

Dark Energy

Dark Matter

**Baryon
Asymmetry**

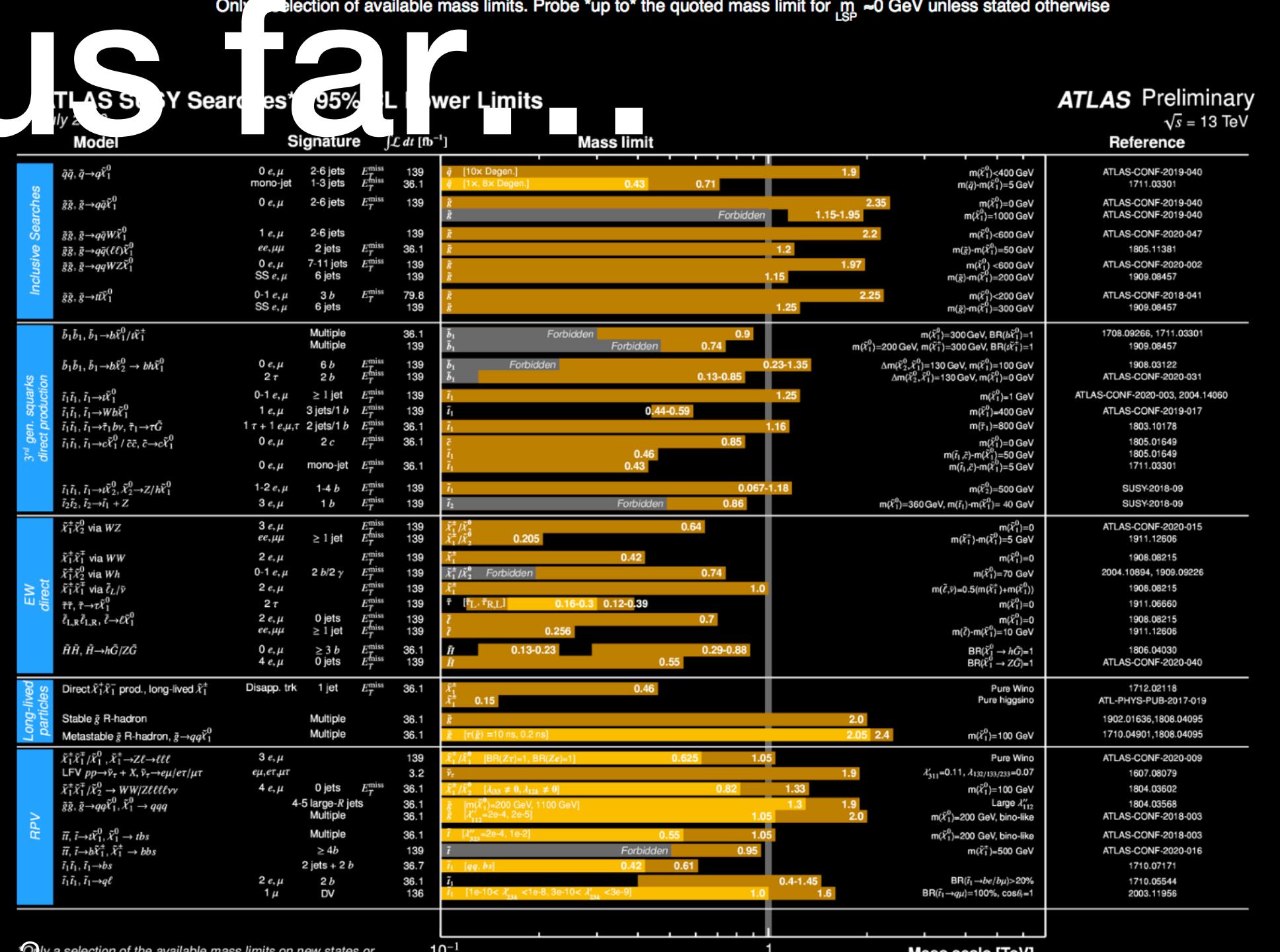
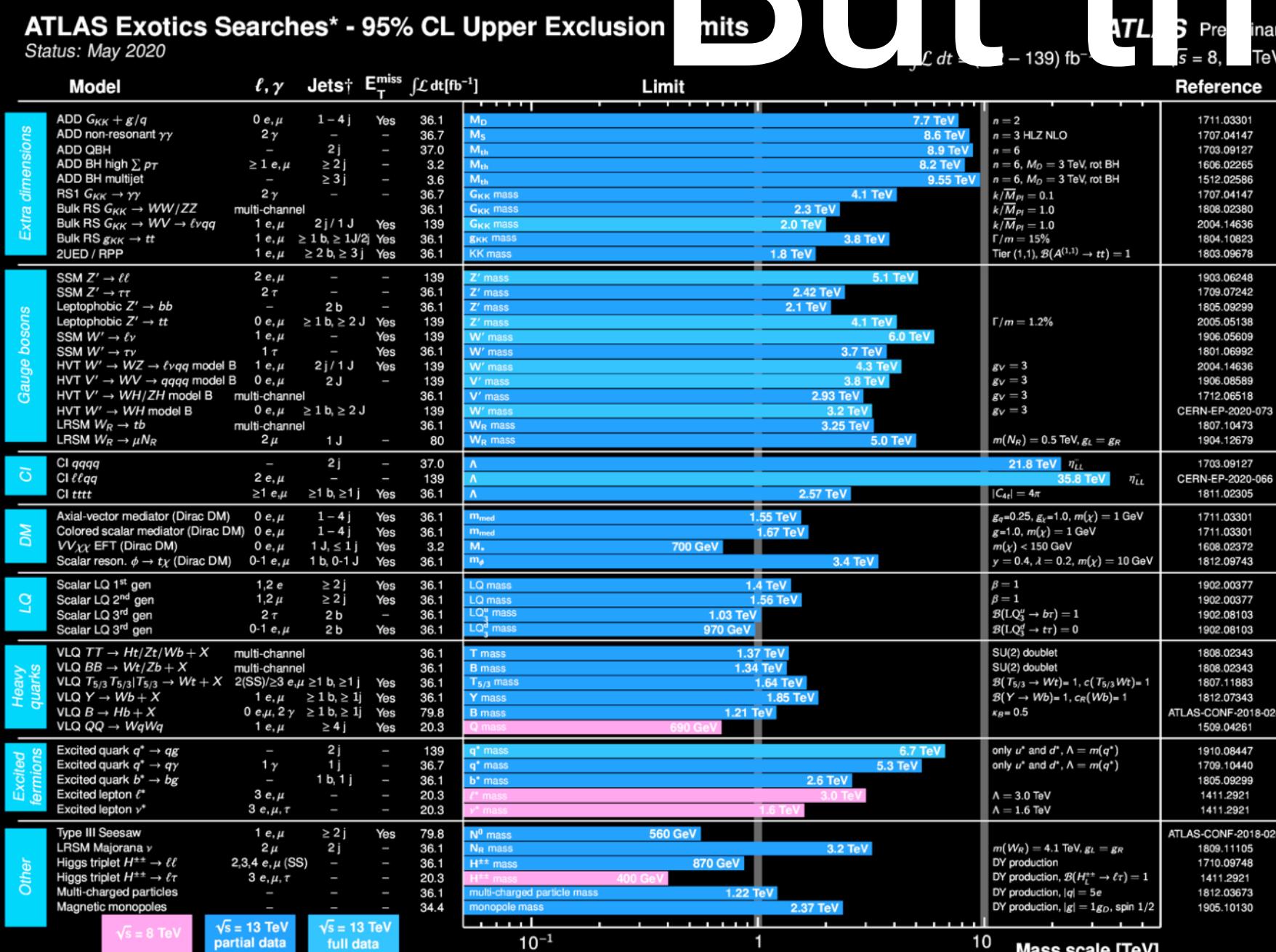
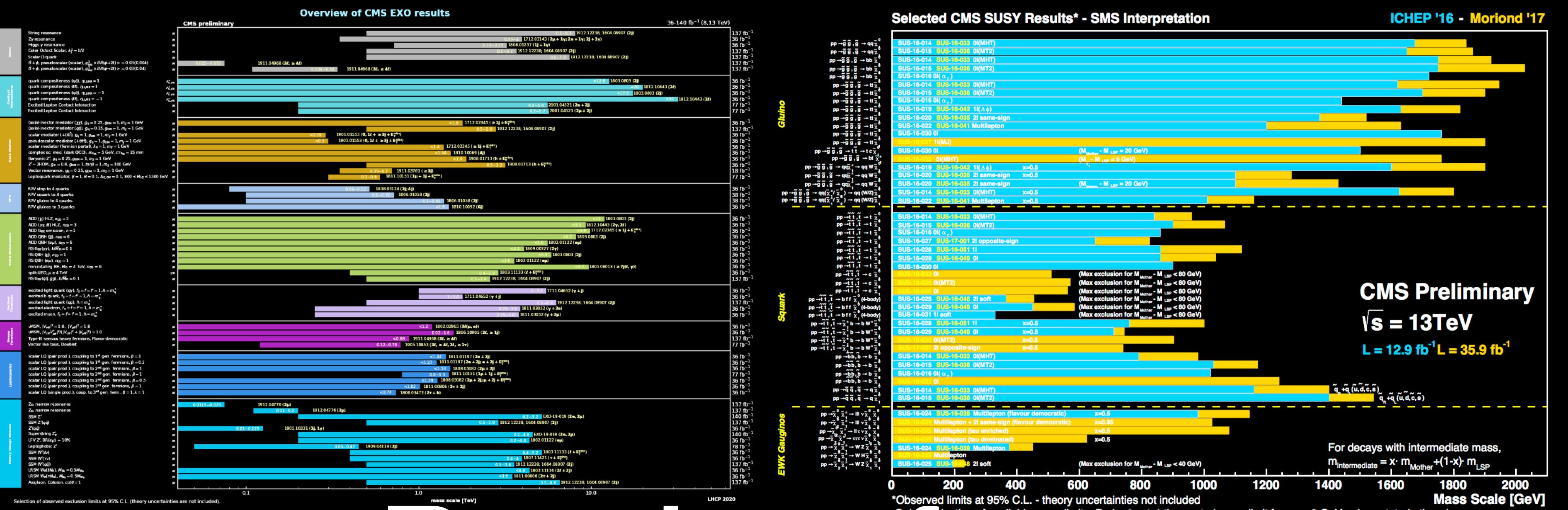
**Neutrino
Mass**

