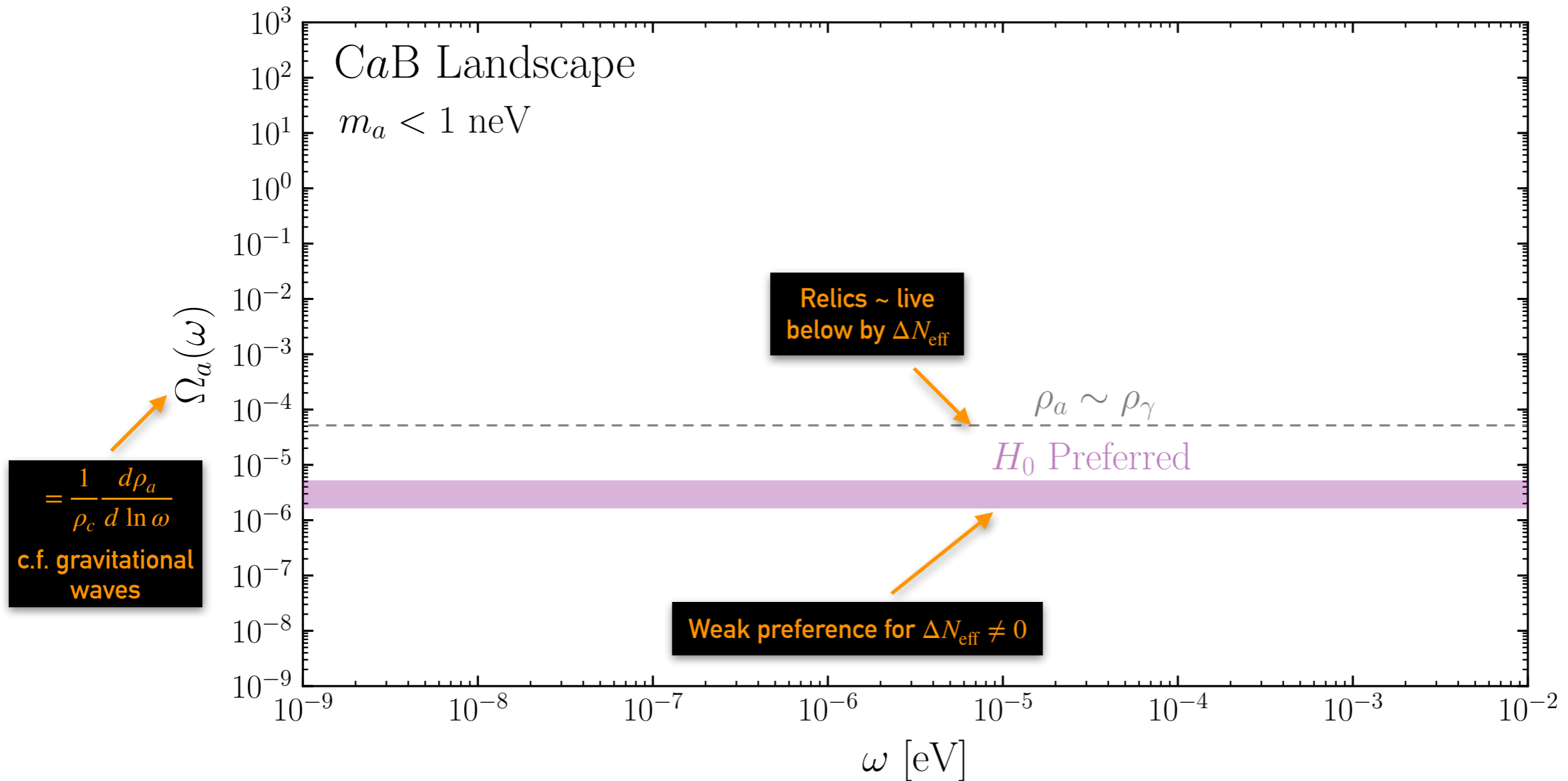
Landscape



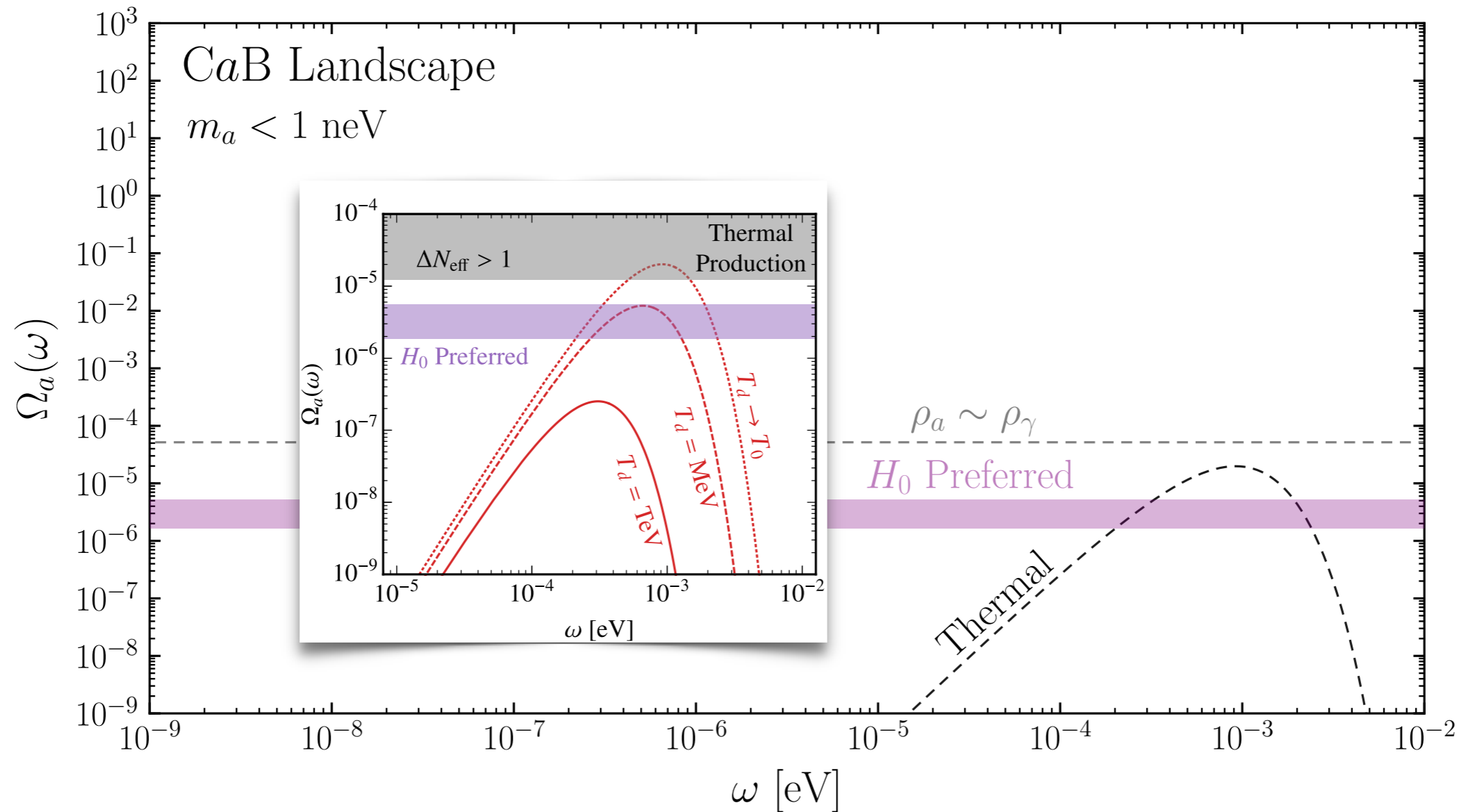
$$= \frac{1}{\rho_c} \frac{d\rho_a}{d \ln \omega}$$

