

First Upper Limits from HERA on the 21 cm Power Spectrum

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The diagram illustrates the relationship between the 21 cm brightness temperature and several physical parameters. The central equation is:

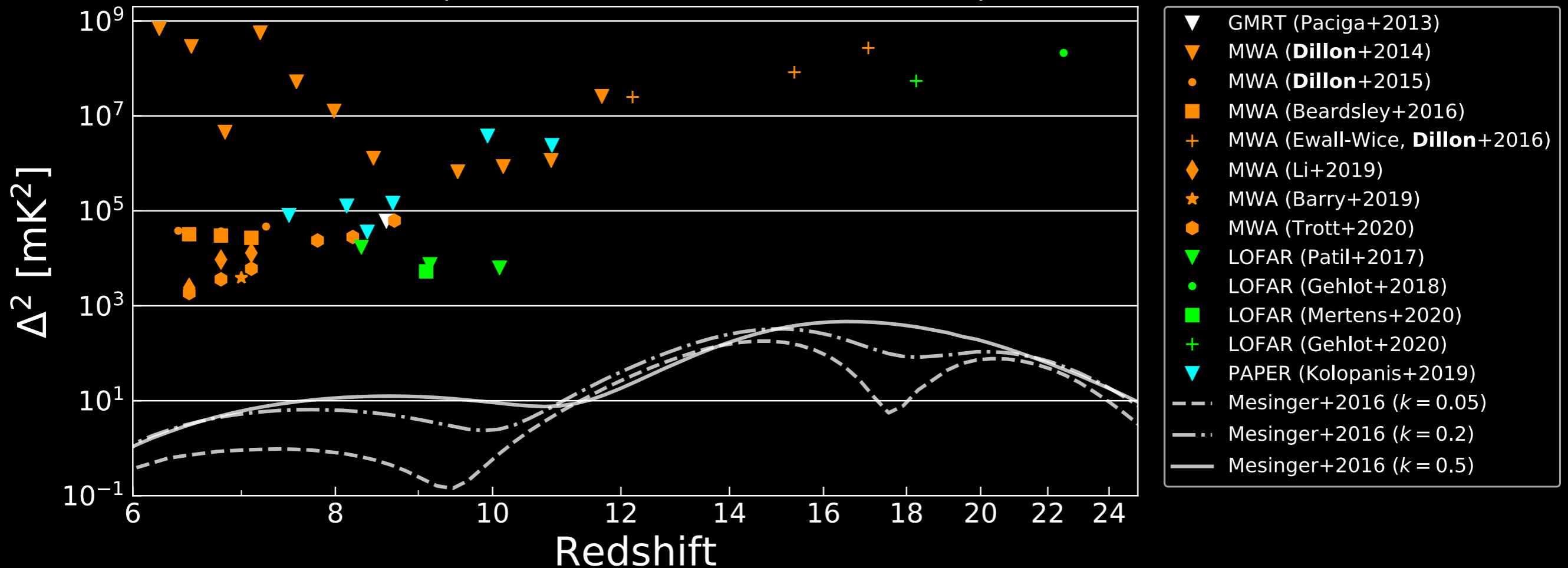
$$\delta T_{21 \text{ cm}} \propto (1 + \delta) \left[1 - \frac{T_{\text{CMB}}}{T_s} \right] x_{\text{HI}}$$

Annotations with arrows indicate the following dependencies:

- An upward arrow from "21 cm Brightness Temperature" points to $\delta T_{21 \text{ cm}}$.
- A downward arrow from "Overdensity of Hydrogen" points to δ .
- An upward arrow from "Spin Temperature" points to T_s .
- A downward arrow from "Neutral Fraction" points to x_{HI} .

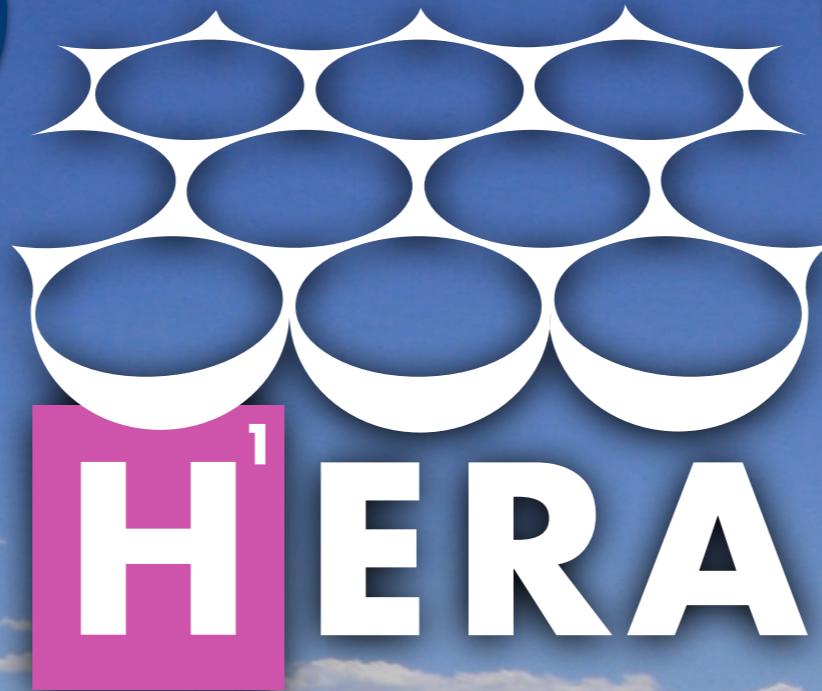
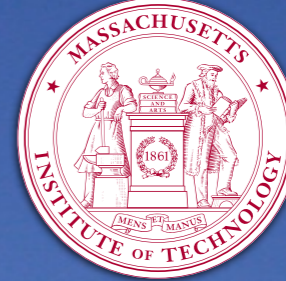
The first generation of telescopes got us started on measuring the 21 cm power spectrum.

21 cm Power Spectrum Limits for $0.05 < k < 0.6 h \text{ Mpc}^{-1}$



— Ongoing —

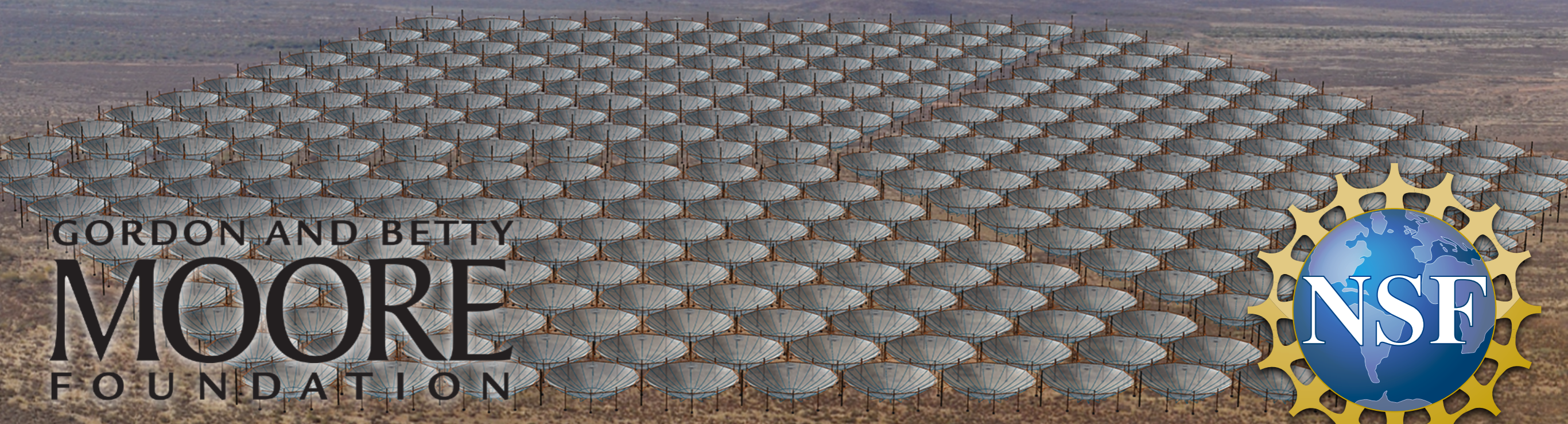




The Hydrogen Epoch of Reionization Array



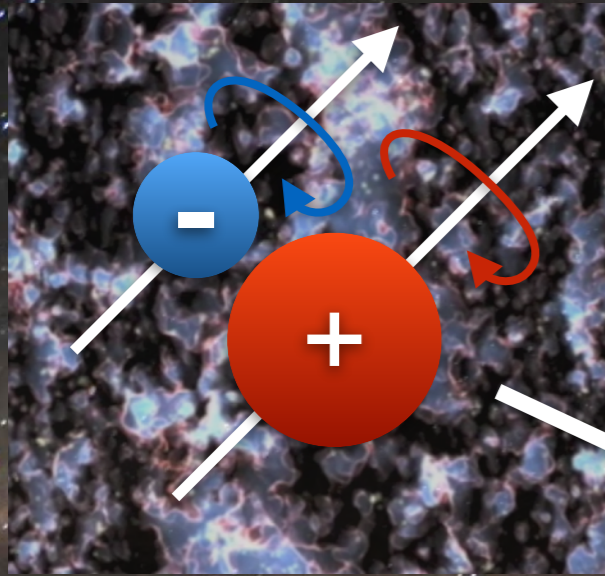
GORDON AND BETTY
MOORE
FOUNDATION



So how does HERA measure
the 21 cm power spectrum?