**Hierarchy
Problem**

**Strong CP
Problem**

**Flavor
Puzzle**



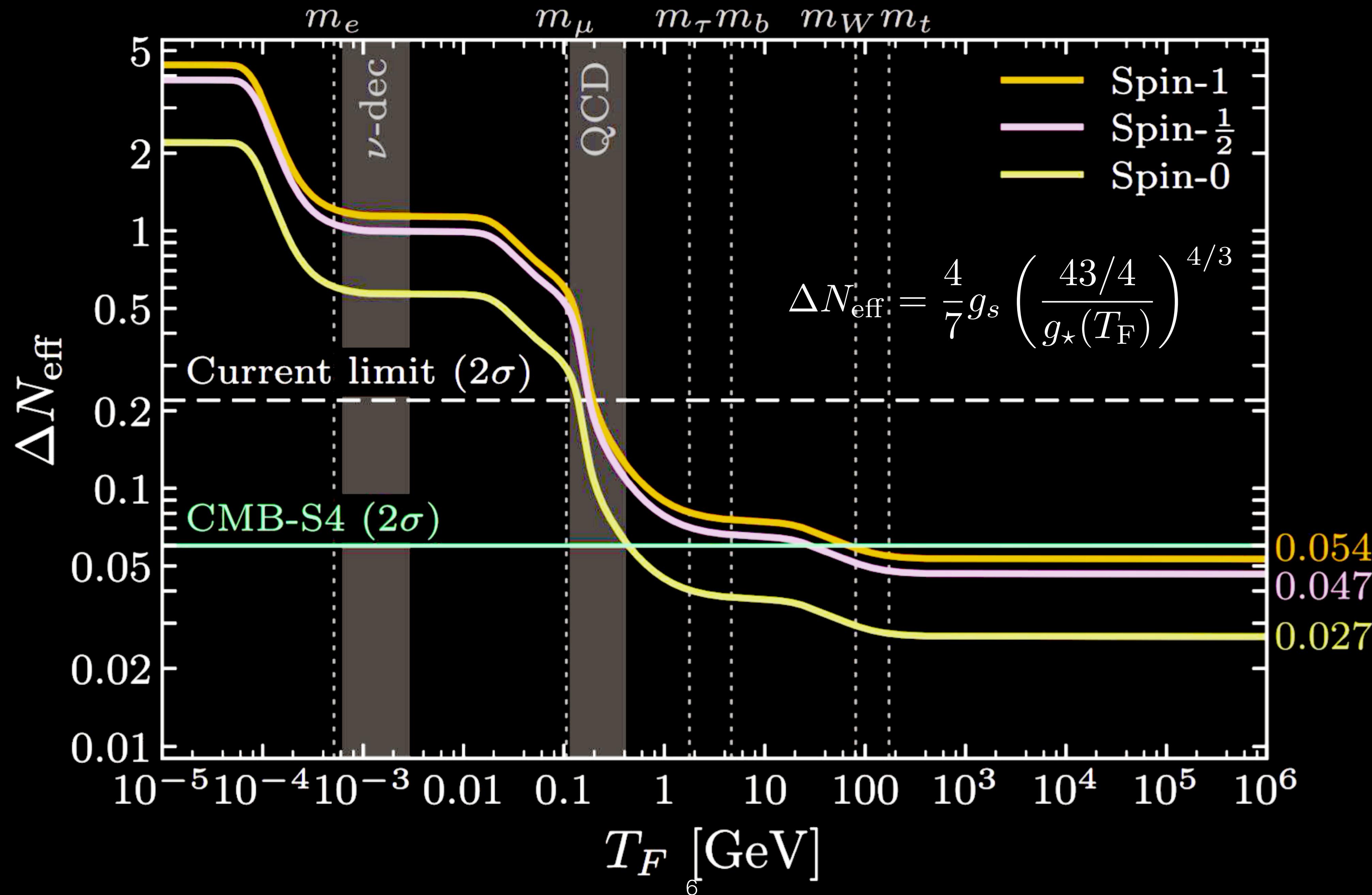






Jolanda Neff

Tokyo 2020 Olympic gold medalist, MTB



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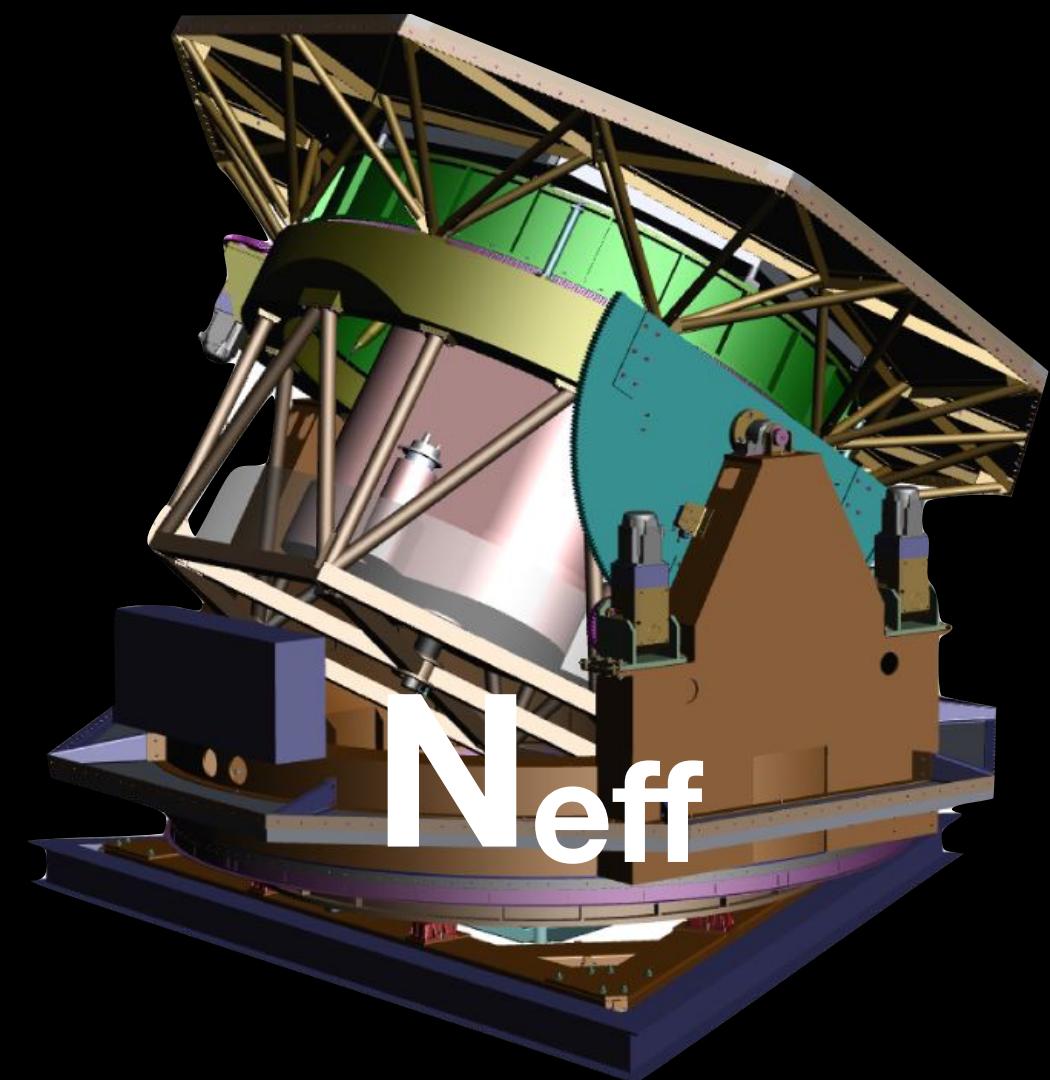
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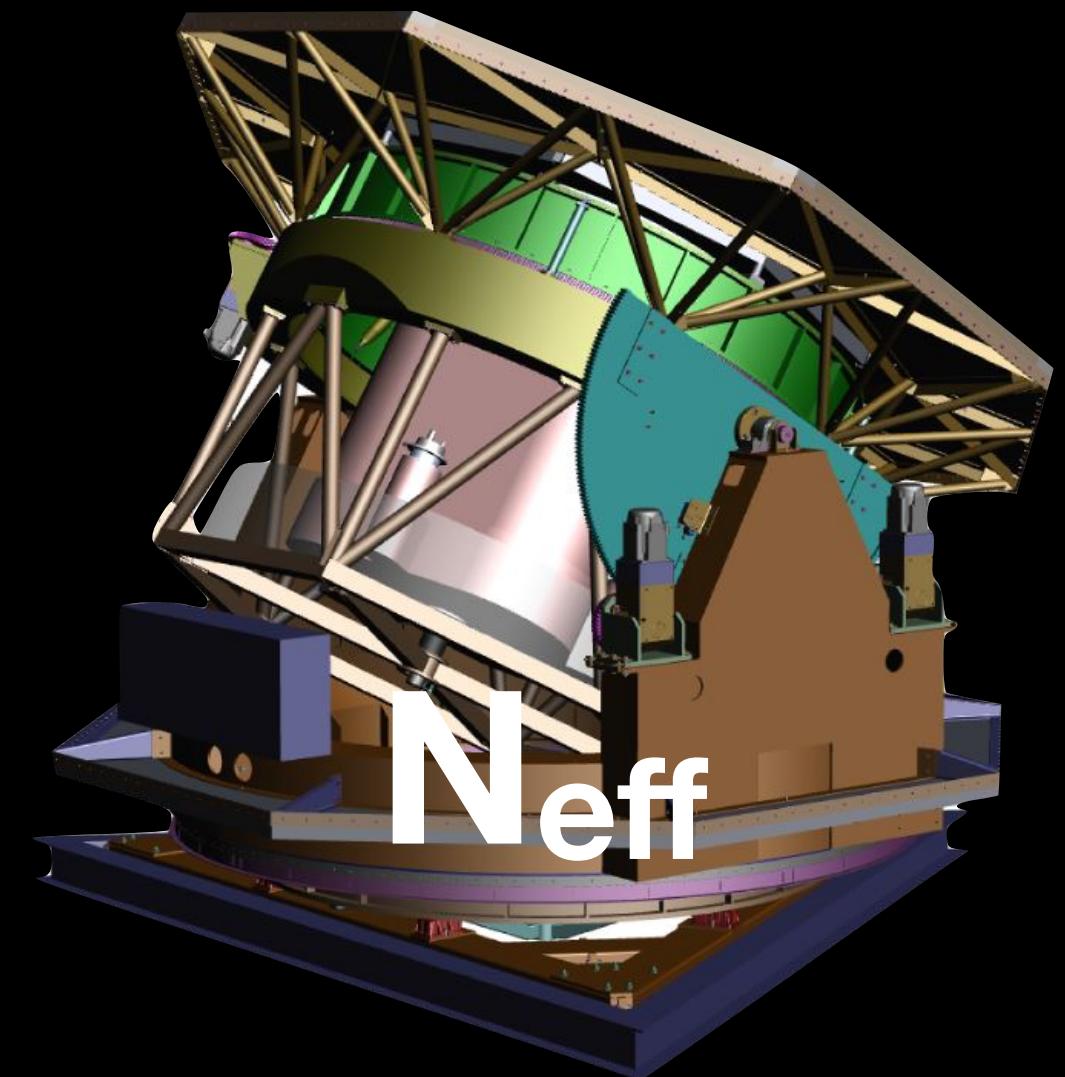
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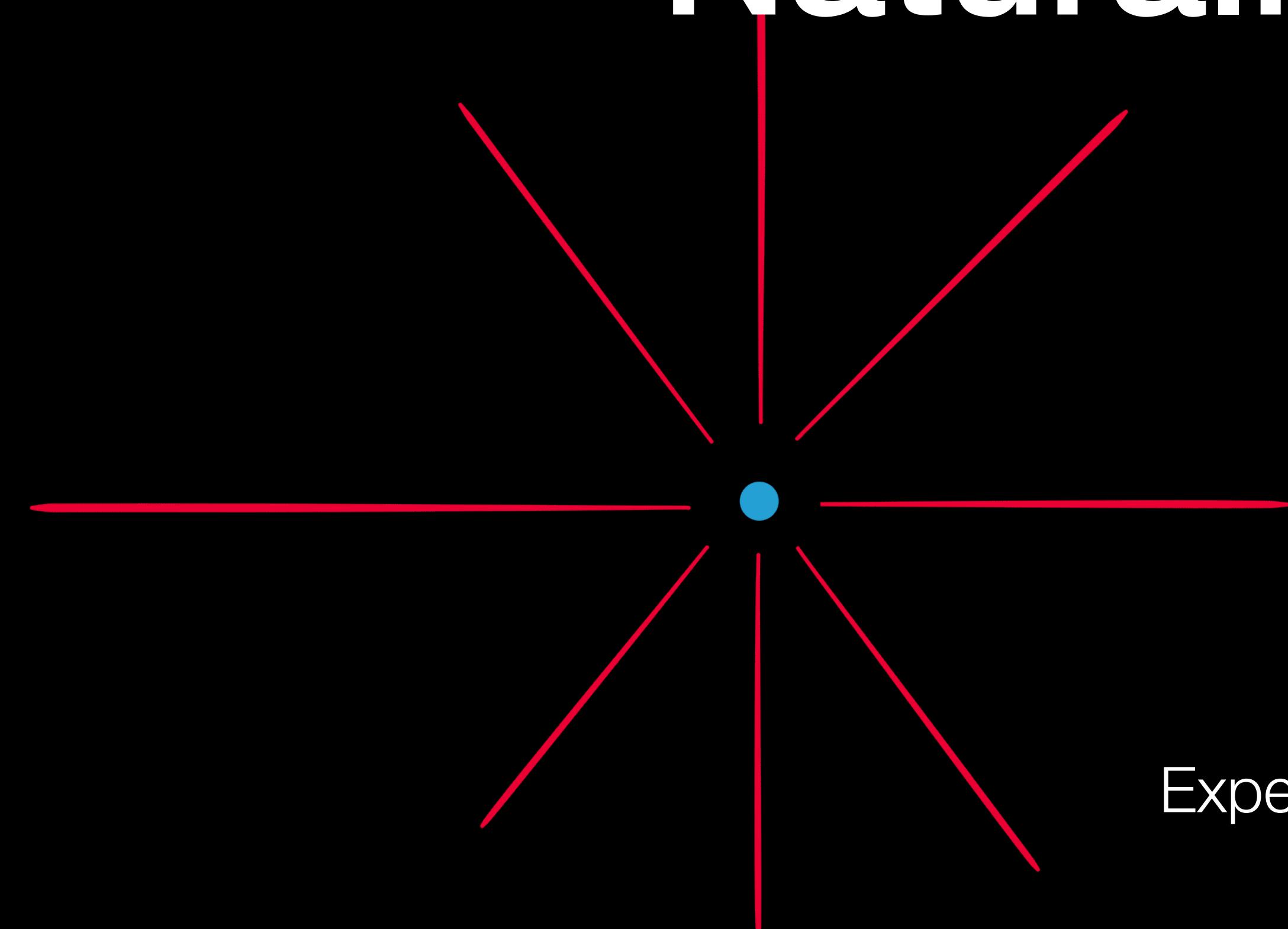
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Hierarchy Problem Naturalness Strategy



The naturalness strategy: an **analogy** from E&M

$$\Delta E_C = \frac{1}{4\pi\epsilon_0} \frac{e^2}{r_e}$$

$$(m_e c^2)_{obs} = (m_e c^2)_{bare} + \Delta E_C$$

Experimentally $r_e \lesssim 10^{-18} \text{ cm} \Rightarrow \Delta E_C \gtrsim 100 \text{ GeV}$

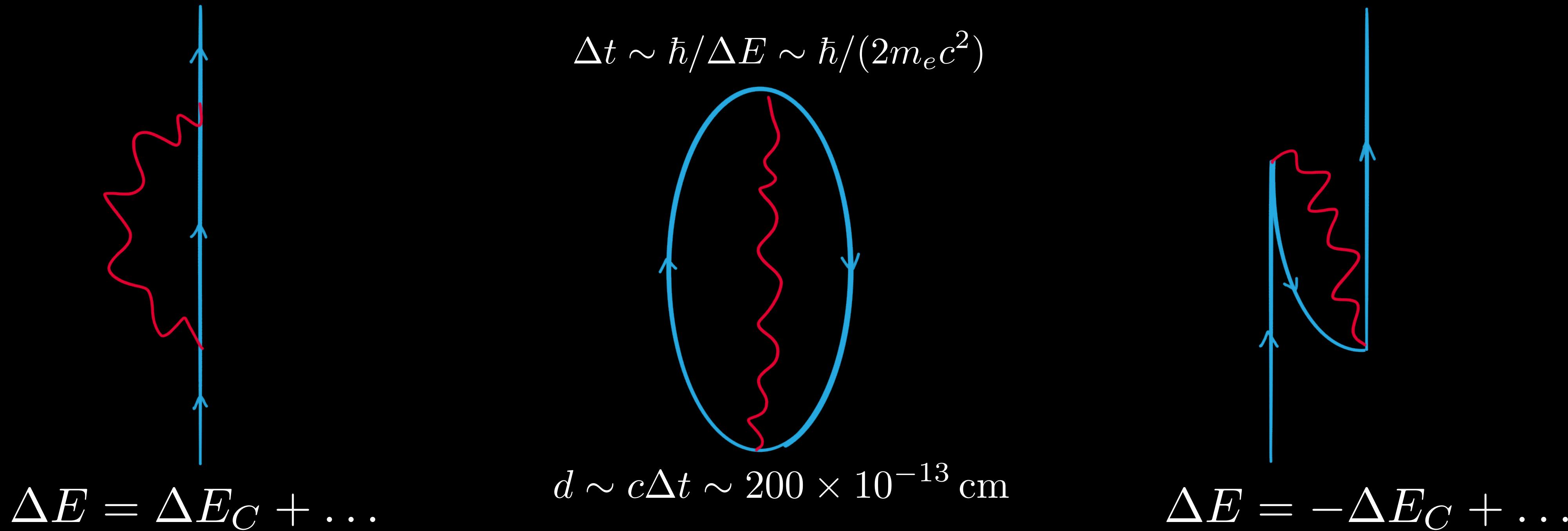
If so, $0.511 = -99999.489 + 100000.000 \text{ MeV}$

To avoid fine-tuning, i.e. for the theory to be “natural”, need
picture to change on scales below $2.8 \times 10^{-13} \text{ cm}$

The Naturalness Strategy

Dirac (1928/29): There is a new state in the relativistic quantum theory

Weisskopf (1939): Compute the self-energy including the positron

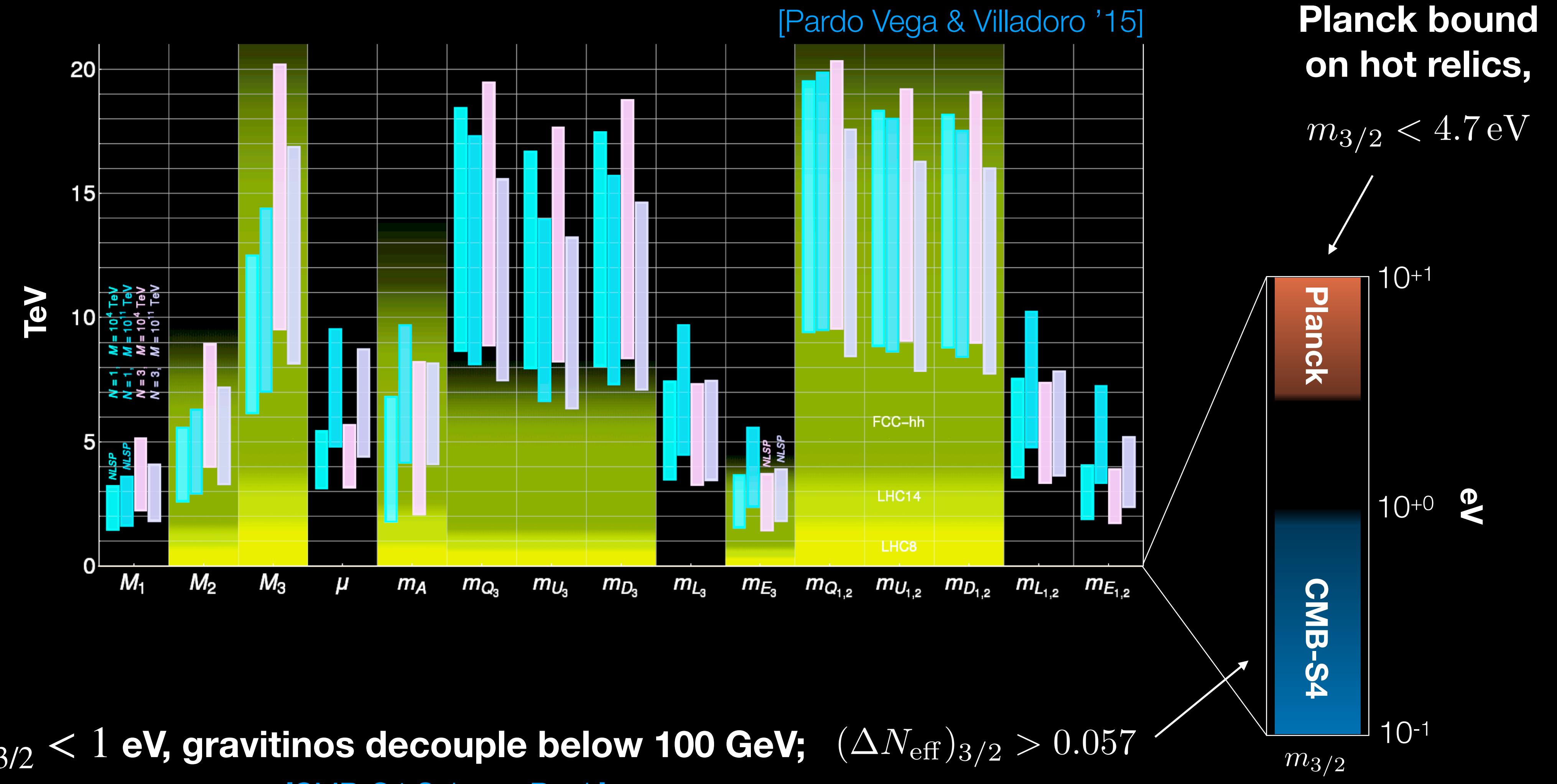


$$\Delta E = \Delta E_C - \Delta E_C + \frac{3\alpha}{4\pi} m_e c^2 \log \frac{\hbar}{m_e c r_e}$$

