

Gravitational Waves Summary Report

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With Raphael Flauger,

Parallel speakers Tania Regimbau, Robert Caldwell, Daan Meerburg, Clem Pryke, Paolo Campeti, Toshiya Namikawa

Overview

1. Complementarity with direct detection I: phenomena with signals in direct detection and B-modes

- Is the space of models sufficiently explored?

2. Characterizing an S4 signal:

- Are we sure we have a primordial signal?
- Is there evidence in B for something beyond single-field slow-roll

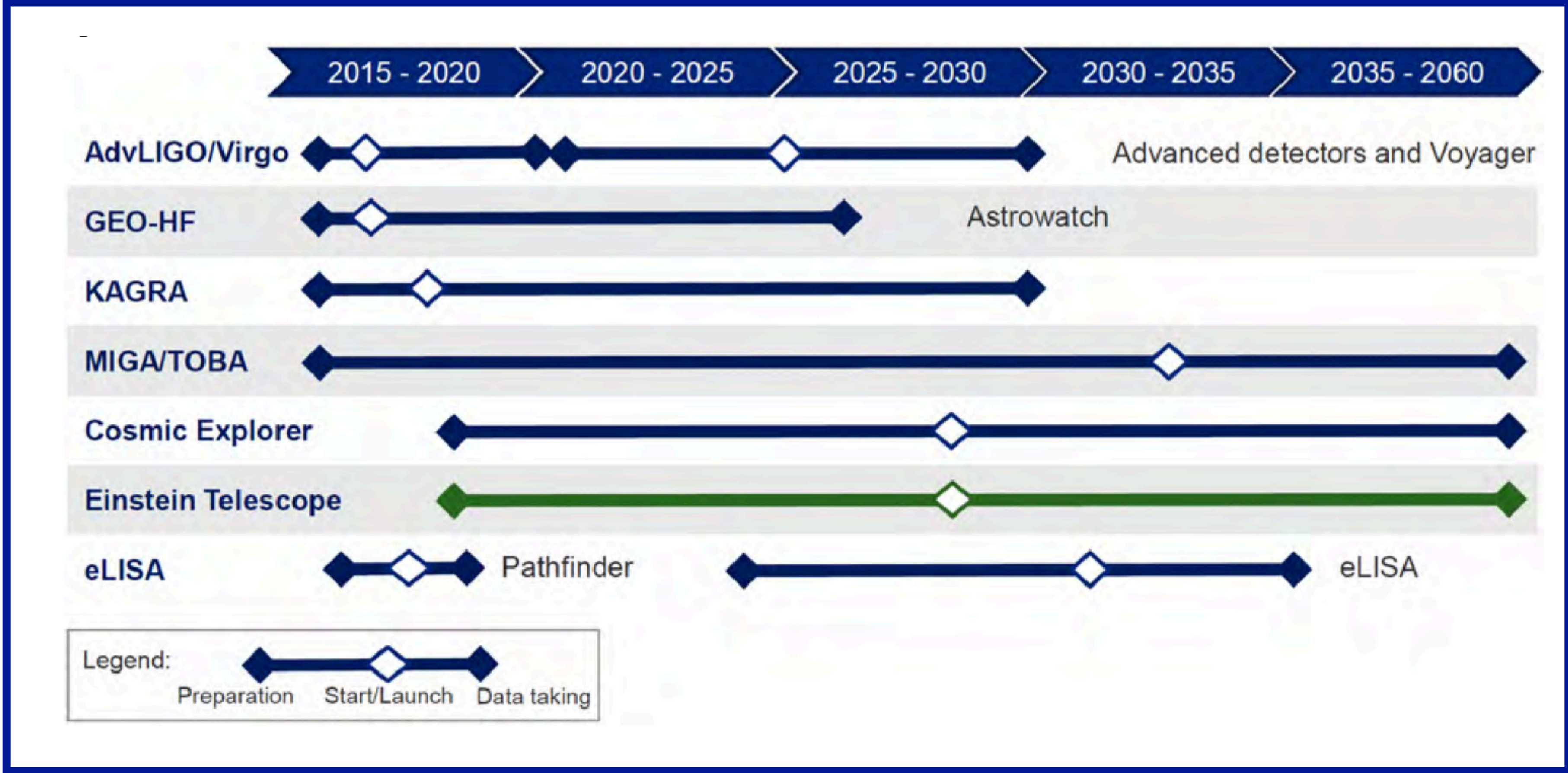
3. Complementarity with direct detection II: phenomena with direct detection and Temp/E-modes

1. Complementarity with Direct Detection I

Stochastic Background: superposition of unresolved sources

- astrophysical (unresolved mergers of compact objects)
- cosmological: primordial GWs, phase transitions, cosmic strings,

Time-line



LIGO/Virgo Search:
 2101.12130
 2103.08520

Figure: Einstein Telescope

Direct Detection: Stochastic Background

$$\Omega_{\text{GW}}(f) = \frac{f}{\rho_c} \frac{d\rho_{\text{GW}}}{df}$$

As detector sensitivity increases...