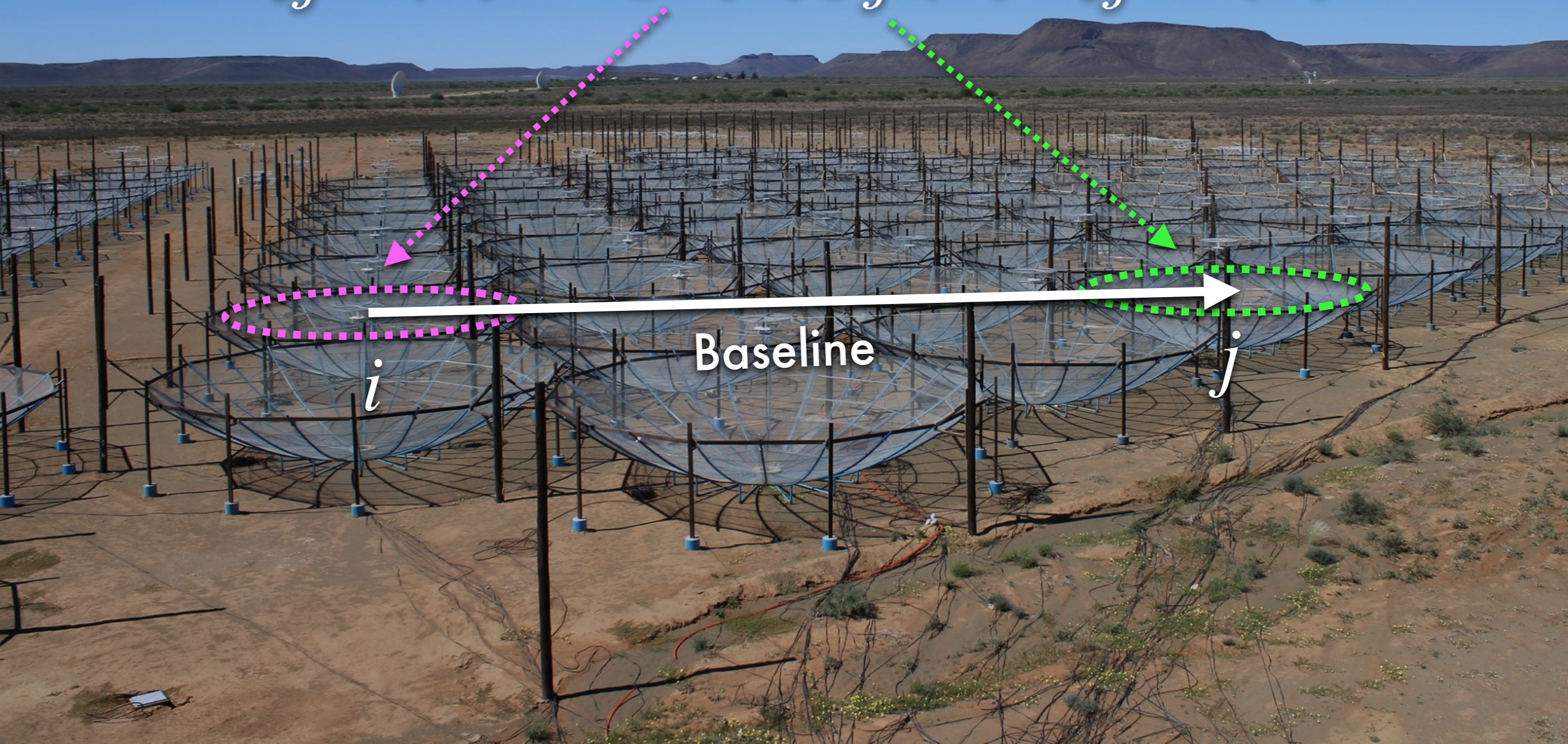
Step 1: Calibration

The key problem in 21 cm cosmology is maintaining the separability of signal and foregrounds.



Individual antenna response must be precisely calibrated.

$$V_{ij}^{\text{obs}}(\nu) = g_i(\nu)g_j^*(\nu)V_{ij}^{\text{true}}(\nu)$$

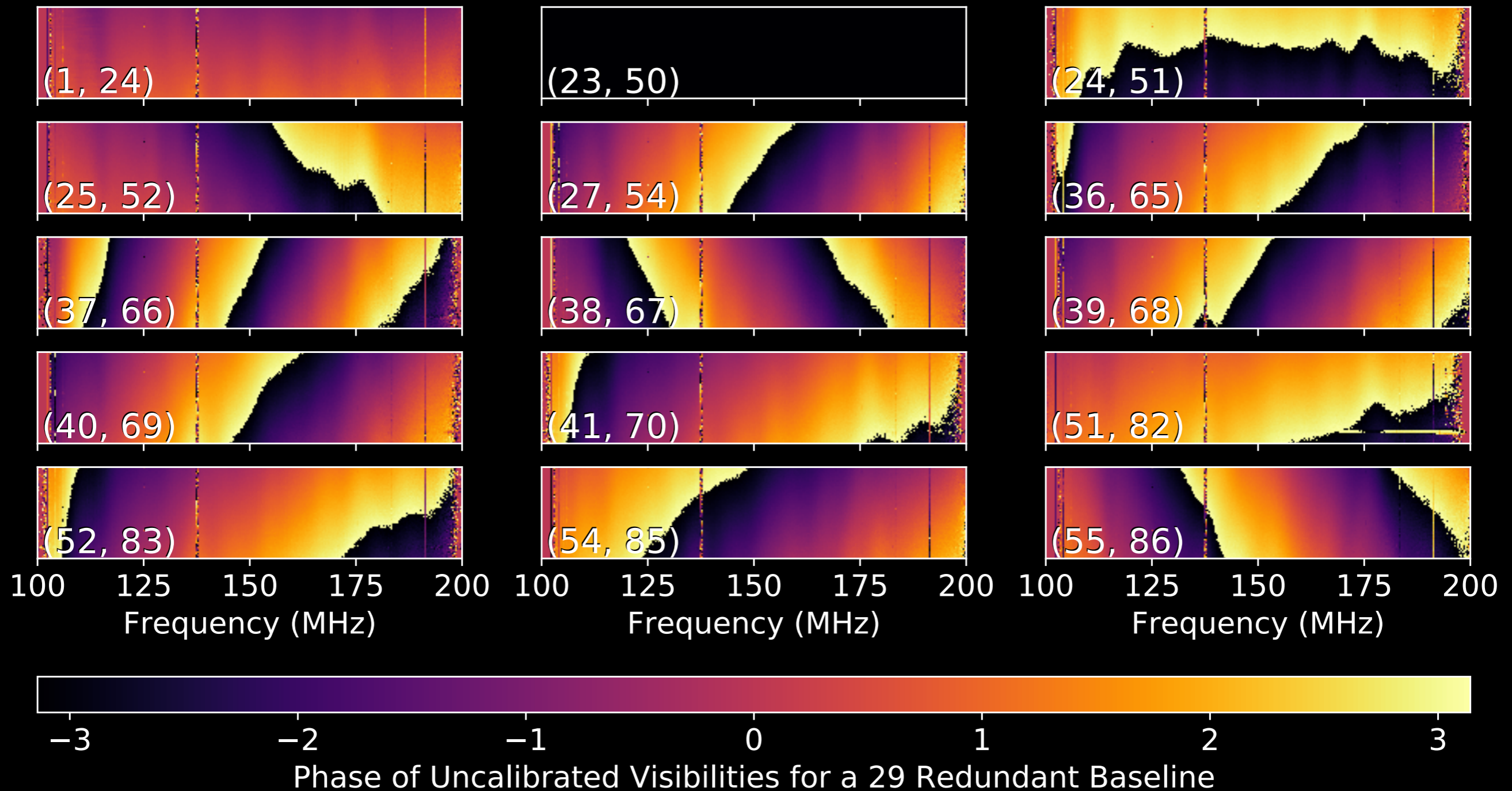


HERA was designed to be calibrated using the internal consistency of redundant baselines.

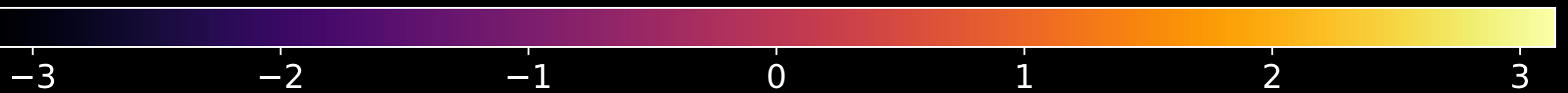
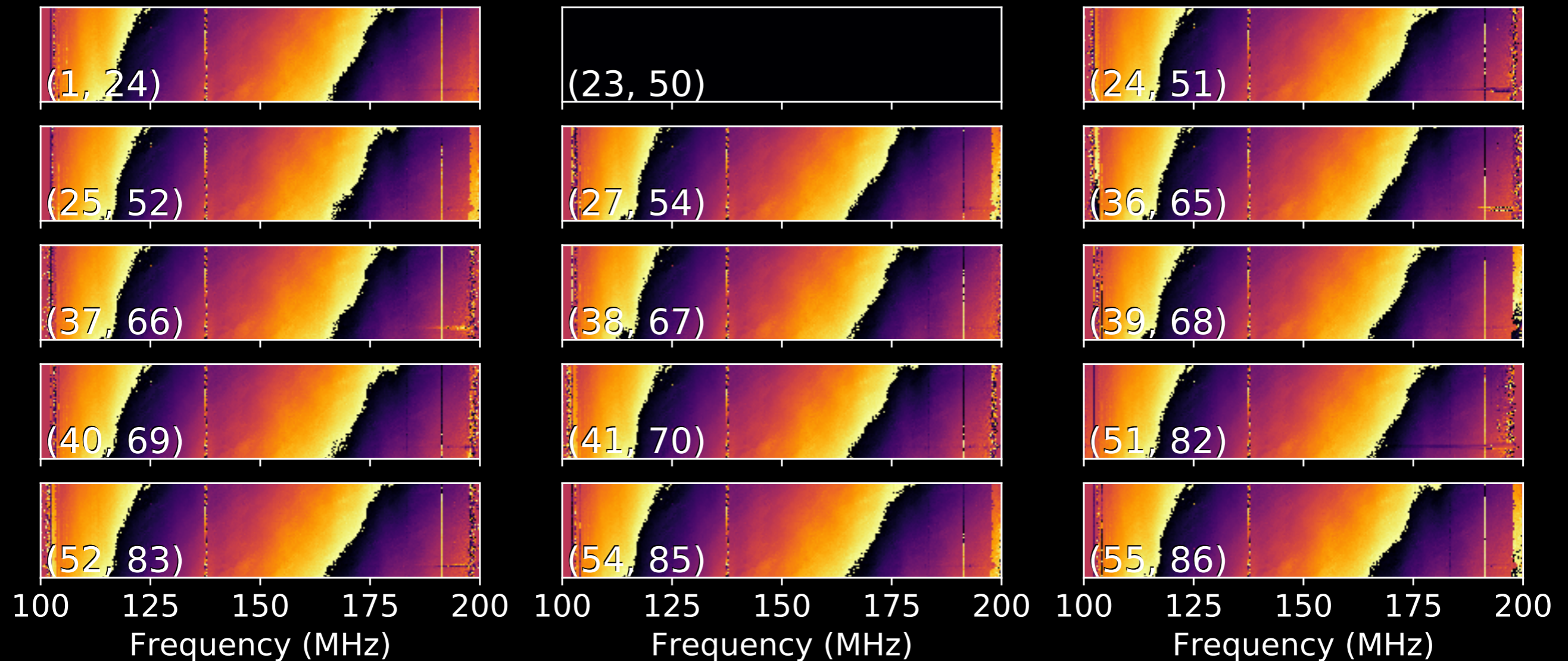
$$V_{ij}^{\text{obs}}(\nu) = g_i(\nu)g_j^*(\nu)V_{ij}^{\text{true}}(\nu)$$

All without an explicit sky or instrument model!