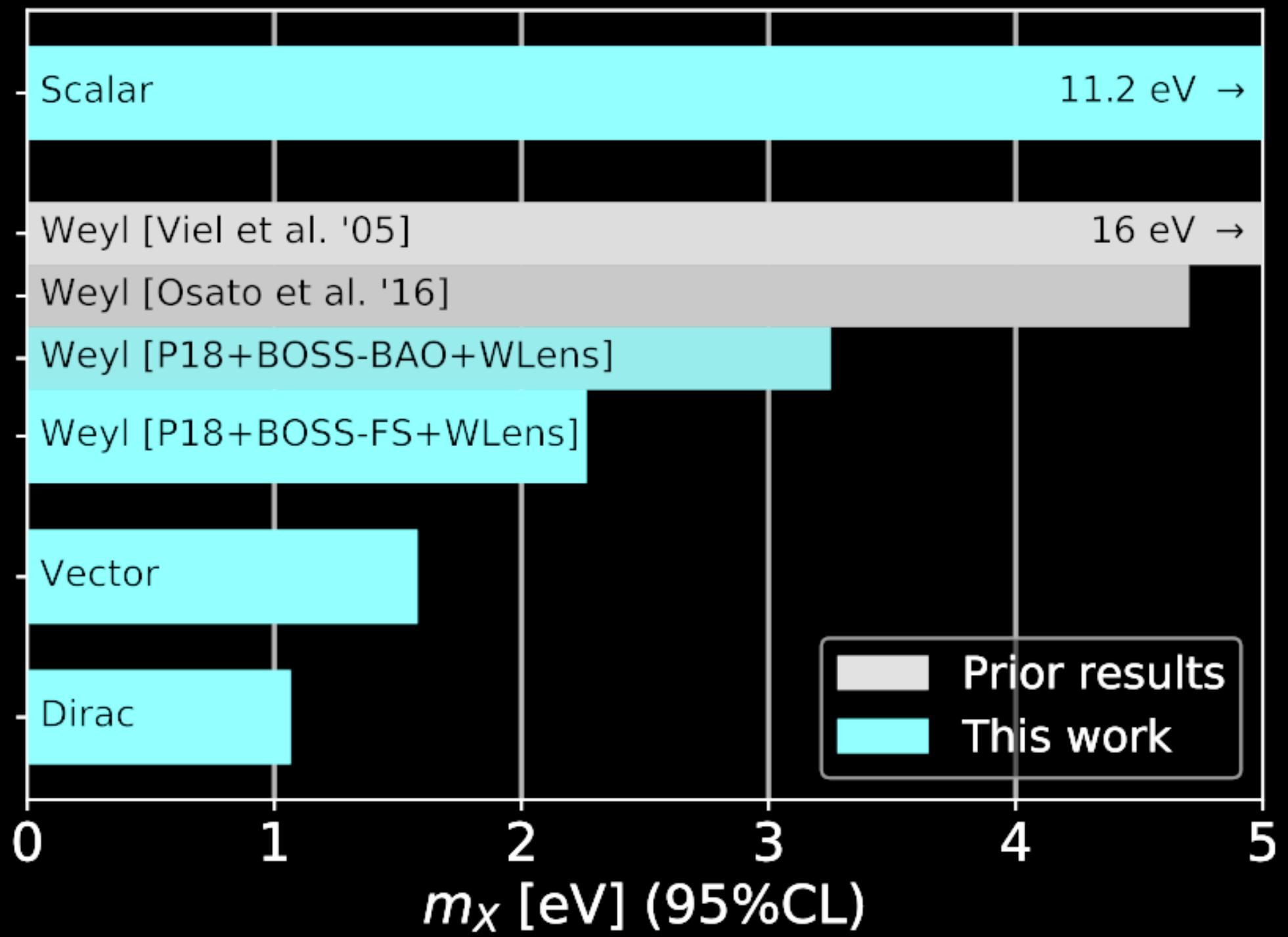
The Naturalness Strategy

Param	UV sensitivity	Natural if	NP	Scale	Natural?
“ m_e ”	$e^2 \Lambda$	$\Lambda \lesssim 5 \text{ MeV}$	Positron	511 keV	✓
$m_{\pi^\pm}^2 - m_{\pi^0}^2$	$\frac{3\alpha}{4\pi} \Lambda^2$	$\Lambda \lesssim 850 \text{ MeV}$	Rho	770 MeV	✓
$m_{K_L} - m_{K_S}$	$\frac{s_c^2 f_K^2 m_{K_L}^0}{24\pi^2 v^4} \Lambda^2$	$\Lambda \lesssim 2 \text{ GeV}$	Charm	1.2 GeV	✓
m_H^2	$-\frac{6y_t^2}{16\pi^2} \Lambda^2 + \dots$	$\Lambda \lesssim 500 \text{ GeV}$?	?	?

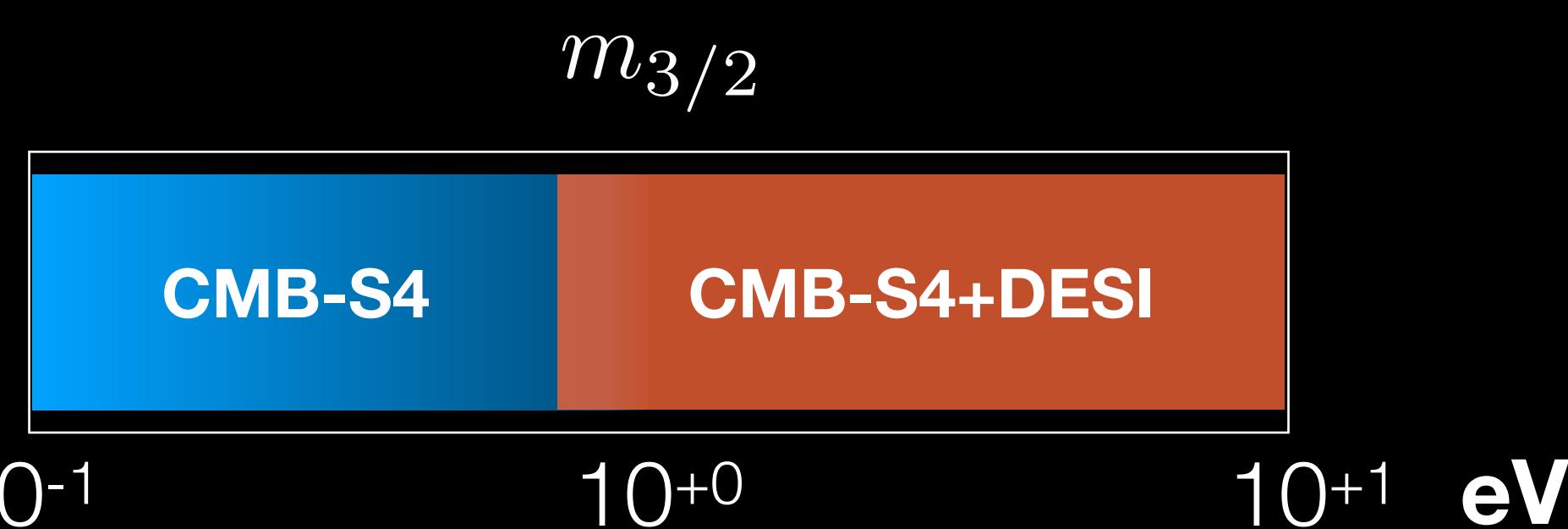
Supersymmetry



Light but Massive Relics (LiMRs)

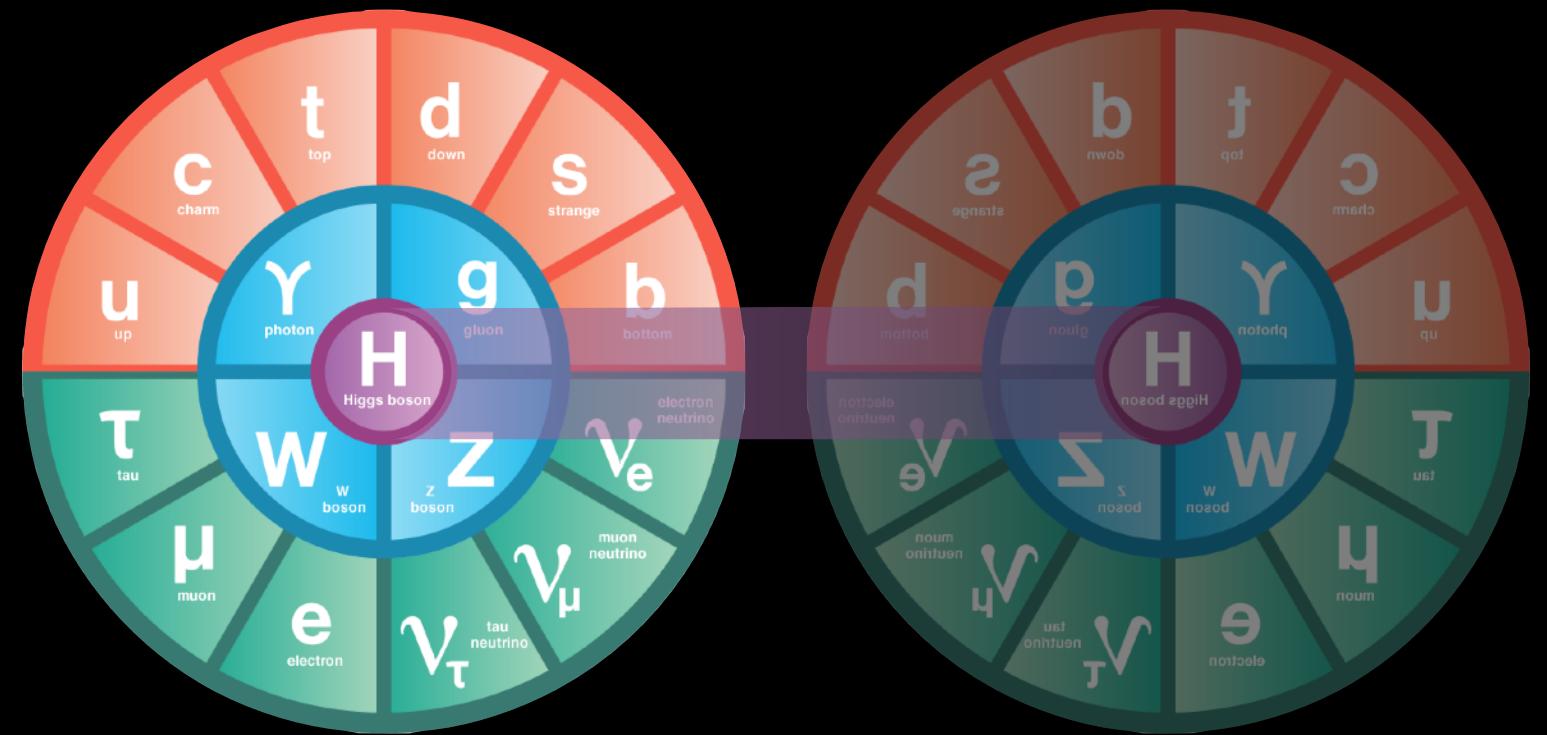


	$T_X = 0.91 \text{ K}$	
	m_X (95% CL)	
	BOSS + Planck	DESI + S4
Scalar	11.2 eV	0.94 eV
Weyl	2.26 eV	0.58 eV
Vector	1.58 eV	—
Dirac	1.06 eV	—



*Spectrum-independent
exclusion/discovery of
low-scale SUSY...*

Discrete symmetries



Higgs is a pNGB of the
accidental $SU(4)\dots$

E.g. “Twin Higgs” [Chacko, Goh, Harnik ’05, ...]
David Curtin’s talk

Consider SM + mirror SM with identical couplings.
Combined Higgs potential has an accidental $SU(4)$
global symmetry from $SU(2) \times SU(2) \times Z_2$.

$$\Delta V = -\frac{6y_t^2}{16\pi^2} \Lambda^2 (|H_A|^2 + |H_B|^2) + \dots$$

$$\mathcal{H} = \begin{pmatrix} H_A \\ H_B \end{pmatrix} \quad |\mathcal{H}|^2$$

...but spectrum
only respects a Z_2

*Still a plethora of new particles corresponding to a symmetry solution,
not interacting via SM gauge forces but coupling to Higgs.*

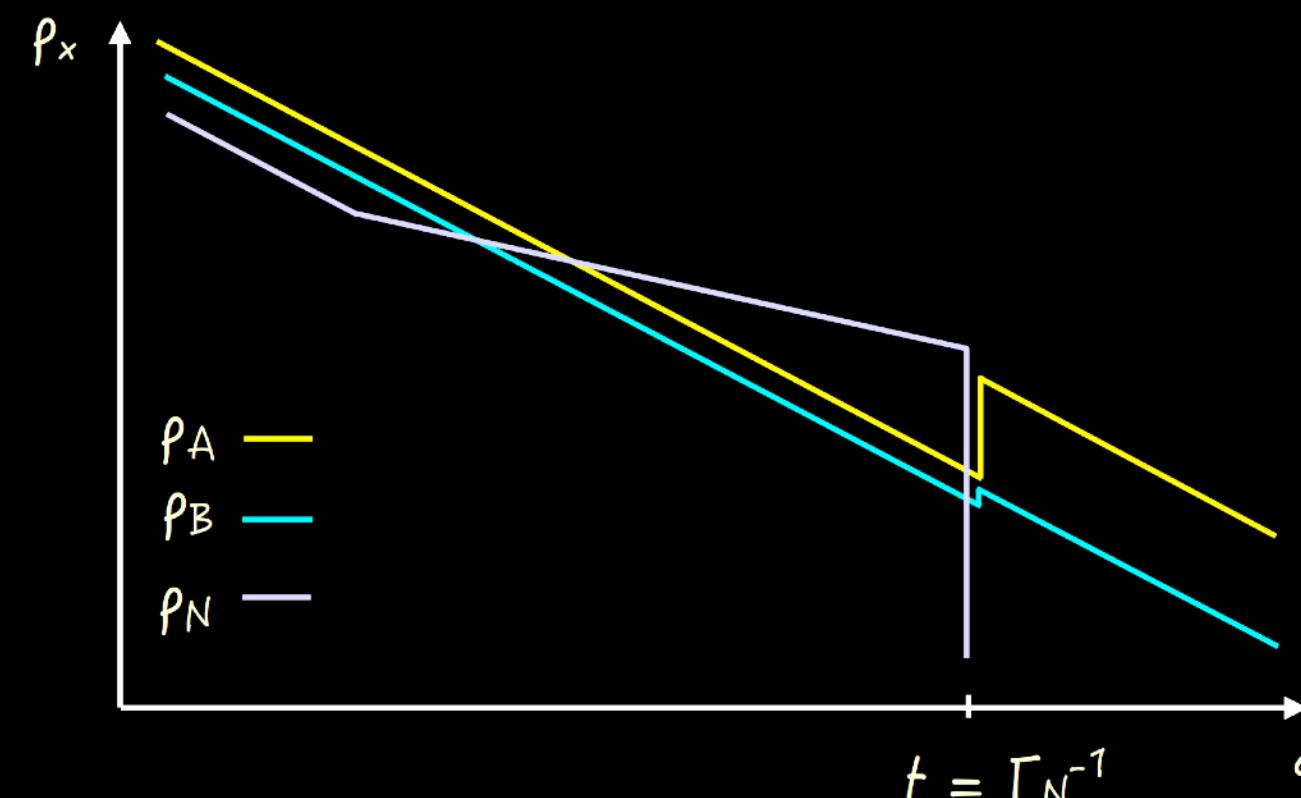
Cosmology is Key

The problem: thermal history of Z_2 -symmetric theory has too much energy density in twin ν, γ

$$\Delta N_{\text{eff}} \approx 7.4 \left. \frac{\rho_B}{\rho_A} \right|_{\text{BBN}} \approx 5.6$$

Preserve symmetry & reconcile w/ current limits if energy density set by neutral particle N that

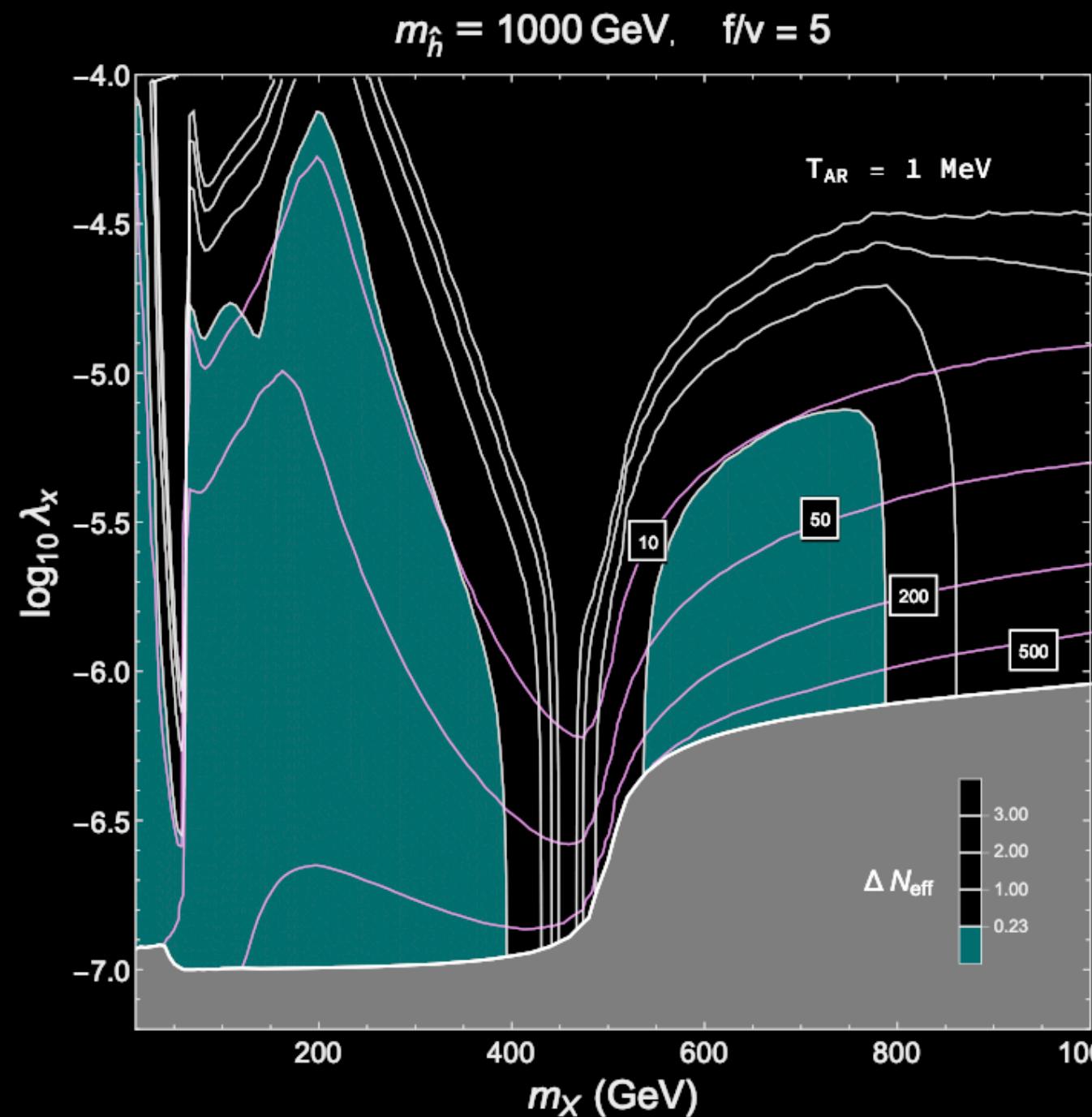
- decouples while relativistic
- decays some time thereafter
- decays primarily to A (SM)