more sources are resolved,

...less astrophysical stochastic background

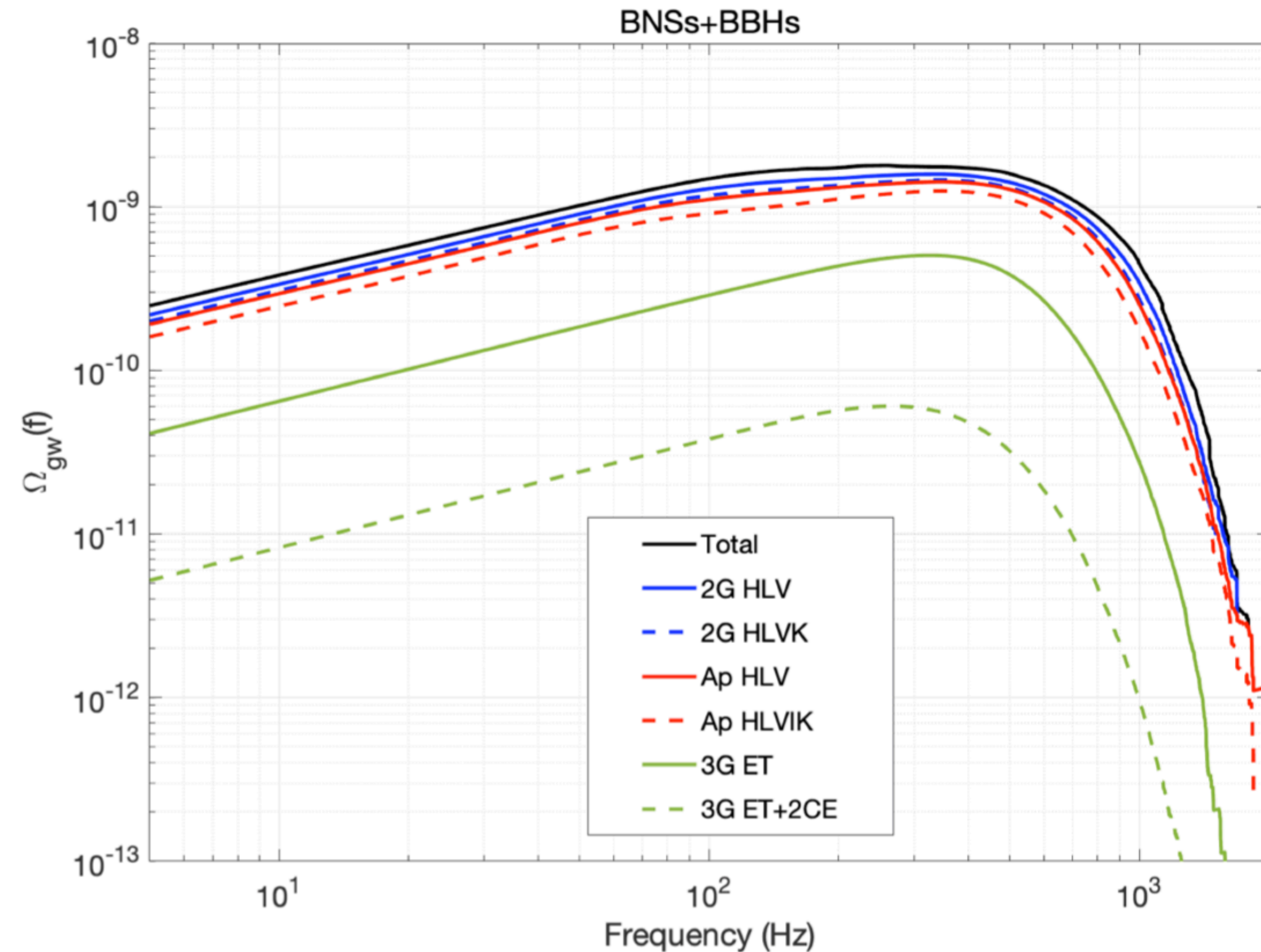


Figure from Tania Regimbau's talk

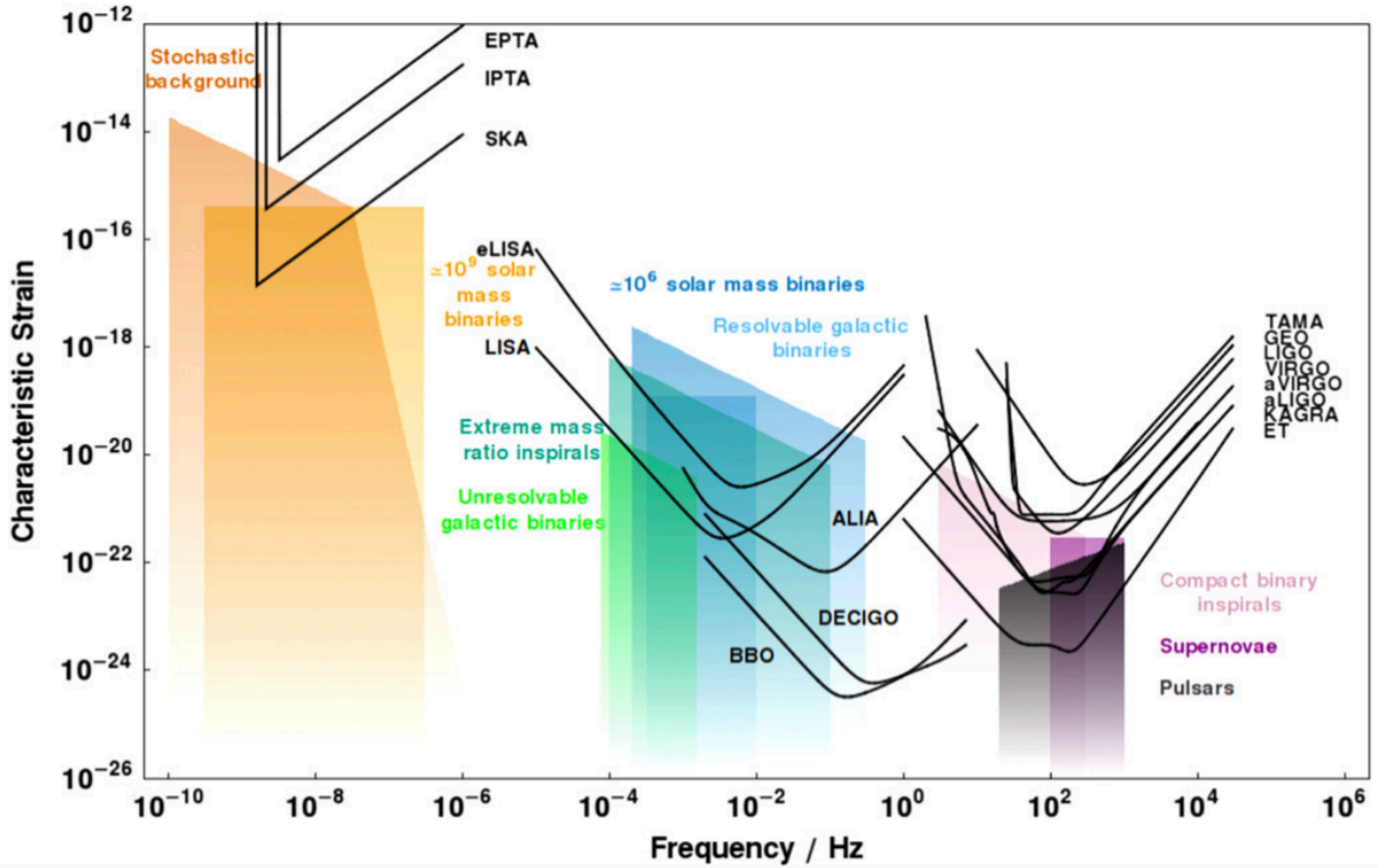


Figure: Moore, Cole, Berry 2014

Signal: cross-correlate detectors

Design and analysis point:

- Frequency domain cross product: $Y = \int \tilde{s}_1^*(f) \tilde{Q}(f) \tilde{s}_2(f) df$
- optimal filter: $\tilde{Q}(f) \propto \frac{\gamma(f) \Omega_{gw}(f)}{f^3 P_1(f) P_2(f)}$ with $\Omega_{gw}(f) \equiv \Omega_0 f^\alpha$

(Tania Regimbau's talk)

$\gamma(f)$ may be much less than one depending on detector relative orientation and separation