Example raw HERA data for a single redundant baseline:



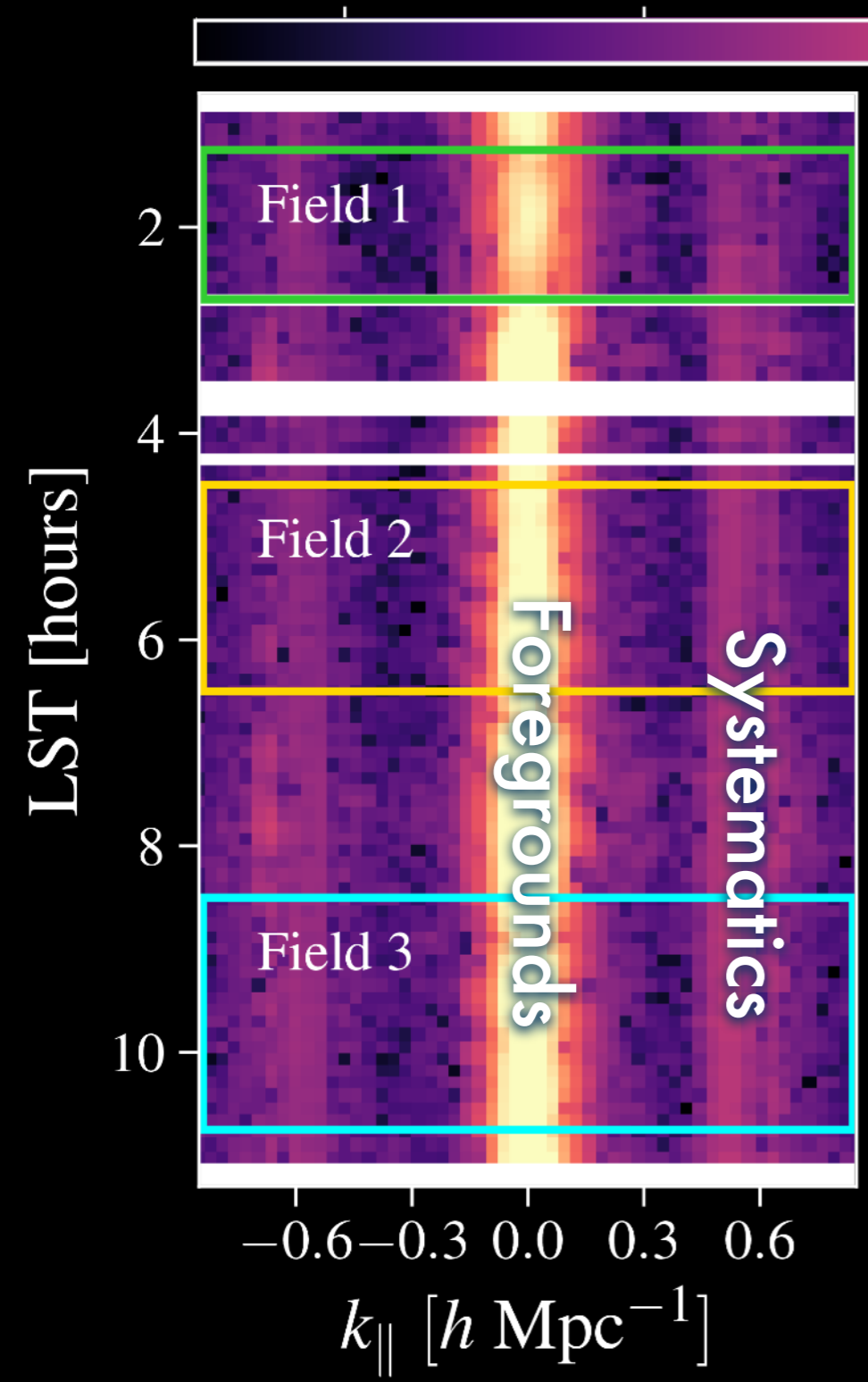
Imposing the redundancy constraint helps solve for all gains.



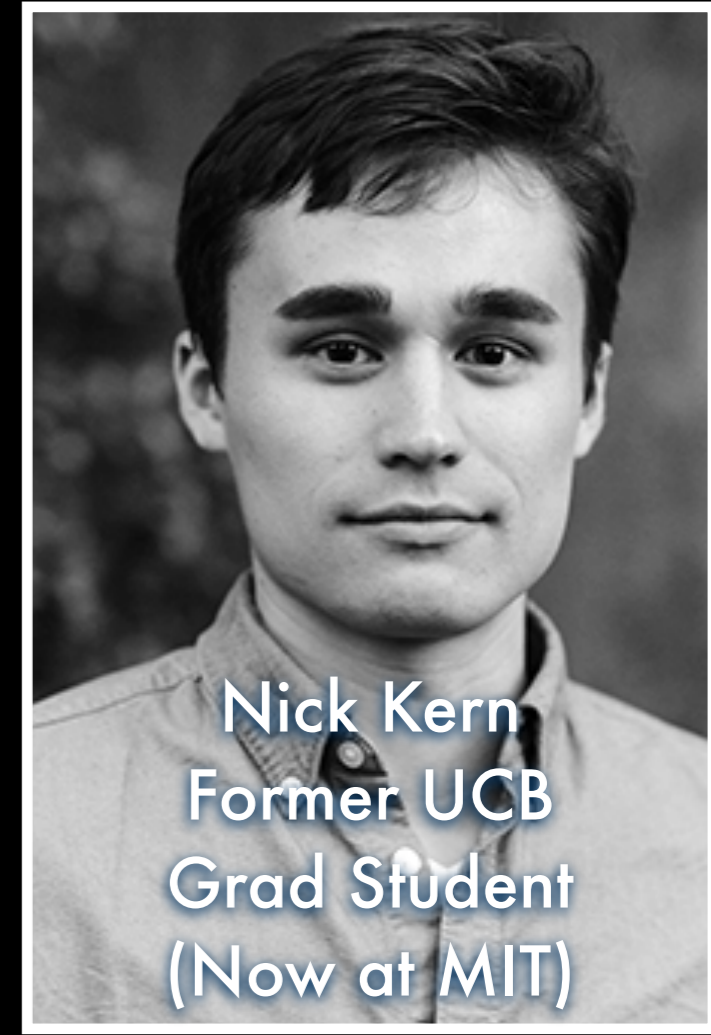
Step 2: Reflection and Cross-Talk Systematics