Easy to do w/ symmetric coupling to H_A, H_B

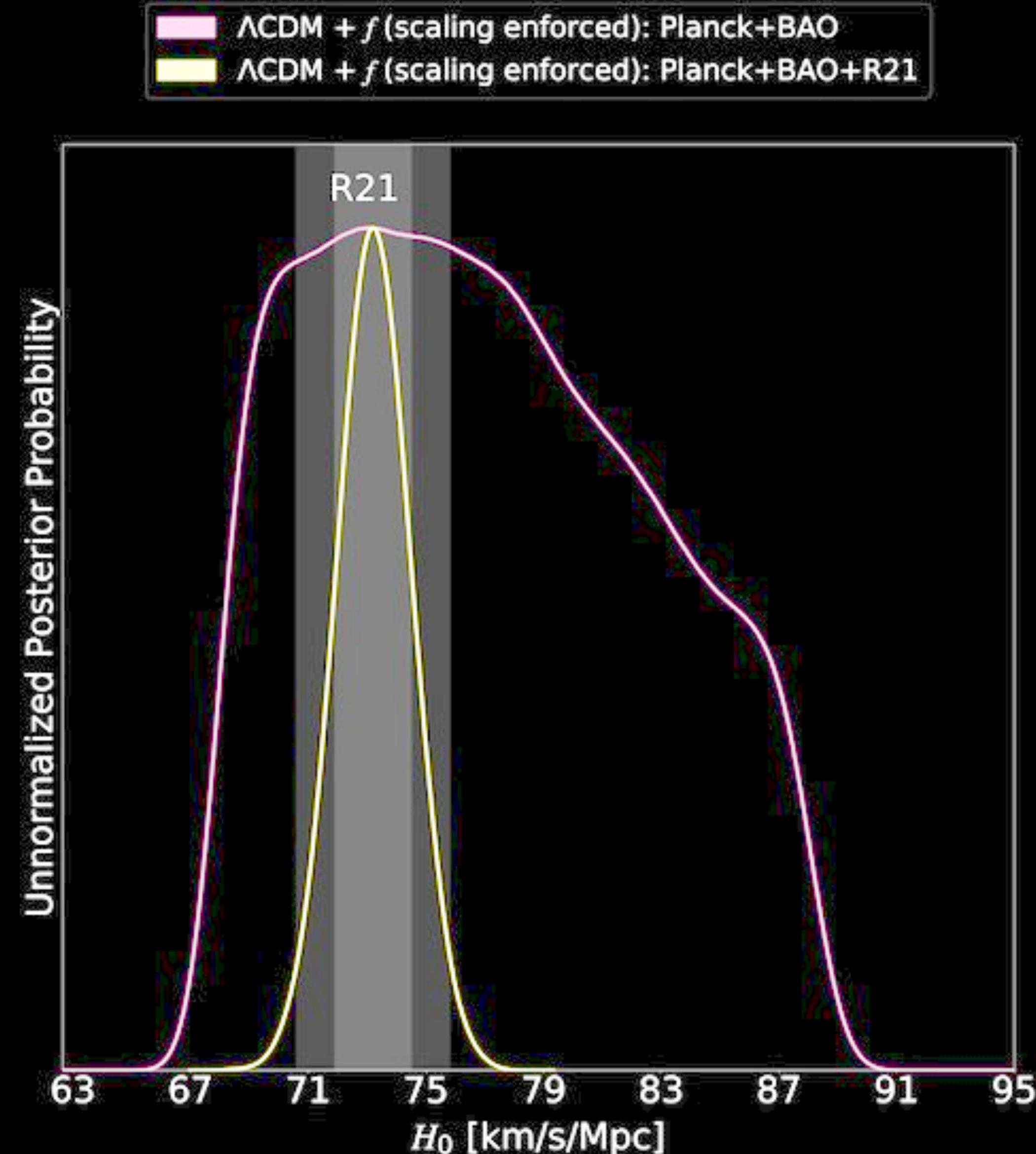
[Chacko, NC, Fox, Harnik '16; NC, Koren, Trott '16]

Signals predominantly in CMB-S4



[Curtin, Gryba '21]

D. Curtin's talk: plethora of exotic astrophysical signals if CMB-S4 sees anomalous N_{eff}

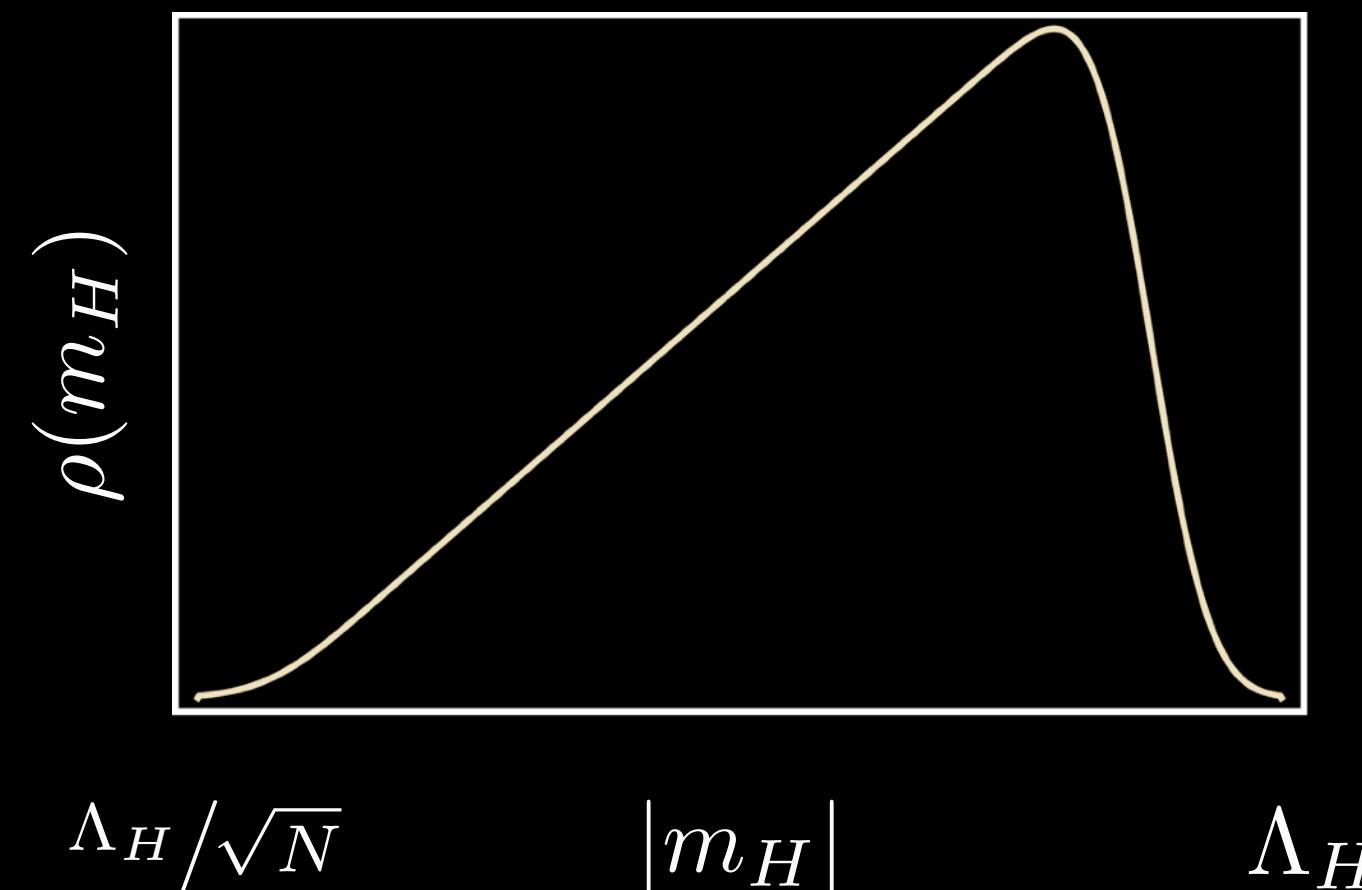


NNaturalness

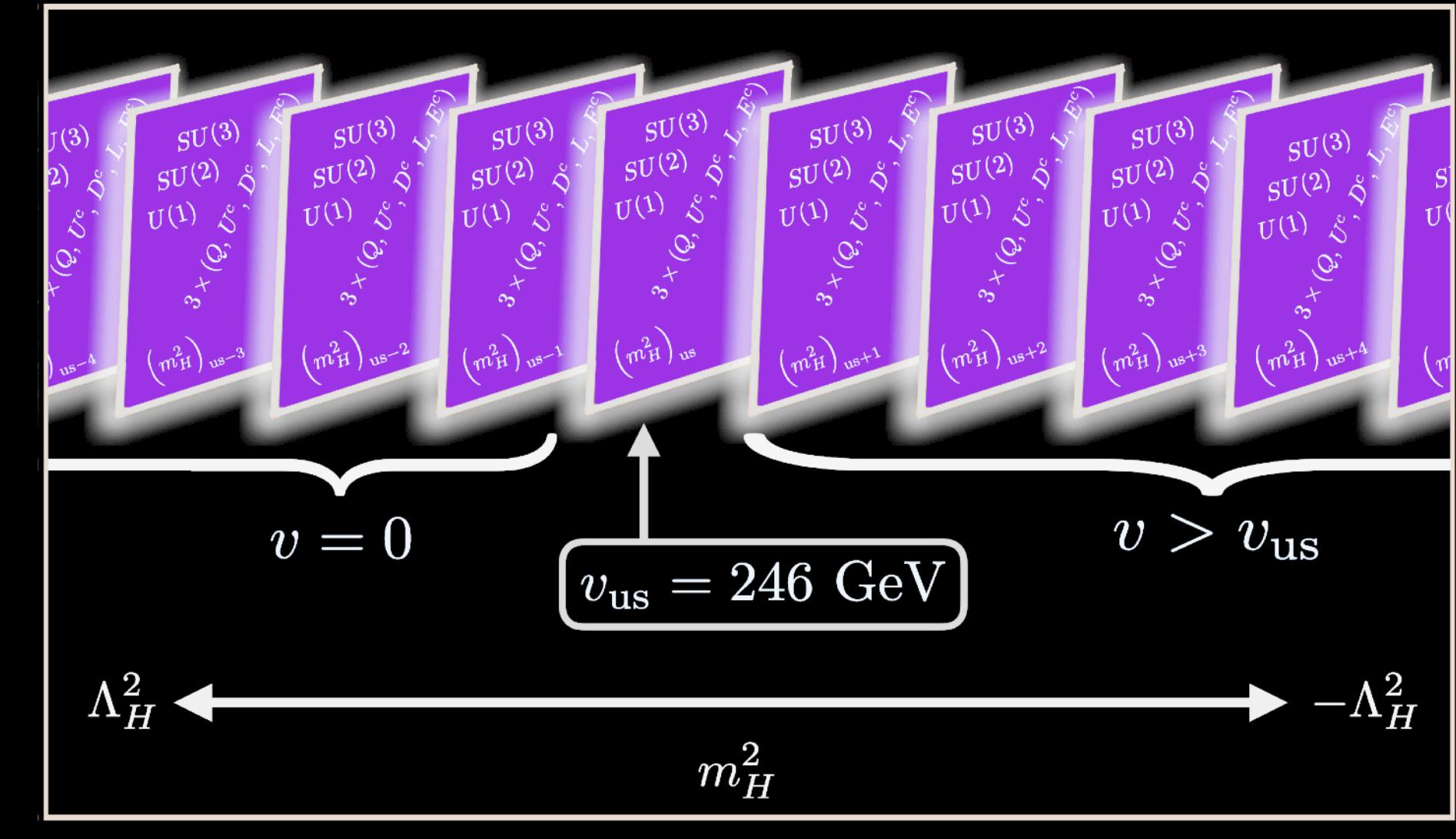
[Arkani-Hamed, Cohen, D'Agnolo, Hook, Kim, Pinner '16]

N copies of the SM w/ UV scale Λ_H

Random UV contributions to Higgs mass-squared \rightarrow distribution of m_H^2 between $\pm \Lambda_H^2$



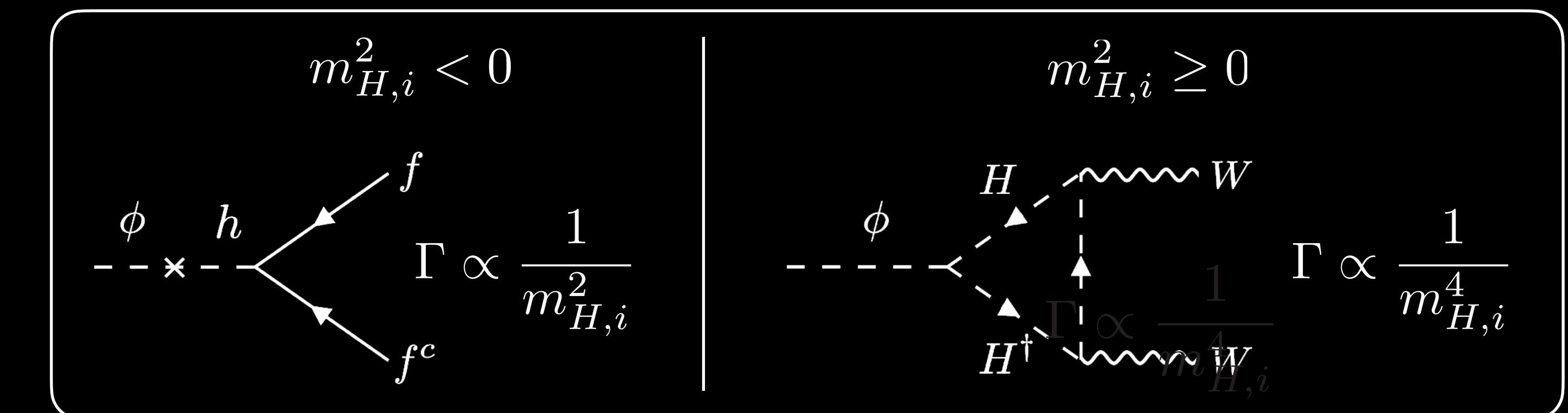
At least 1 copy w/ $|m_H| \sim \Lambda_H/\sqrt{N}$



Why does copy w/ smallest m_H dominate? *Cosmology.*

Reheaton ϕ starts universe via $\phi |H_i|^2$ couplings

Decays (provided $m_\phi < |m_{H_i}|$)