c.f. gravitational waves

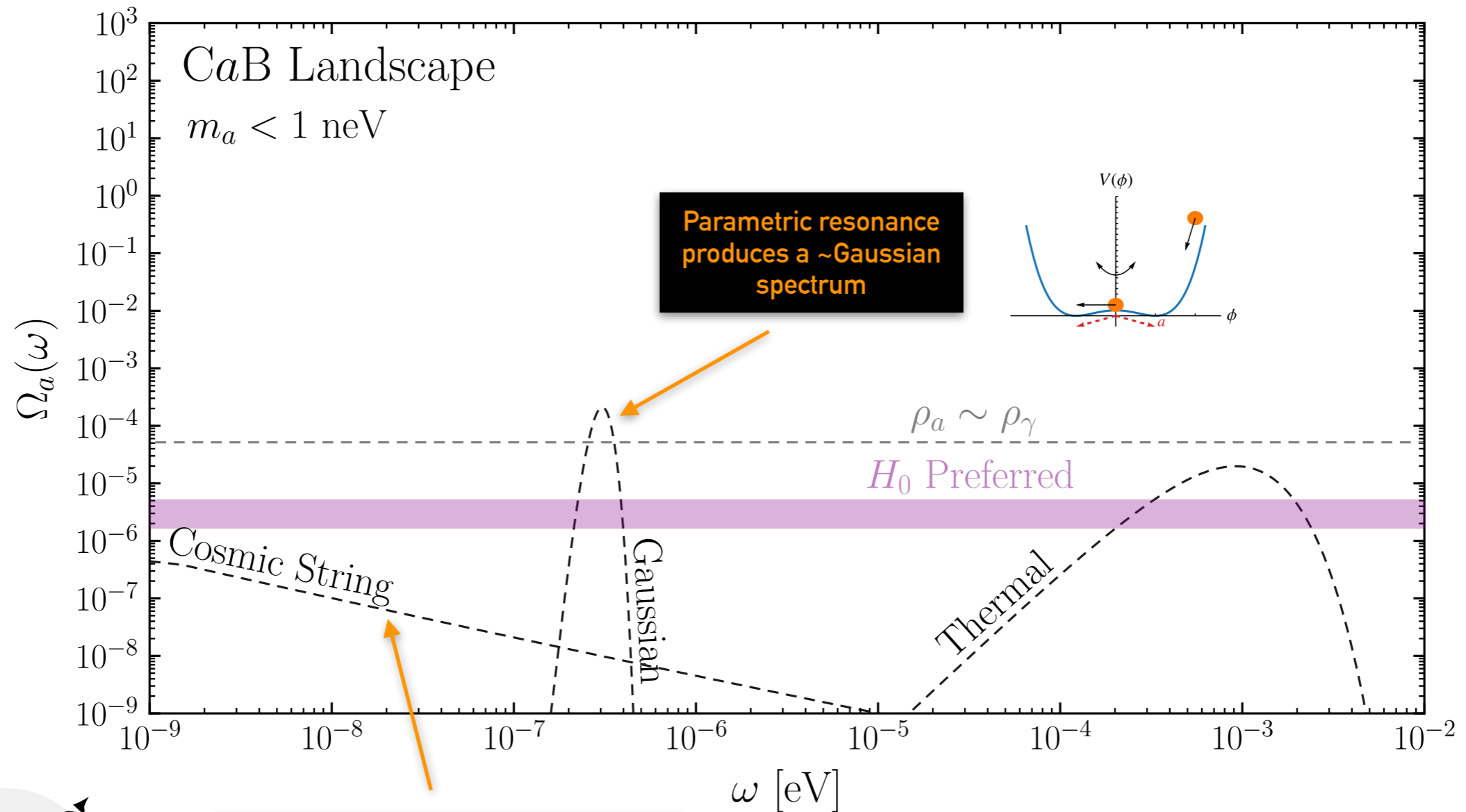
Landscape



Landscape



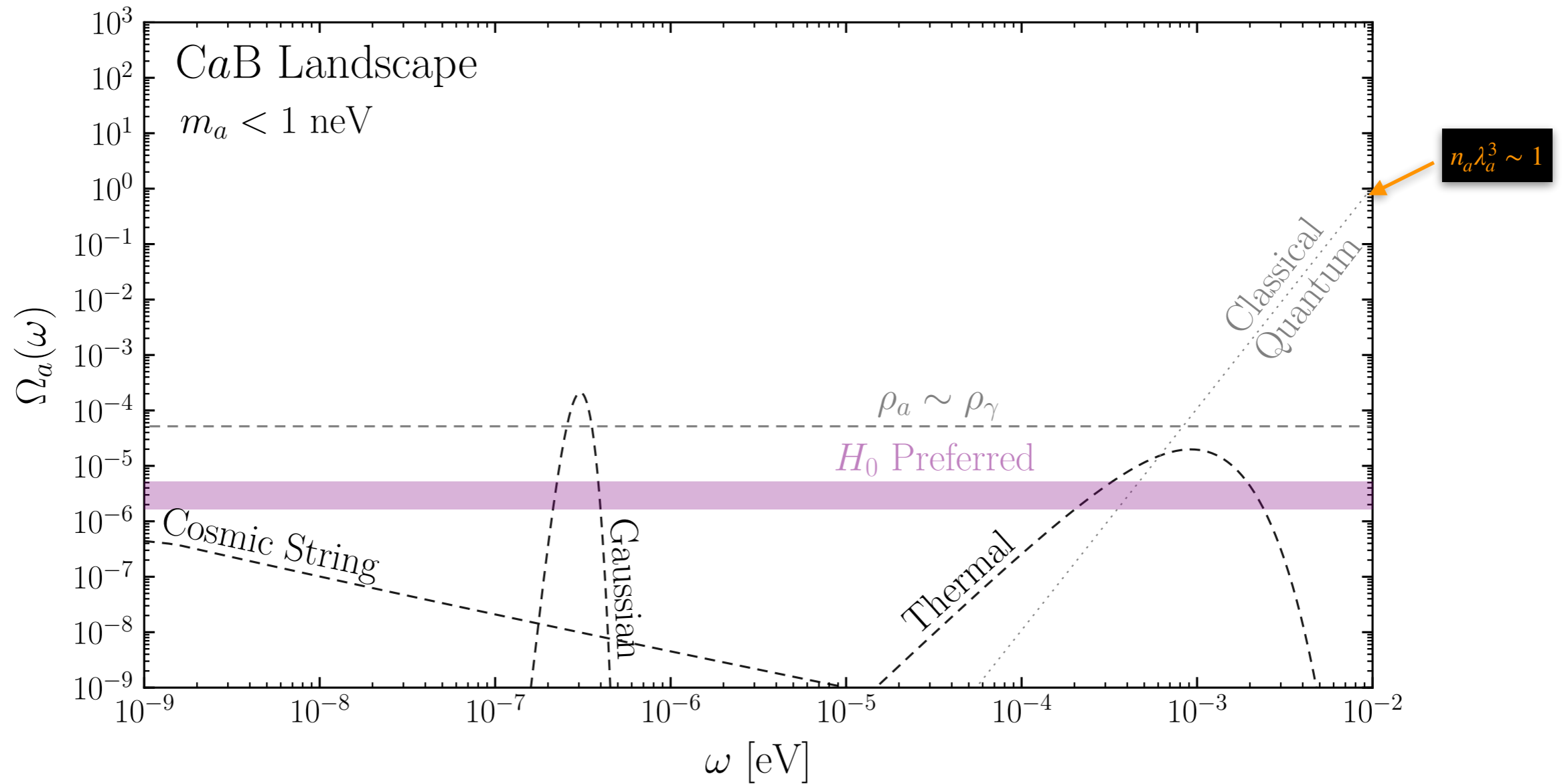
Landscape



Cosmic string network will emit axions (exact spectrum an active debate, we follow [Gorghetto+ 2020])

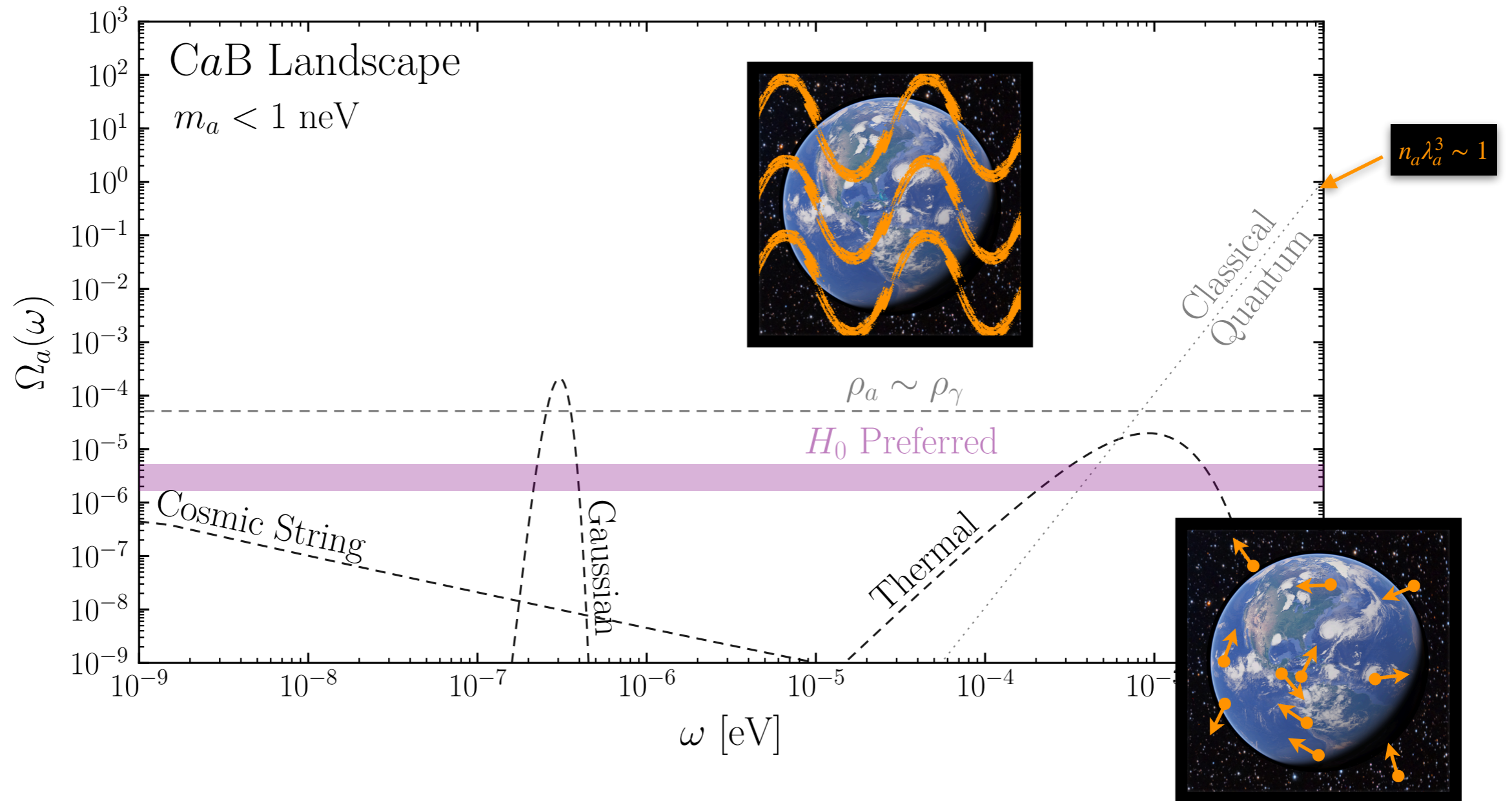
[Dror, NLR, Murayama 2021]

Landscape



Landscape

Classical wave description applies



Rough Sensitivity

$$a(t) \sim \sum_i \cos(\omega_i t + \phi_i)$$

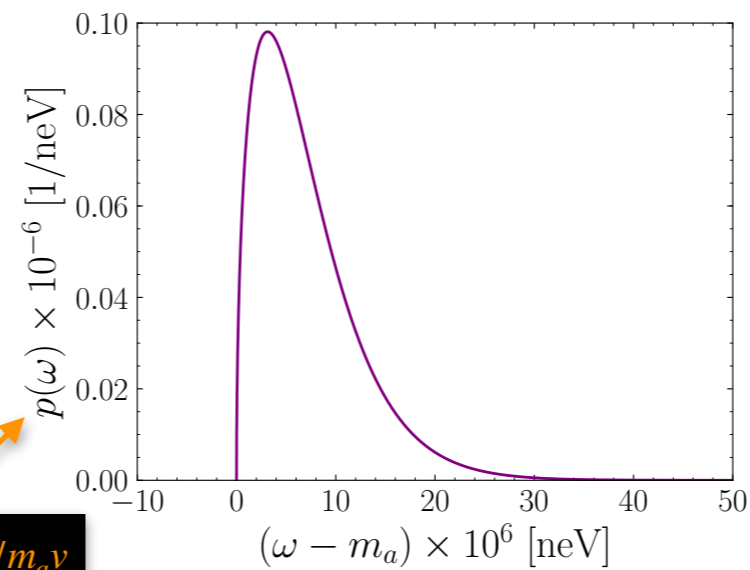
Sampled from frequency
distribution $p(\omega)$

Random phase

Rough Sensitivity

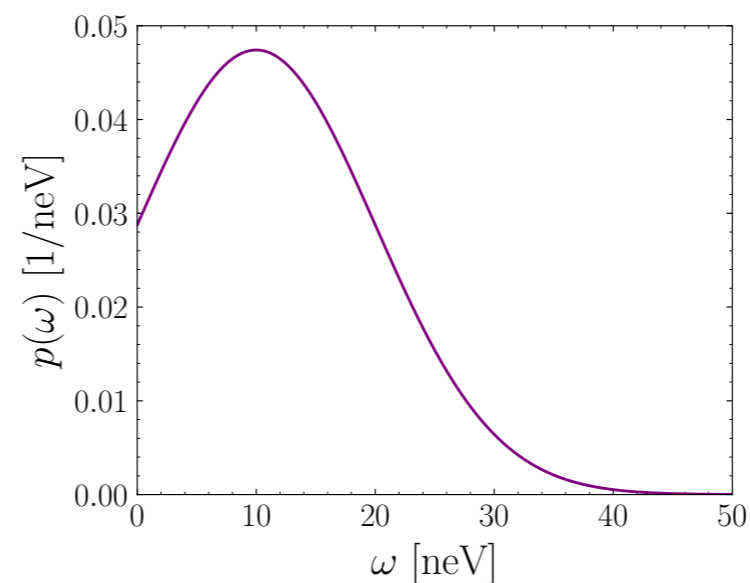
$$a(t) \sim \sum_i \cos(\omega_i t + \phi_i)$$