$\log_{10} P(k_{\parallel}) [\text{mK}^2 h^{-3} \text{Mpc}^3]$

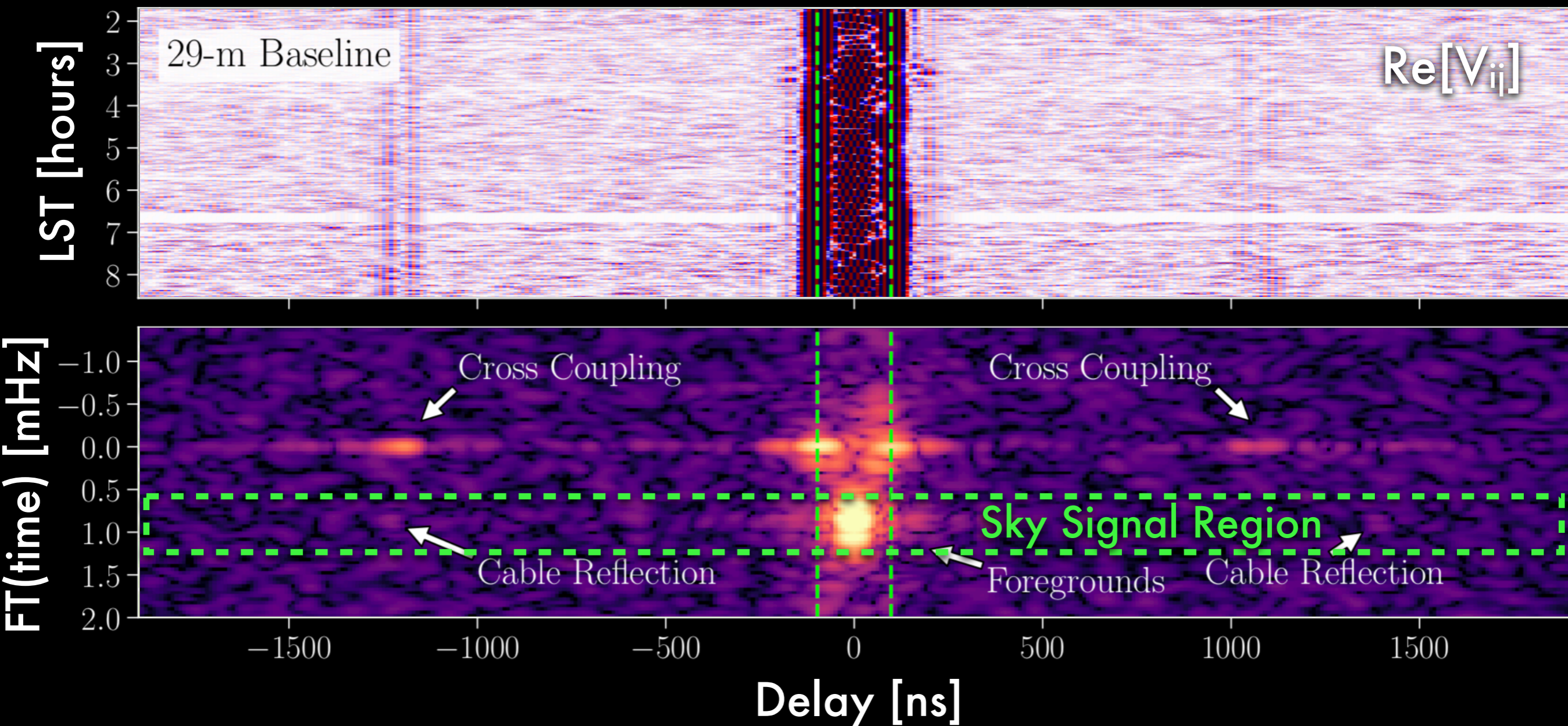
6 8 10 12 14



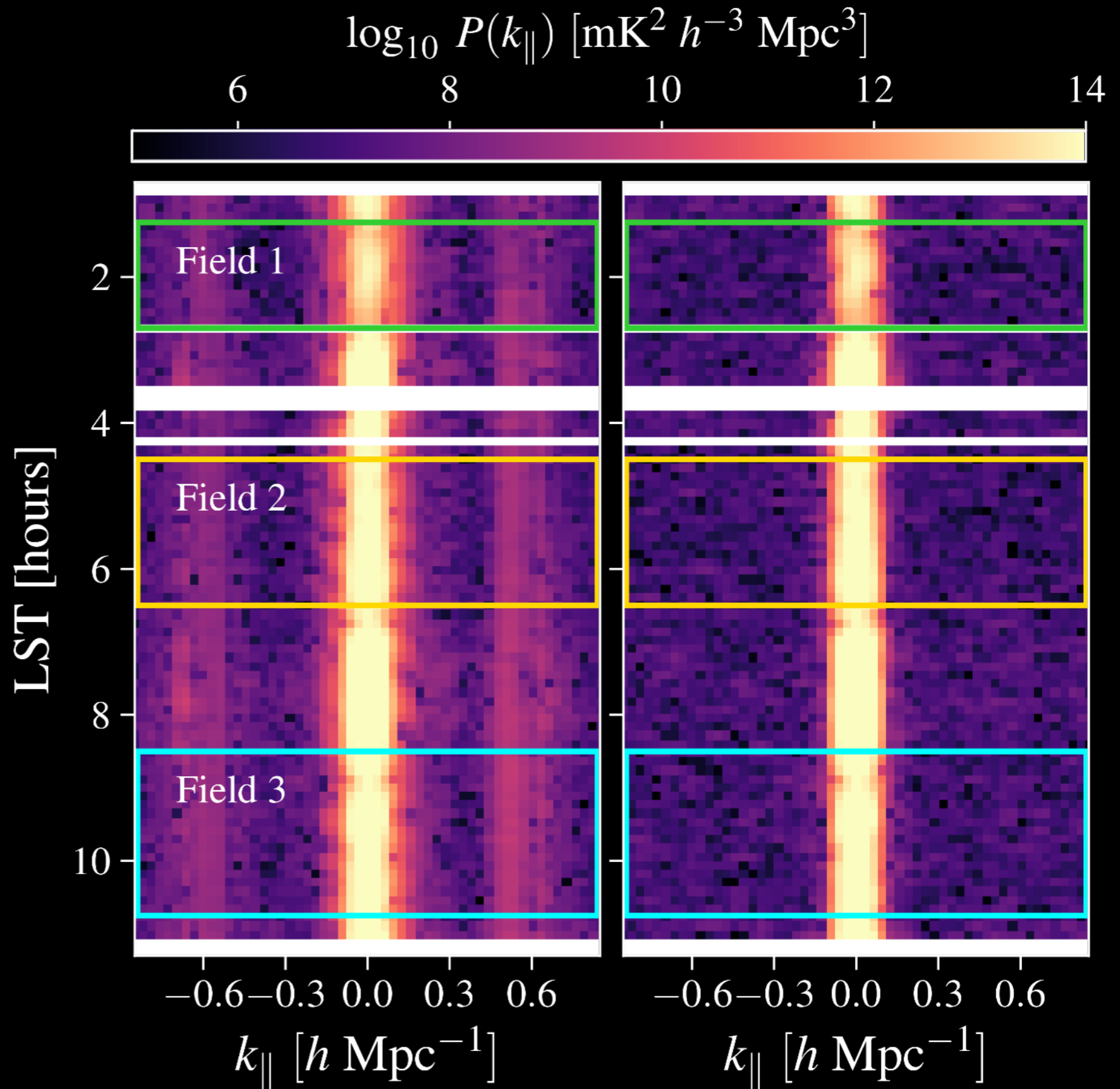
And as soon as we Fourier transform our data, we run into a problem: high delay (k_{\parallel}) systematics on every baseline!



To understand this effect, we have to examine the temporal structure of the foregrounds and the systematics—how fast they “fringe.”

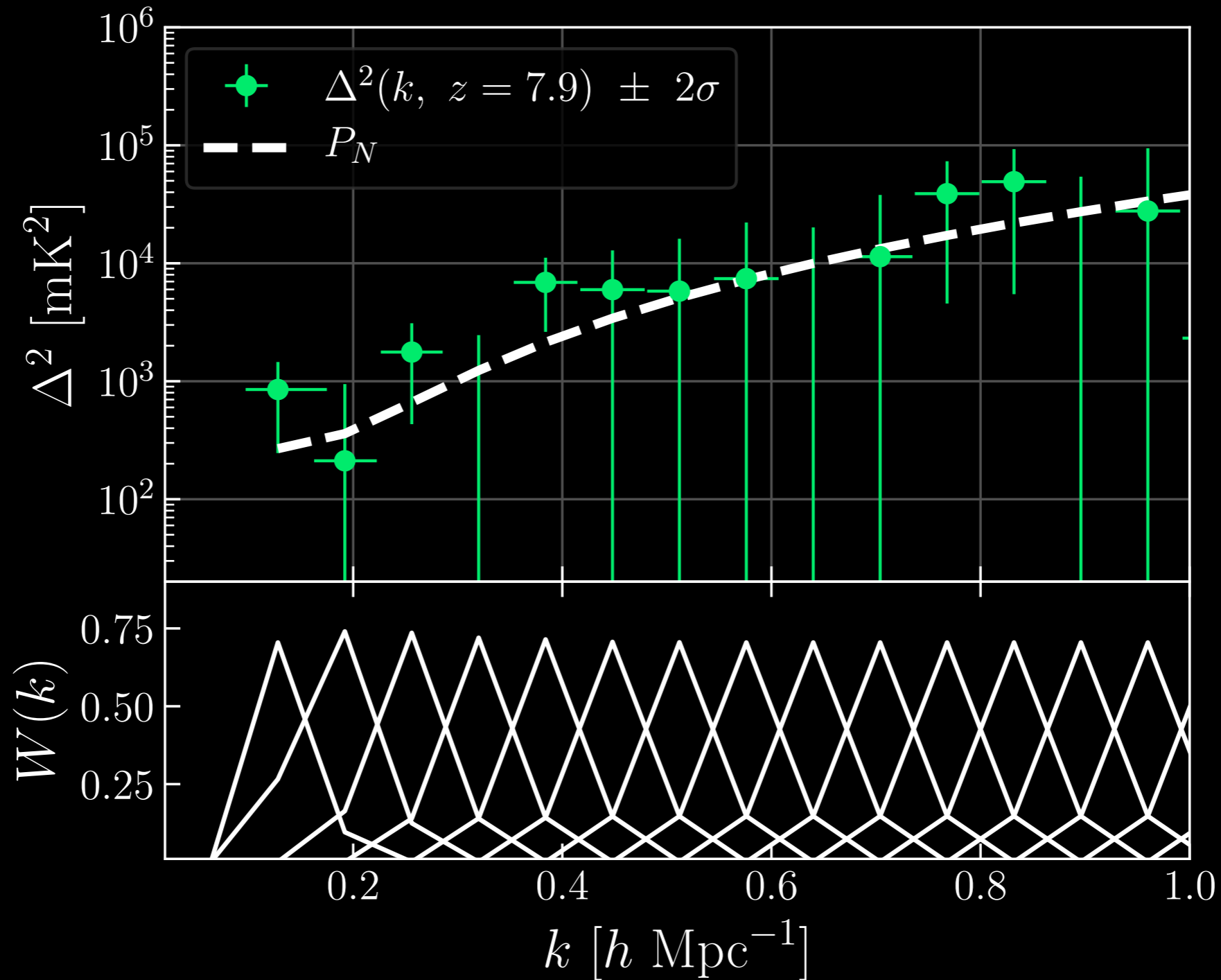


With our techniques for relatively lossless systematics removal, we're getting very close to the thermal noise limit.

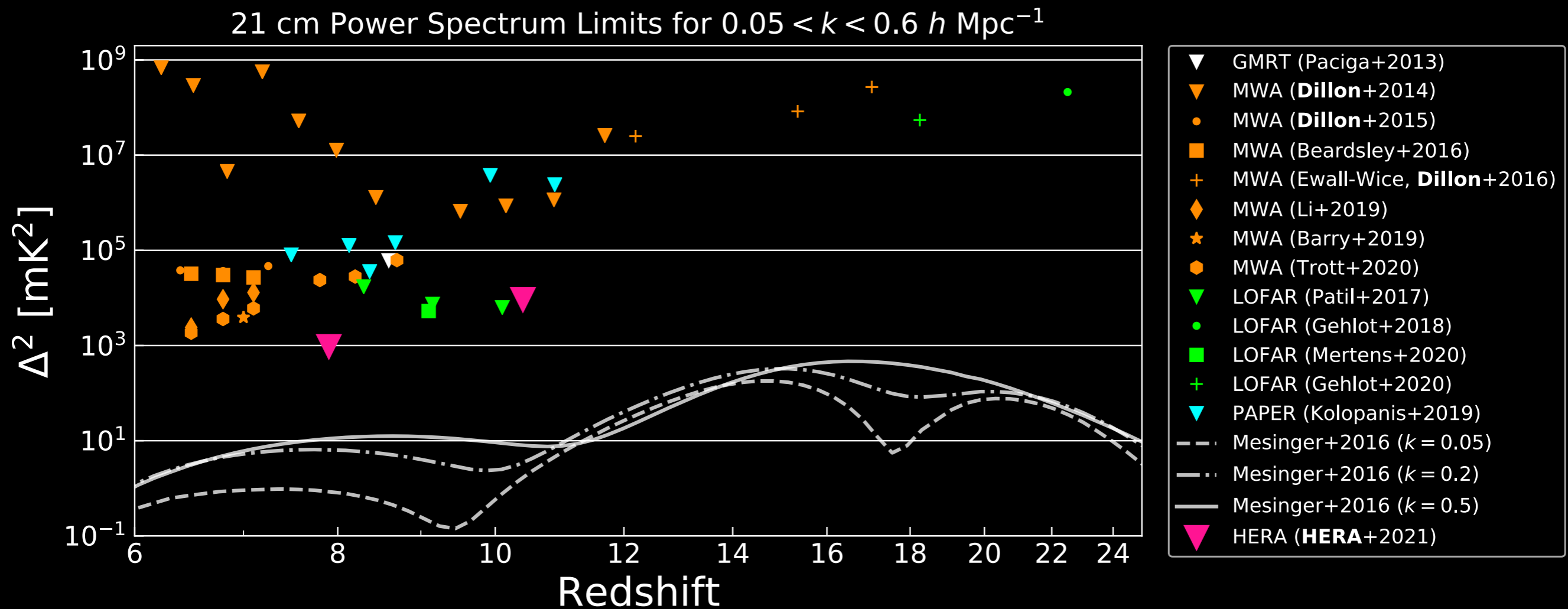


Step 3: Power Spectrum and Error Estimation

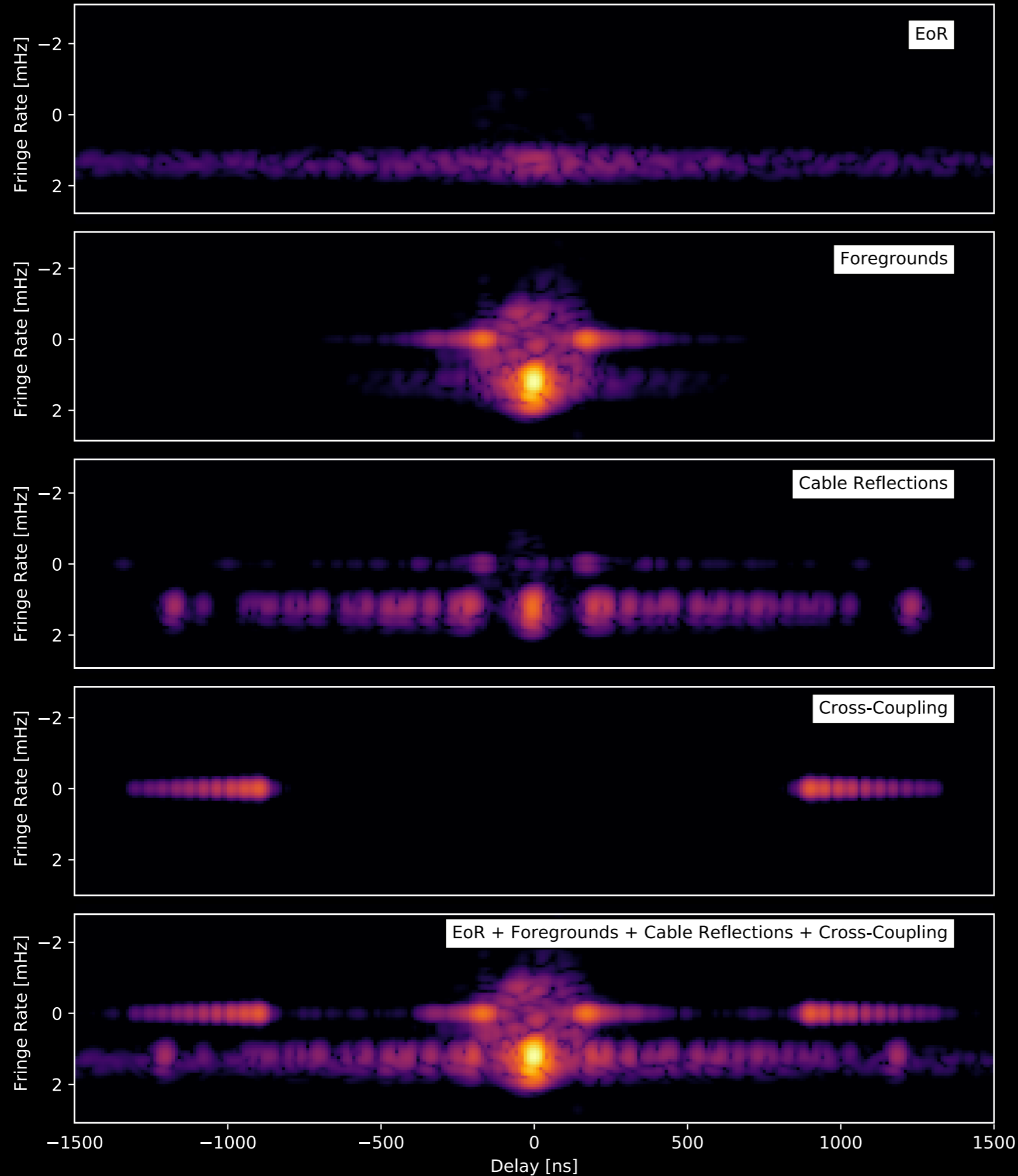
Working outside the foreground-dominated region, we get our power spectrum upper limit.