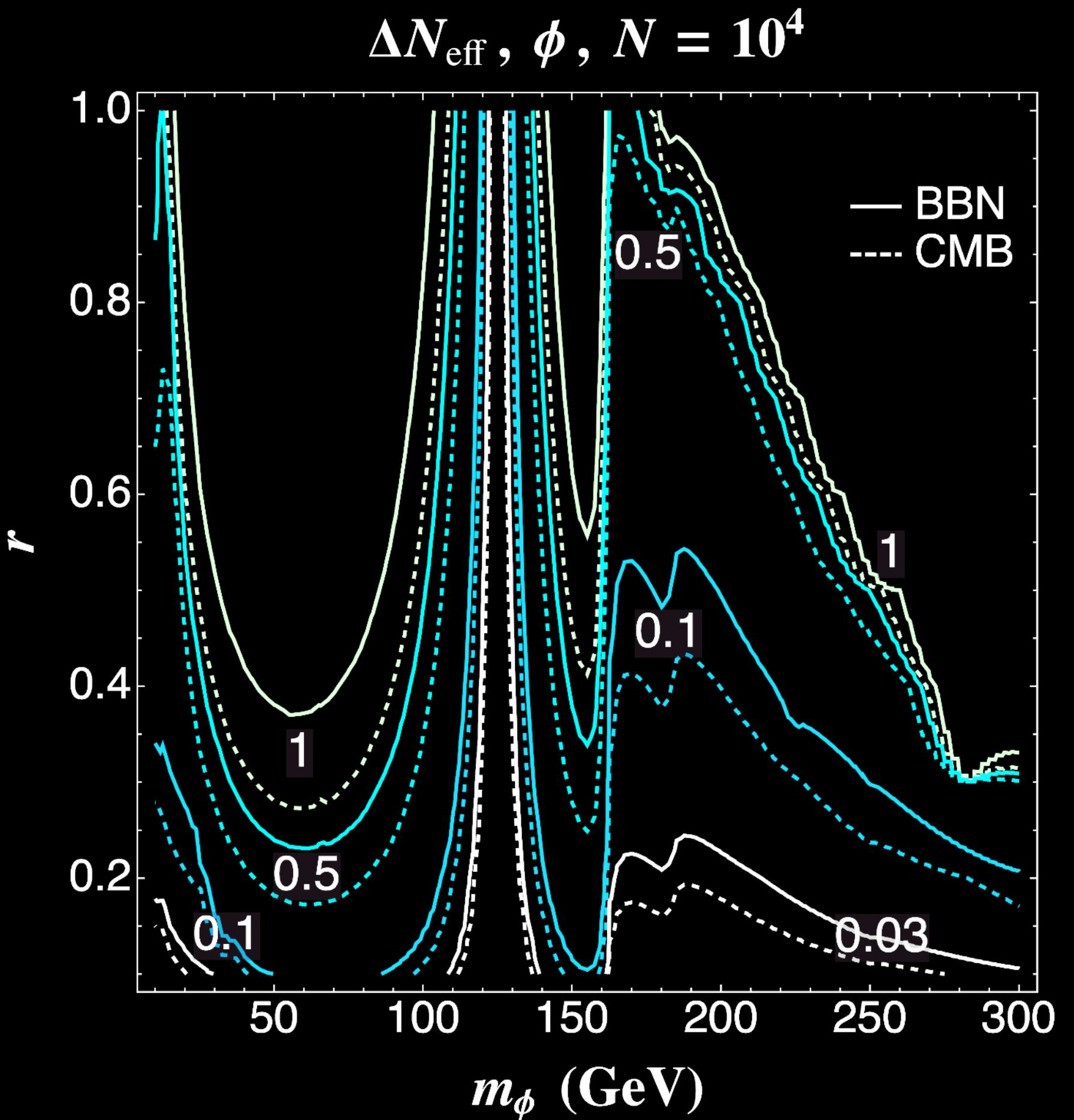
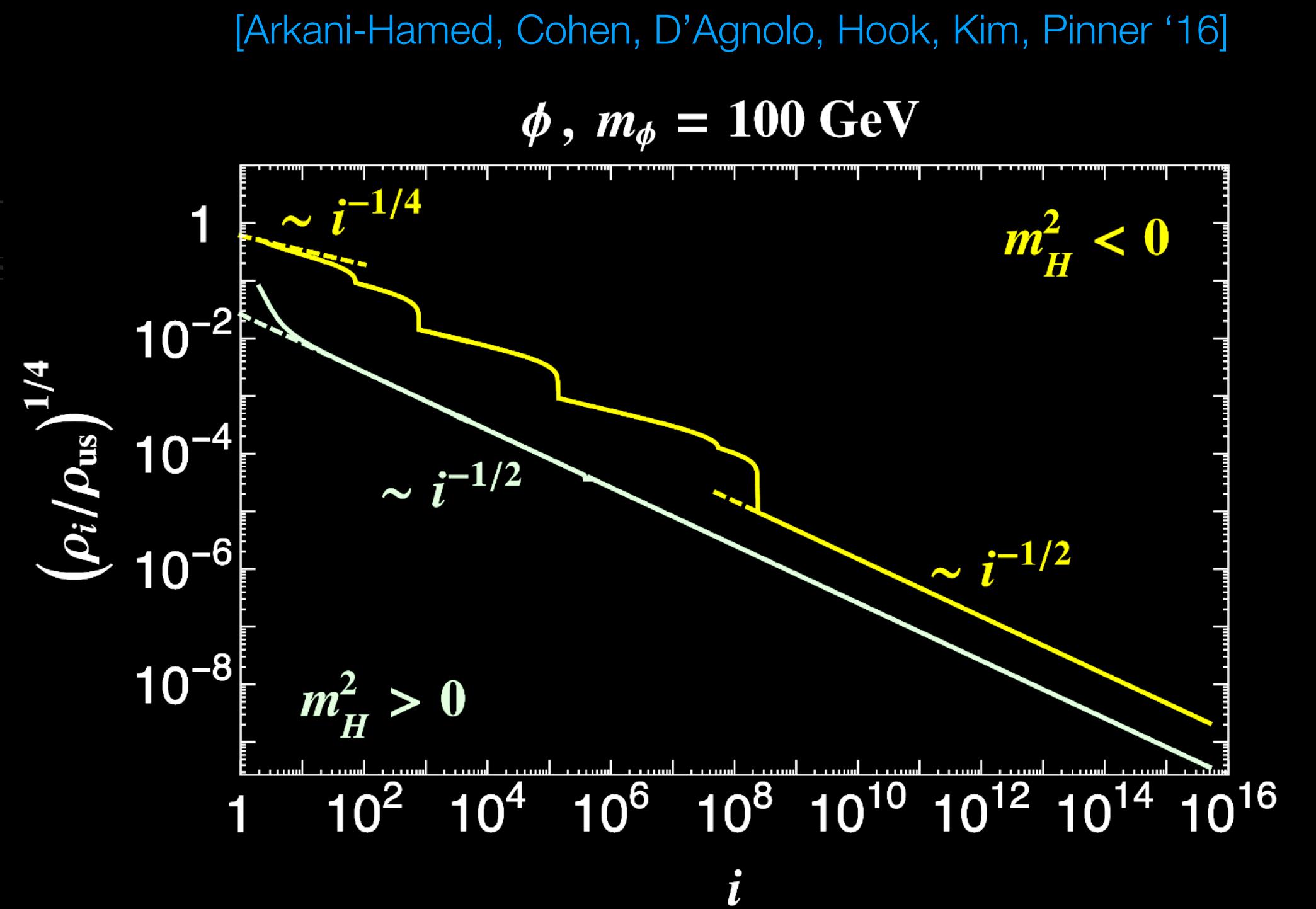
Preferentially reheats copy w/ smallest $|m_H|$ & $m_H^2 < 0$

N Higgses...in the sky

All sectors reheated by some amount \Rightarrow dark radiation

$$\frac{\rho_i}{\rho_{\text{us}}} \frac{\rho_i}{\rho_{\text{us}}} \frac{\Gamma_i}{\Gamma_{\text{us}}} \frac{\Gamma_i}{\Gamma_{\text{us}}}$$

Dominated
by sectors
with similar
scales



Primary signals in dark radiation, extensive coverage by CMB-S4

See also [Choi, Chiang, Loverde '18]

($r=1 \leftrightarrow$ flat m_H^2 ; $r<1 \leftrightarrow$ larger splitting)

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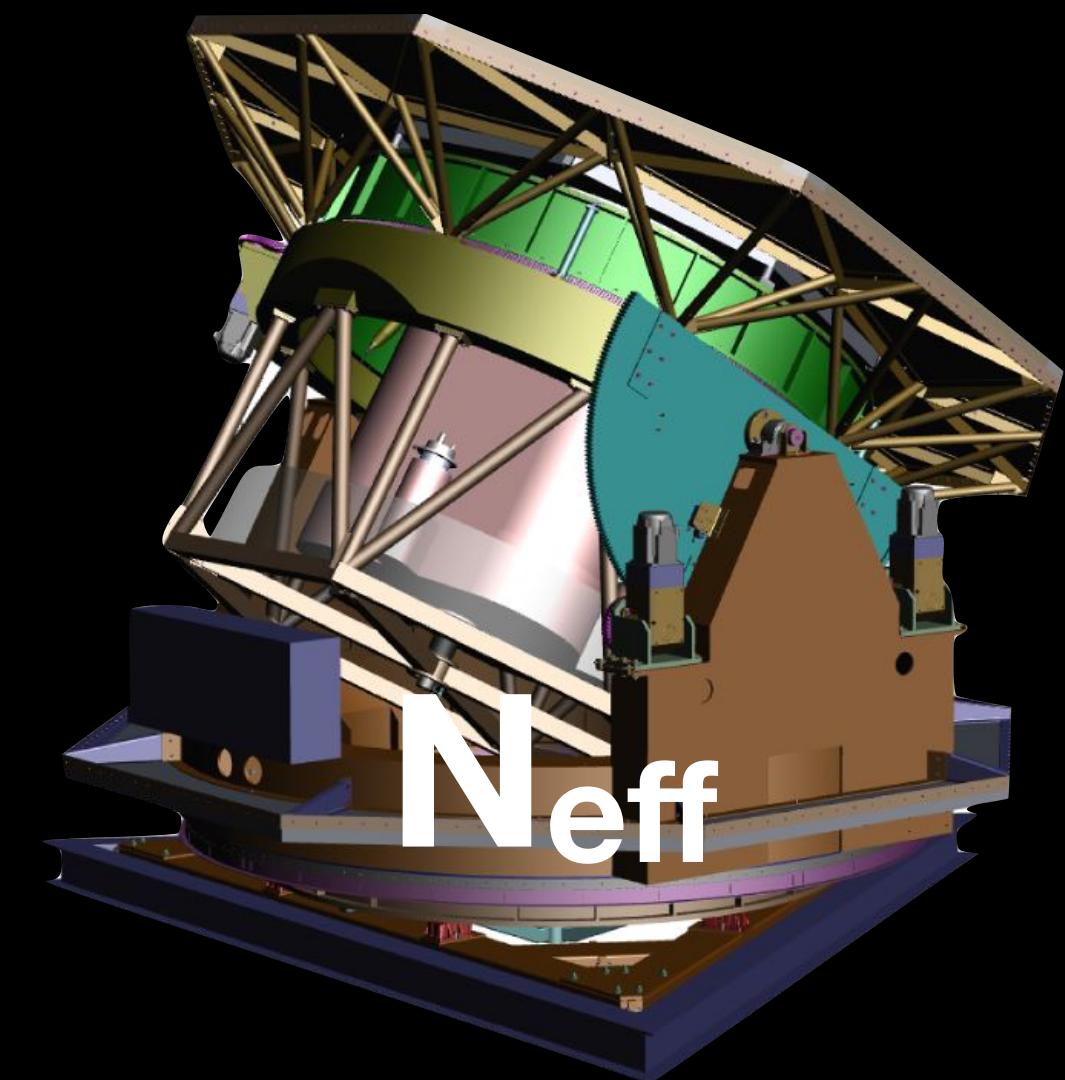
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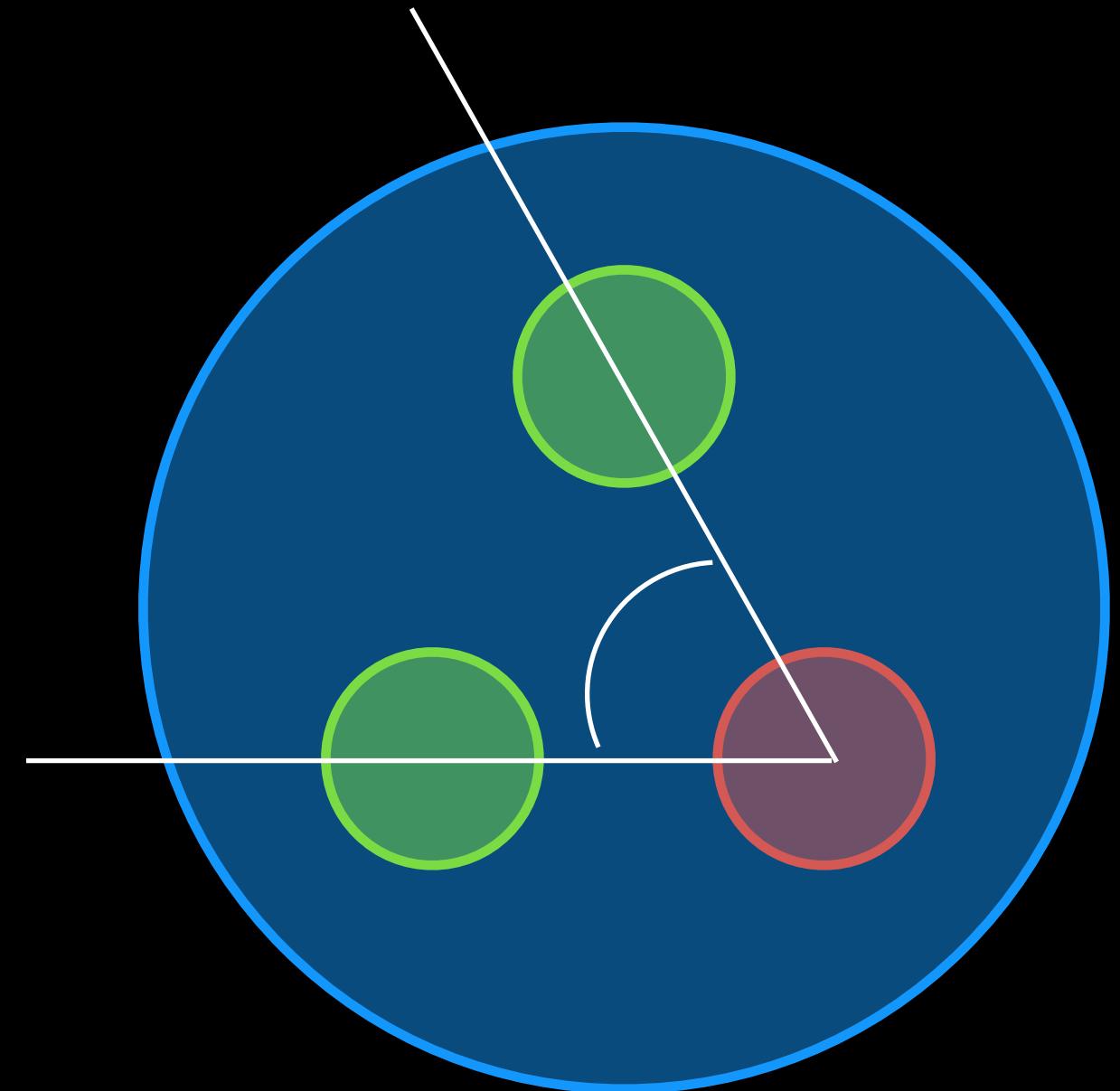
Flavor
Problem

Hierarchy
Problem

Strong CP
Problem



Strong CP Problem



Classical version: bound on neutron EDM

$$|d_n| \lesssim 3 \times 10^{-26} e\text{ cm}$$

“implies” up, down quarks aligned to within 10^{-12}

Quantum version: naively $O(1)$ CP-violating θ parameter $\mathcal{L} \supset \frac{\theta}{32\pi^2} G_{\mu\nu}^a \tilde{G}^{\mu\nu,a}$ is actually $< 10^{-10}$

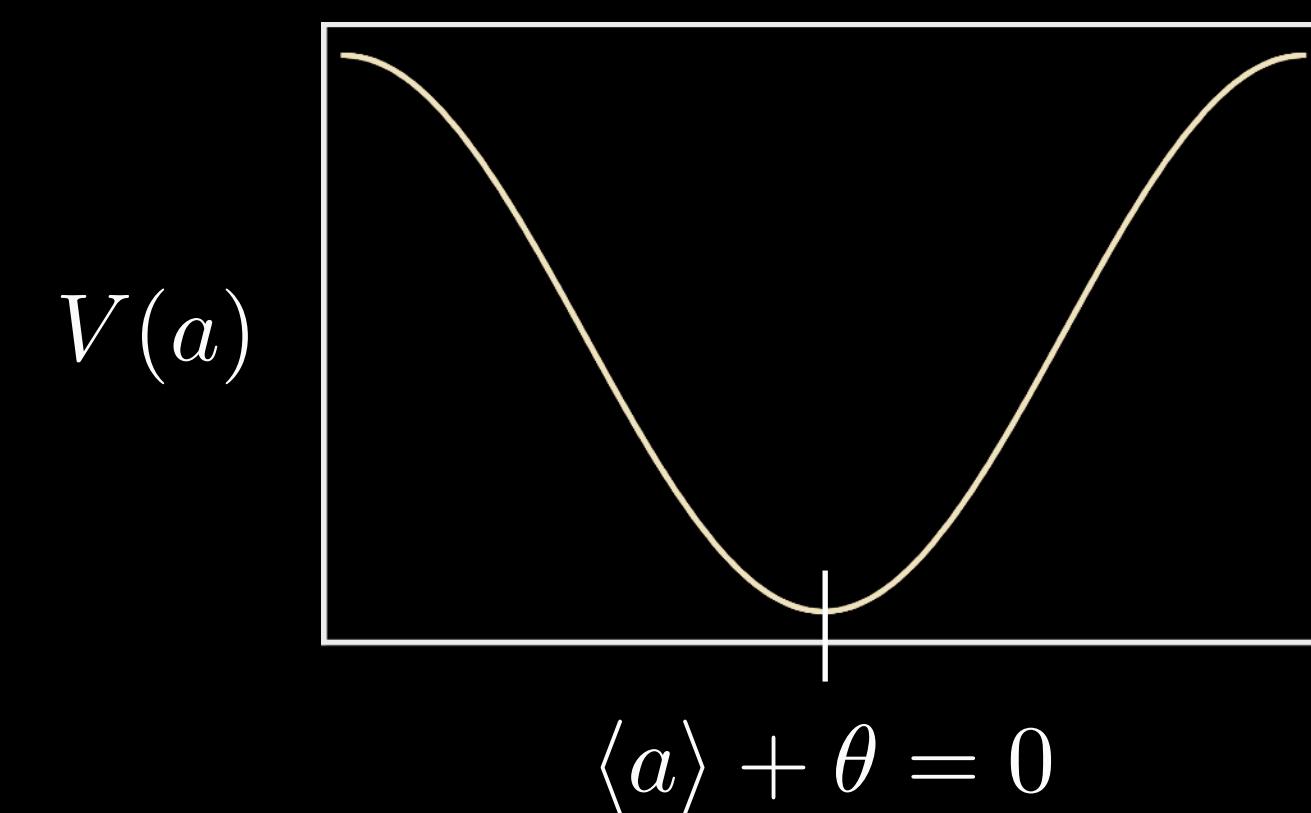
Many solutions; **axion** preferred because it can relax away all contributions to θ , furnish a DM candidate, etc.