$\tilde{Q}(f)$ Should be optimized for the analysis you are doing

Signals? Require blue tilt

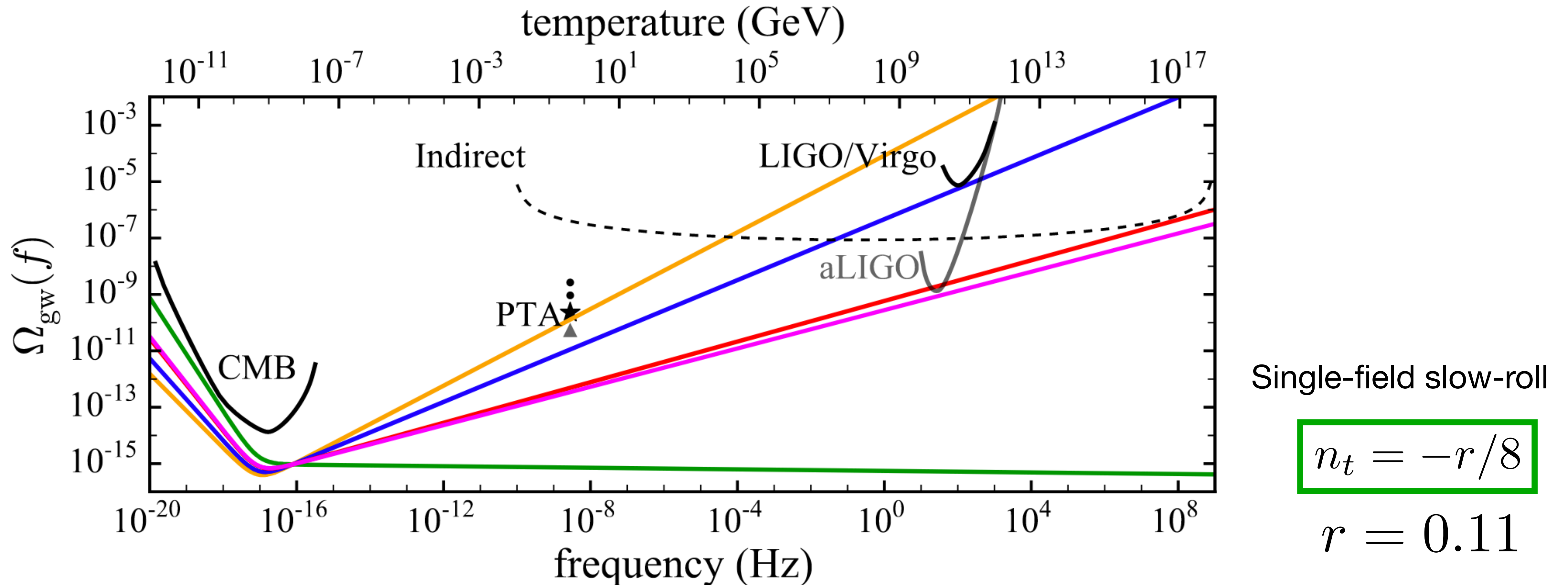


Figure: Lasky et al 1511.05994

Signals? Require blue tilt

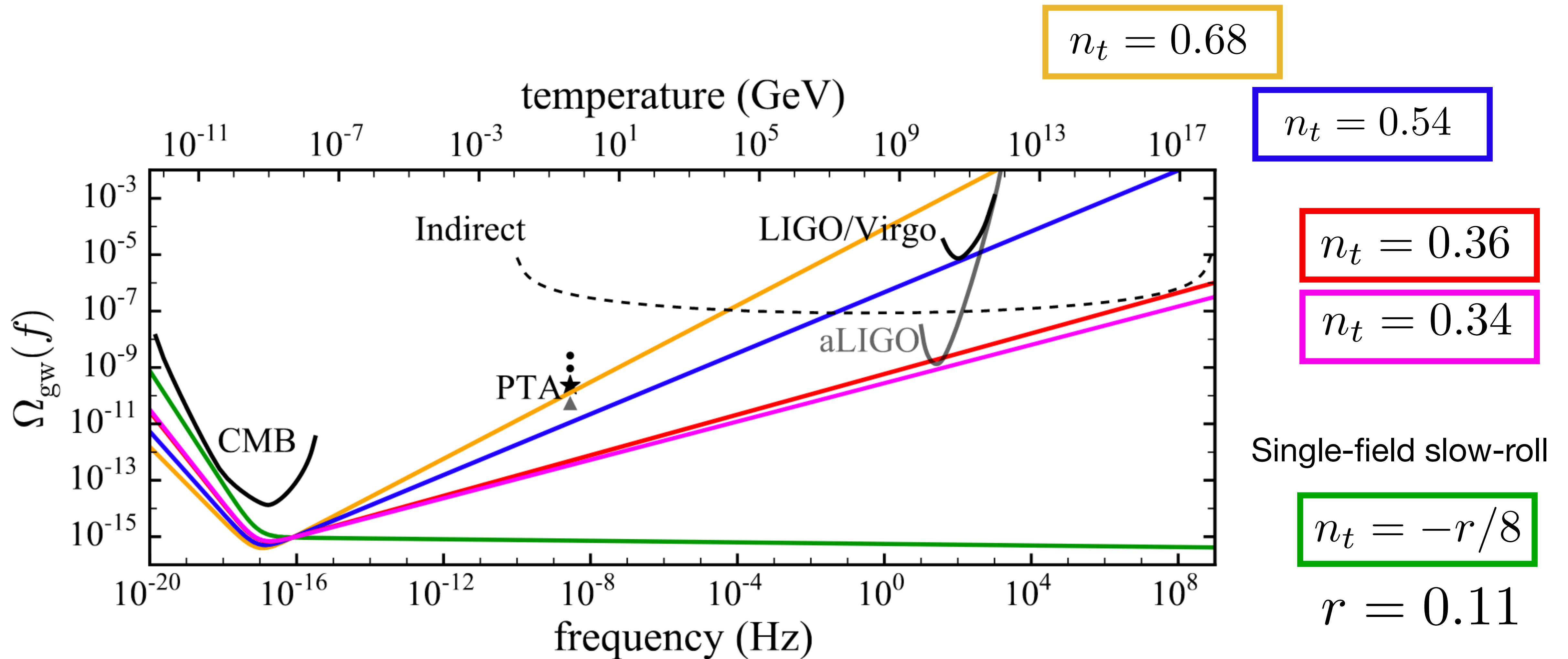
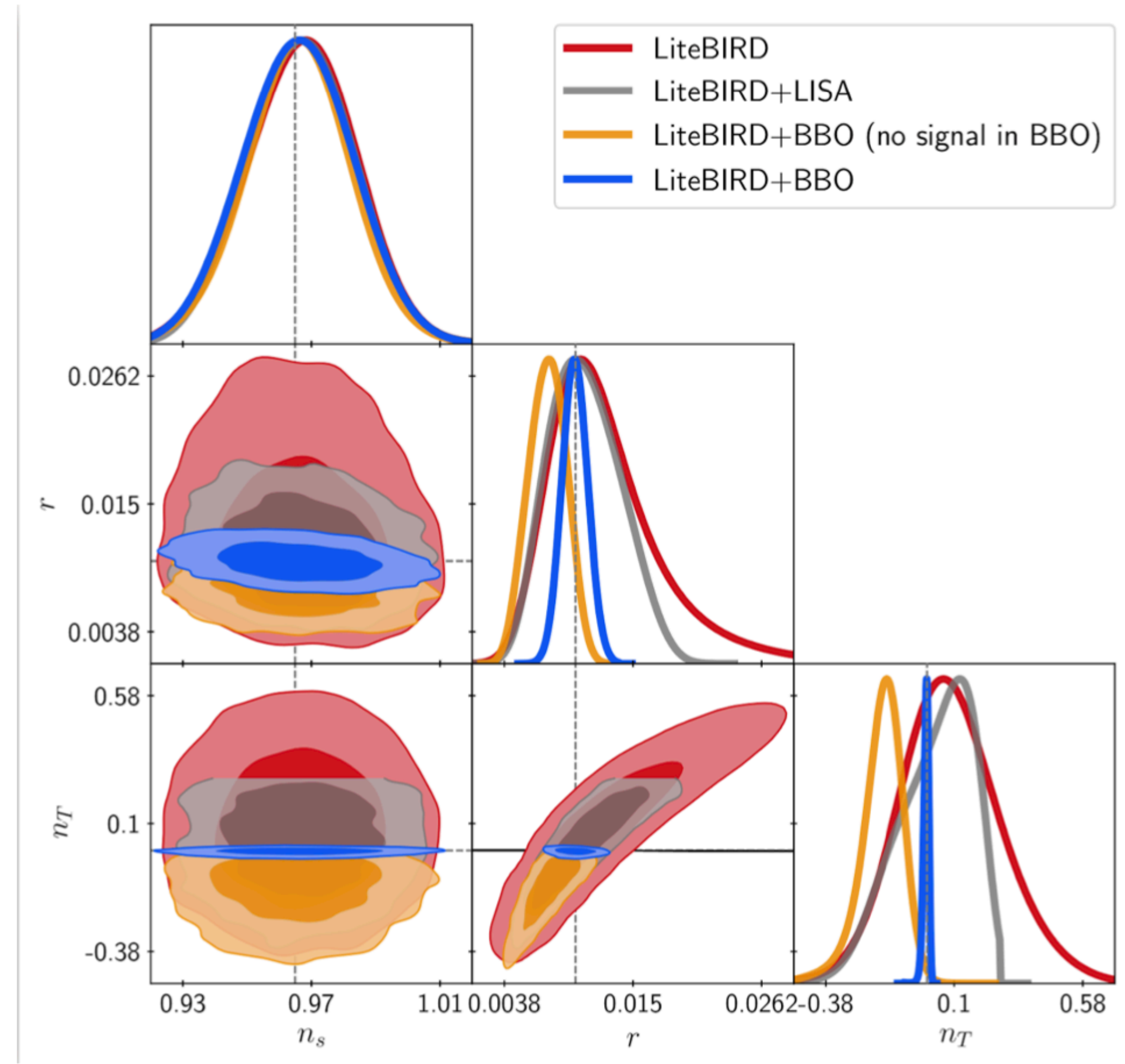