Our first (and world-leading!) limit with just 18 nights and a very conservative analysis.

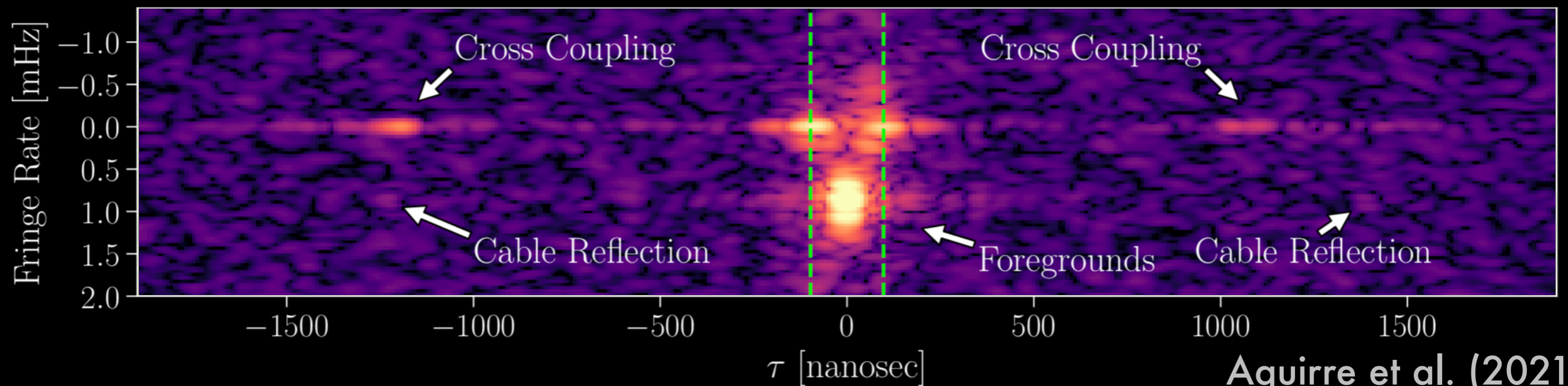
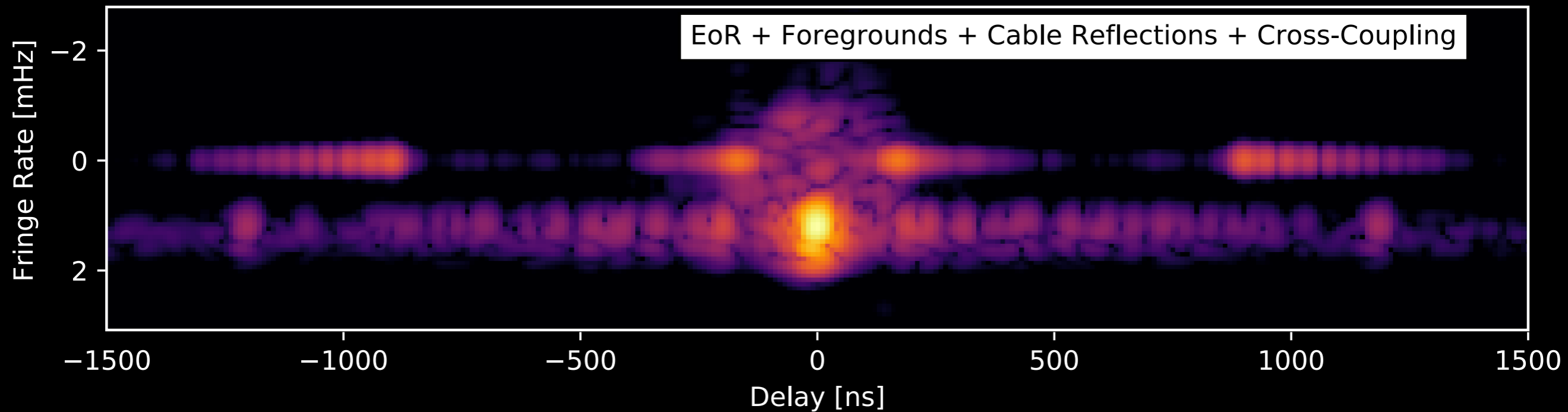


Step 4: Validation with End-to-End Simulations



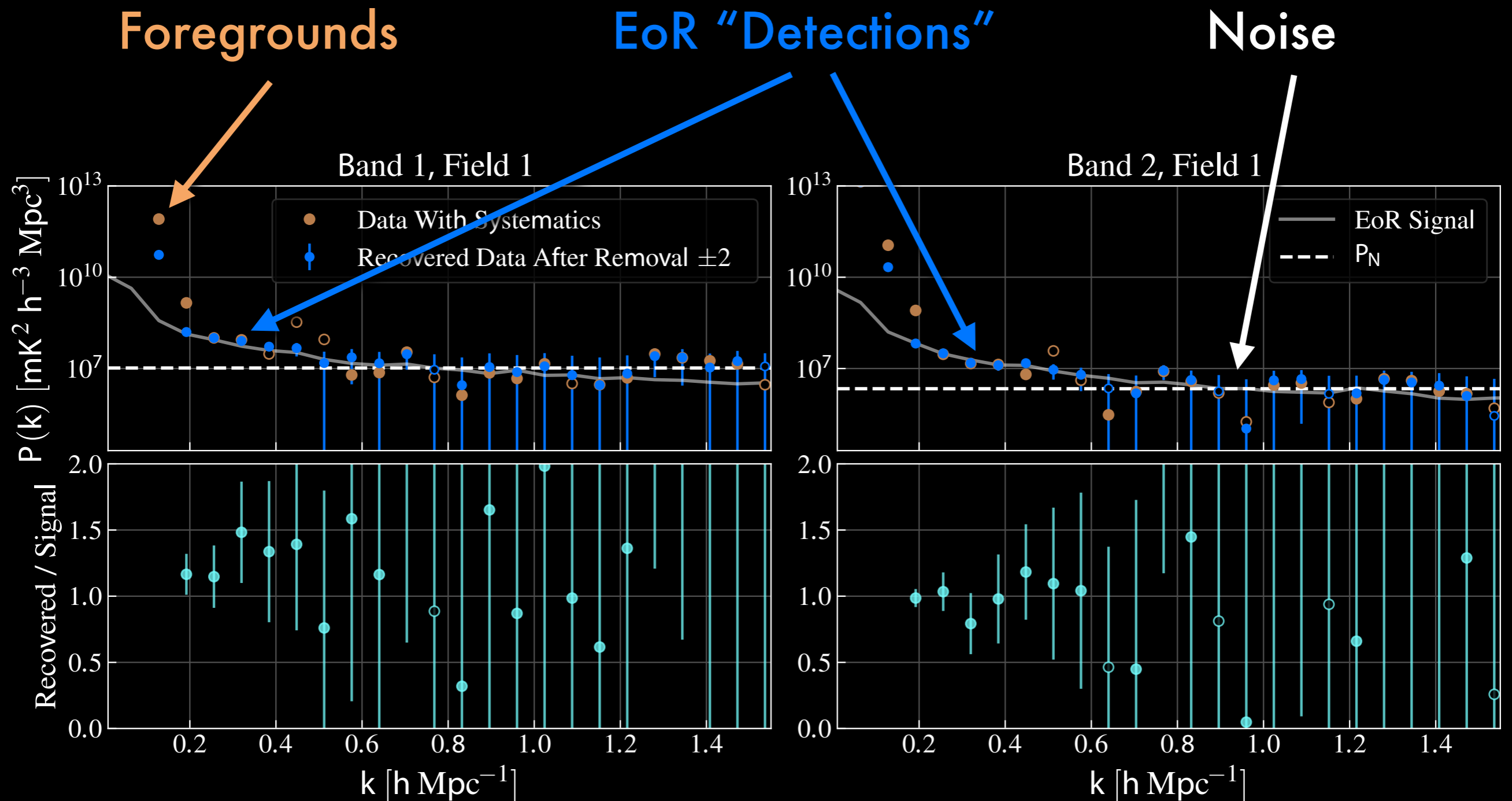
We simulated the most important real-world effects to test how well we could mitigate them.

The simulation is really starting to reflect the complexity of real data.