Dark
Matter



$$p(\omega) = f(v)/m_a v$$

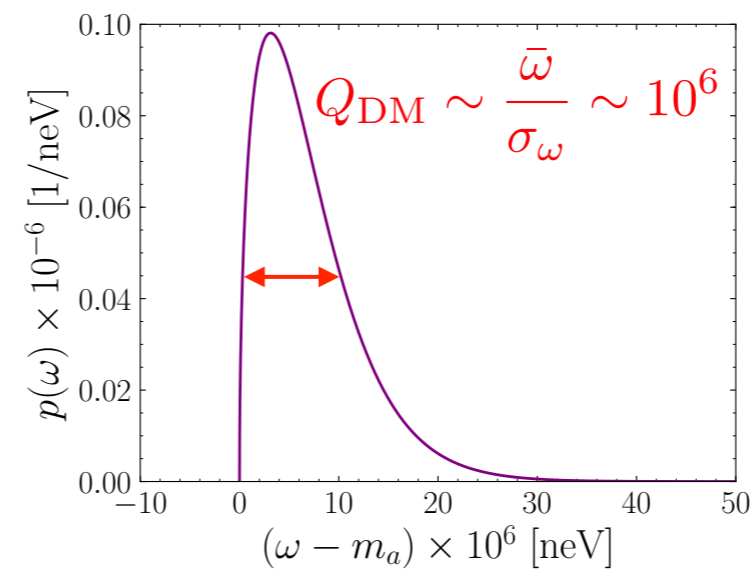
CaB



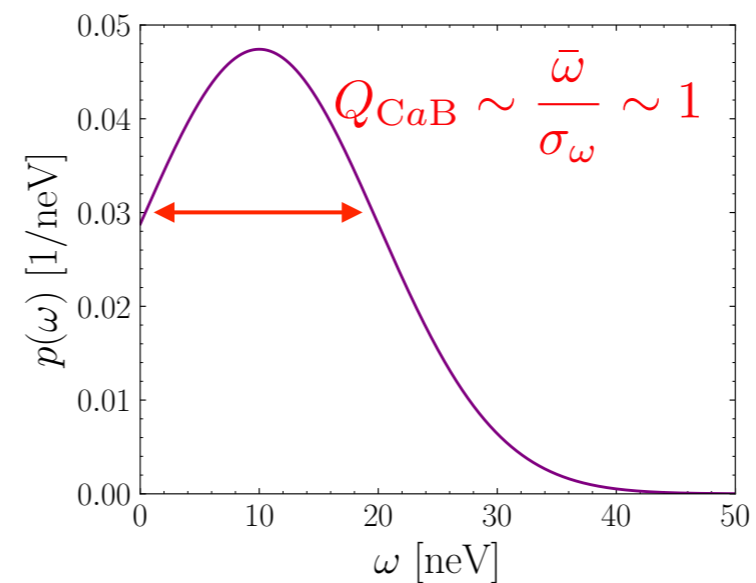
Rough Sensitivity

$$a(t) \sim \sum_i \cos(\omega_i t + \phi_i)$$

**Dark
Matter**



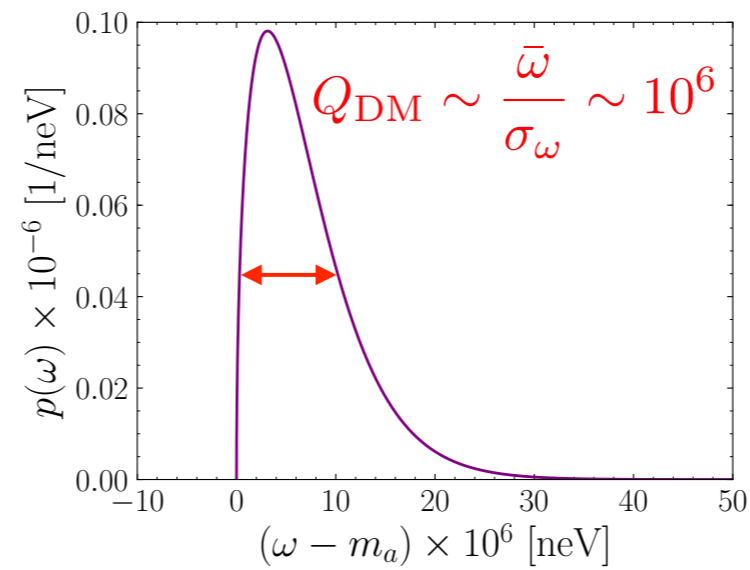
CaB



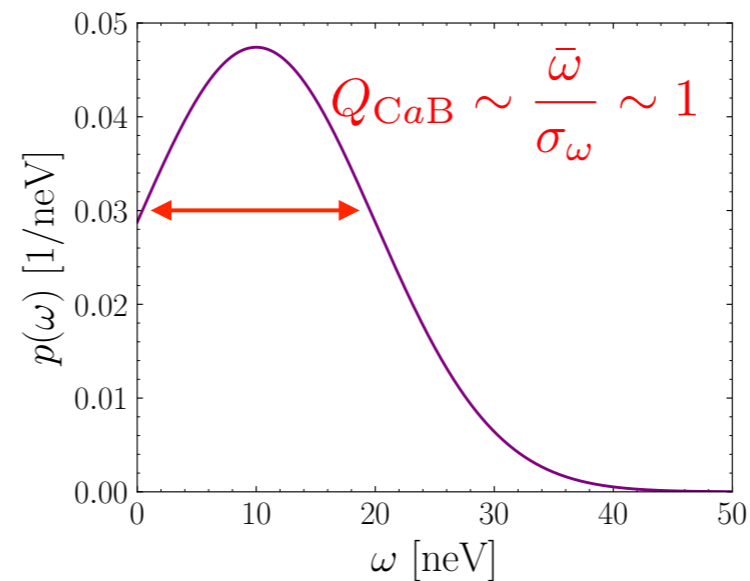
Rough Sensitivity

$$a(t) \sim \sum_i \cos(\omega_i t + \phi_i)$$

Dark Matter



CaB



Much broader signal - existing searches would throw out as background

Rough Sensitivity

$$a(t) \sim \sum_i \cos(\omega_i t + \phi_i)$$

Accessible power in the axion field

Power spectral density -
measures power at a
given frequency

$$\langle S_{g\partial a}(\bar{\omega}) \rangle = \frac{\pi g_{a\gamma\gamma}^2 \rho_a Q_a}{\bar{\omega}}$$

Approximate $p(\omega) \sim Q_a/\bar{\omega}$

Rough Sensitivity

Estimate sensitivity by matching power $P_{\text{DM}} = P_{\text{CaB}}$

$$\langle S_{g\partial a}(\bar{\omega}) \rangle = \frac{\pi g_{a\gamma\gamma}^2 \rho_a Q_a}{\bar{\omega}}$$

Rough Sensitivity

Estimate sensitivity by matching power $P_{\text{DM}} = P_{\text{CaB}}$

$$\text{Single bin: } (g_{a\gamma\gamma}^{\text{lim}})^2 \rho_{\text{DM}} Q_{\text{DM}} = (g_{a\gamma\gamma}^{\text{SE}})^2 \rho_a Q_{\text{CaB}}$$

Dark Matter sensitivity

Star Emission sensitivity (e.g. CAST)

$$\langle S_{g\partial a}(\bar{\omega}) \rangle = \frac{\pi g_{a\gamma\gamma}^2 \rho_a Q_a}{\bar{\omega}}$$

Rough Sensitivity

Estimate sensitivity by matching power $P_{\text{DM}} = P_{\text{CaB}}$

Single bin: $(g_{a\gamma\gamma}^{\text{lim}})^2 \rho_{\text{DM}} Q_{\text{DM}} = (g_{a\gamma\gamma}^{\text{SE}})^2 \rho_a Q_{\text{CaB}}$

All bins: $\rho_a = \rho_{\text{DM}} \left(\frac{g_{a\gamma\gamma}^{\text{lim}}}{g_{a\gamma\gamma}^{\text{SE}}} \right)^2 \sqrt{\frac{Q_{\text{DM}}}{Q_{\text{CaB}}}}$

↑

Lose: $\rho_a \ll \rho_{\text{DM}}$

↑

Win: $g_{a\gamma\gamma}^{\text{lim}} \ll g_{a\gamma\gamma}^{\text{SE}}$

↑

Lose: $Q_{\text{CaB}} \ll Q_{\text{DM}}$

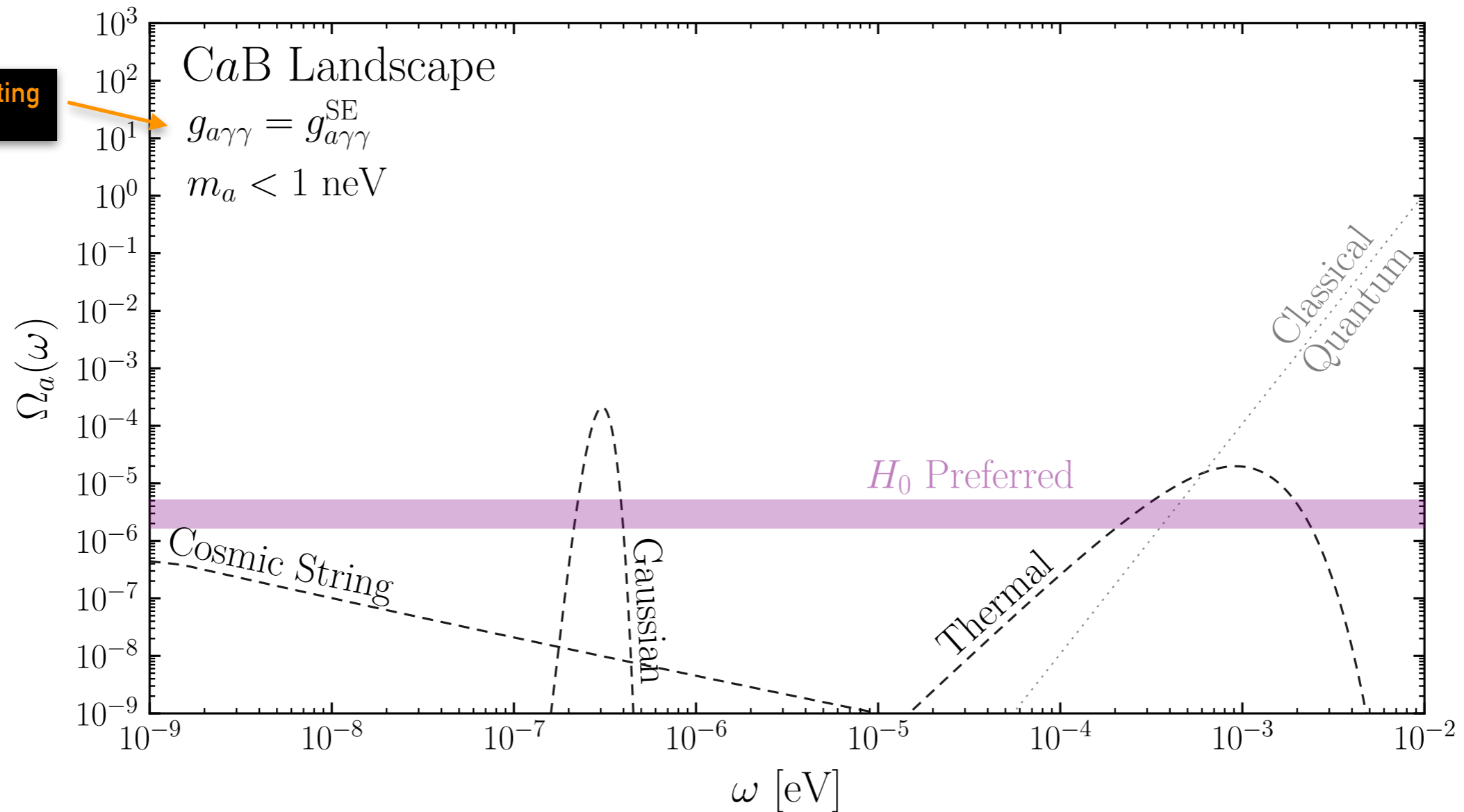
$$\langle S_{g\partial a}(\bar{\omega}) \rangle = \frac{\pi g_{a\gamma\gamma}^2 \rho_a Q_a}{\bar{\omega}}$$