$$\frac{a}{f_a} \frac{1}{32\pi^2} G \tilde{G}$$

Model independent

$$\frac{a}{f_\gamma} \frac{1}{32\pi^2} F \tilde{F} \quad \frac{\partial_\mu a}{f_Q} Q^\dagger \bar{\sigma}^\mu Q$$

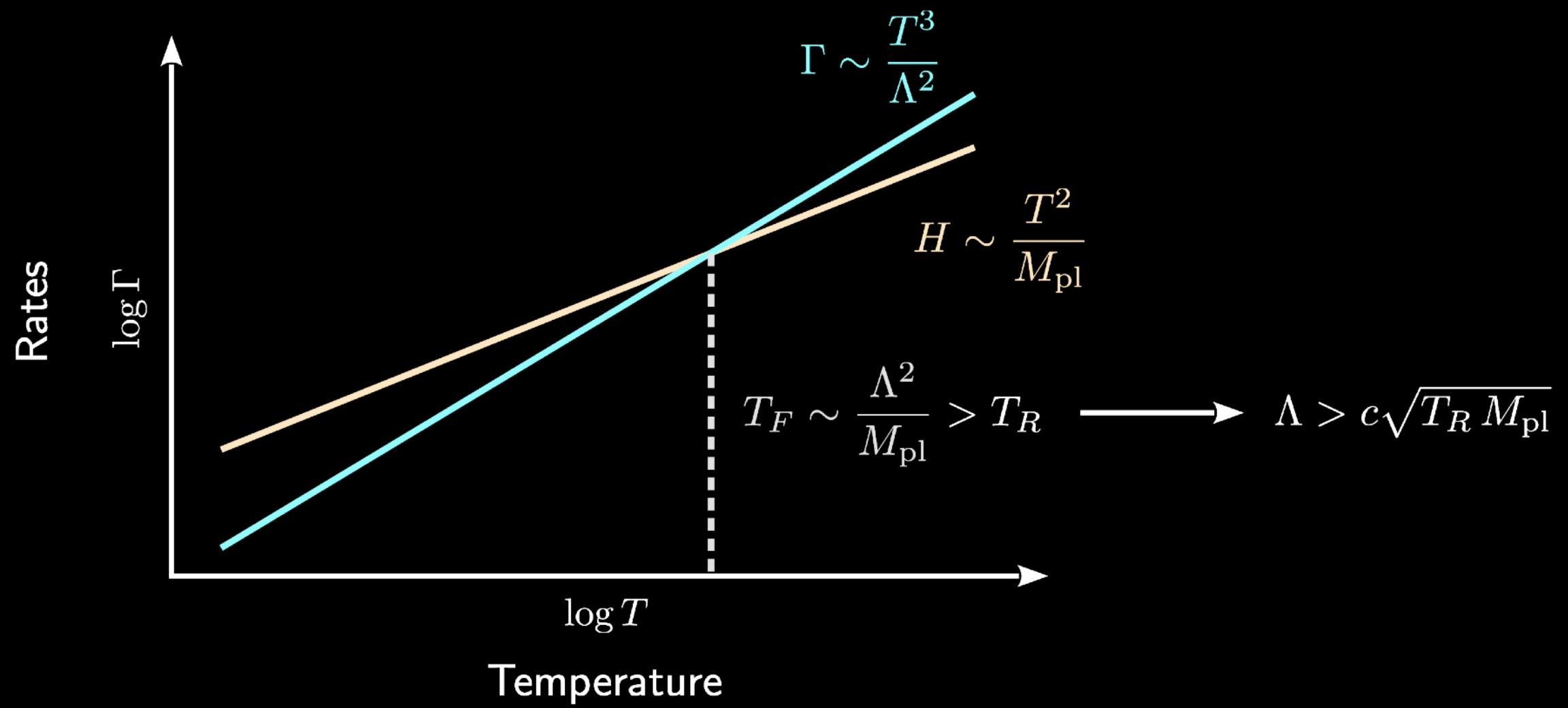
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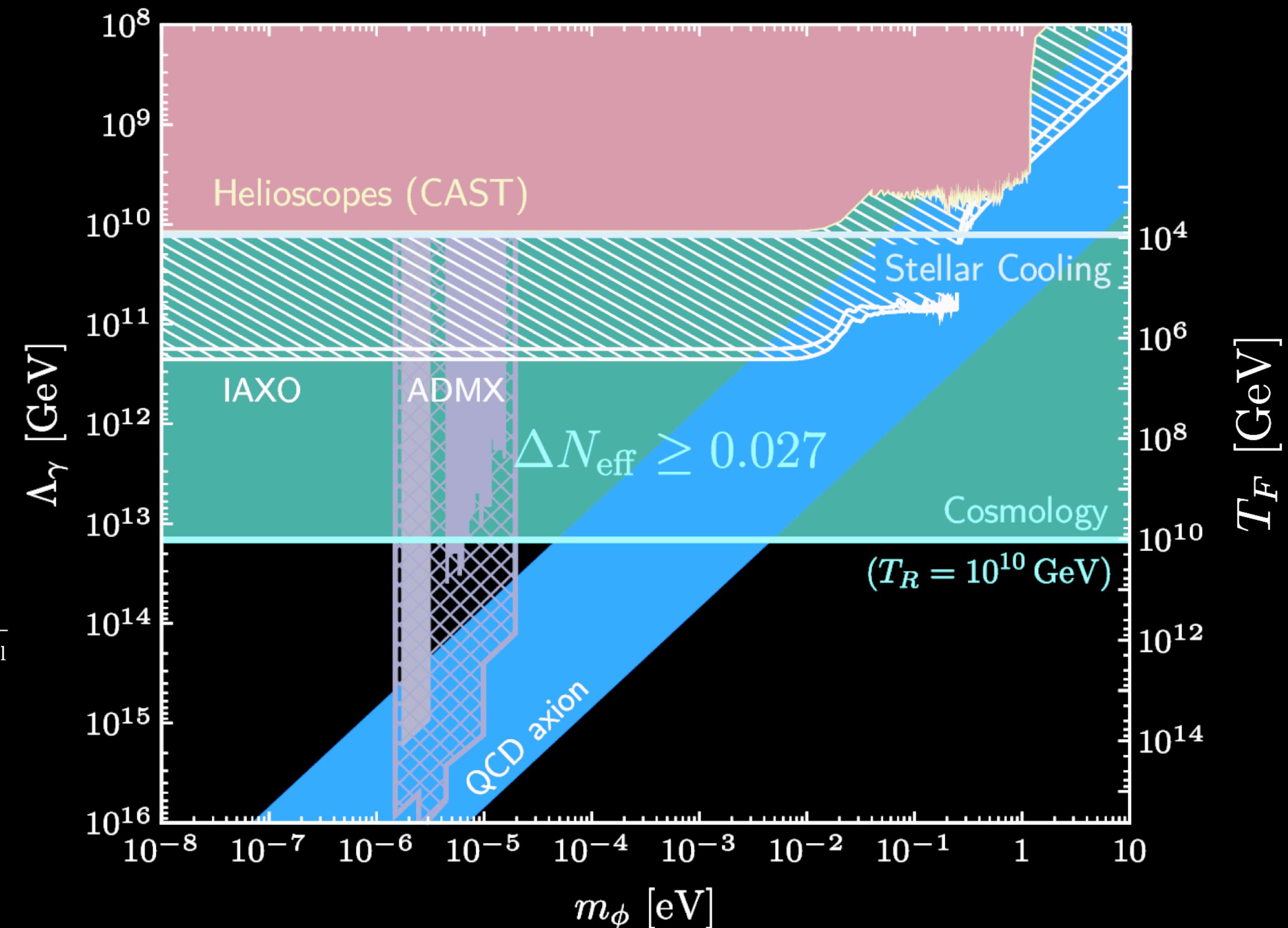
Strong CP Problem

From B. Wallisch's talk

If ever in thermal equilibrium w/ SM,
sub-eV axions constrainable by ΔN_{eff} ;
only alternative is to have $T_F > T_R$



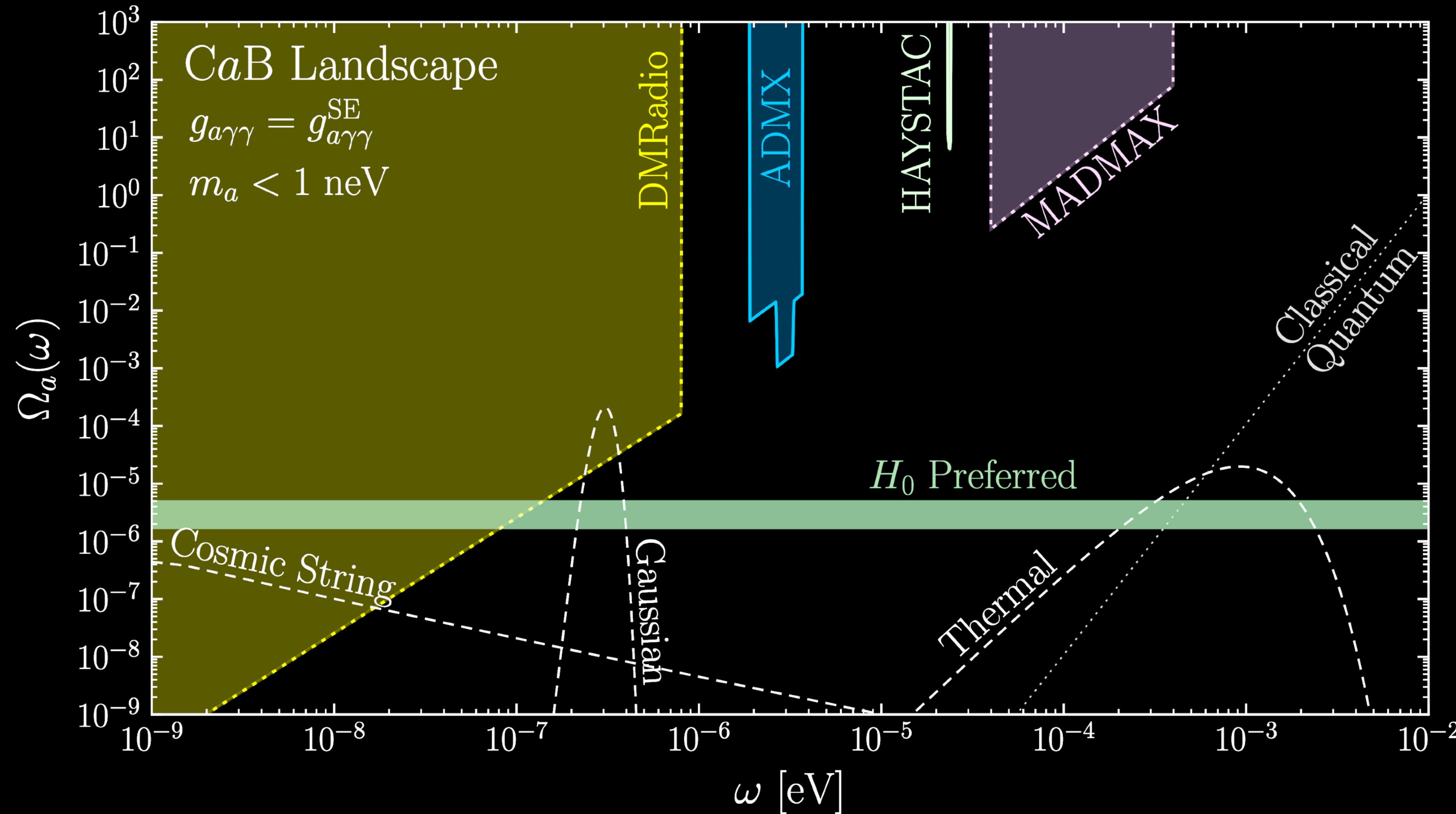
[Baumann, Green, Wallisch '16]



Cosmic Axion Background

From N. Rodd's talk

[Dror, Murayama, Rodd '21]