Figure: Lasky et al 1511.05994

Inflationary consistency relation $n_T = -r/8$

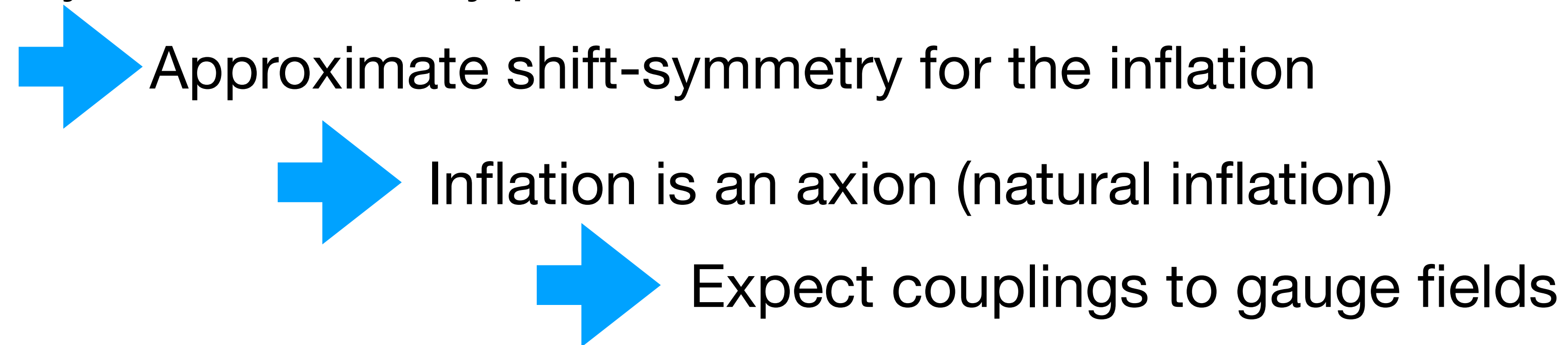
- Large lever-arm CMB/interferometers
- Case $r=0.01$
- **LiteBIRD alone**
- LiteBIRD + LISA
- **LiteBIRD + BBO**
- Not even LiteBIRD + BBO can distinguish scale-invariance from consistency relation
- **5σ detection in LiteBIRD but no detection in BBO**: bias on r , we can detect departure from scale-invariance at CMB scales due to large red-tilt



Blue Tilt?

You can do it with non-minimal (but well-motivated) field content during inflation:

Nearly flat inflationary potential



$$\mathcal{L} = \underbrace{-\frac{1}{2} (\partial\phi)^2 - U(\phi)}_{\text{Inflaton}} - \frac{1}{4} F_{\mu\nu}^a F^{a\mu\nu} + \underbrace{\frac{\lambda}{4f} \phi F_{\mu\nu}^a \tilde{F}^{a\mu\nu}}_{\text{Coupling: sourced fluctuations}} + \dots$$

Blue Tilt + other features

GW signal is parity violating, chiral, non-Gaussian:

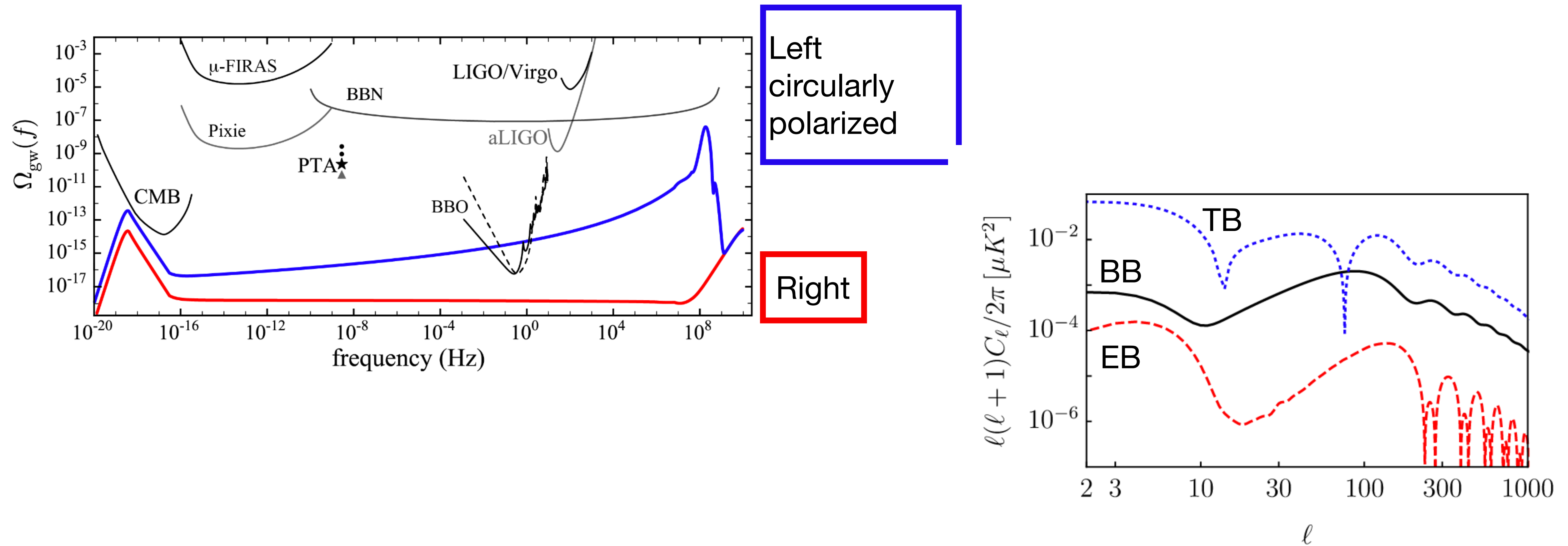


Figure: Caldwell, Devulder, 1706.03765

Benchmark models

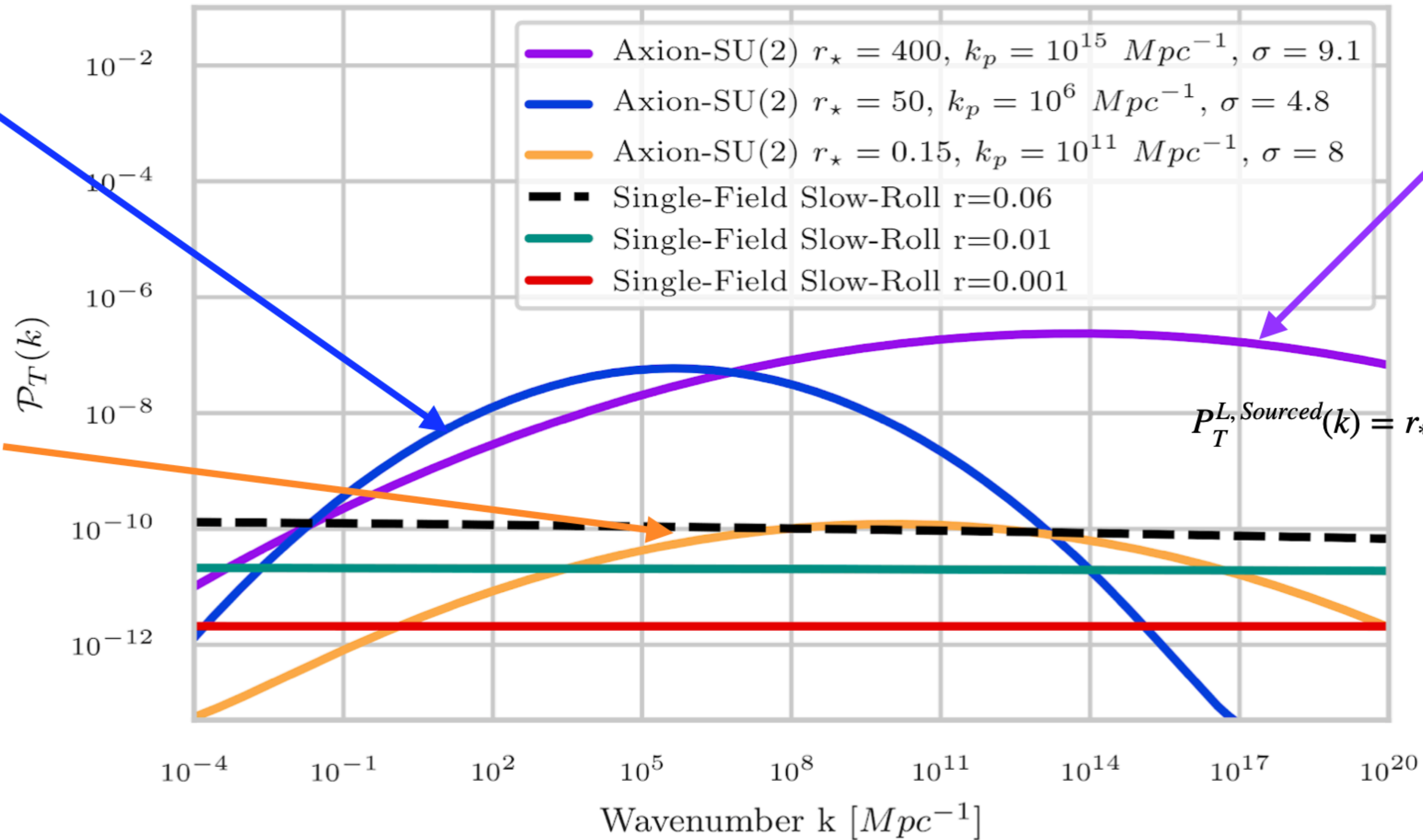
satisfying BICEP2/Planck upper bound on r

AX₃ model

peaks in PTA range

AX₂ model

peaks in space interferometers range but is not detectable at CMB scales



AX_I model

peaks in space interferometers range

$$P_T^{L, Sourced}(k) = r_* P_R(k) \exp \left[-\frac{1}{2\sigma^2} \ln^2 \left(\frac{k}{k_p} \right) \right]$$

Expected?

Generic field content is well-motivated

Parameter values that match current data and give large observable signals look a bit contrived

Is the space of models well-explored?

2. Characterizing an S4 signal

The features above suggest ways to characterize any (sufficiently large!) signal

Two goals:

- Is this a primordial signal?
- Does it disfavor single-field slow-roll?