Rough Sensitivity

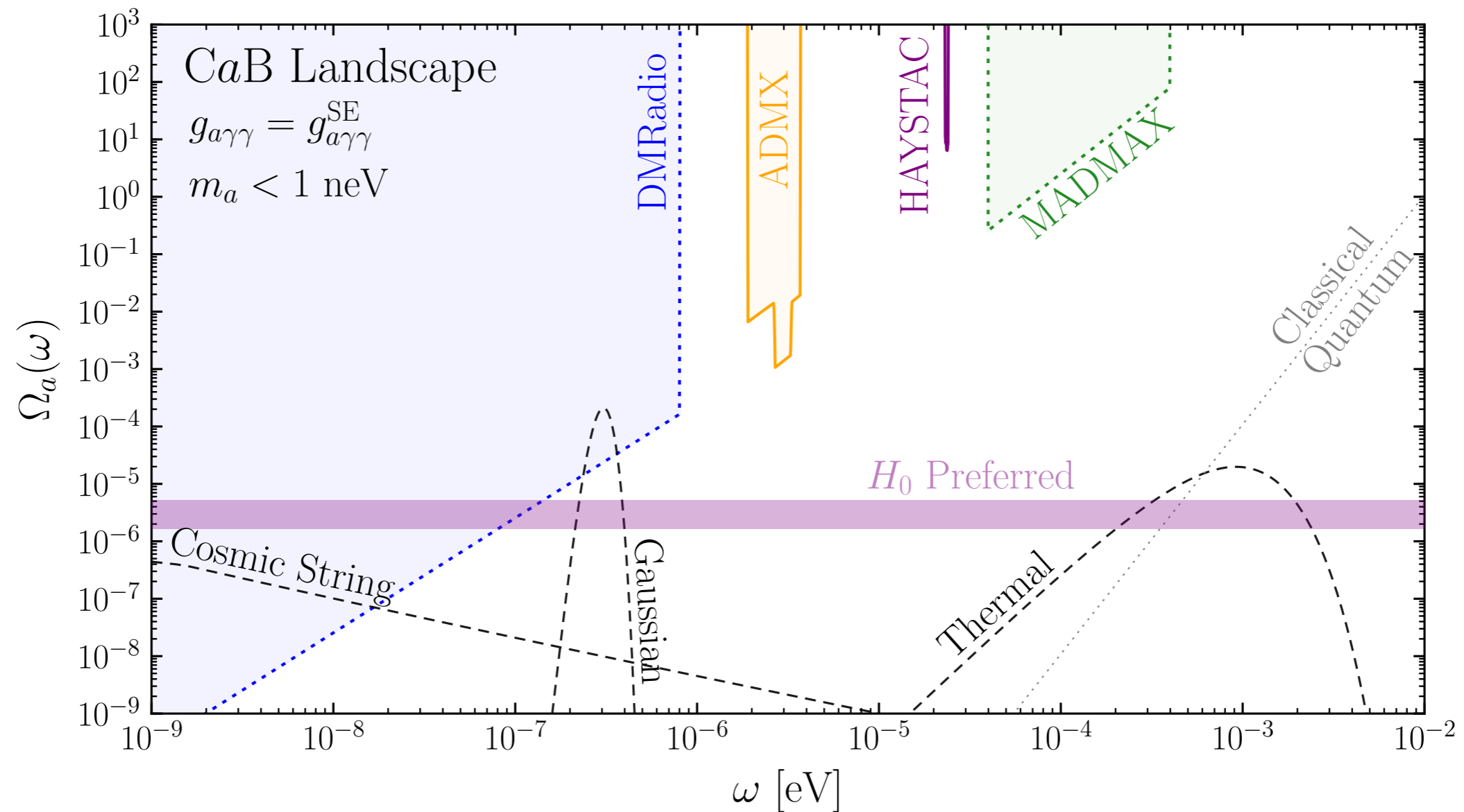
$$\rho_a = \rho_{\text{DM}} \left(\frac{g_{a\gamma\gamma}^{\text{lim}}}{g_{a\gamma\gamma}^{\text{SE}}} \right)^2 \sqrt{\frac{Q_{\text{DM}}}{Q_{\text{CaB}}}}$$

Parametric scaling confirmed by detailed calculations for both resonant and broadband instruments