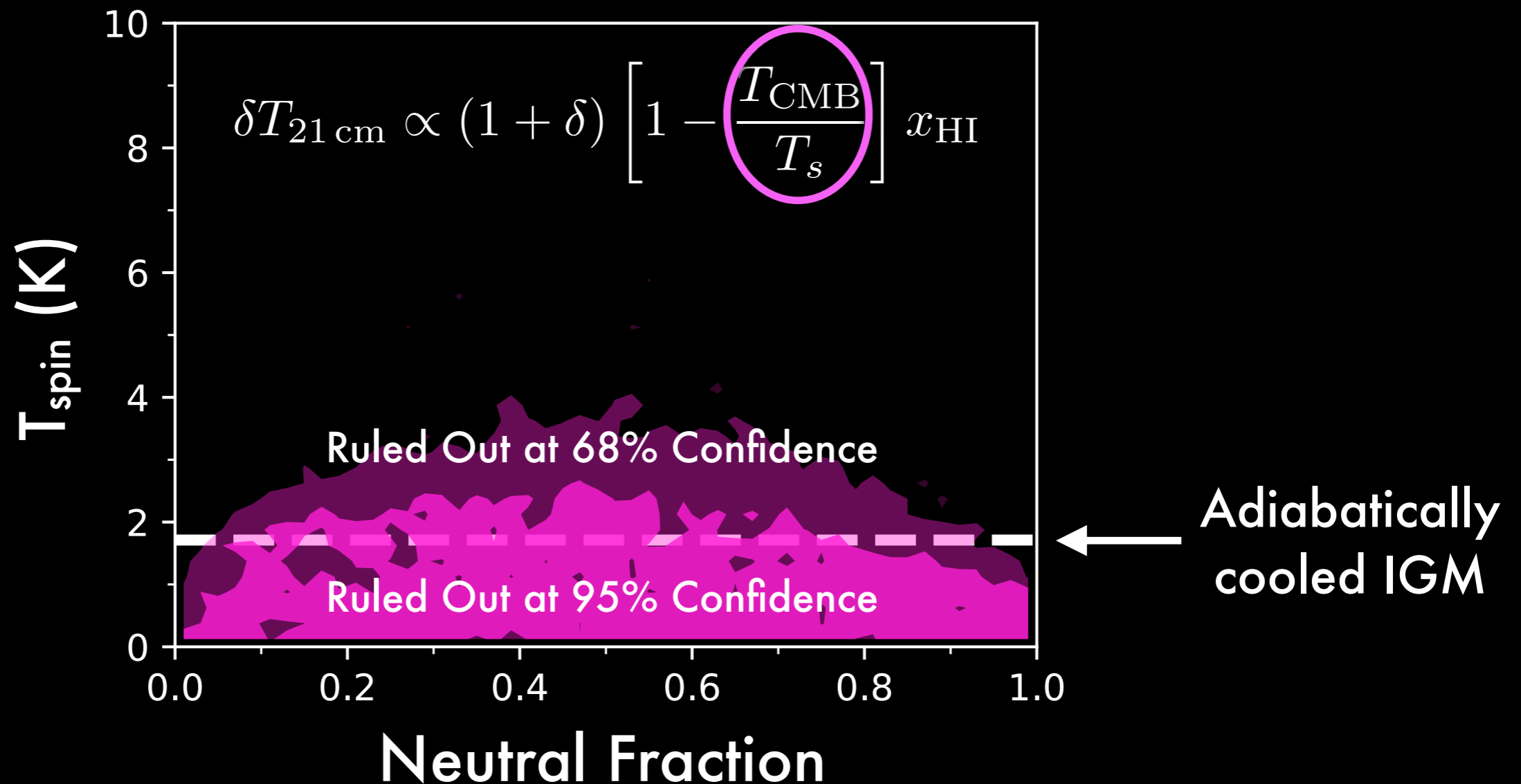
Aguirre et al. (2021)

We're able to extract a simulated signal and quantify our biases, which raise our limits by ~10%.



Step 5: Astrophysical and Cosmological Interpretation

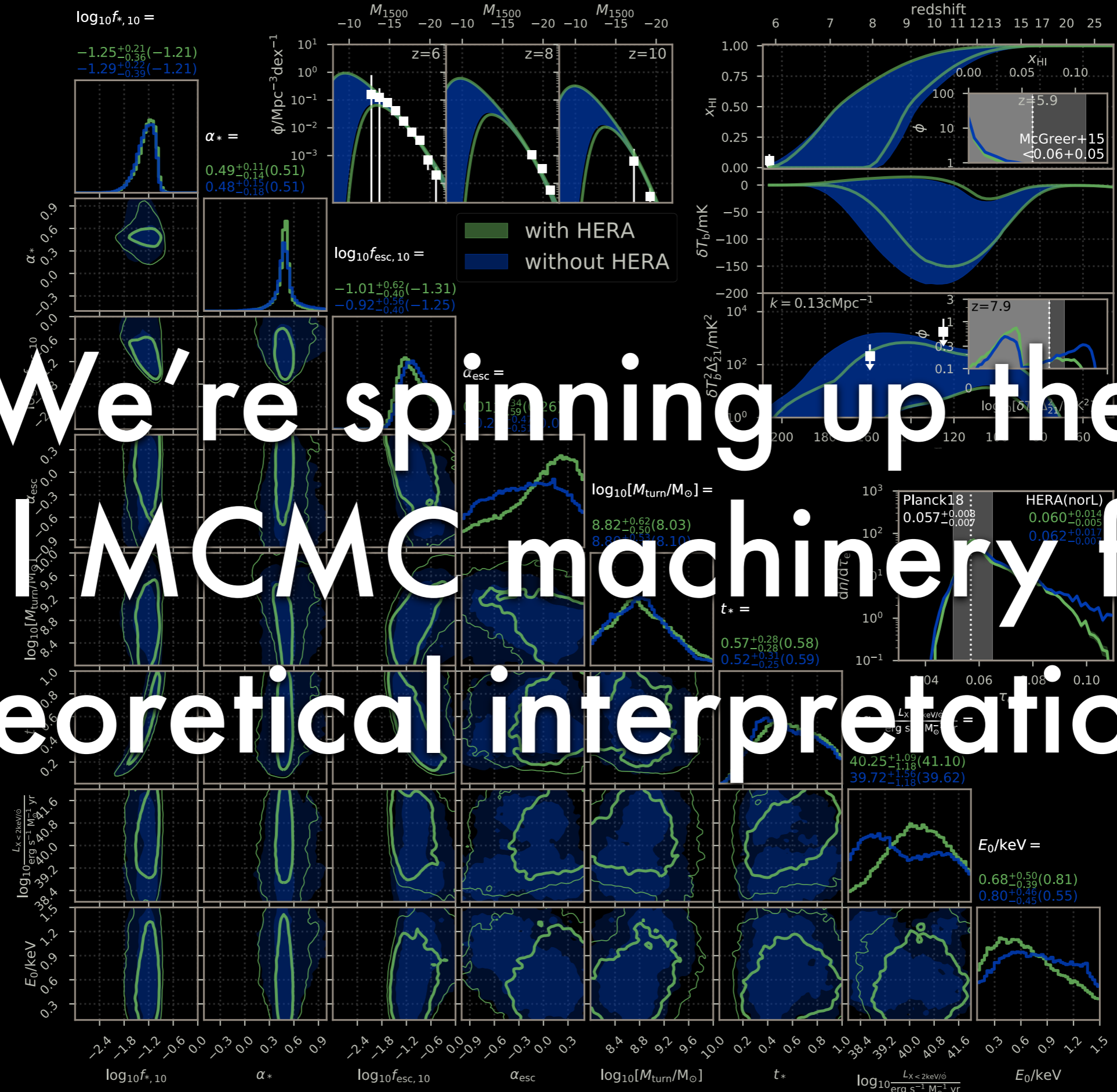
We can already largely rule out an IGM unheated by X-rays at $z = 7.9$, though this is not at all surprising.



PRELIMINARY!

HERA Collaboration (in prep.)

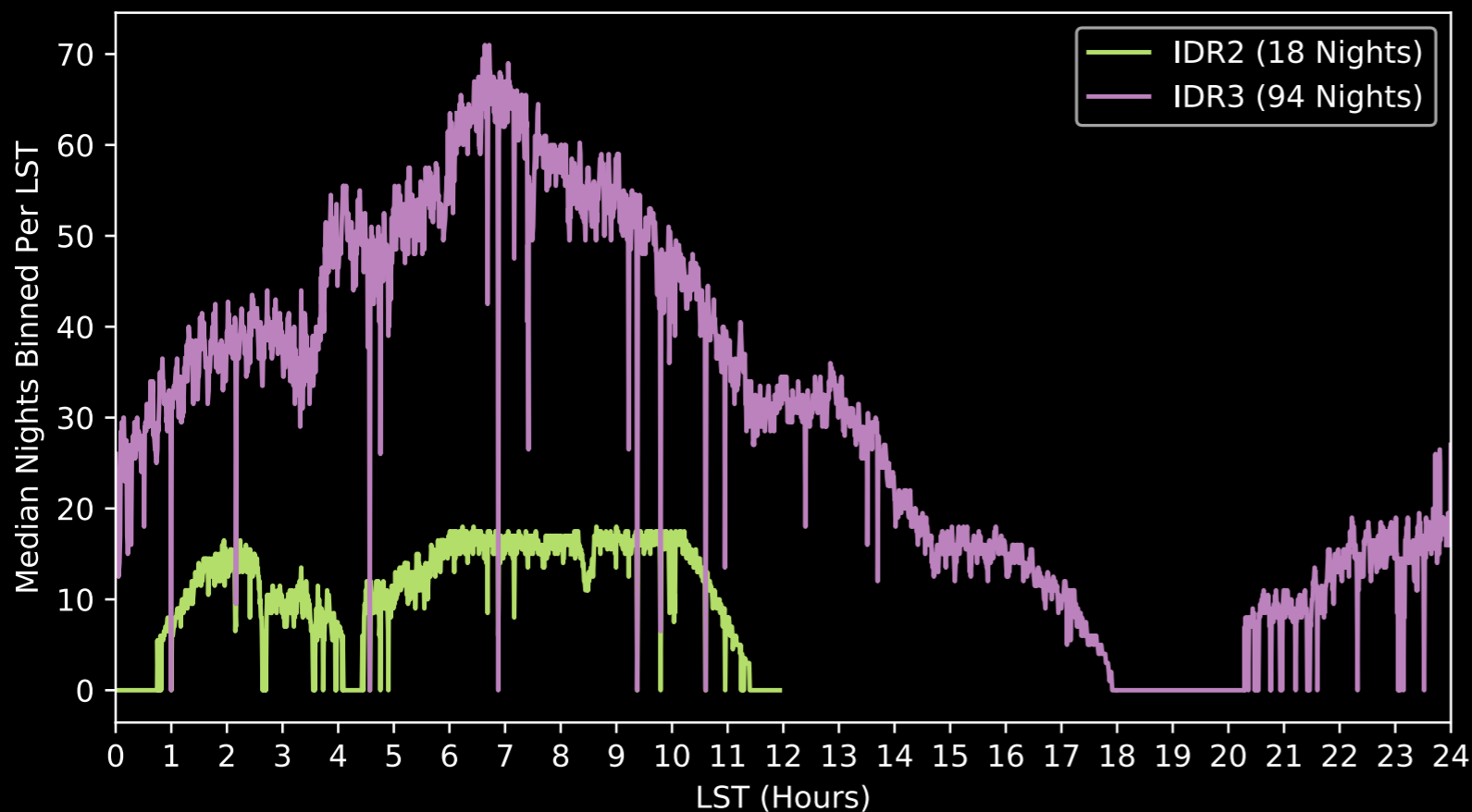
We're spinning up the full MCMC machinery for theoretical interpretation.



PRELIMINARY!

HERA Collaboration (in prep.)

What's next?



94 nights from HERA Phase 1 spanning nearly 24 hours in LST.

~12 good nights from our commissioning run of HERA Phase 2 with the new wideband feeds.



Photo: Ziyaad Halday

We'll have way more sensitivity with a full season (~100 nights) and the full array, and should easily rule EDGES in or out.