Challenges for EB

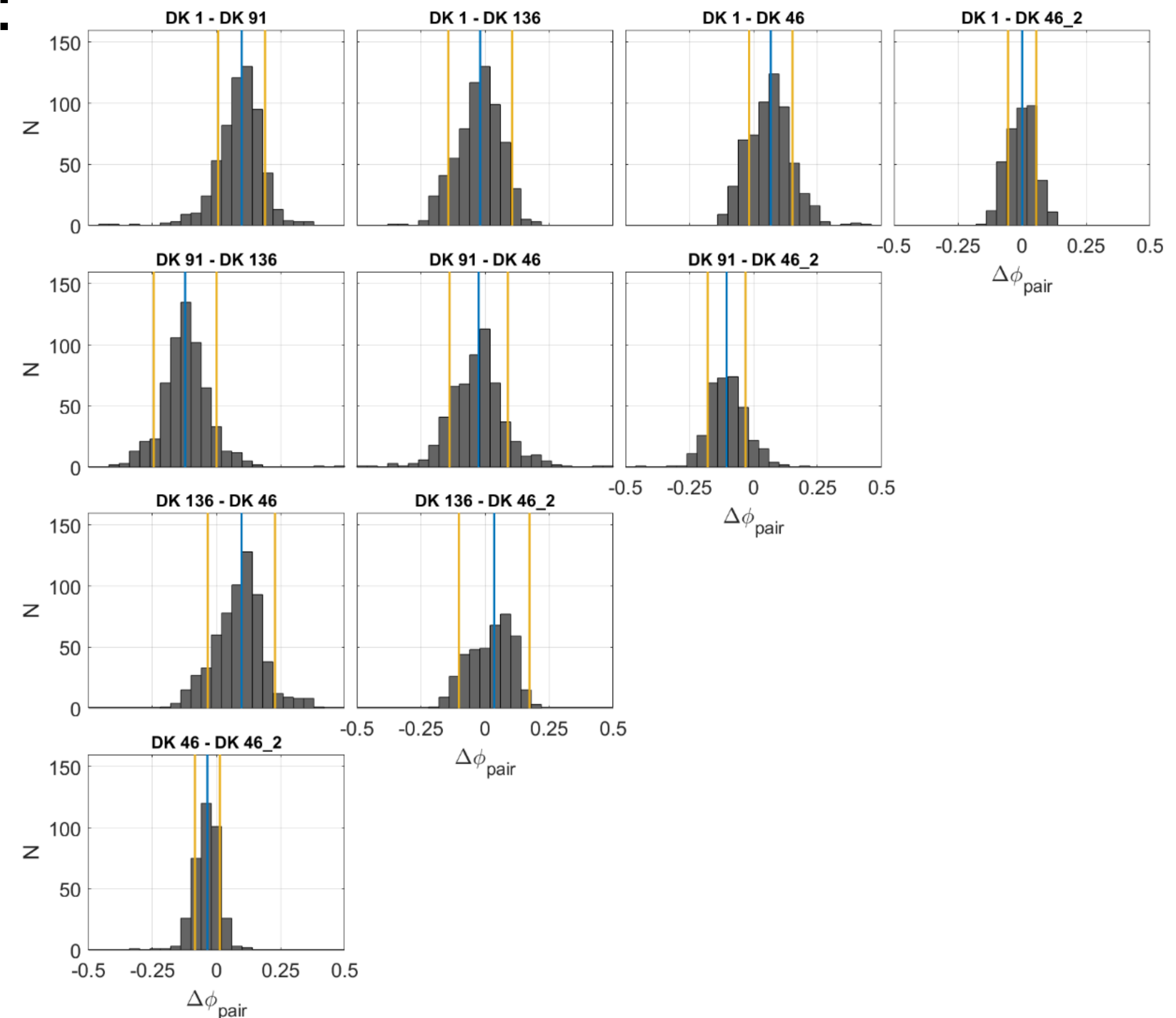
Mis-calibrating the absolute polarization angle:

$$C_{\ell}^{\prime TB} = C_{\ell}^{TE} \sin(2\alpha)$$

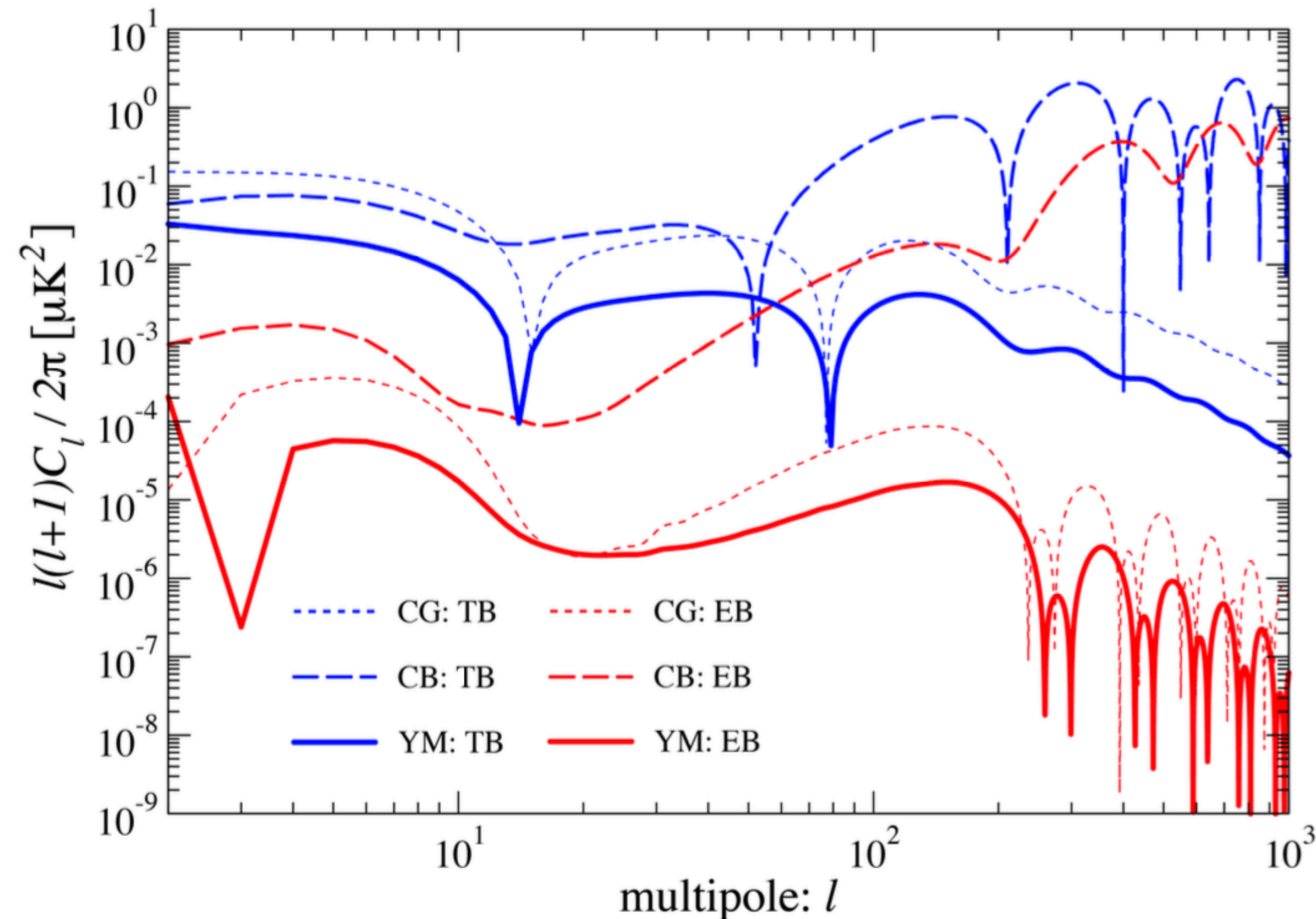
$$C_{\ell}^{\prime EB} = \frac{1}{2} (C_{\ell}^{EE} - C_{\ell}^{BB}) \sin(4\alpha)$$

Clem Pryke's talk; see 2012.05934 for BICEP3 results

-upshot: more to learn about how to do this



But, if signal does not overlap, less confusion



From Robert Caldwell

Fig. 10. The parity-violating cosmic polarization signals $\langle TB \rangle$ and $\langle EB \rangle$ from three different scenarios are shown. YM: the scenario based on the flavor-space locked gauge field presented in this article. CG: chiral gravity. CB: cosmic birefringence. We note that the YM and CG signals are similar. The CB signals strongly resemble the $\langle TE \rangle$ and $\langle EE \rangle$ power spectra shown in Fig. 9. For reference, the CB signal assumes a rotation angle $\Delta\theta = 1^\circ$.