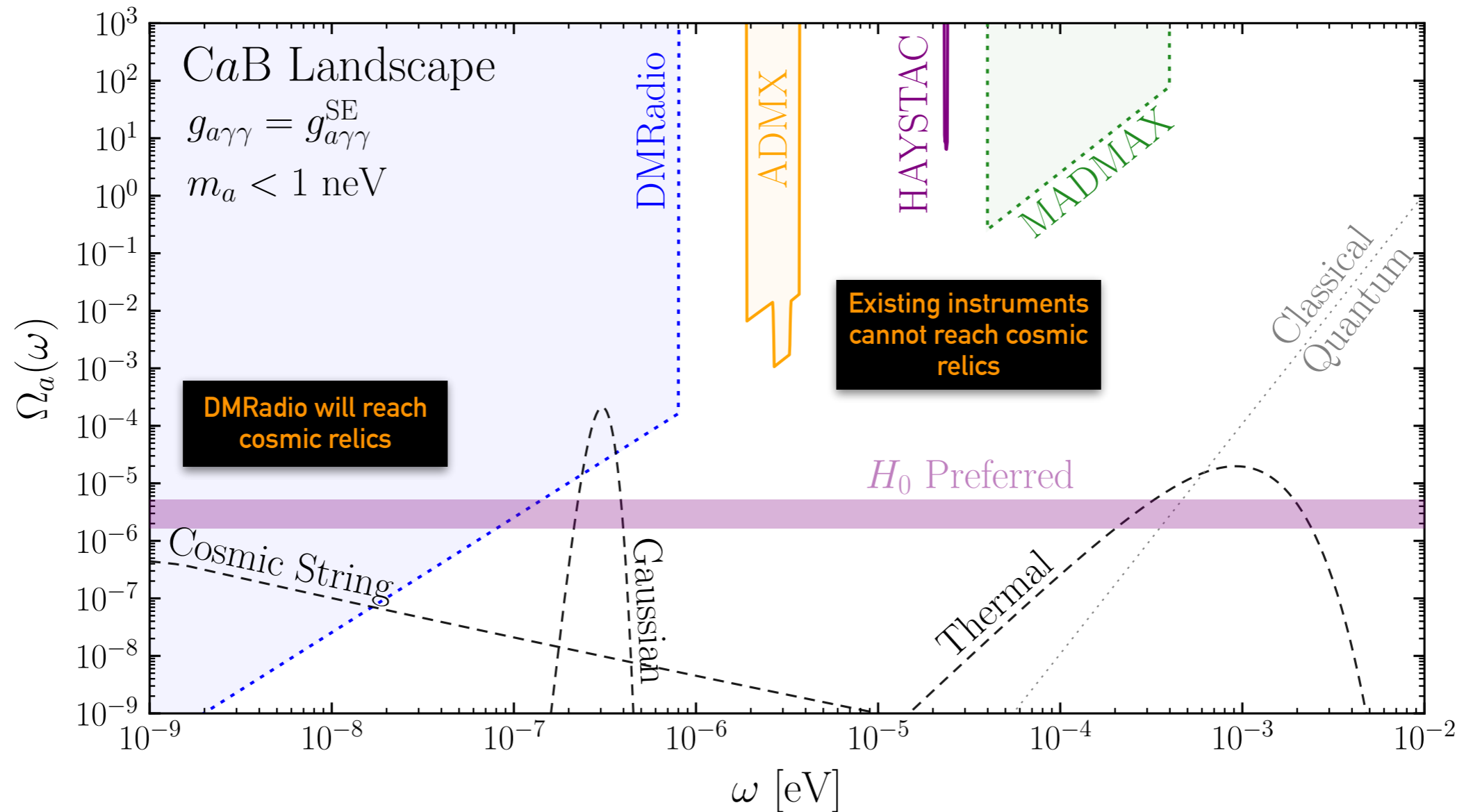
Experimental Landscape



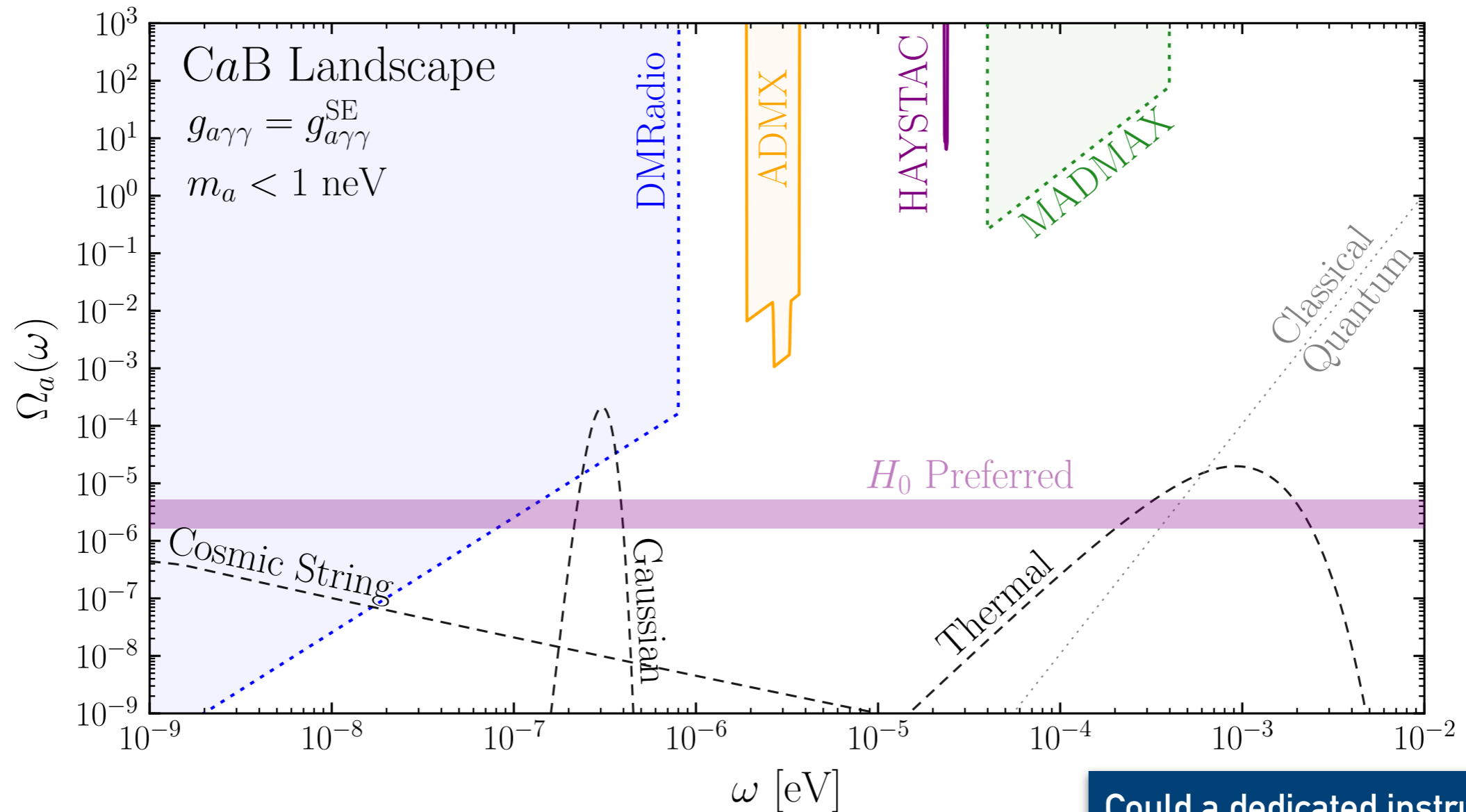
Experimental Landscape



Experimental Landscape

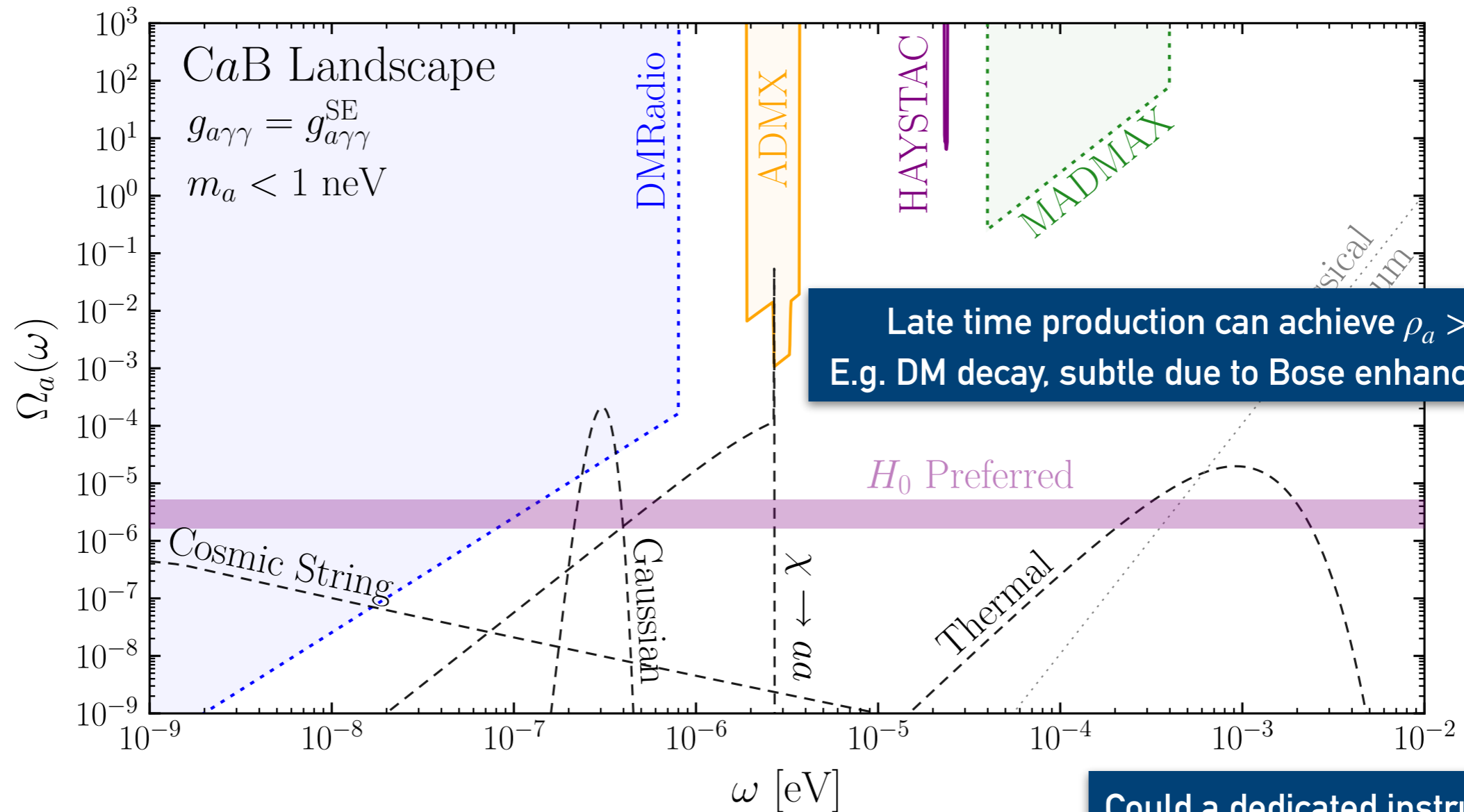


Future Directions



Could a dedicated instrument reach the thermal CaB?

Future Directions

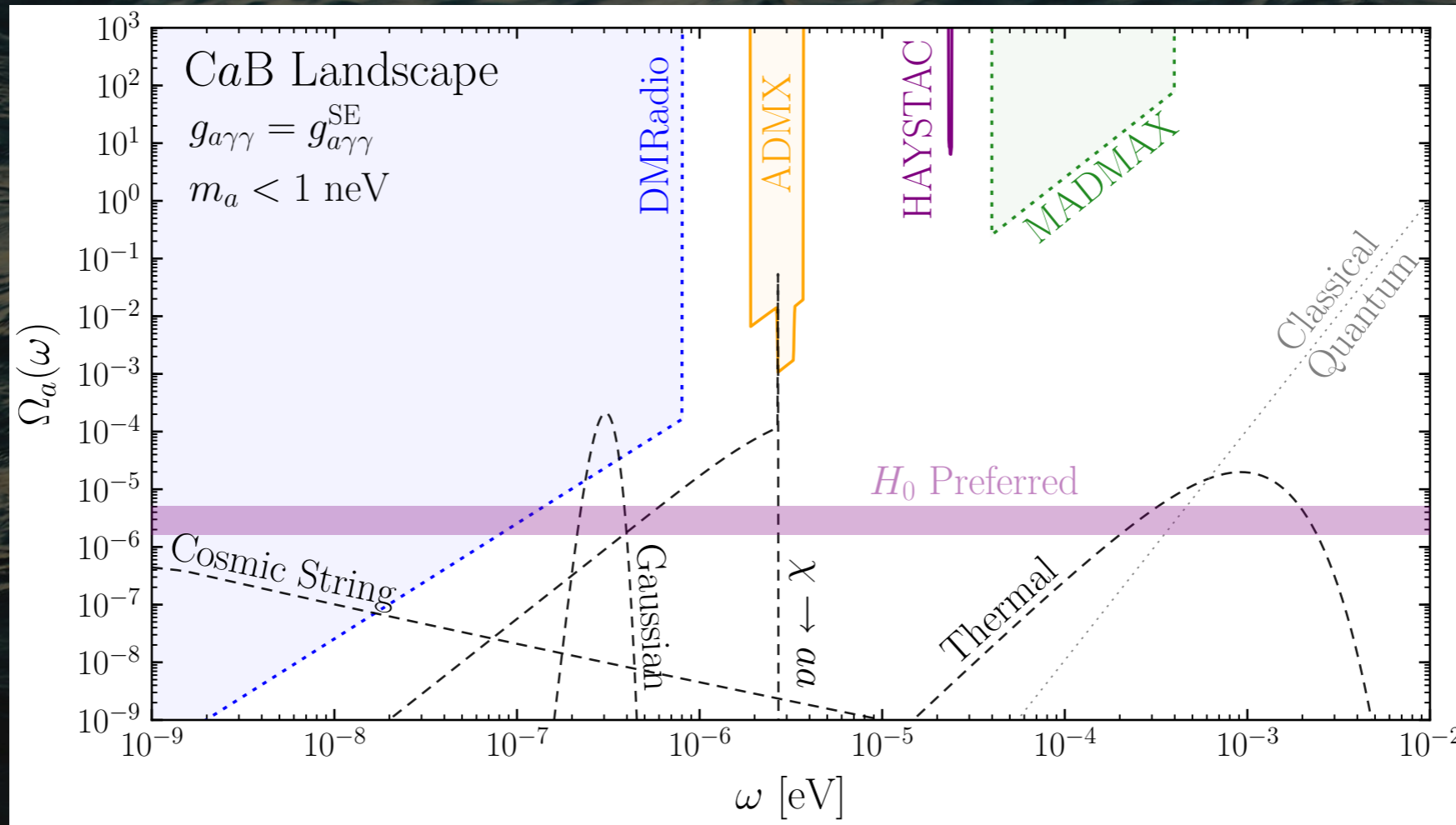


For another late time production mechanism see [Eby+ 2106.14893]

[Dror, NLR, Murayama 2021]