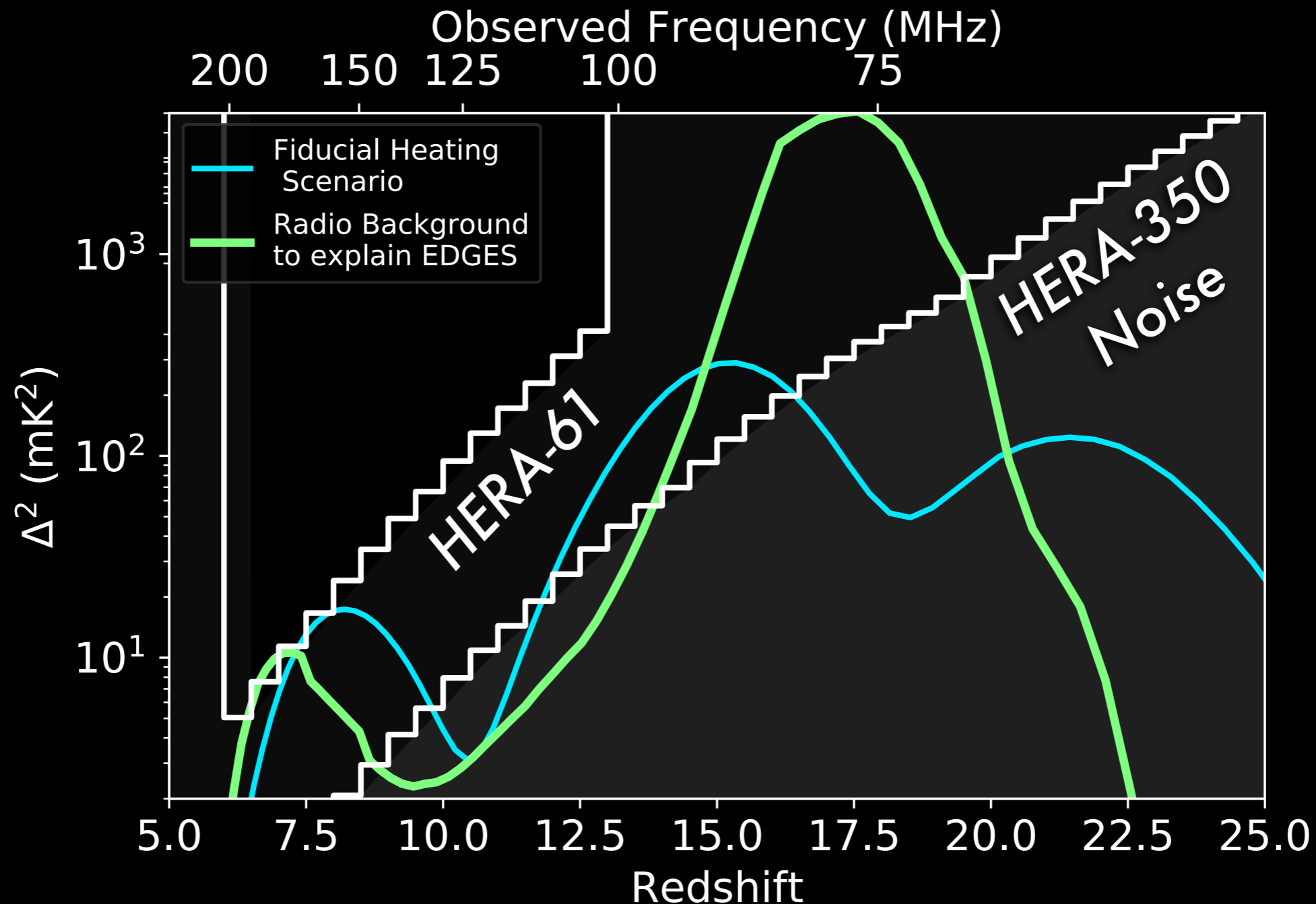
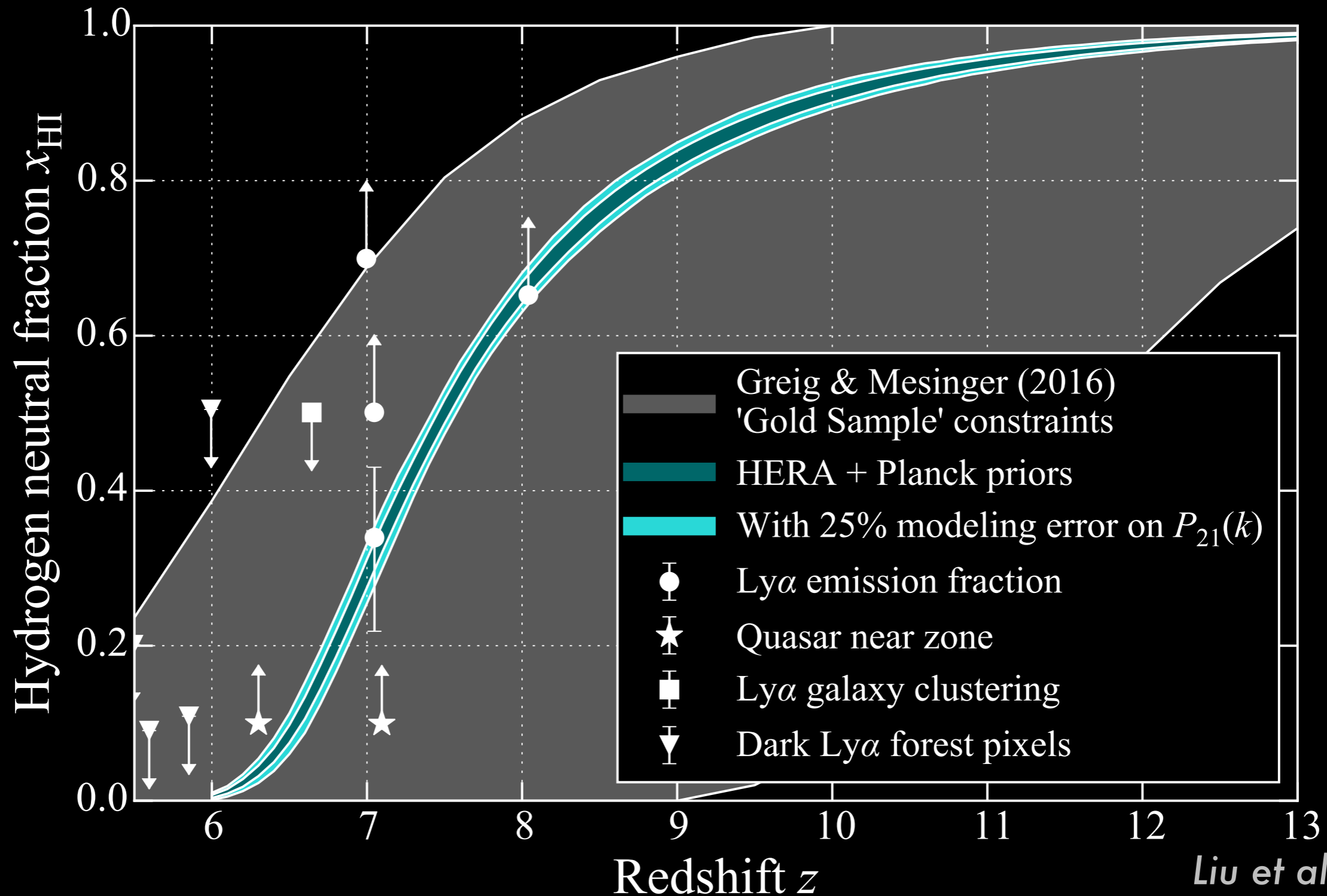


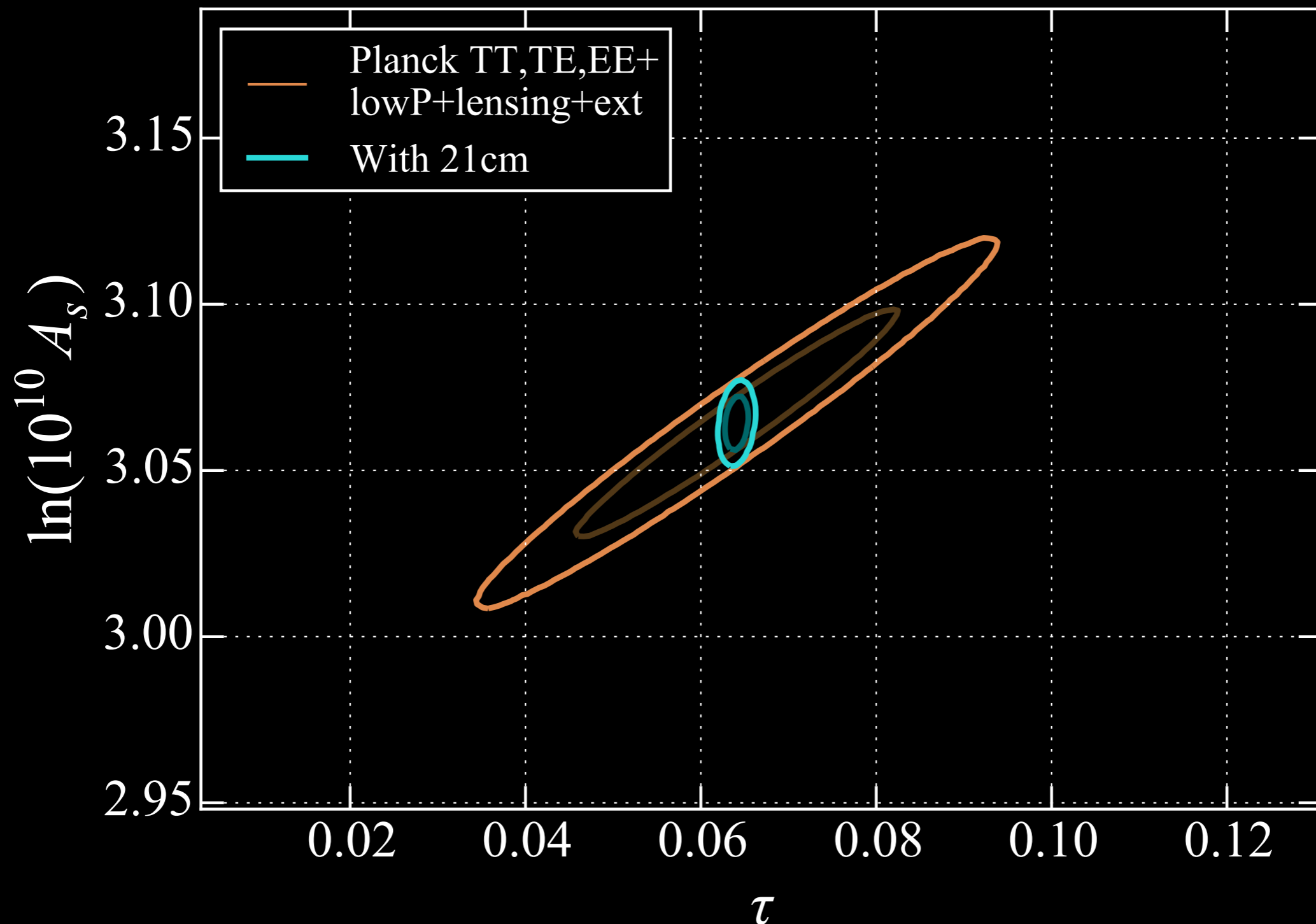
Figure: Aaron Ewall-Wice

Which means we can precisely measure the ionization history of the universe.