Bispectrum

Tensor NGs Forecasts

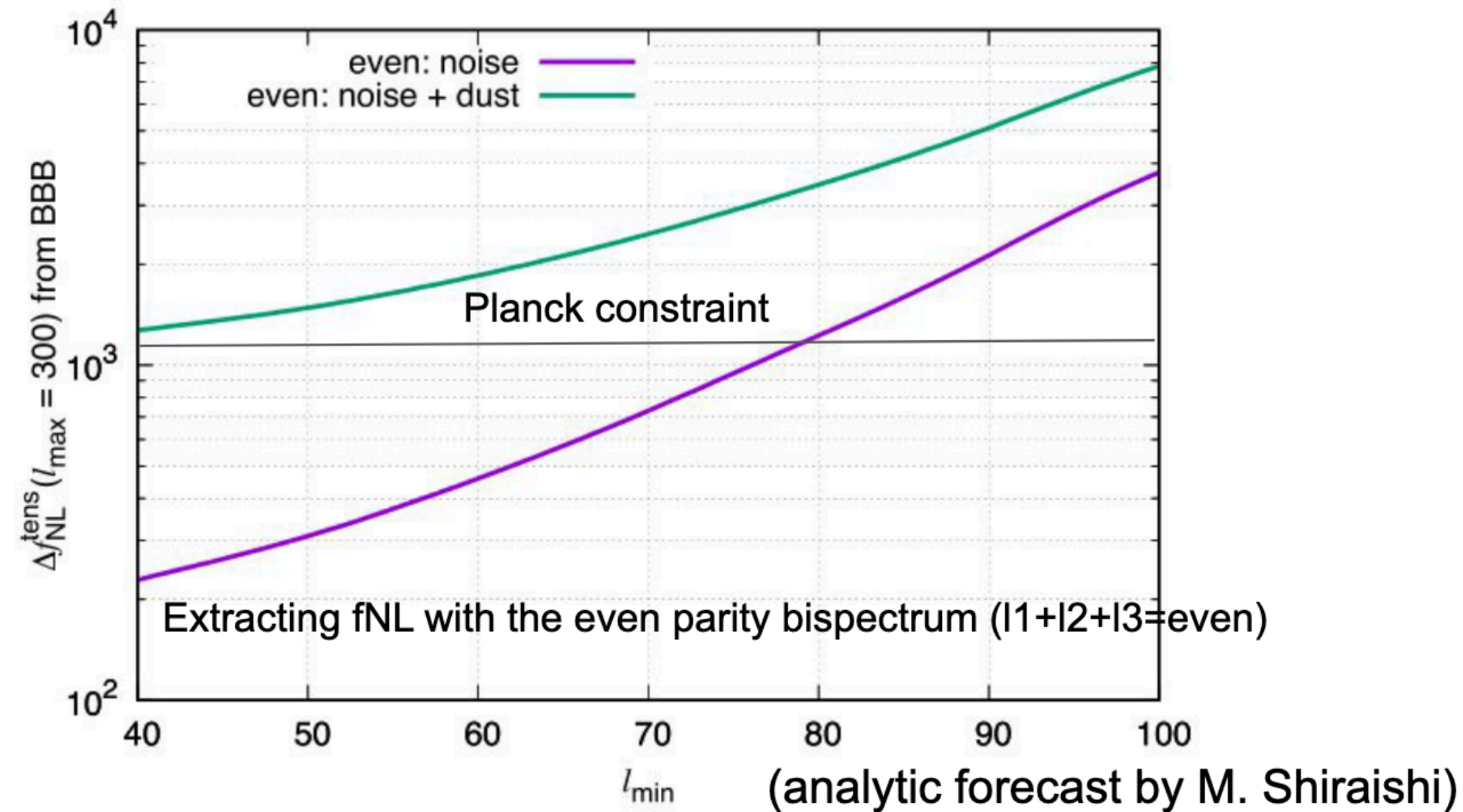
- Forecasts show that we **can do really well on squeezed limits** (see S4 DSR, science book)

Shape: $\langle \mathcal{R}\mathcal{R}\gamma \rangle$ $\langle BTT \rangle, \langle BTE \rangle, \langle BEE \rangle$	Current	CMB-S4 goal	Conservative	CV-limited
f_{sky}	69%	3%	3%	100%
$\sigma(\sqrt{r} \tilde{f}_{\text{NL}}^{\text{local}})$	28	0.79	1.2	0.052
$\sigma(\sqrt{r} \tilde{f}_{\text{NL}}^{\text{equil}})$...	16	24	1.7
$\sigma(\sqrt{r} \tilde{f}_{\text{NL}}^{\text{ortho}})$...	4.4	7.4	0.41

- NGs are therefore typically generated away from squeezed limit** (equilateral); those in general, unfortunately, are harder to constrain

SNR of fNL from BICEP: Large-scale filtering

- An analytic forecast when including noise and dust for BK15



BK15: constraint is worse than Planck

BK18: constraint would be much better than Planck

- Although the best way to constrain tensor non-Gaussianity is to use B-mode bispectrum, the tensor non-Gaussianity can also produce T and E bispectrum and is constrained by Planck T/E