Conclusion

Data collected by axion DM instruments is sensitive to a cosmic axion background



Backup Slides

Motivation

$$\mathcal{L} \supset -\frac{1}{4} g_{a\gamma\gamma} a (F \tilde{F})$$

Introduces corrections to Maxwell's equations

$$\nabla \cdot \mathbf{E} = \rho - g_{a\gamma\gamma} \mathbf{B} \cdot \nabla a$$

$$\nabla \cdot \mathbf{B} = 0$$

$$\nabla \times \mathbf{E} = -\partial_t \mathbf{B}$$

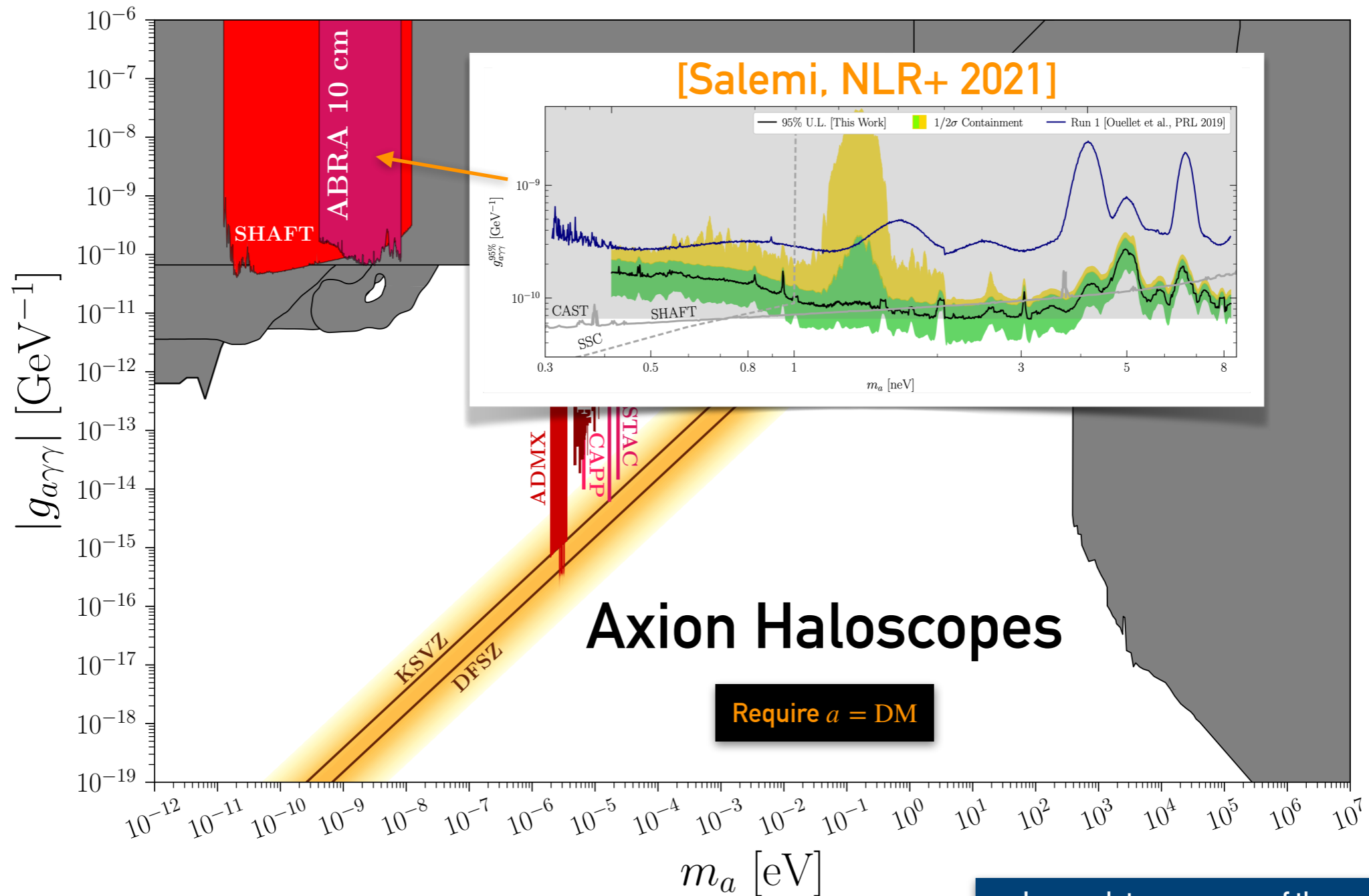
$$\nabla \times \mathbf{B} = \partial_t \mathbf{E} + \mathbf{J} - g_{a\gamma\gamma} (\mathbf{E} \times \nabla a - \mathbf{B} \partial_t a)$$

Suppressed for non-relativistic DM axions

Focus of axion DM searches

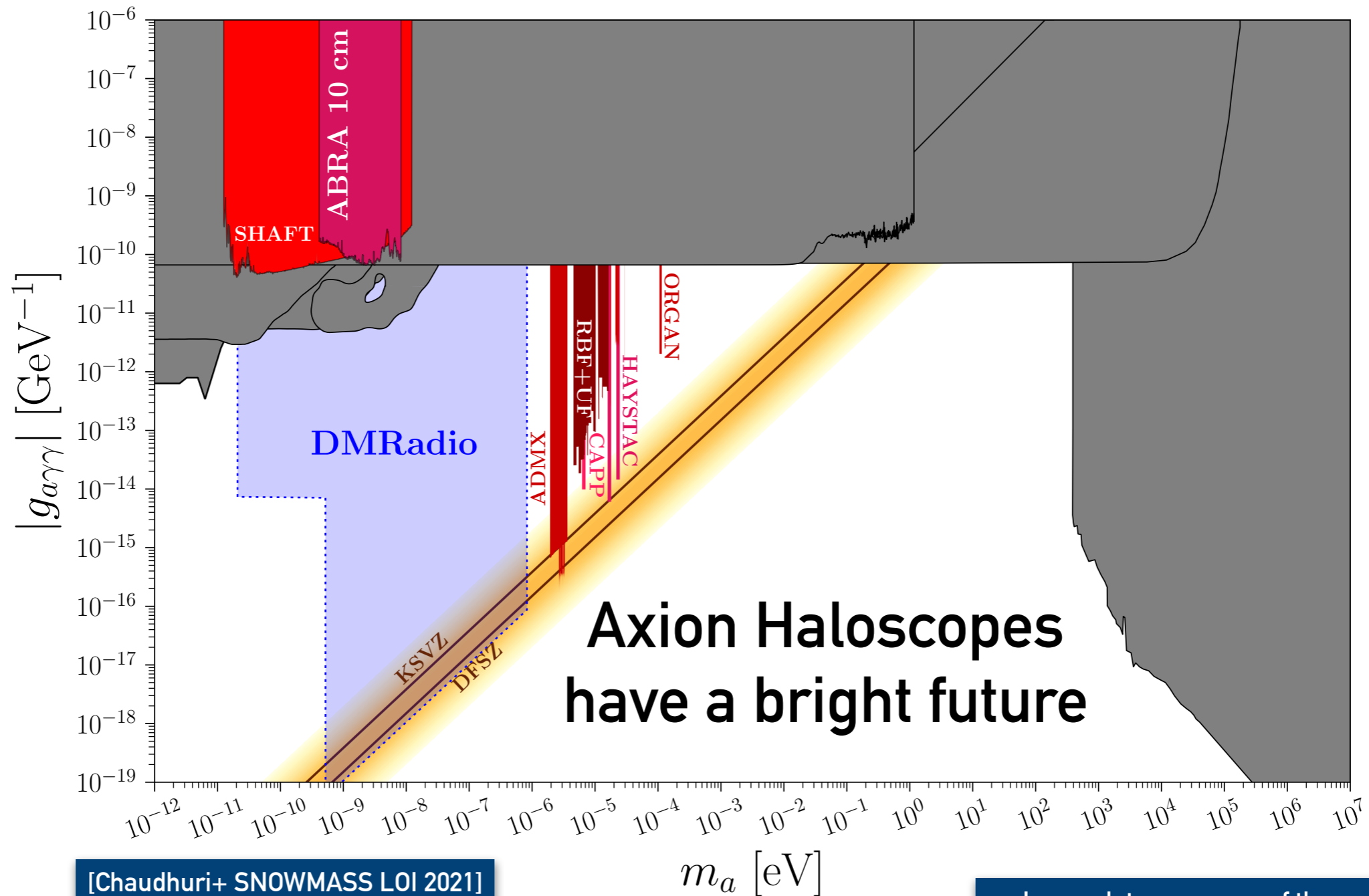
Motivation

$$\mathcal{L} \supset -\frac{1}{4} g_{a\gamma\gamma} a (F \tilde{F})$$



Motivation

$$\mathcal{L} \supset -\frac{1}{4} g_{a\gamma\gamma} a (F \tilde{F})$$



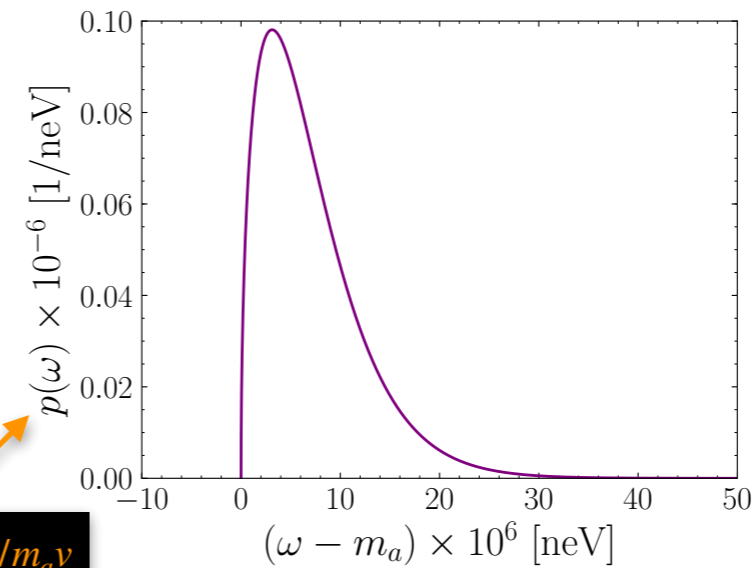
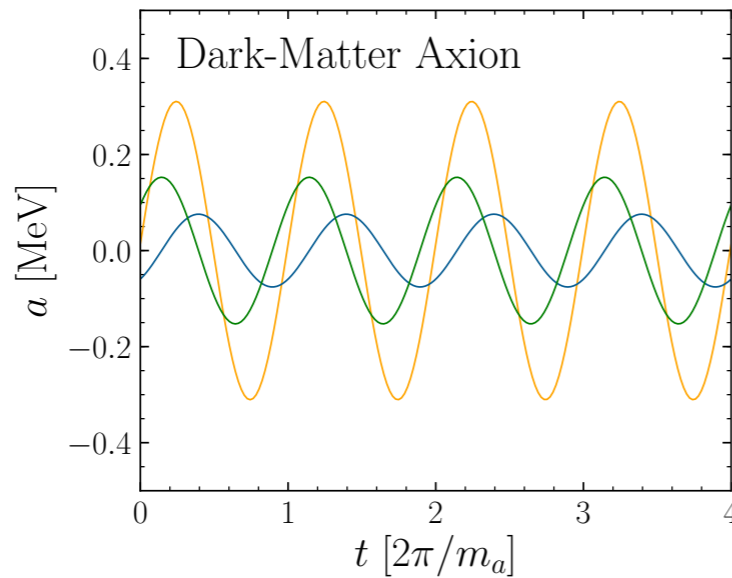
[Chaudhuri+ SNOWMASS LOI 2021]