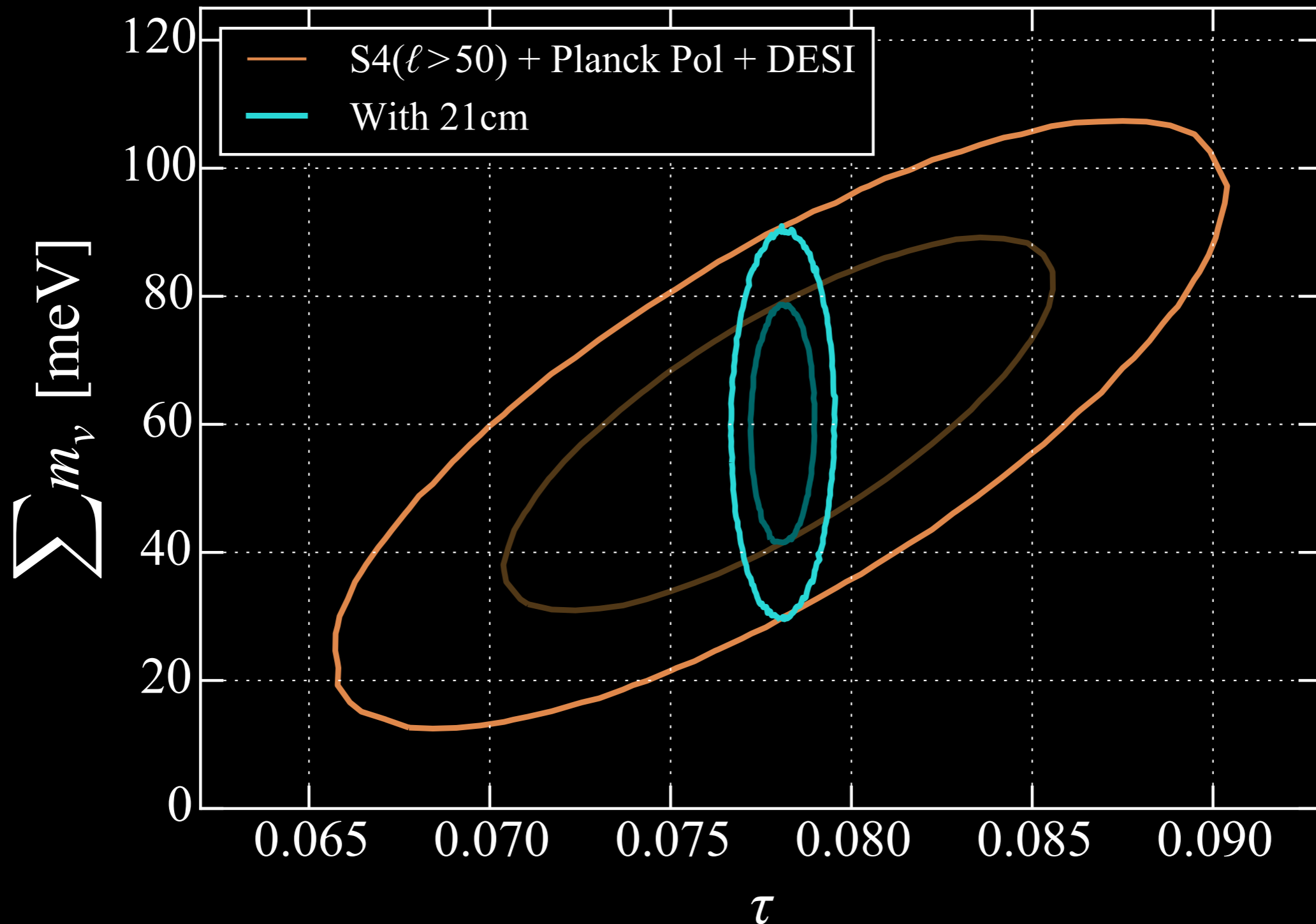


Liu et al. (2016)

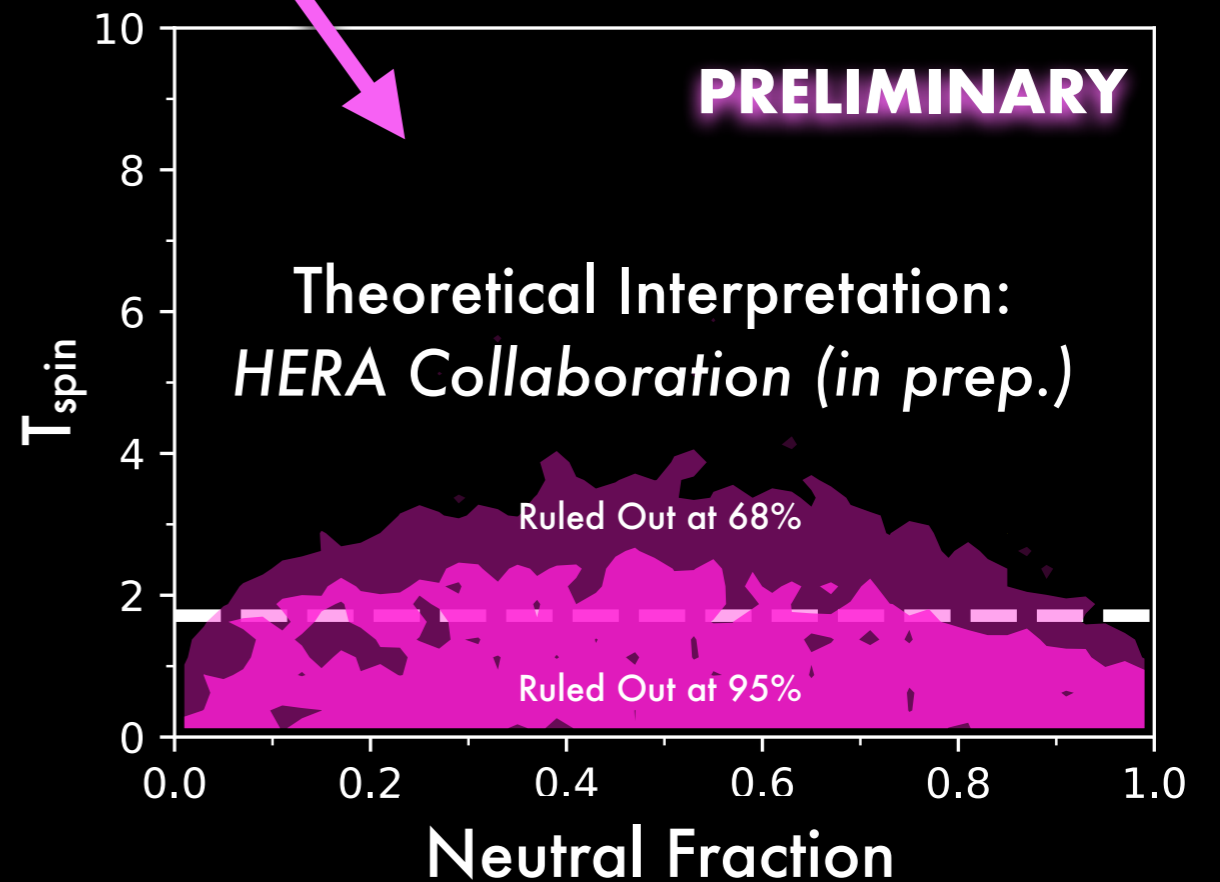
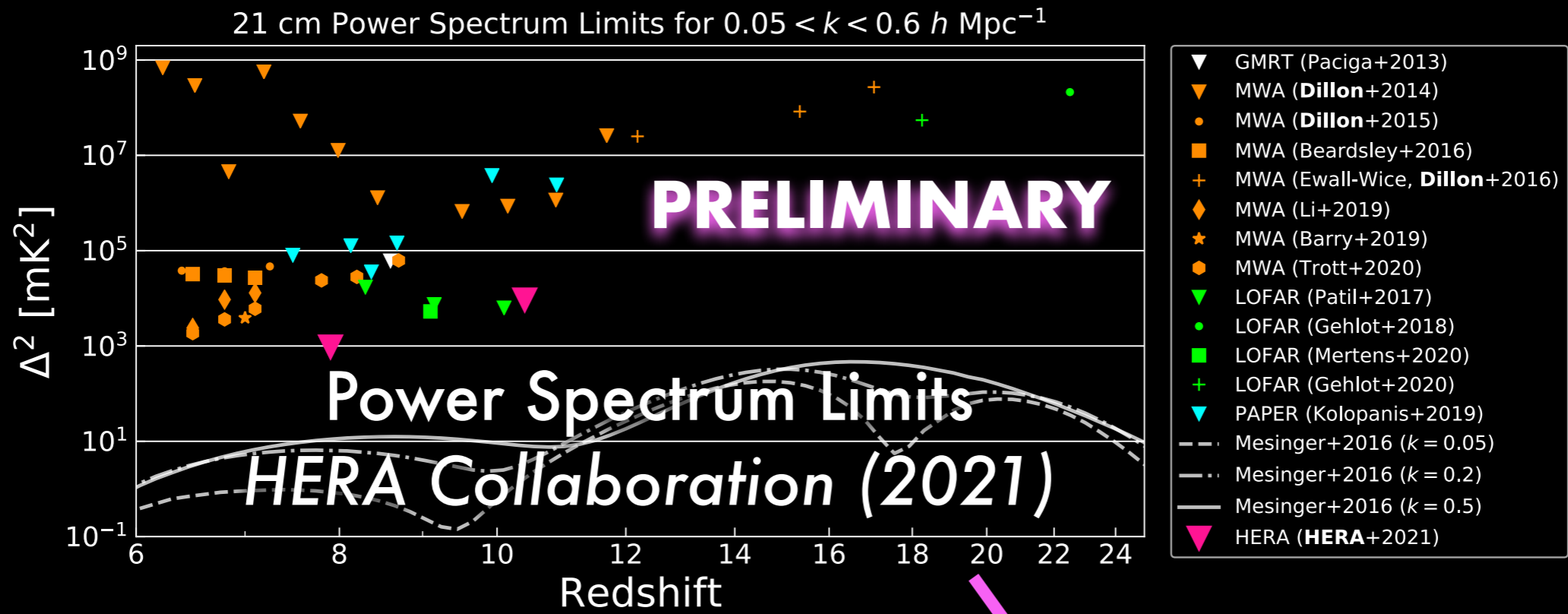
We'll eliminate τ as a CMB nuisance parameter, improving A_s errors by a factor of 4.



And, maybe increase the significance of a detection of non-zero Σm_ν with CMB-S4.



In Summary...



Redundant Calibration
Dillon, Lee, et al. (2020)

Power Spectrum Error Estimation
Tan et al. (2020)

Absolute Calibration
Kern, Dillon, et al. (2020)

Systematics Mitigation
Kern, Parsons, Dillon, et al. (2019ab)

End-to-End Validation
Aguirre et al. (2021)