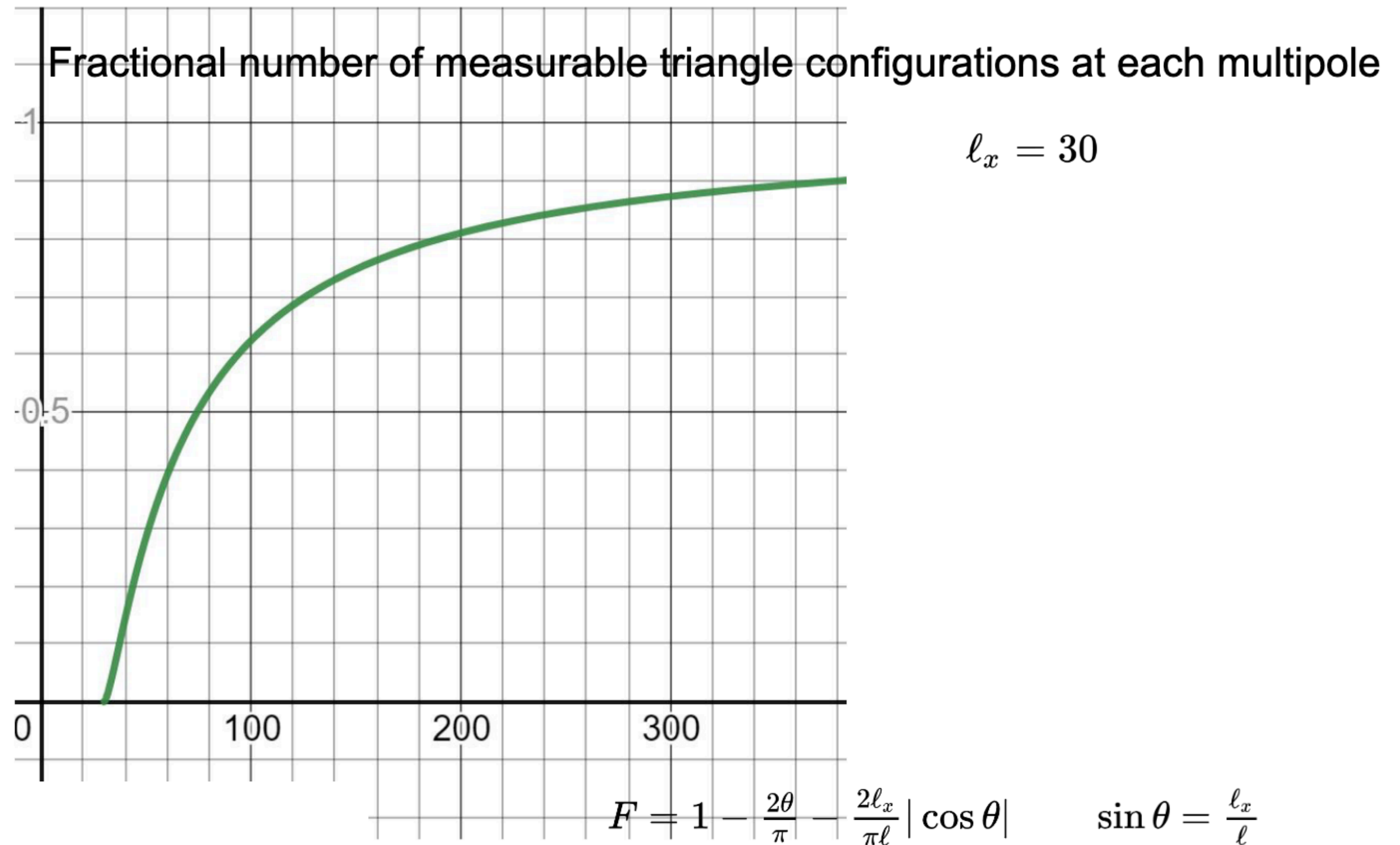
Planck constraints

$$\sigma(f_{NL}^{\text{tens}}) = 1100 \quad (\text{Planck Collaboration 2018})$$

$$f_{NL}^{\text{tens}} \equiv \lim_{k_i \rightarrow k} \frac{B_h^{+++}(k_1, k_2, k_3)}{F_\zeta^{\text{equil}}(k_1, k_2, k_3)}$$

SNR of fNL from BICEP: Additional mode loss

- Restriction of triangle configuration by timestream filtering



- SNR estimate with a realistic simulation

- 3D binned estimator is applied to BK18 B-modes
(flat-sky counterpart of Bucher et al. 2016, Coulton & Spergel 2019)

$$b_{ijk} = \frac{1}{N_{ijk}} \int d^2n B_i^f(n) B_j^f(n) B_k^f(n) \quad B_i^f(n) = \int d^2l e^{i\mathbf{l}\cdot\mathbf{n}} f_{i,l} B_l$$

$$f_{NL}^{\text{tens}} = \sum_{I=ijk} b_I^{f_{NL}=1} \text{Cov}_I^{-1} b_I$$

$$\Rightarrow \sigma(f_{NL}^{\text{tens}}) \sim 600$$

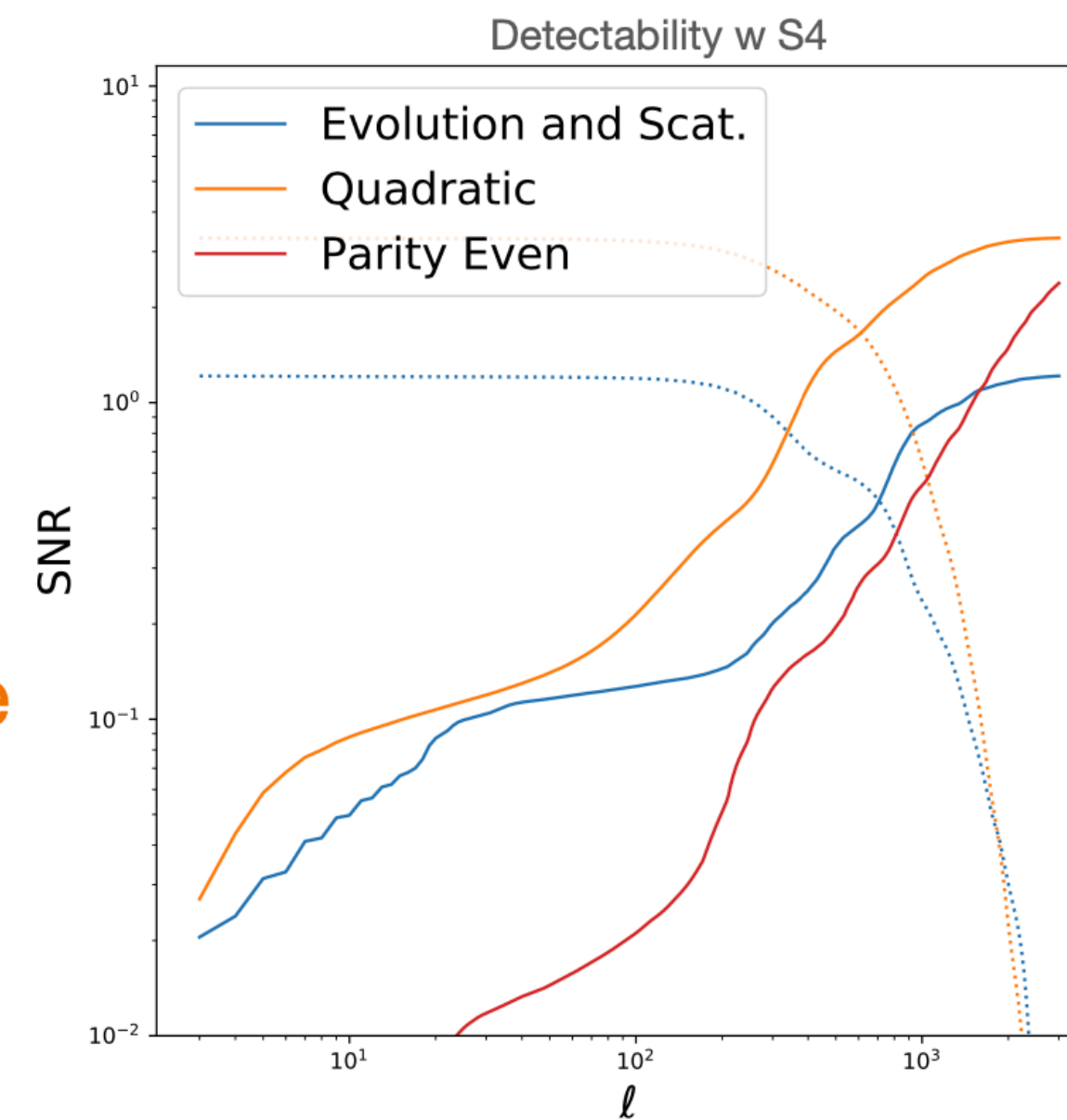
From Toshiya Namikawa's talk

Intrinsic Bispectrum?

The CMB bispectrum

Intrinsic bispectrum

- Besides primordial and secondary sources, **the CMB will also contain intrinsic bispectra**, simply due to non-linear evolution of perturbations
- These could also be possible sources of confusion (and extra variance);
- Good news is that while they could be **detectable with upcoming surveys** (see Coulton 2021), they likely would not interfere with search for primordial NGs



Credits: Will Coulton

3. Complementarity with Direct Detection II

- Phase Transitions within the dark sector
- Topological Defects
- Exotic compact objects from dark matter
- Individual merger events
- New source of stochastic background (or other signals, like bursts)

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