Incomplete summary of the
landscape, partially based on
github.com/cajohare/AxionLimits

Rough Sensitivity

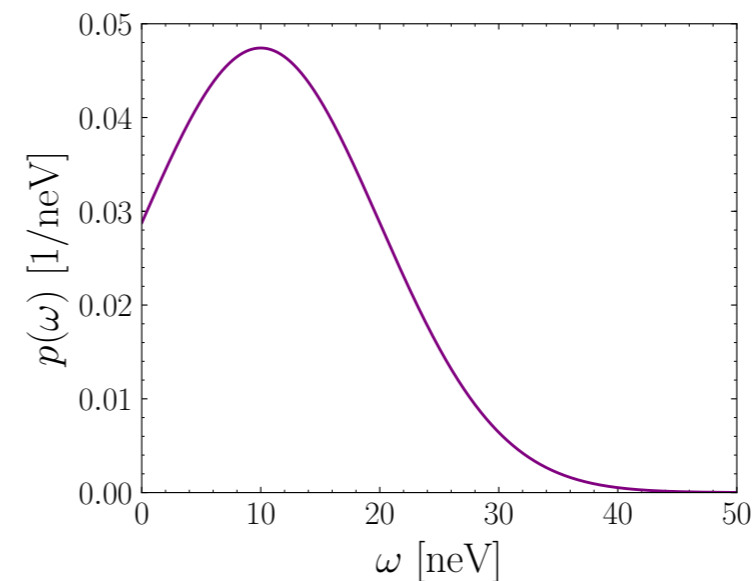
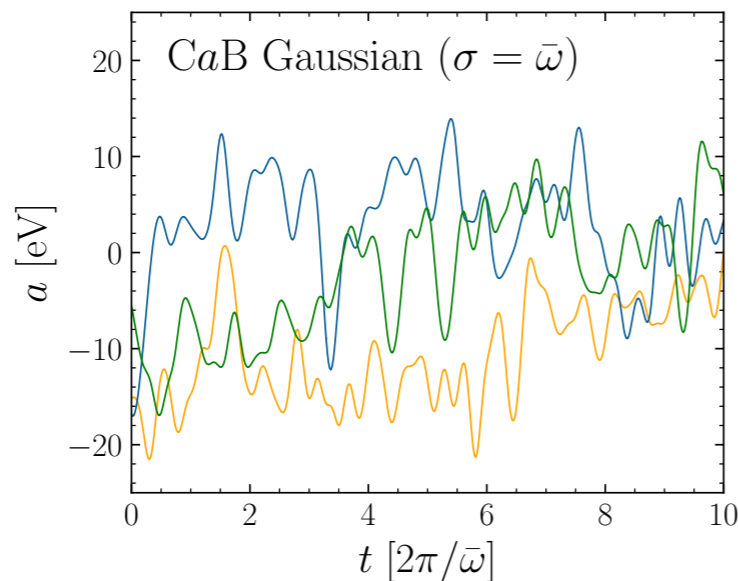
$$a(t) \sim \sum_i \cos(\omega_i t + \phi_i)$$

Dark Matter



$p(\omega) = f(v)/m_a v$

CaB





Daily Modulation

Full Equations

$$\nabla \cdot \mathbf{E} = \rho - g_{a\gamma\gamma} \mathbf{B} \cdot \nabla a$$

$$\nabla \cdot \mathbf{B} = 0$$

$$\nabla \times \mathbf{E} = -\partial_t \mathbf{B}$$

$$\nabla \times \mathbf{B} = \partial_t \mathbf{E} + \mathbf{J} - g_{a\gamma\gamma} (\mathbf{E} \times \nabla a - \partial_t a \mathbf{B})$$



Daily Modulation

Assume only large static \mathbf{B} field

$$\nabla \cdot \mathbf{E} = \rho - g_{a\gamma\gamma} \mathbf{B} \cdot \nabla a$$

$$\nabla \cdot \mathbf{B} = 0$$

$$\nabla \times \mathbf{E} = -\partial_t \mathbf{B}$$

$$\nabla \times \mathbf{B} = \partial_t \mathbf{E} + \mathbf{J} + g_{a\gamma\gamma} \partial_t a \mathbf{B}$$



Daily Modulation

Assume only large static \mathbf{B} field

$$\nabla \cdot \mathbf{E} = \rho - g_{a\gamma\gamma} \mathbf{B} \cdot \nabla a$$

$$\nabla \cdot \mathbf{B} = 0$$

Effective Charge

$$\nabla \times \mathbf{E} = -\partial_t \mathbf{B}$$

$$\nabla \times \mathbf{B} = \partial_t \mathbf{E} + \mathbf{J} + g_{a\gamma\gamma} \partial_t a \mathbf{B}$$

Effective Current

Daily Modulation

Sensitive to the incident direction

$$\mathbf{B} \cdot \nabla a = a(t) \mathbf{k} \cdot \mathbf{B}$$



Daily Modulation

Power deposited sensitive to α

$$P_a^{\text{CaB}} = \frac{\pi}{8} \sin^4 \alpha g_{a\gamma\gamma}^2 Q_a B_0^2 V C \frac{\rho_a}{\bar{\omega}}$$

Daily modulation
in the signal!