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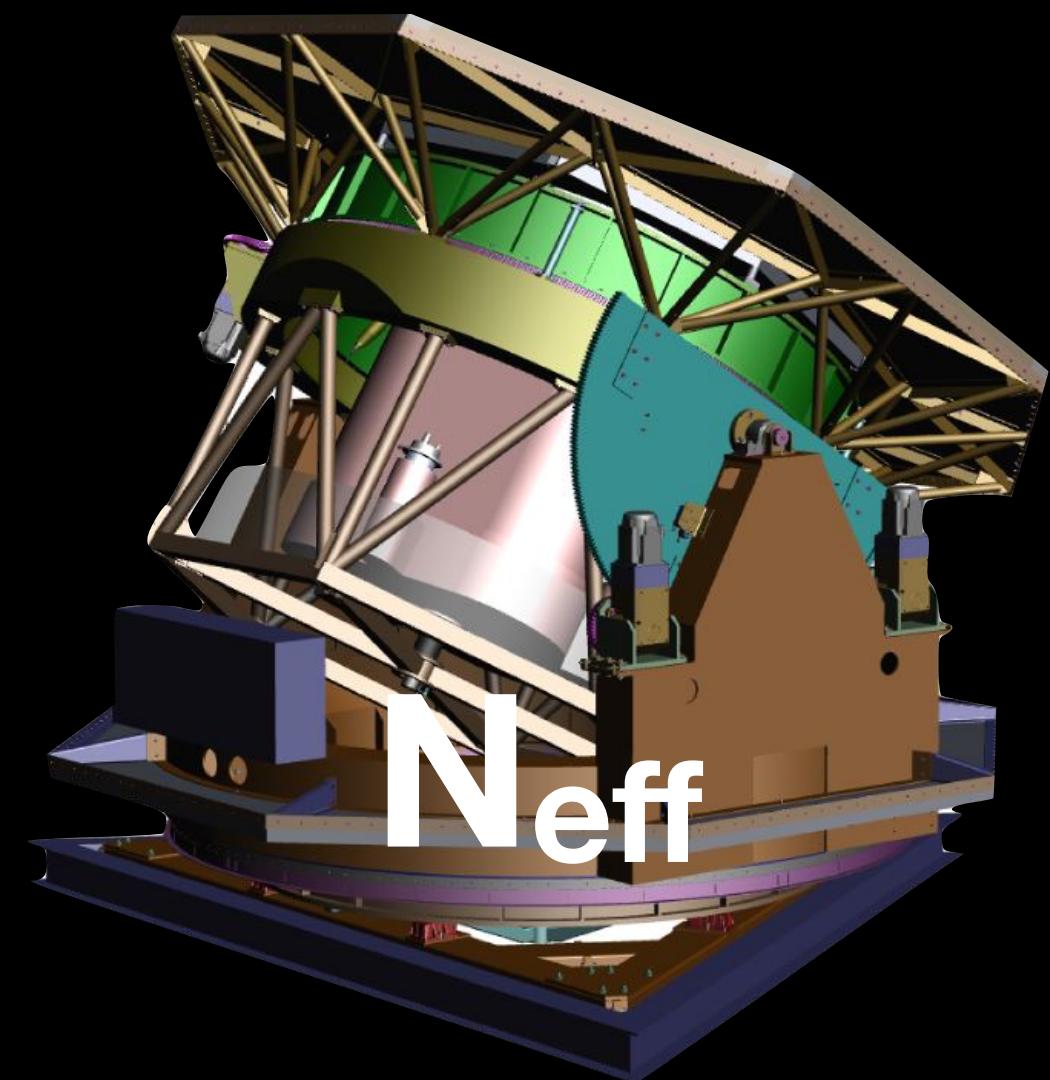
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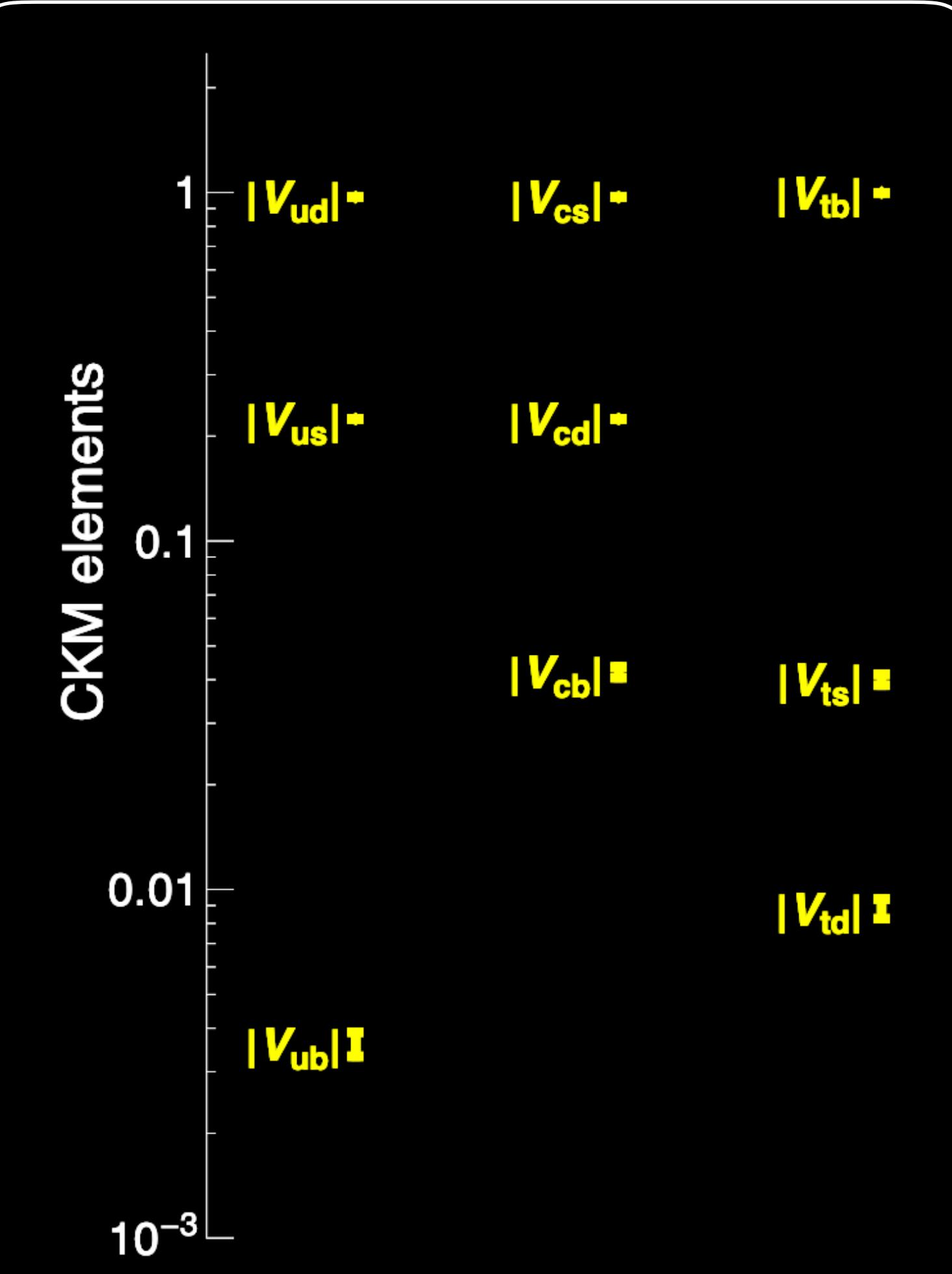
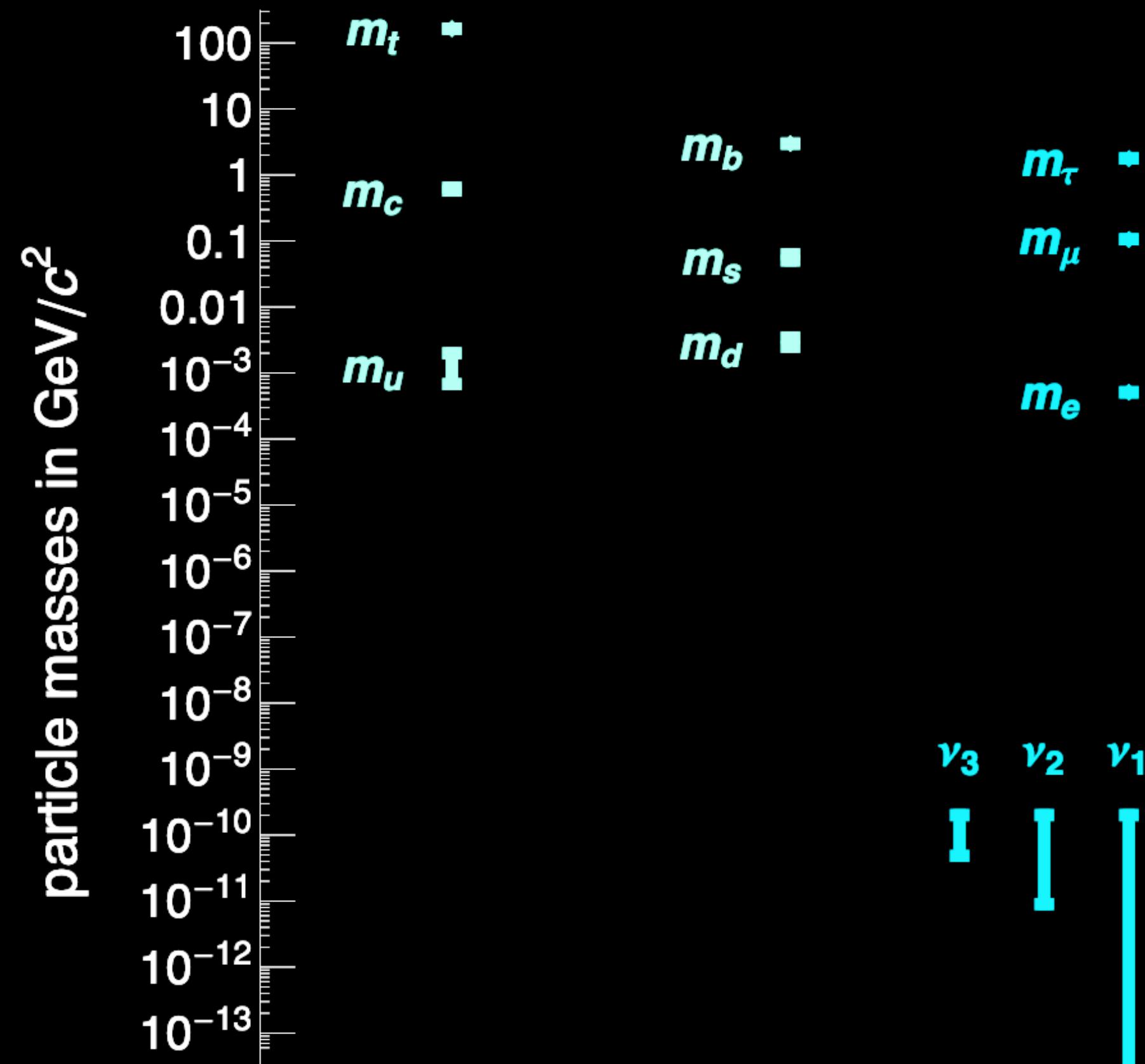
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Puzzle



Flavor Puzzle



Hints of an organizing principle...

$$|V| \simeq \begin{pmatrix} 1 & \lambda & \lambda^3 \\ \lambda & 1 & \lambda^2 \\ \lambda^3 & \lambda^2 & 1 \end{pmatrix}$$

+ signs of lepton flavor universality violation?

Familions

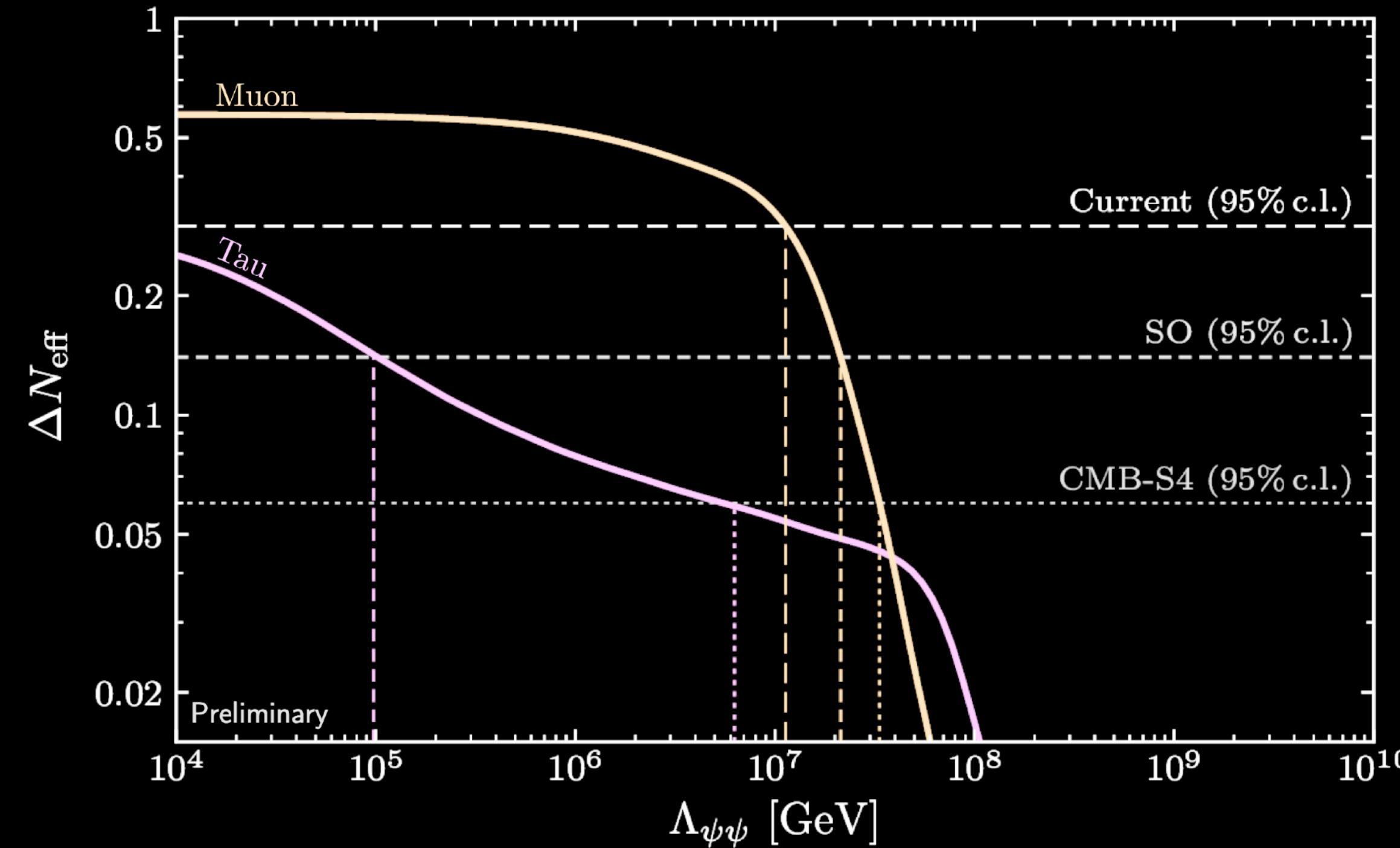
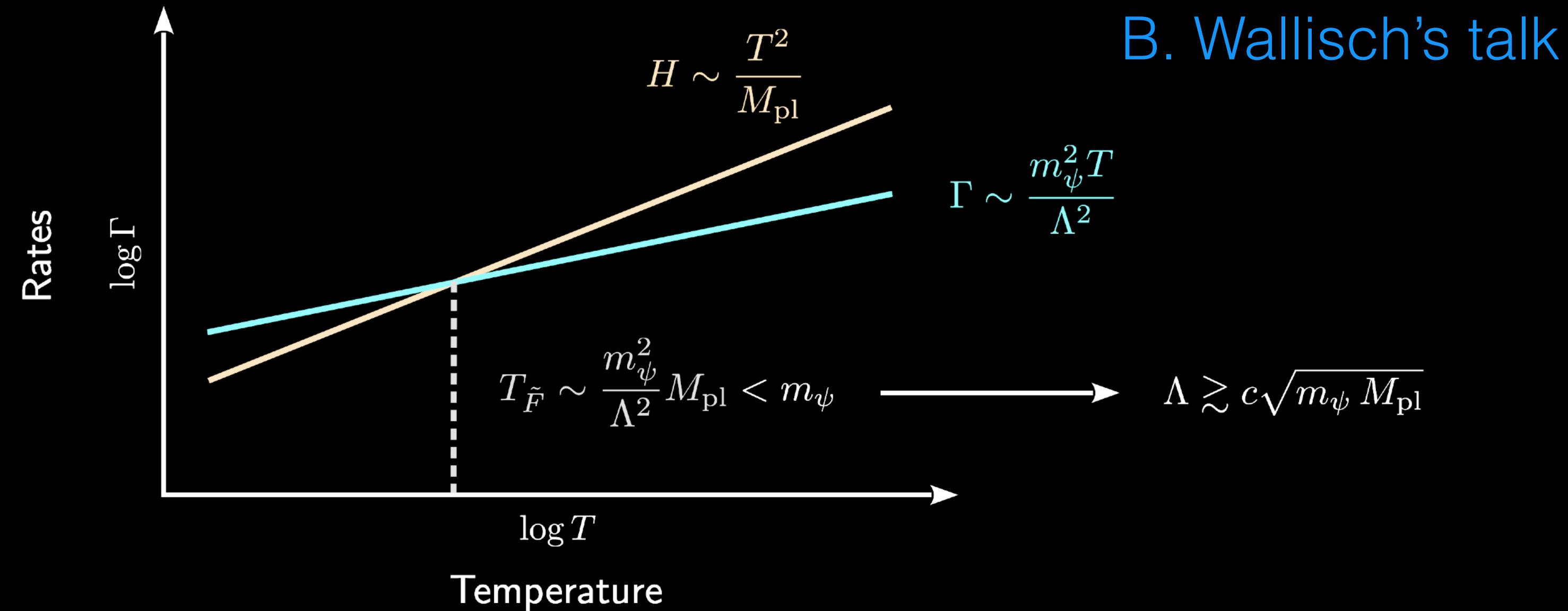
What if some of the pattern of SM flavor symmetry breaking

$$U(3)^5 \rightarrow U(1)_B \times U(1)_L$$

is spontaneous? Expect goldstone bosons (familions) coupling to SM fermions via

$$\mathcal{L} = \frac{1}{\Lambda} \partial_\mu f^\alpha J^{\mu a}$$

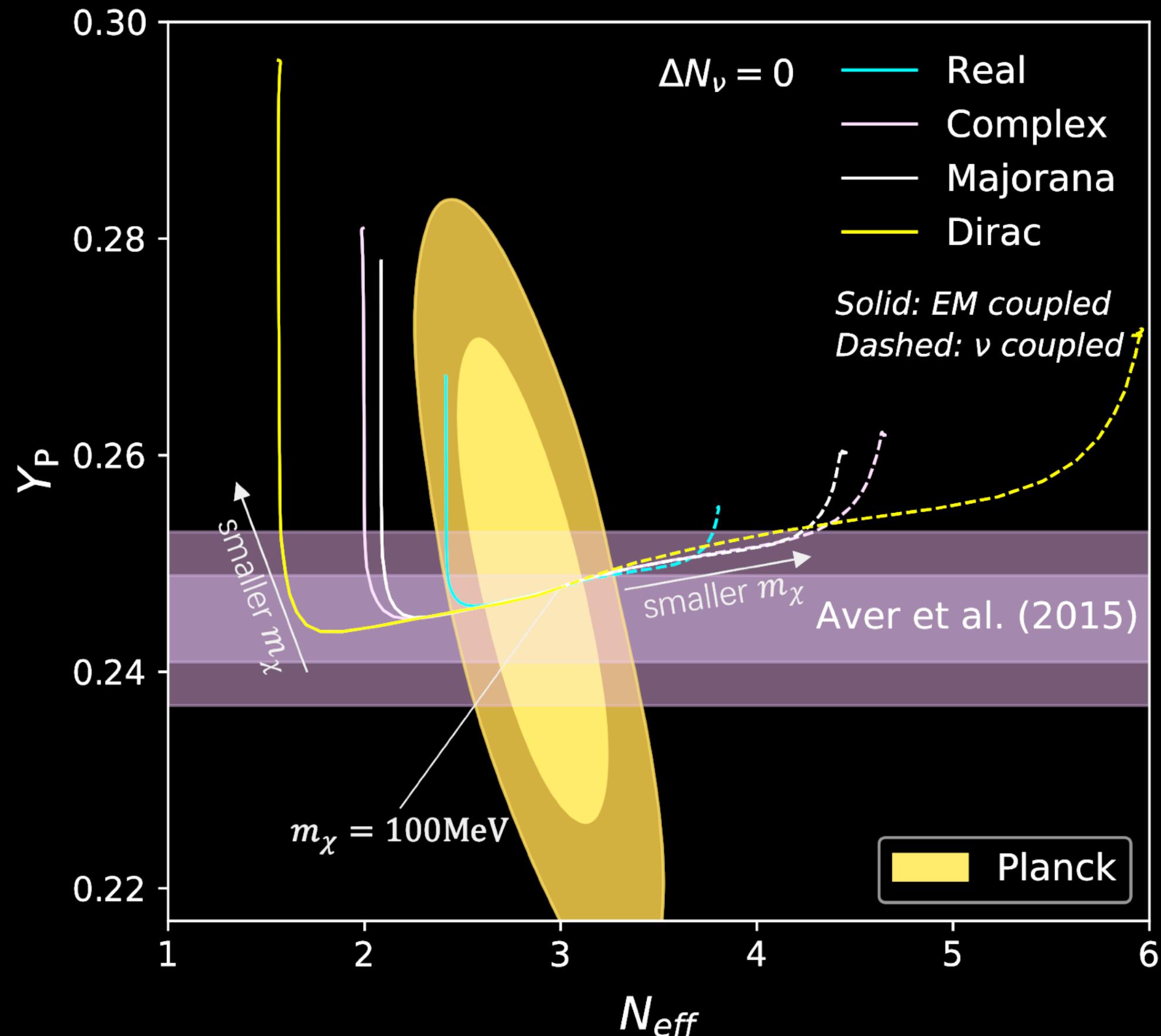
Generate thermal population via freeze-in; sub-eV axions constrainable by ΔN_{eff}