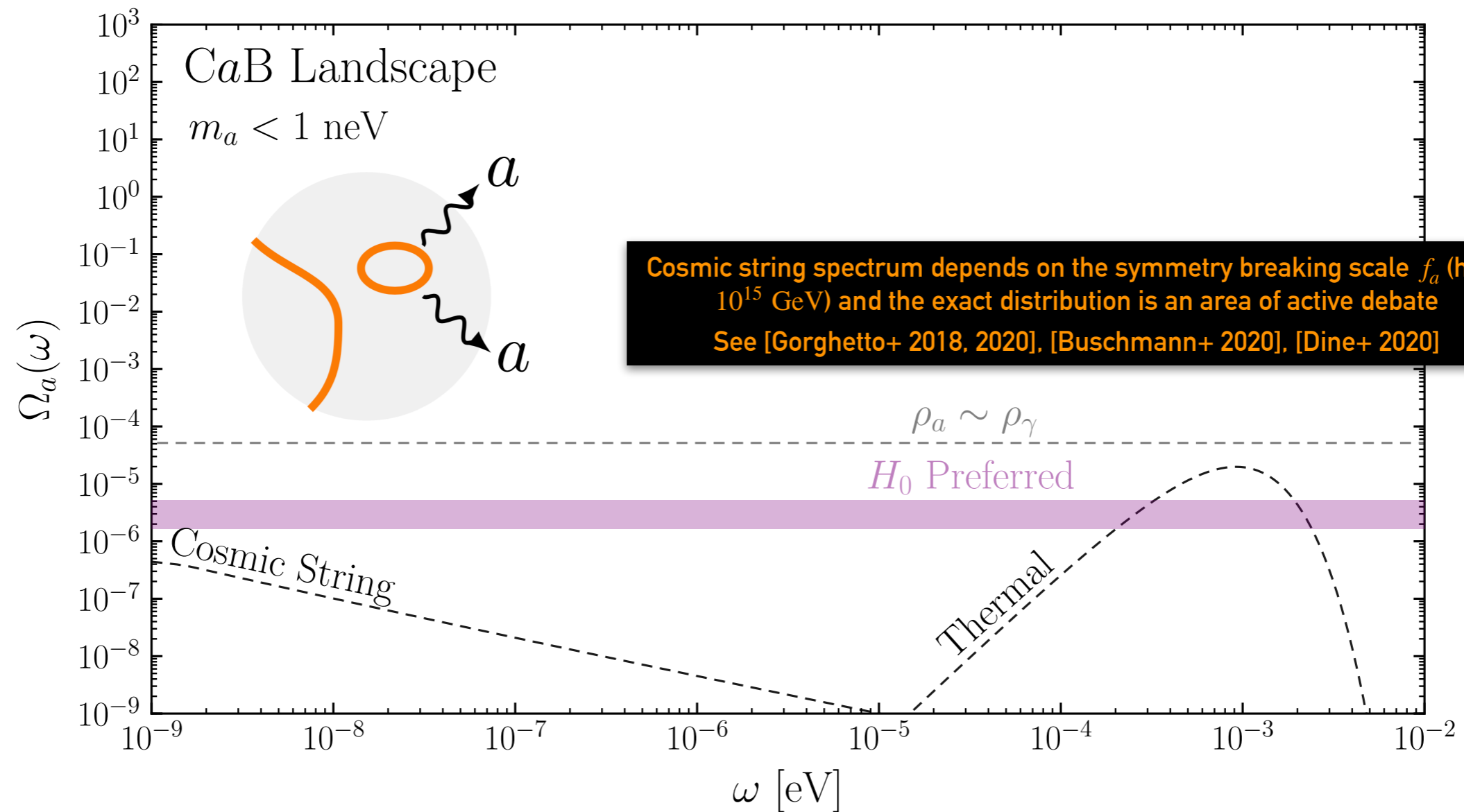
Bose Enhancement

Relevant when $f_a \gg 1$

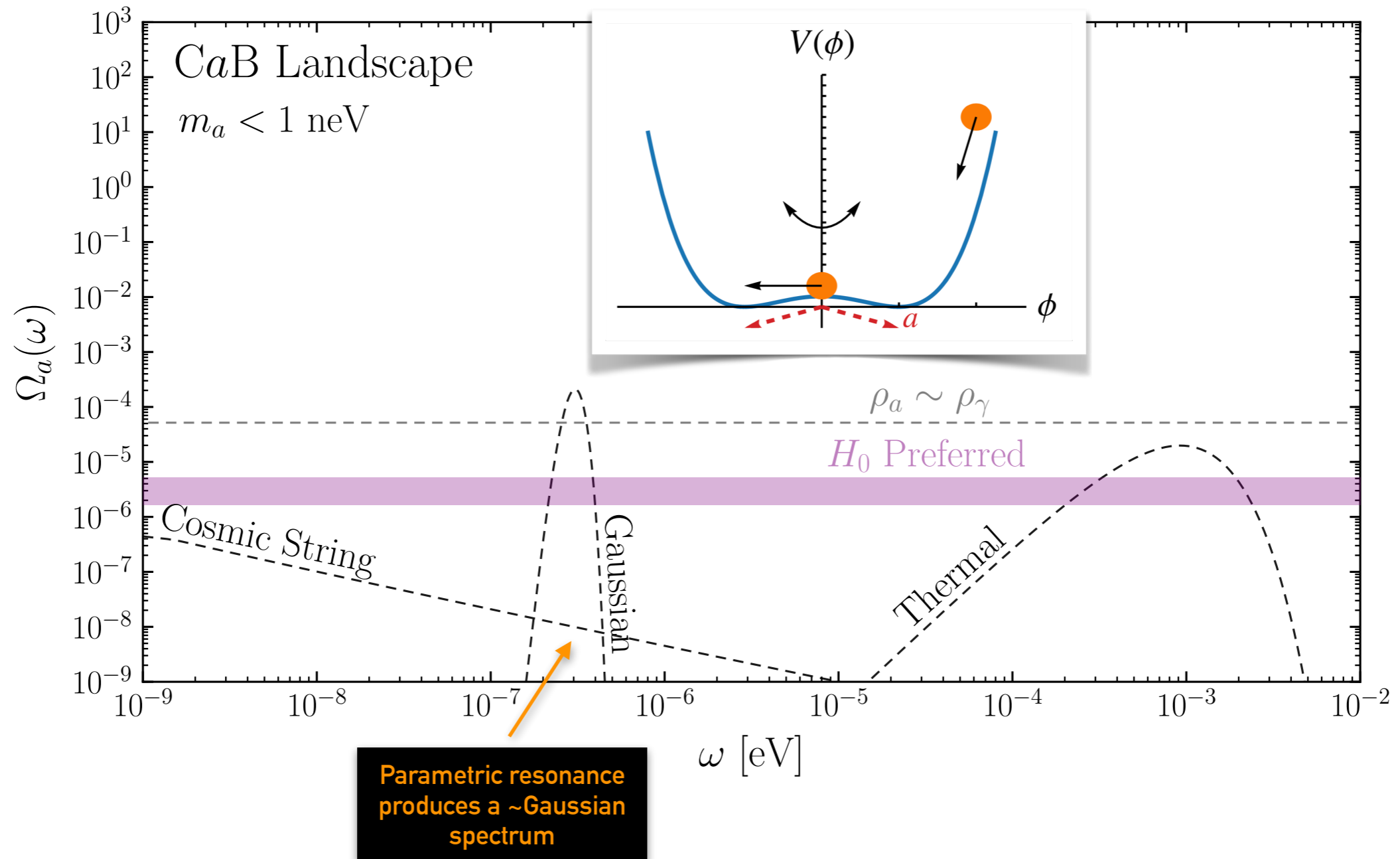
$$f_a = \frac{2\pi^2}{\omega^3} \frac{d\rho_a}{d\omega} \simeq 4 \times 10^{10} \left(\frac{Q_a}{1} \right) \left(\frac{\rho_a}{\rho_\gamma} \right) \left(\frac{\bar{\omega}}{1 \mu\text{eV}} \right)^{-4}$$

Large over the entire range we consider

Landscape



Landscape





Parametric Resonance

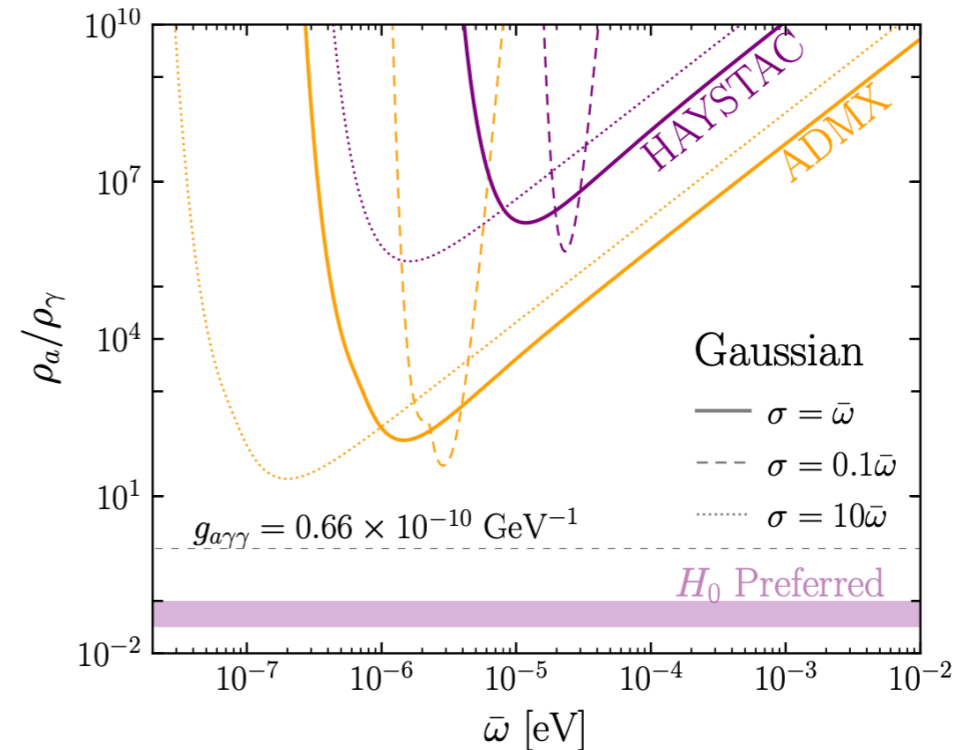
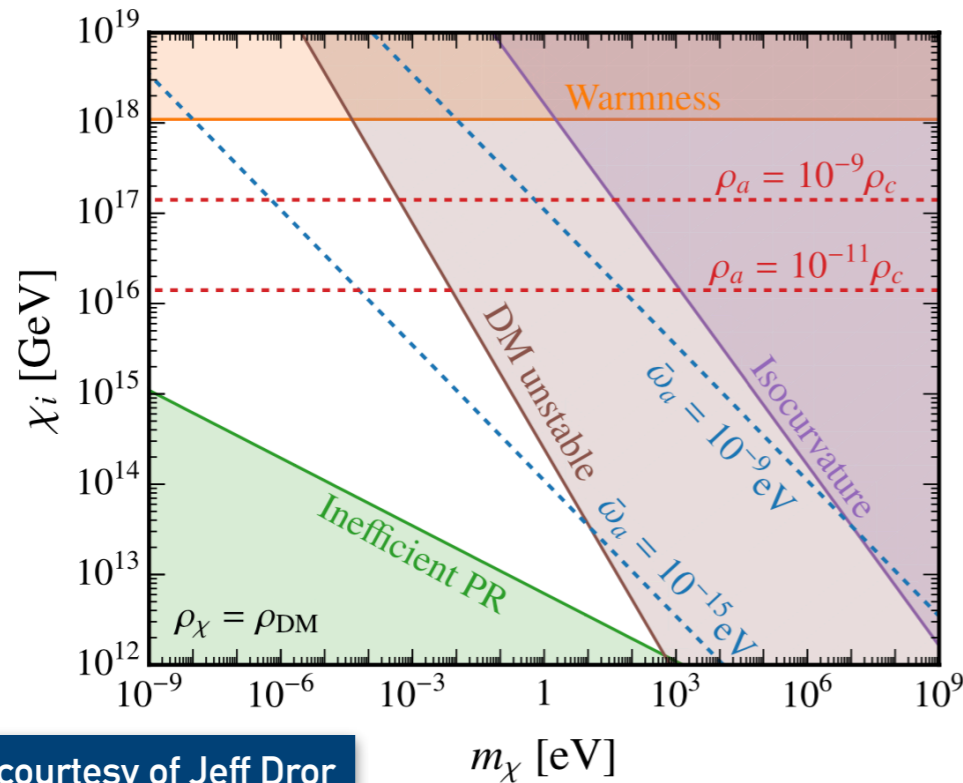
$$V(\Phi) = \lambda^2 \left(|\Phi|^2 - f_a^2/2 \right)^2$$

Oscillations when $m_{\chi}^{\text{eff}}(\chi_i) \simeq \lambda \chi_i \sim H$

Typical energy: $\bar{\omega}_a \sim m_{\chi}^{\text{eff}}(\chi_i) \left(\frac{s(T_0)}{s(T_{\text{osc}})} \right)^{1/3} \sim 10^{-15} \text{ eV} \left(\frac{m_{\chi}^{\text{eff}}(\chi_i)}{\text{MeV}} \right)^{1/2}$

Energy density: $\Omega_a \sim 3 \times 10^{-7} \left(\frac{\chi_i}{M_{\text{Pl}}} \right)^2$ ← detectable?

Assume χ dark matter



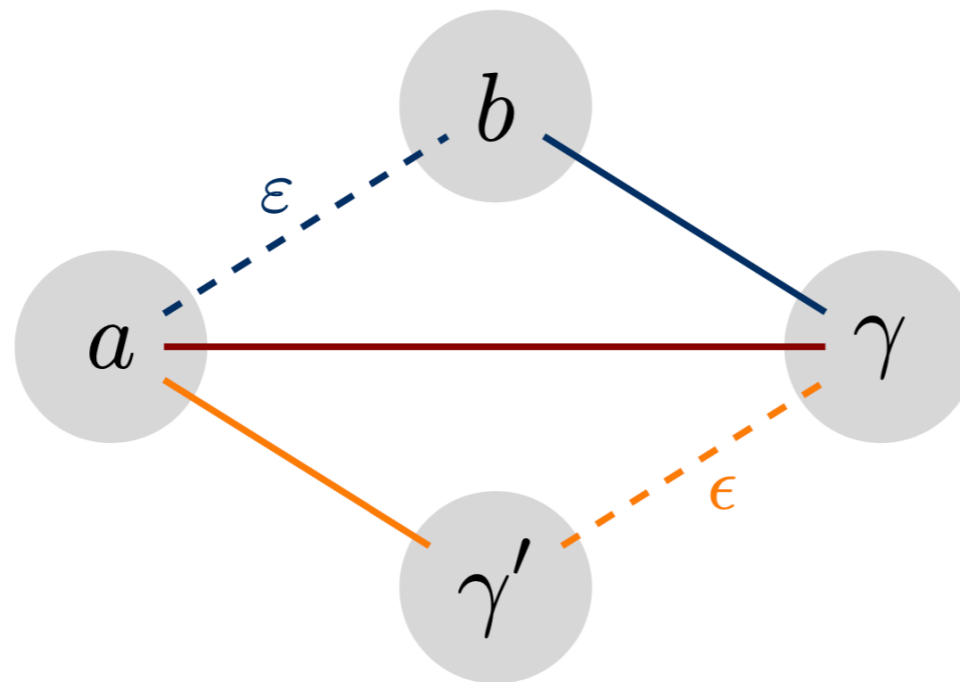
Slide courtesy of Jeff Dror

Dark Matter Decaying to Axions

example model

$$V(\Phi) = \lambda^2 \left(|\Phi|^2 - f_a^2/2 \right)^2 \quad \Phi = (\chi + f_a) e^{ia/f_a}$$

$$\frac{\Gamma_{\varphi \rightarrow aa}}{H_0} \simeq \left(\frac{m_\varphi}{10 \mu\text{eV}} \right)^3 \left(\frac{100 \text{ MeV}}{f_a} \right)^2 \rightarrow \text{🤔}$$



$$\frac{\epsilon \alpha}{4\pi f_b}$$

$$\frac{\alpha}{4\pi f_a}$$

$$\frac{\epsilon^2 \alpha'}{4\pi f_a}$$

Slide courtesy of Jeff Dror

[Dror, NLR, Murayama 2021]