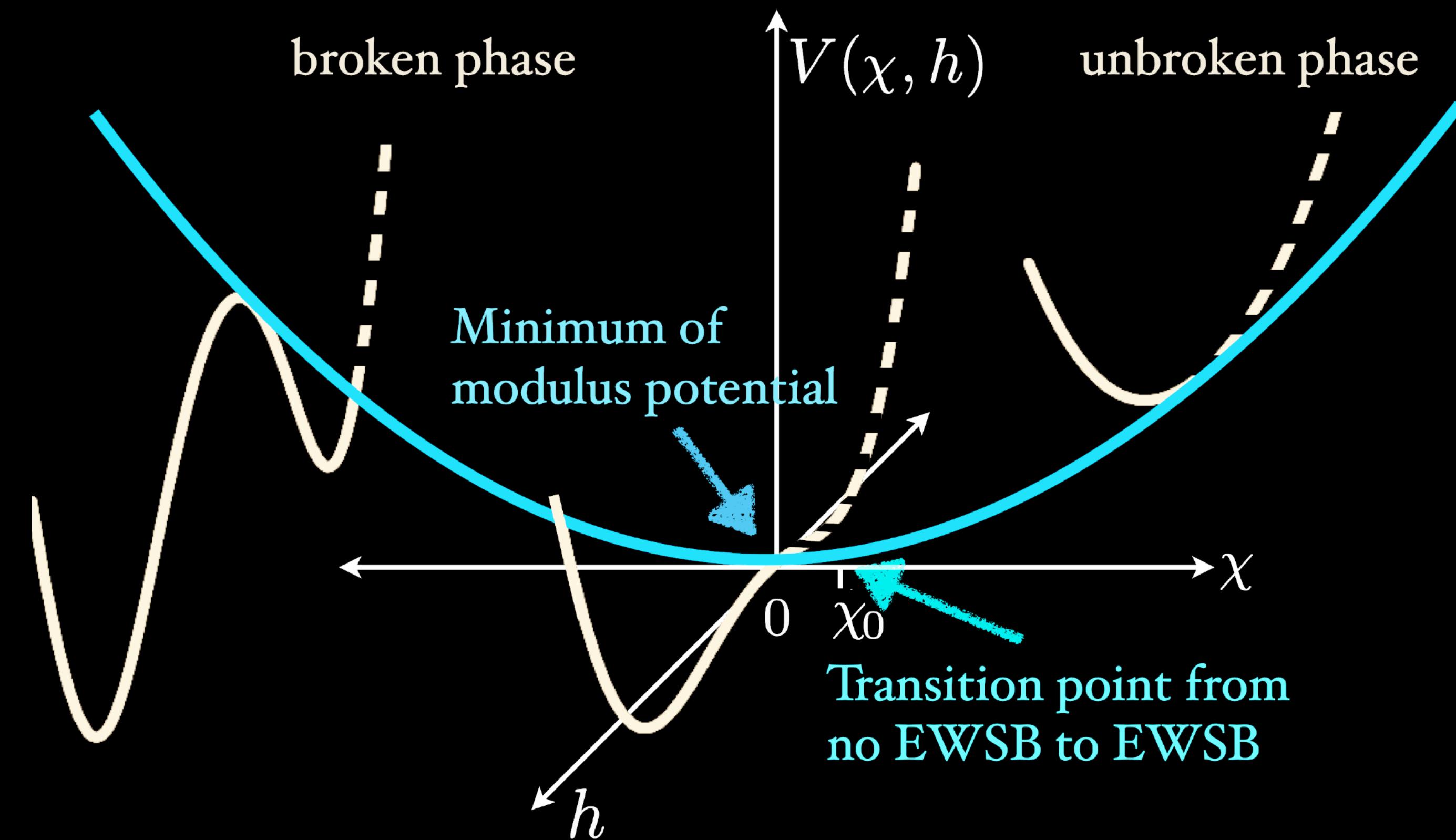
- Current:**
 - $\Lambda_{\mu\mu} > 10^{7.1} \text{ GeV}$
 - $\Lambda_{\tau\tau} > 10^{3.2} \text{ GeV}$
- SO:**
 - $\Lambda_{\mu\mu} > 10^{7.3} \text{ GeV}$
 - $\Lambda_{\tau\tau} > 10^{5.0} \text{ GeV}$
- CMB-S4:**
 - $\Lambda_{\mu\mu} > 10^{7.5} \text{ GeV}$
 - $\Lambda_{\tau\tau} > 10^{6.8} \text{ GeV}$
 - (Preliminary)

B. Wallisch's talk

Rui An's talk: CMB and BBN constraints on light thermally coupled WIMPs



JiJi Fan's talk: Modulating Fields and the CMB



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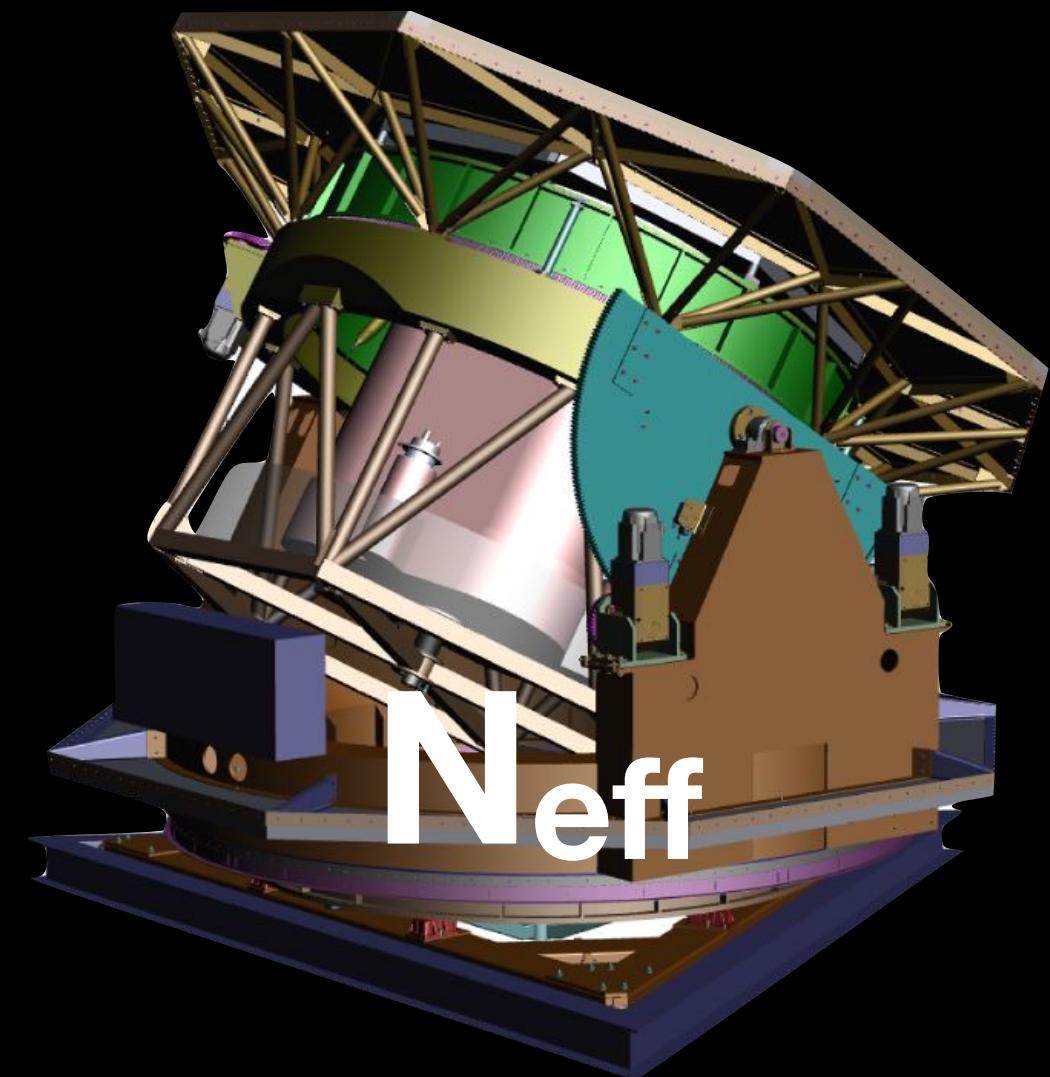
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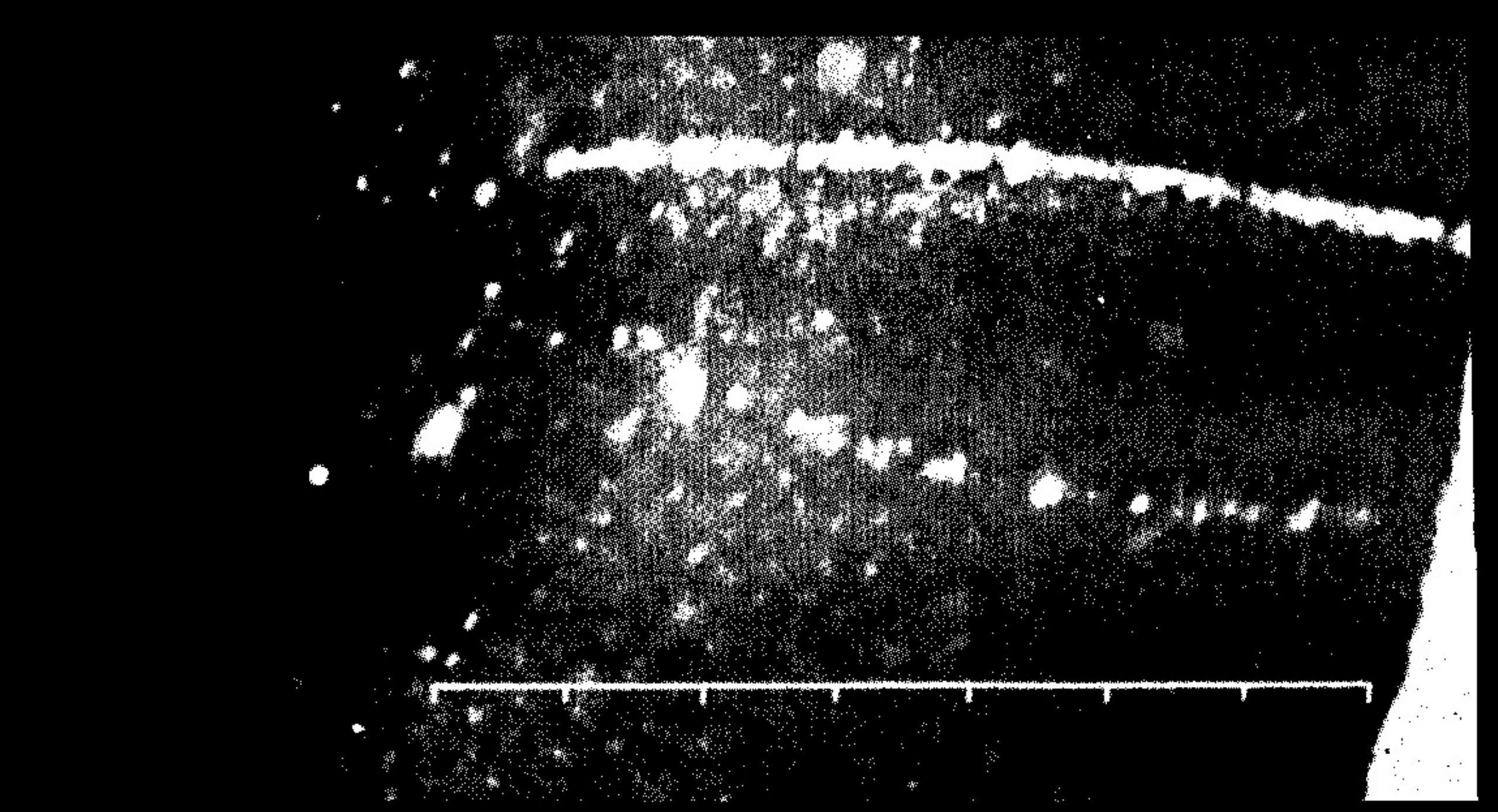
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Baryon Asymmetry

Dar-



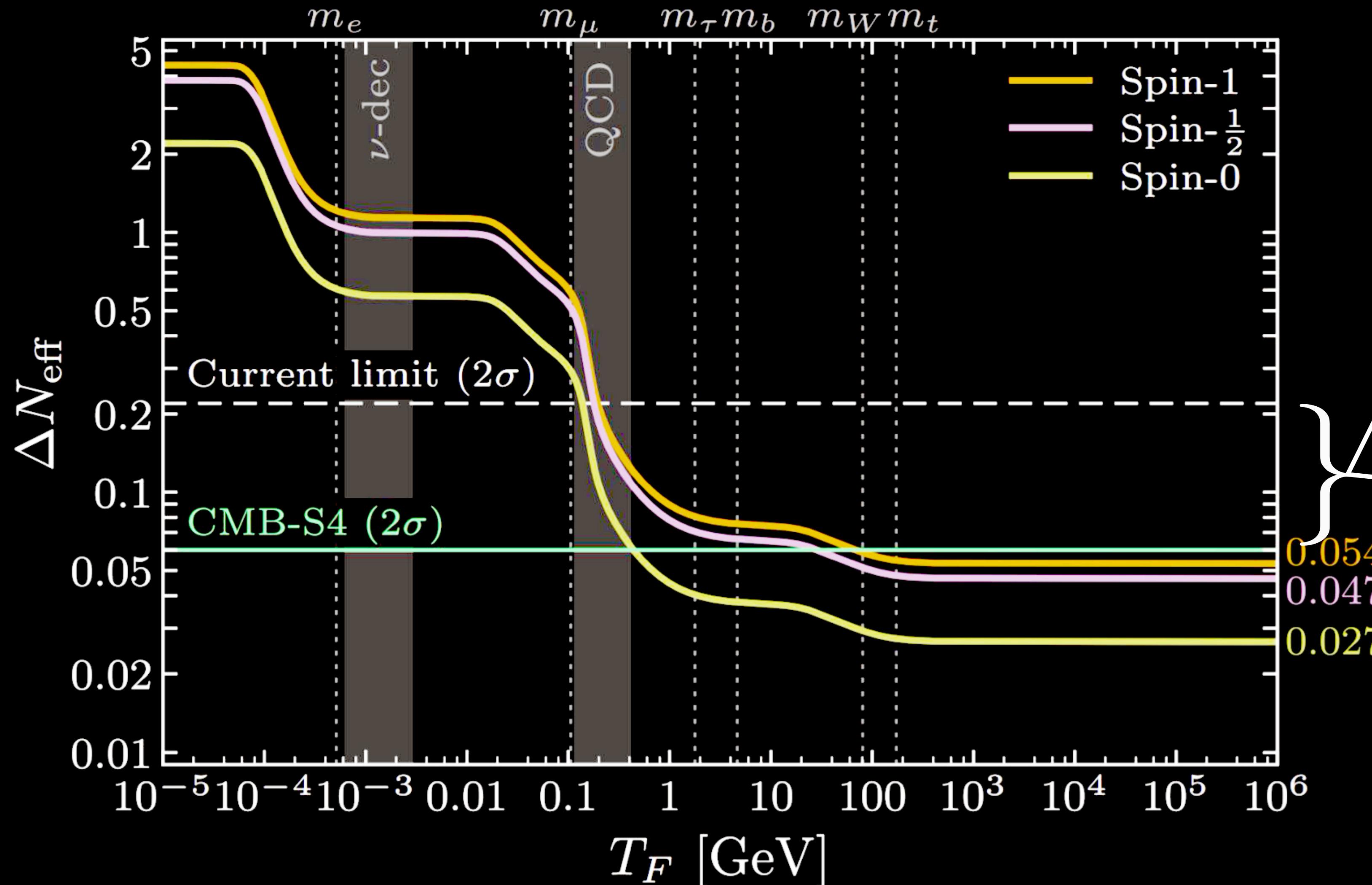
"The other double trace of the same type (figure 5) shows closely together the thin trace of an electron of 37 MeV, and a much more strongly ionizing positive particle whith a much larger bending radius. The nature of this particle is unknown; for a proton it does not ionize enough and for a positive electron the ionization is too strong. The present double trace is probably a segment from a "shower" of particles as they have been observed by Blackett and Occhialini, i.e. the result of a nuclear explosion".

Kunze, P., Z. Phys. 83, (1933) 1

Archy
slem

trong CP
roblem

Who Ordered That?



CMB-S4 sensitive to:

- Any sub-eV particle decoupling from SM between EW phase transition and QCD phase transition.
- More than ~one copy of any sub-eV particle ever in thermal equilibrium with the SM.

*Extraordinary opportunity for
“who ordered that”...*



Thank you!